

SK/Tibetによる

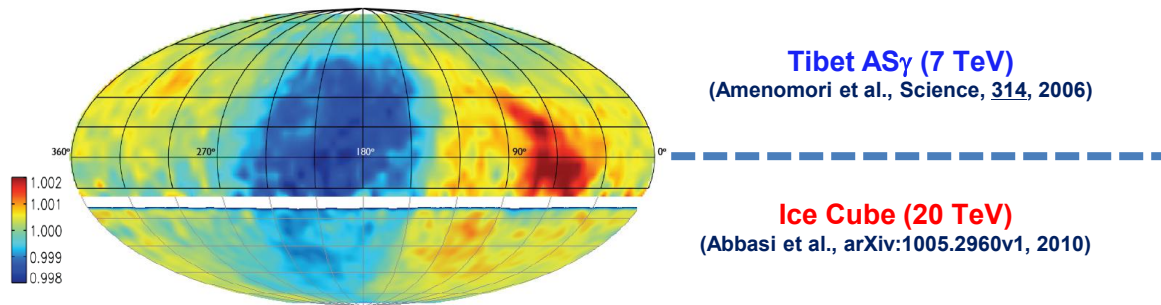
高エネルギー宇宙線強度の恒星時異方性の観測

*宗像一起¹⁾、佐古崇志²⁾、川田和正³⁾、瀧田正人³⁾

加藤千尋¹⁾、林優希¹⁾、小林 峻輔¹⁾、三石 翔¹⁾、

¹⁾信州大、²⁾長野工科短大、³⁾宇宙線研

Heliospheric modulation (distortion) in MHD model heliosphere



Proc of ASTRONUM-2025 (IOP Publishing) accepted (2026)

220千円: 消耗品(プリント基板、コネクタ、ケーブル他)、地下観測所用除湿器
ご支援有難うございました。

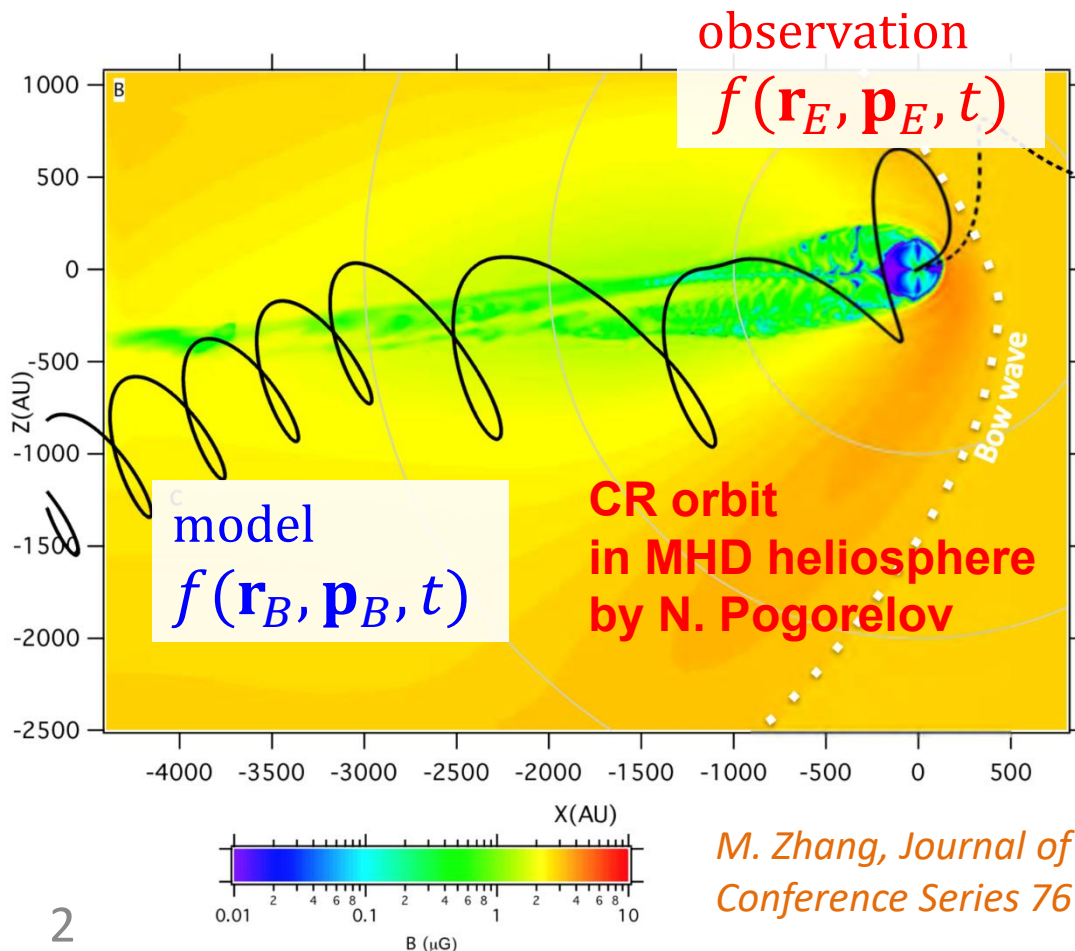
Analysis method

Phase-space density distribution of CRs: $f(\mathbf{r}, \mathbf{p}, t)$

$$Df = \frac{\partial f}{\partial t} + \frac{d\mathbf{r}}{dt} \cdot \frac{\partial f}{\partial \mathbf{r}} + \frac{d\mathbf{p}}{dt} \cdot \frac{\partial f}{\partial \mathbf{p}} = \left(\frac{\partial f}{\partial t} \right)_c \approx 0$$

