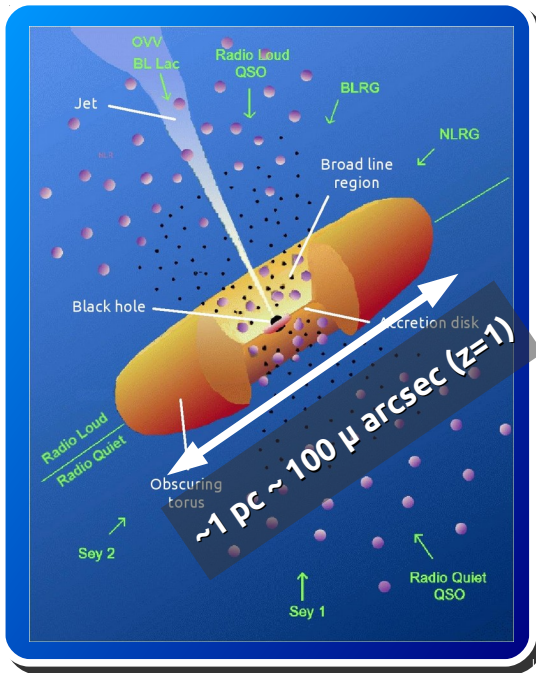


Resolving the blazar gamma-ray emission regions with gravitational microlensing

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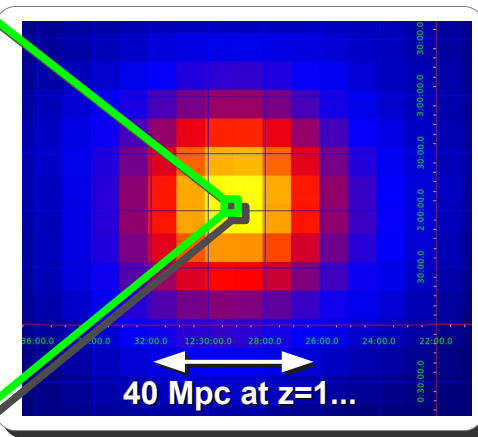


The problem of resolving the AGN „central engine“



Urry & Padovani (1995)

Fermi/LAT image > 1GeV



The apparent size of the central region of an AGN is $\sim 100 \mu \text{ arcsec}$ at $z=1$.

The plausible regions of high-energy emission are even smaller – $\sim 1 \mu \text{ arcsec}$ for accretion disk (10^{-2} pc) and $\sim 0.01 \mu \text{ arcsec}$ for SMBH (10^{-4} pc).

$1 \mu \text{ arcsec}$ is the size of an ant at the Moon...



The gamma ray source can not be directly resolved with existing and even planned future gamma-ray telescopes.

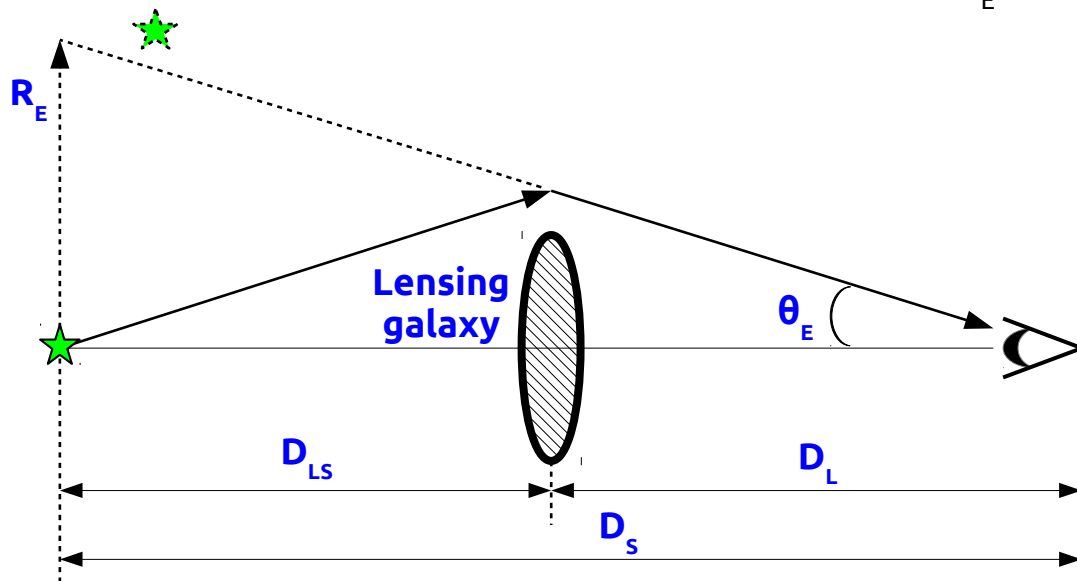
Towards the resolution of the central engine