Liouville's theorem

$$f(\mathbf{r}_E, \mathbf{p}_E, t) \approx f(\mathbf{r}_B, \mathbf{p}_B, t)$$



Intensity of CRs with $\mathbf{p}_E$ @ Earth
 $\parallel$
 Intensity of CRs with $\mathbf{p}_B$ @ Outer
 Boundary of heliosphere

Mapping CR intensity at Earth
 back to outer boundary

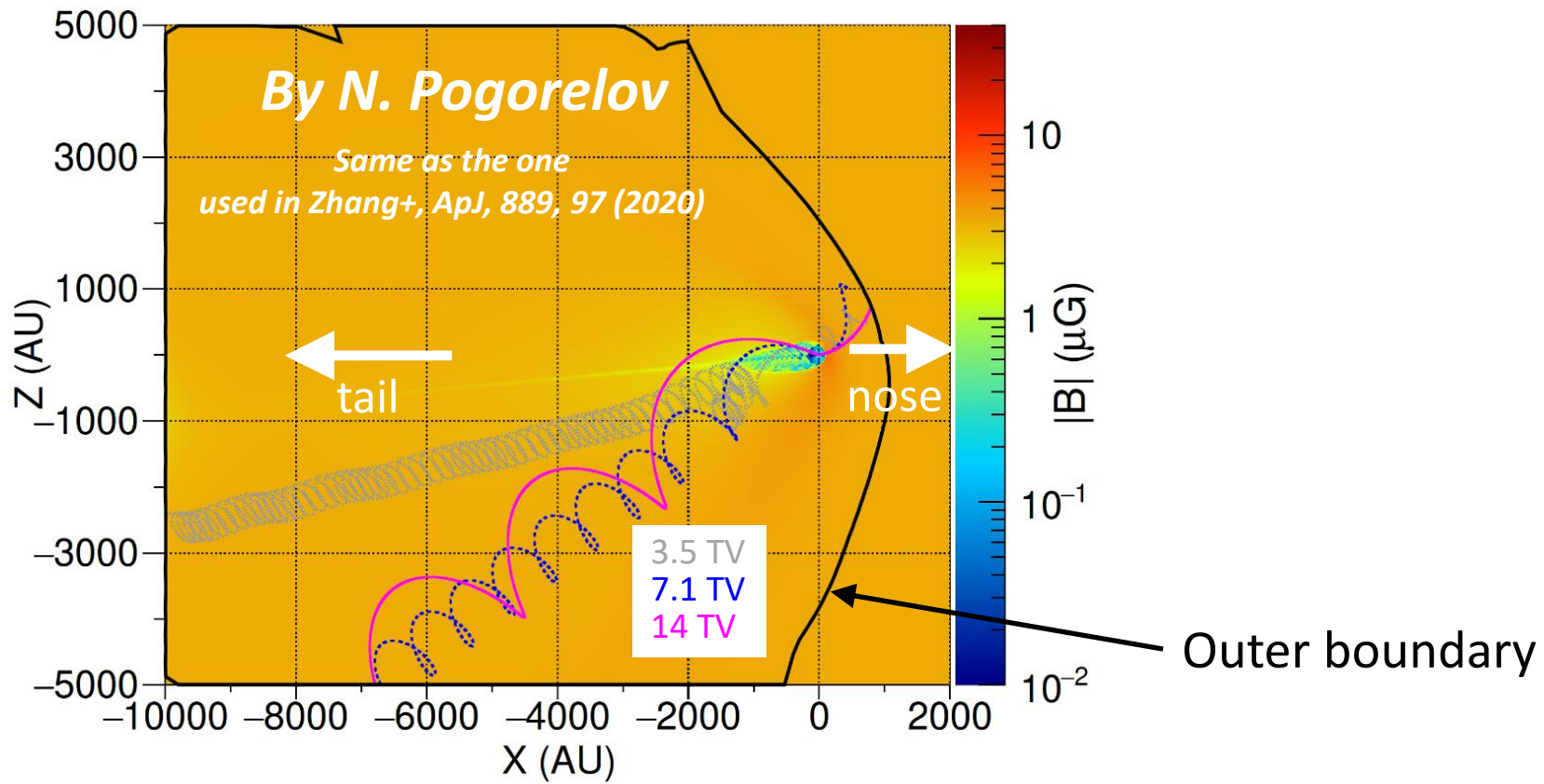


Galactic anisotropy before
 the heliospheric distortion

*M. Zhang, Journal of Physics,
 Conference Series 767, 012027 (2016)*

CR orbits inside the outer boundary of the heliosphere

- Set Earth at 4 positions around Sun ($\pm 1 \text{ AU}$, 0, 0), (0, $\pm 1 \text{ AU}$, 0)
- Shoot CR **particles with reversed charge** into MHD model heliosphere
 - initial directions (4 samplings for each data pixel)
 - **Observed rigidity distribution taken into account**
- Record CR momentum directions @ outer boundary
 - Boundary defined as a surface where:
 - Deviation in $\vec{B}_{helio}$ strength from $\vec{B}_{ISM} < 0.1\%$, and
 - Deviation in $\vec{B}_{helio}$ direction from $\vec{B}_{ISM} < 0.1^\circ$

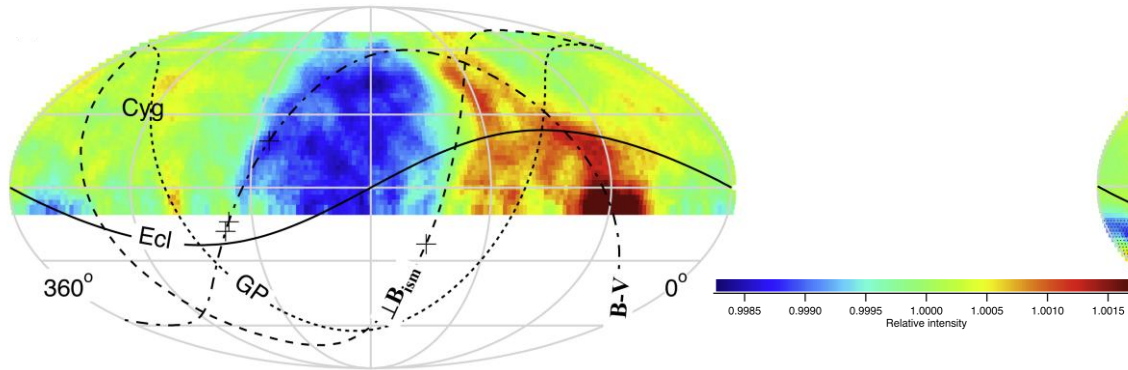


Four parameters fit

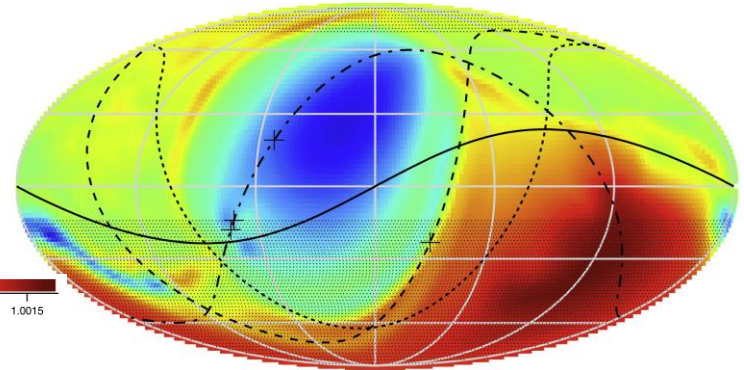
$$I_{ISM} = 1 + A_{1\parallel} \cos \mu + A_{2\parallel} \cos^2 \mu + A_{1\perp} \cos \mu_{\perp} + I_{CG}$$

We use $\vec{B}_{ISM}$ (R.A, Dec.)=(232.5°, 19.0°) & $v_{helio} = 23.2$ km/s toward the nose

Observed @ Earth



Best-fit Model @ Earth



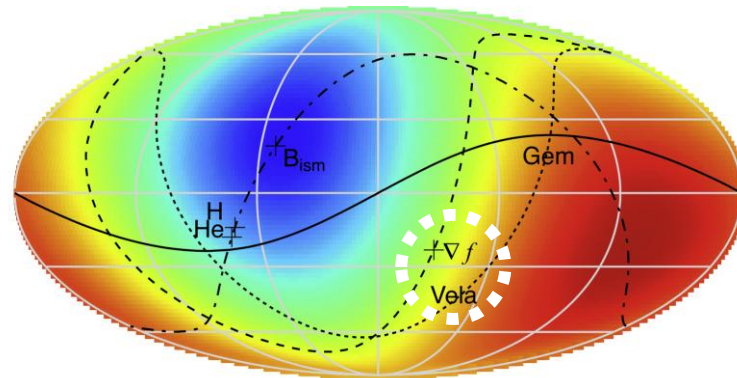
Dipole amplitude along B_{ISM}

Parameter Name	Value
Amplitude of pitch-angle dipole	$A_1 = (0.165 \pm 0.002)\%$
Amplitude of pitch-angle quadrupole	$A_2 = (0.015 \pm 0.002)\%$
CR density gradient	$ G_1 = (0.021 \pm 0.001)\%/R_0$
Normalization	$f_0 = 1 + (0.024 \pm 0.001)\%$

(Reduced $\chi^2 = 4.5$)

Dipole amplitude along $B_{ISM} \times \nabla f$

Anisotropy @ outer boundary (OB)



➤ Dipole amplitude along B_{ISM} is dominant

Zhang+, ApJ, 889, 97 (2020)

➤ CR density gradient direction (∇f) close to Vela

Four parameters fit

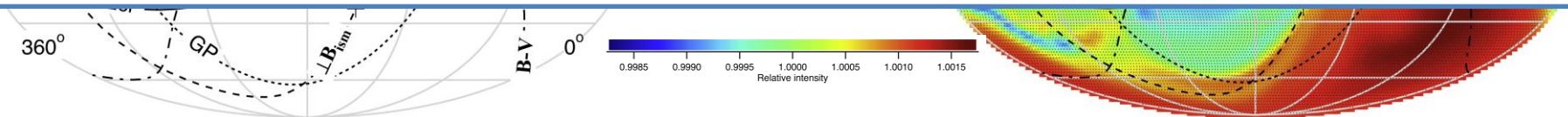
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Intensity mapping using 4 TeV protons