To assist our observations we can use the „lenses“ created by the Nature.

This is possible via the effect of the **gravitational (micro)lensing**.

Gravitational lensing leads to creation of several distorted and magnified images of the source.

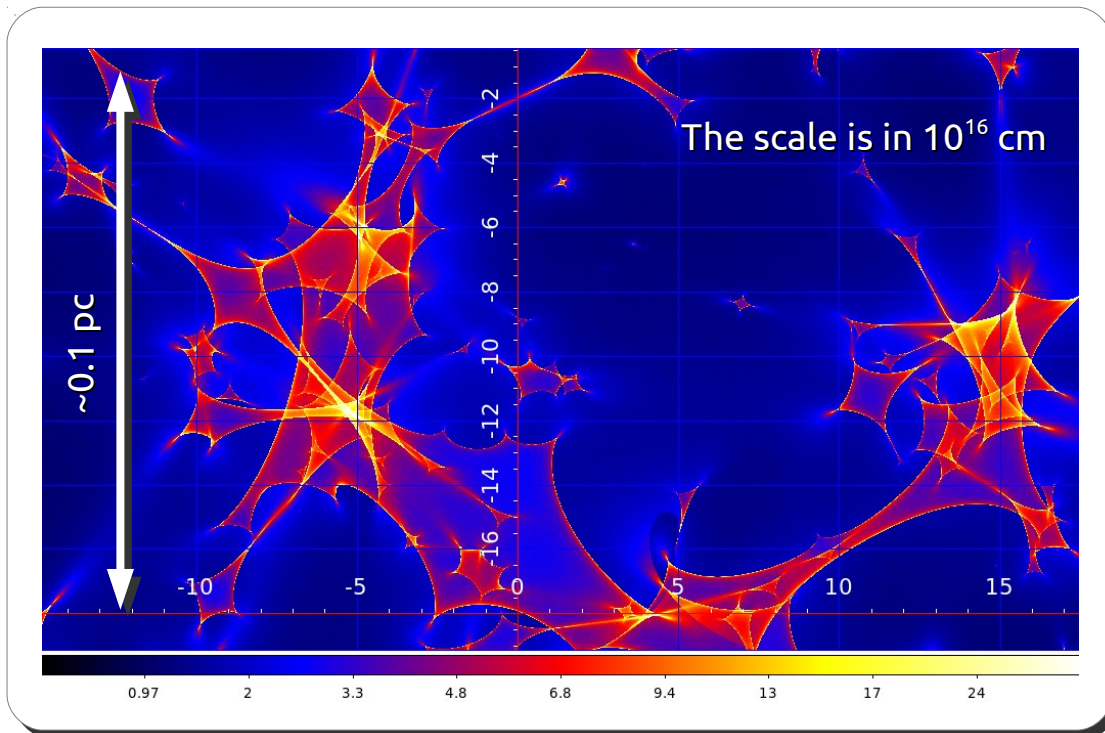
The characteristic spatial scale of the lensing is set by the Einstein radius R_E .



$$\theta_E = [4GM/c^2 * D_{LS} / (D_S D_L)]^{0.5}$$
$$R_E \sim 4 \times 10^{16} (M/M_{\text{Sun}})^{0.5} \text{ cm}$$

Gravitational microlensing

Many stars-microlenses → complicated magnification pattern



The lens and the source are moving with respect to each other at $v \sim 1000$ km/s, leading to a constant change in magnification.