CR energy spectrum & composition must be considered



Dipole amplitude along B_{ISM}

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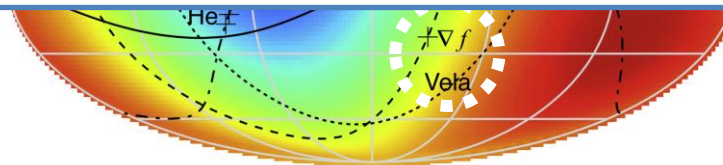
(Reduced $\chi^2 = 4.5$)

Dipole amplitude along $B_{ISM} \times \nabla f$

Reduced $\chi^2 = 4.5$

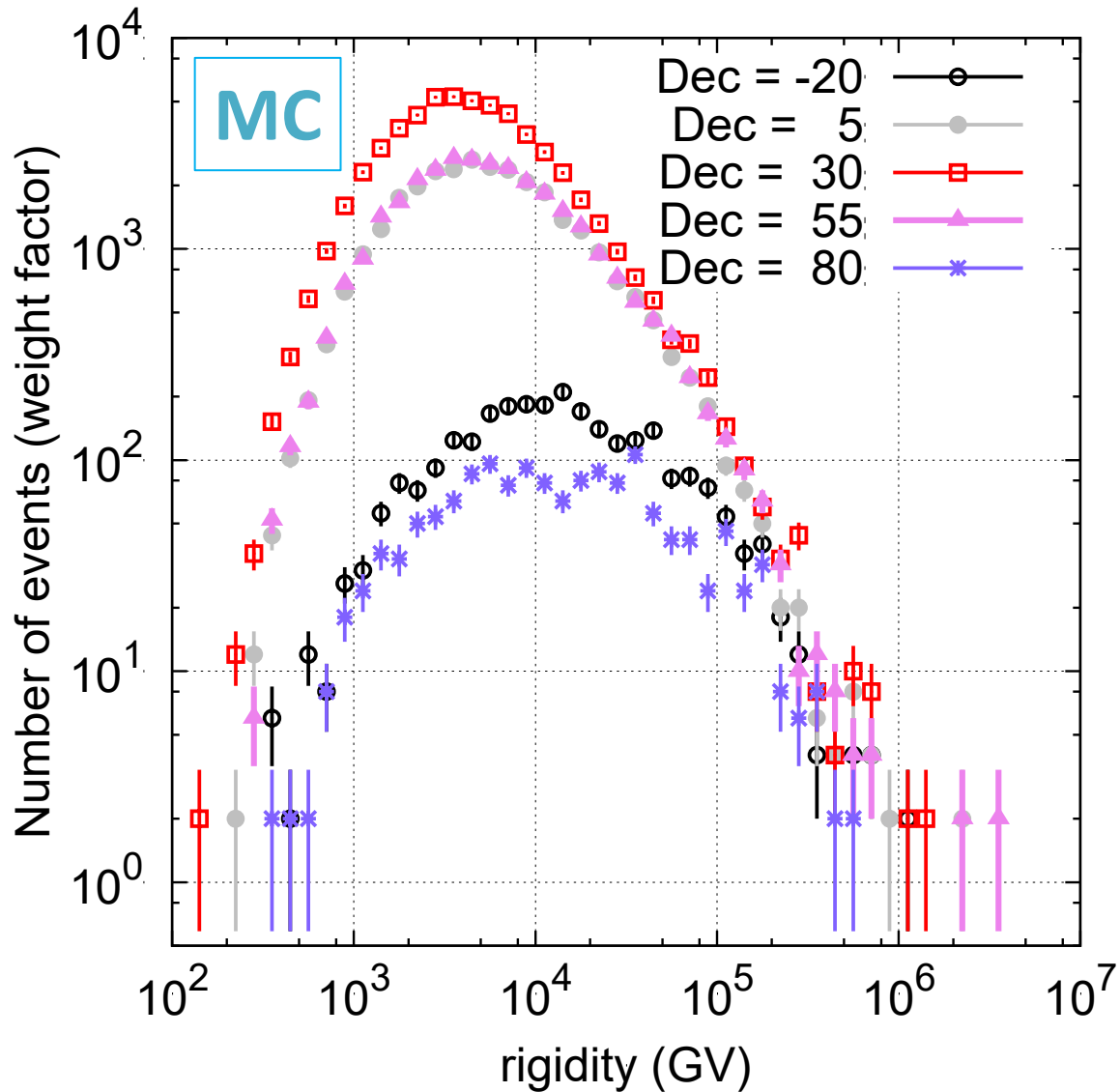


Modeling must be improved



- Dipole amplitude along B_{ISM} is dominant *Zhang+, ApJ, 889, 97 (2020)*
- CR density gradient direction (∇f) close to Vela

Rigidity dependent weight factor for each declination band



Results

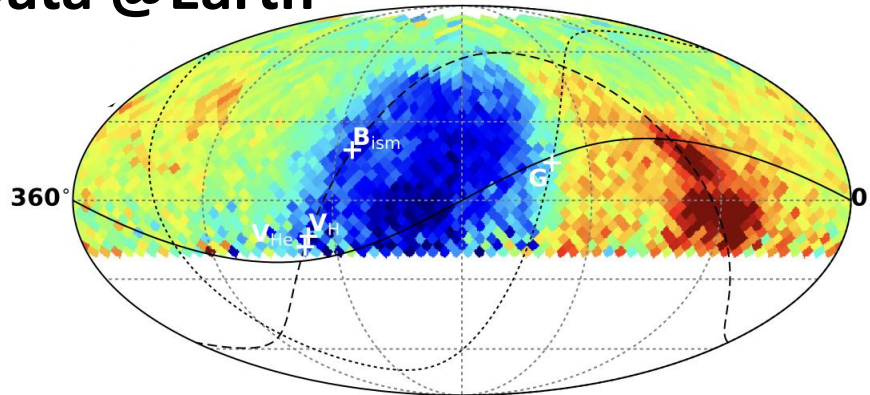
4 parameters fit

Dipole amplitude along B_{ISM}

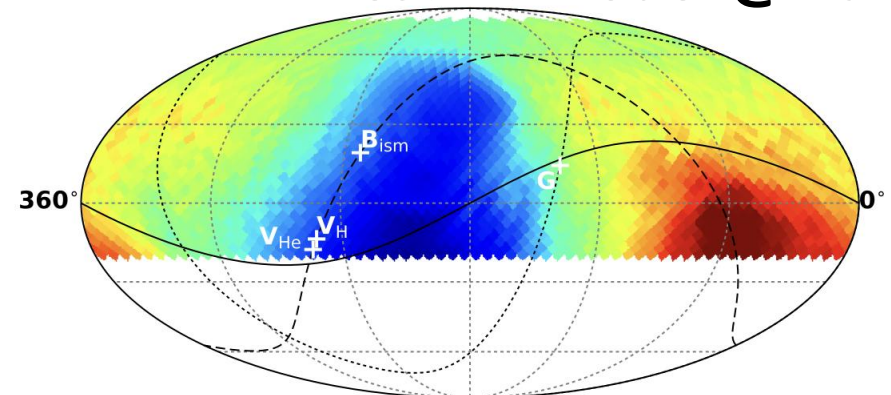
Dipole amplitude along $B_{ISM} \times \nabla n$ $\chi^2 / \text{ndf} = 3320 / 2052 = 1.62$

$A_{1\parallel}$ (%)	$A_{2\parallel}$ (%)	$A_{1\perp}$ (%)	α_1 ($^\circ$)	δ_1 ($^\circ$)
0.234 ± 0.002	0.011 ± 0.004	0.131 ± 0.006	137.5 ± 1.4	14.2 ± 3.8

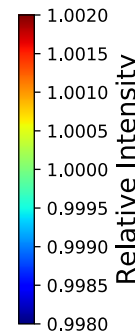
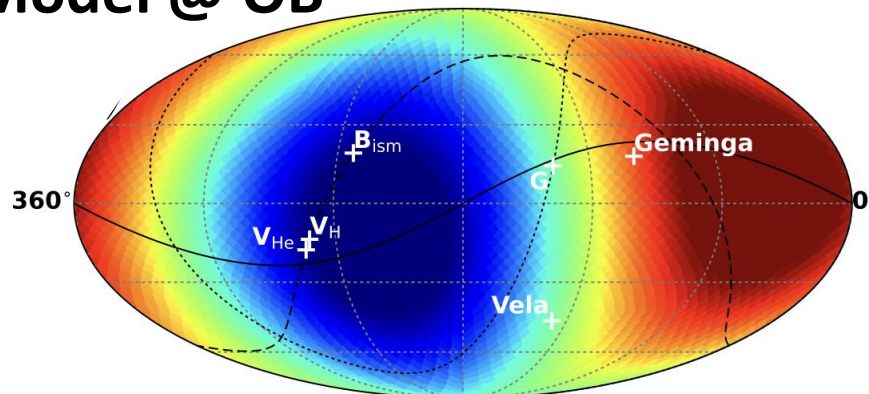
Data @Earth



Best-fit Model @ Earth



Model @ OB



B_{ism}	interstellar B
V_H, V_{He}	interstellar H & He flow
—	ecliptic plane
.....	magnetic equator
- - - -	hydrogen deflection plane
G	bestfit CR density gradient

- $A_{1\perp}$ is also significant; about half of $A_{1\parallel}$
- CR density gradient direction (G) not close to Vela