Magnification **amplitude** and **duration** depends on the source size:

$$\mu_{\text{micro}} \sim (R_E/R)^{0.5} \text{ and } \Delta t = R/v$$

$$\mu \approx 10 \left(\frac{R}{3 \times 10^{14} \text{ cm}} \right)^{-0.5}$$

$$\Delta t \approx 100 \left(\frac{R}{3 \times 10^{14} \text{ cm}} \right) \left(\frac{v}{300 \text{ km/s}} \right)^{-1} \text{ days}$$

The characteristic scale in the map is set by the Einstein radius

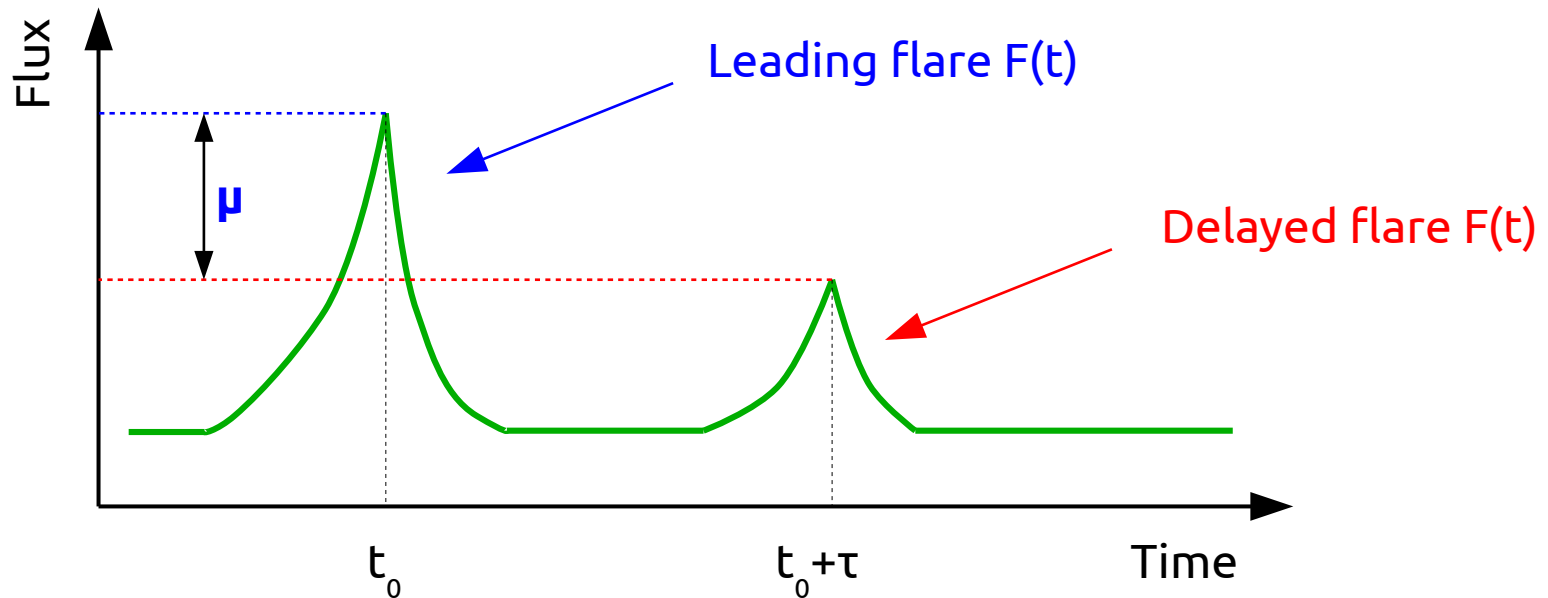
$$R_E = 4 \times 10^{16} (M/M_{\text{Sun}})^{0.5} \text{ cm of the microlenses}$$

→ sensitive to small sub-structures in the source

Microlensing in the gamma-ray band

If we can not resolve separate images (as in gamma rays), we will see only the total flux

$$F_{\text{tot}}(t) = \mu F(t) + F(t-\tau)$$



Microlensing acts on top of the normal lensing, leading to variations in range μ/μ_{micro} to $\mu*\mu_{\text{micro}}$.