Results

4 parameters fit

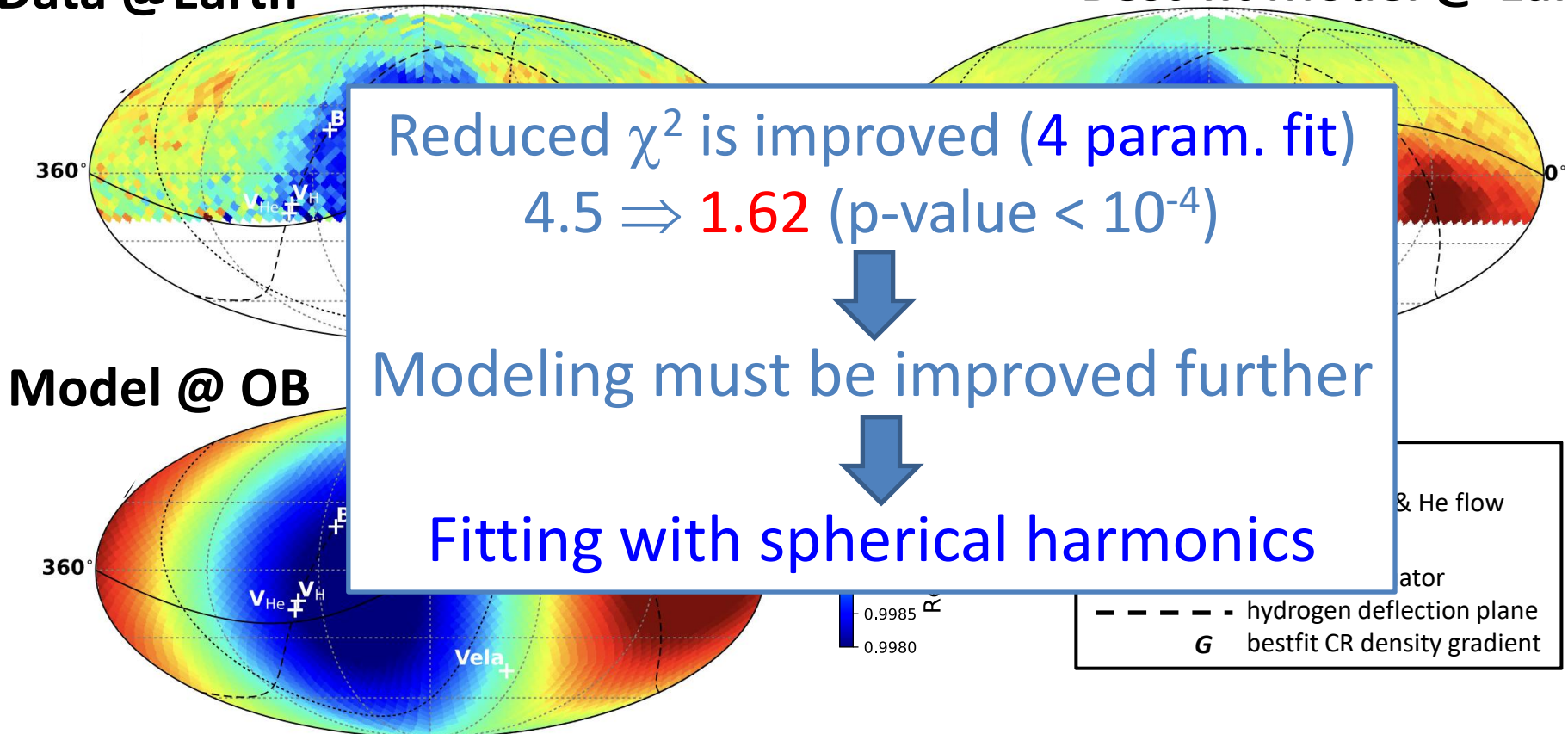
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Best-fit Model @ Earth



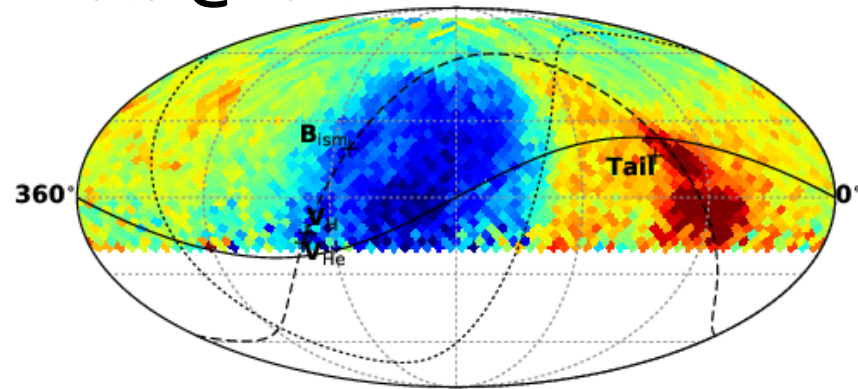
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Fitting with spherical harmonics

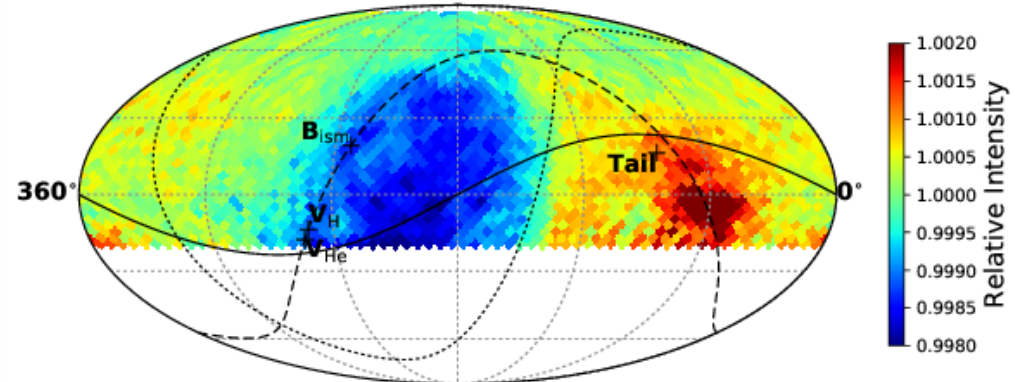
$$I_{\text{ISM}}(\theta, \phi) = 1 + \sum_{l=1}^{l_{\text{max}}} \sum_{m=-l}^l f_{lm} Y_{lm}(\theta, \phi) + I_{\text{CG}}$$

$L_{\text{max}} = 24$ (624 parameters) $\chi^2 / \text{ndf} = 1393 / 1432 = 0.97$ (76 %)