One can search for such variations for the known gravitationally lensed systems PKS 1830-211 and B0218+357.

Gamma-ray gravitational lenses

There are only two known gravitational lenses: PKS 1830-211 and B0218+357.

In both cases radio observations indicate the presence of two lensed images and an Einstein ring.

Both objects are relatively bright in the GeV band.

PKS 1830-211

Source redshift: $z=2.5$ (Lidman+ '99)

Lens redshift: $z=0.89$ (Wiklind & Combes '96) and, possibly $z=0.19$ (Lovell+ '96)

Gravitational time delay in radio: 26^{+4}_{-5} days (Lovell+ '98)

Gravitational time delay in gamma: 21^{+2}_{-2} (Neronov+ '15)

Magnification factor in radio: 1.52 ± 0.5 (Lovell+ '98)

Magnification factor in gamma: >6 (Abdo+ '15)

B0218+357

Source redshift: $z=0.94$ (Cohen+ '03)

Lens redshift: $z=0.68$ (Browne+ '93)

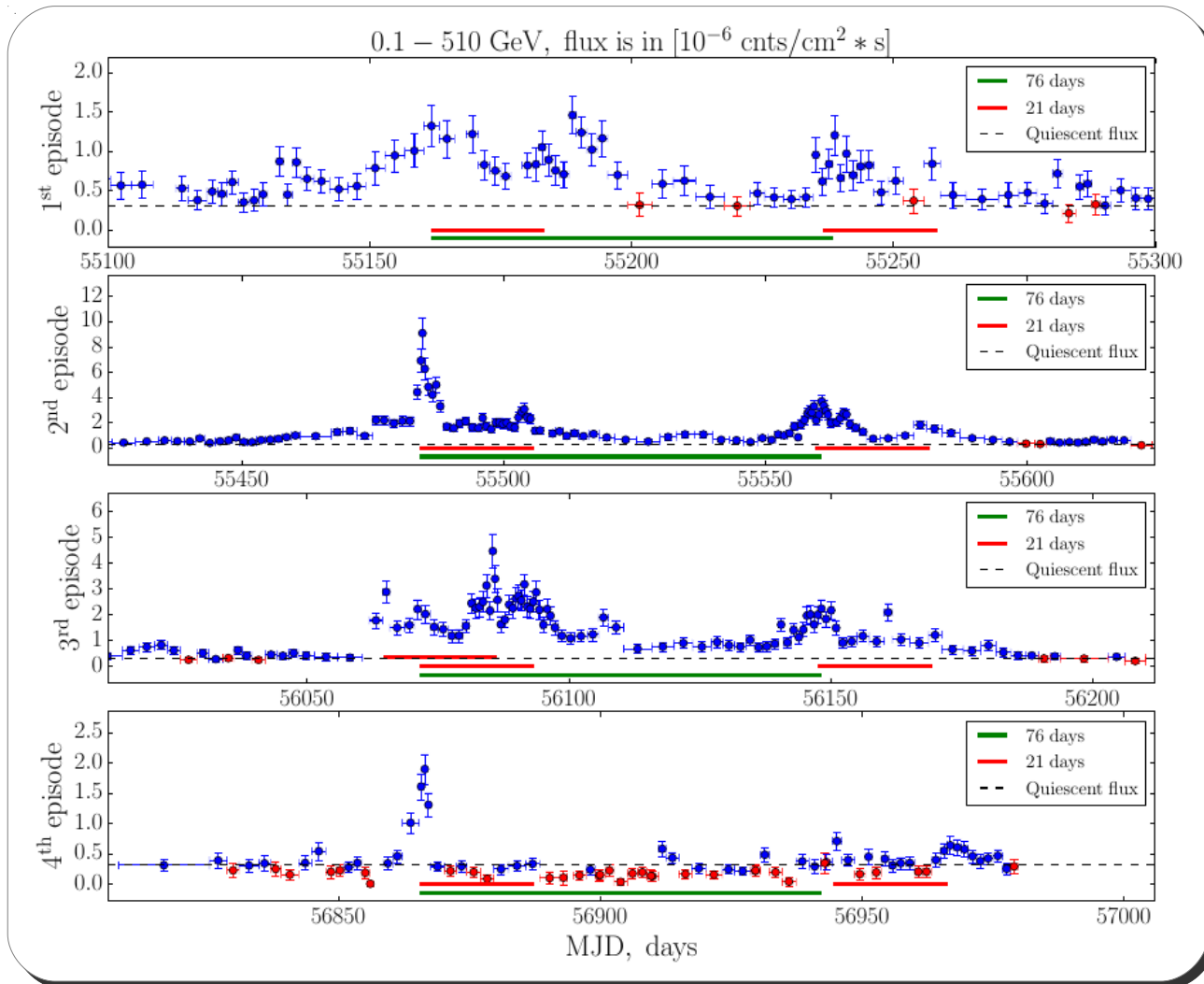
Gravitational time delay in radio: 10.5 ± 0.4 d (Biggs+ '99), 10.1 ± 1.6 d (Cohen+ '00, Eulares & Magain '11)