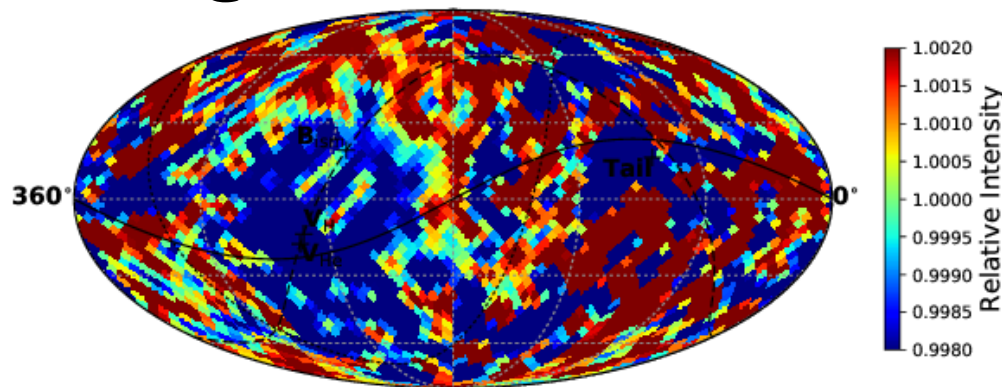
Data @Earth



Best-fit Model @ Earth



Model @ OB

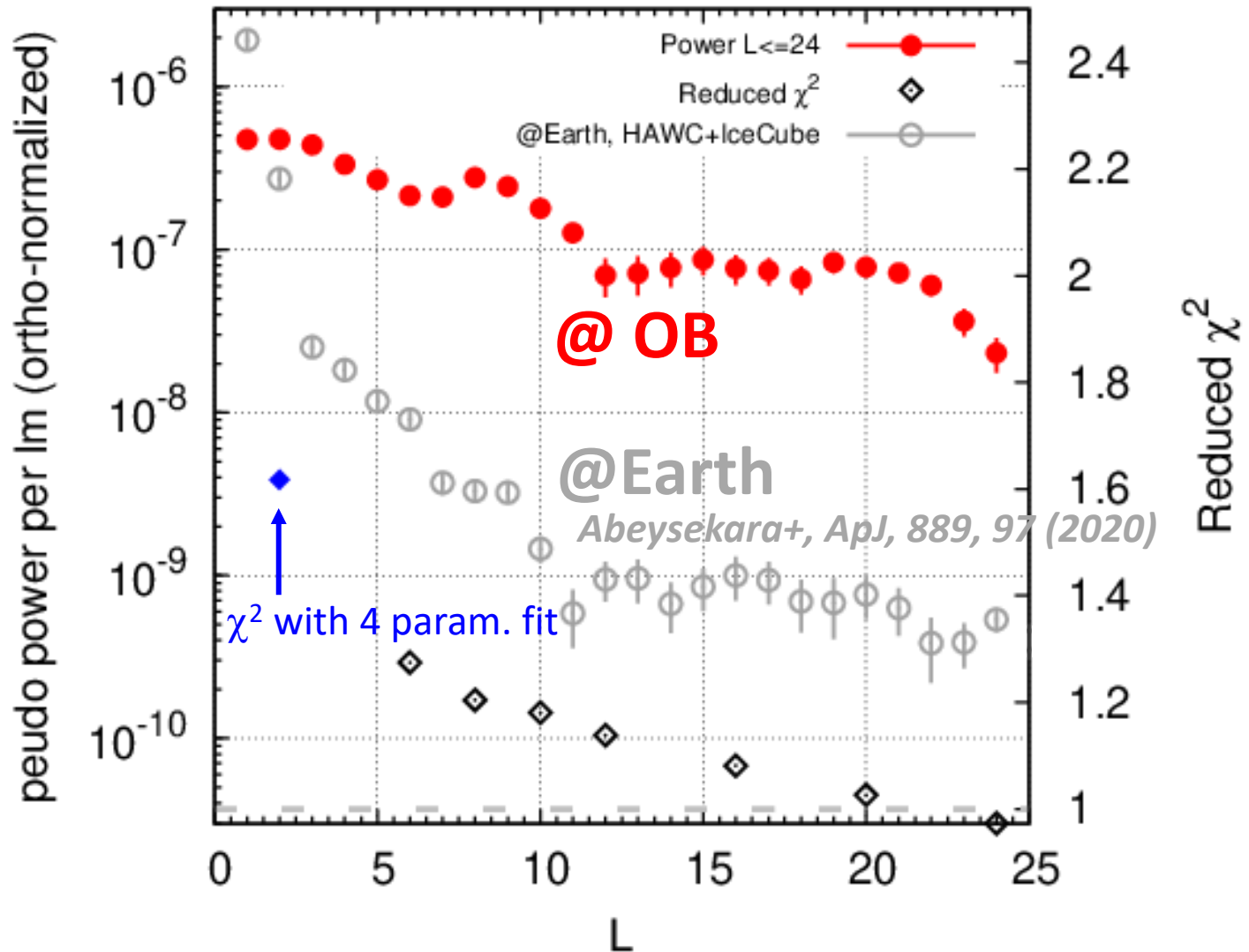


B_{ism}	interstellar B
V_H, V_{He}	interstellar H & He flow
—	ecliptic plane
...	magnetic equator
- - -	hydrogen deflection plane

Unrealistic **small-scale anisotropy** appears @ outer boundary

Power spectrum by spherical harmonics fit

$$C_l = \left(\frac{1}{4\pi}\right) \left(\frac{1}{2l+1}\right) \sum_{m=-l}^l f_{lm}^2$$

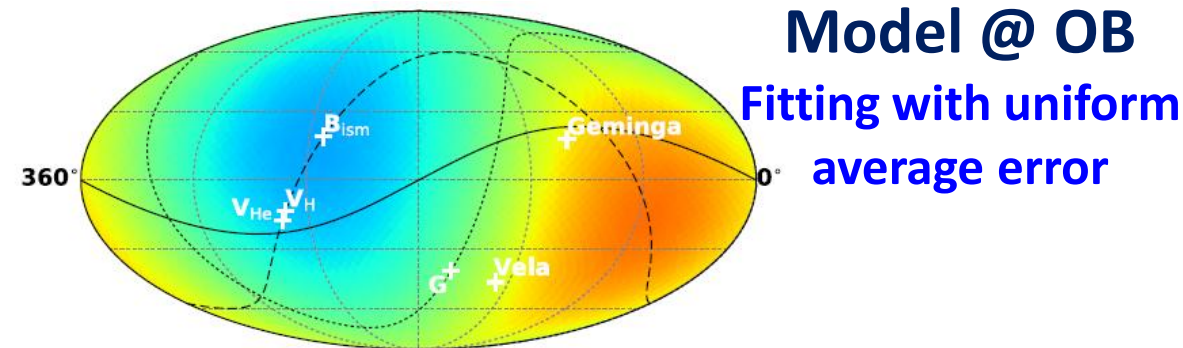
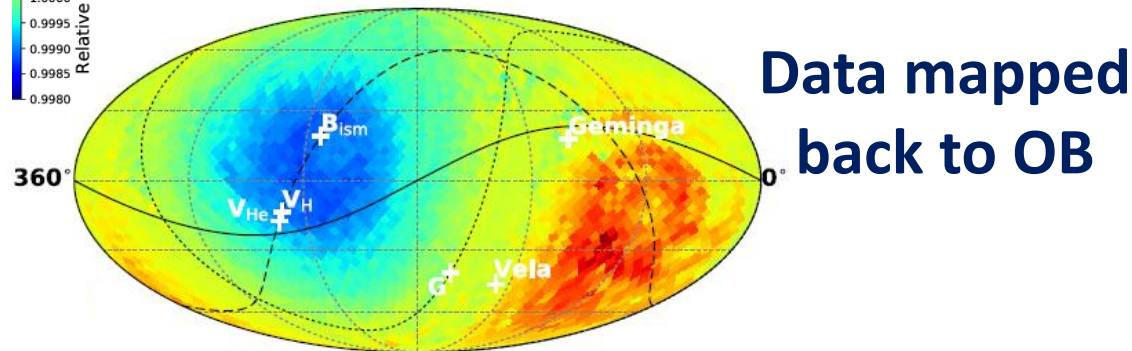
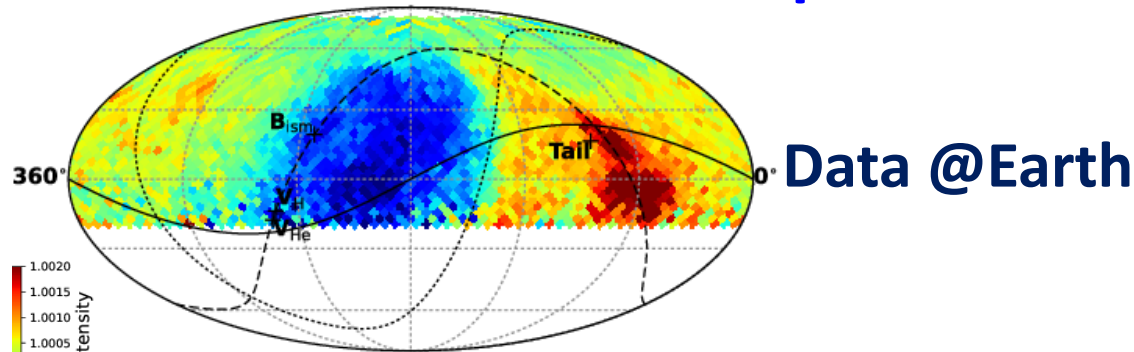


- $L \geq 20$ terms are needed @ OB to get reasonable χ^2
- Spectrum is significantly flatter @ OB than @ Earth

Discussions on small-scale anisotropy

- Using the average of 12 MHD snapshots over ~10-years
 $L_{\max}=12$ for $\chi^2 / \text{ndf} = 0.99$
- Fitting with $P > 3TV$ alone
 $L_{\max}=12$ for $\chi^2 / \text{ndf} = 0.98$
- Reducing r_B in tail-region
 - $r_B=3980$ AU: $L_{\max} = 20$ for $\chi^2 / \text{ndf} = 0.94$
 - $r_B=1580$ AU: $L_{\max} = 8$ for $\chi^2 / \text{ndf} = 0.98$
 - $r_B=630$ AU: $L_{\max} = 4$ for $\chi^2 / \text{ndf} = 0.96$

Possible over-fitting due to One-hemisphere observation at Tibet



$$\chi^2 / \text{ndf} = 2995 / 3048 = \mathbf{0.98}$$

$A_{1\parallel} (\%)$	$A_{2\parallel} (\%)$	$A_{1\perp} (\%)$	$\alpha_1 (^\circ)$	$\delta_1 (^\circ)$
0.124 ± 0.0009	0.017 ± 0.001	0.029 ± 0.0008	159.5 ± 0.9	-40.4 ± 1.5