Gravitational time delay in gamma: 11.46 ± 0.16 d (Cheung+ '14)

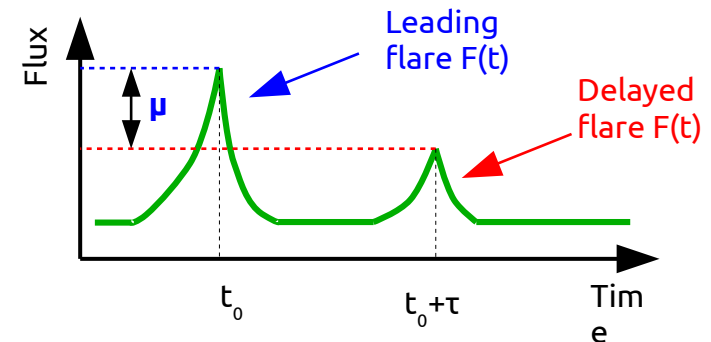
Magnification factor in radio: $3.5-3.7$ (Mittal+ '07)

Magnification factor in gamma: $\sim 1?$ (Cheung+ '15)

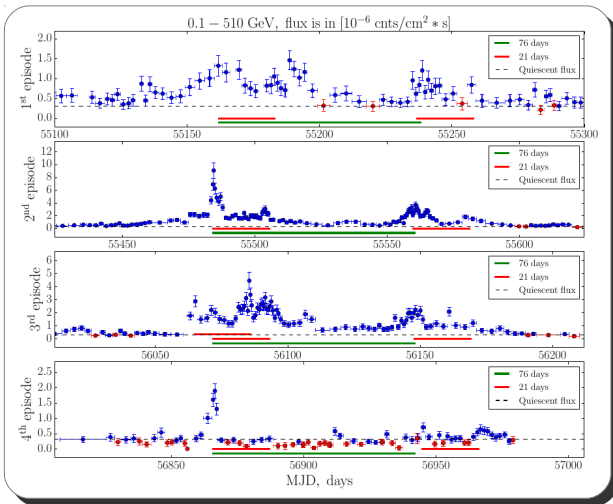
PKS 1830-211: first detection of microlensing in the gamma-ray band



- Duration of observations: ~6 years (Fermi/LAT)
- Magnification in radio: 1.5
- Time delay in gamma: $\tau_{\gamma} = 21 \pm 2$ days
- Magnification in gamma-rays: variable, 2-7
- Time scale of variations: $1 < \Delta t < 75$ days



PKS 1830-211: microlensing constraints on the source size



$\mu_{\text{micro}} = 2-5$ $\mu_{\text{micro}} \approx 10 \left(\frac{R}{3 \times 10^{14} \text{ cm}} \right)^{-0.5}$ $\Rightarrow R_{\text{v}} \sim 10^{15} \text{ cm}$
 $1 < \Delta t < 75 \text{ d}$ $\Delta t \approx 100 \left(\frac{R}{3 \times 10^{14} \text{ cm}} \right) \left(\frac{v}{300 \text{ km/s}} \right)^{-1} \text{ days}$ $\Rightarrow R_{\text{v}} \leq 3 \times 10^{15} \text{ cm}$

Microlensing

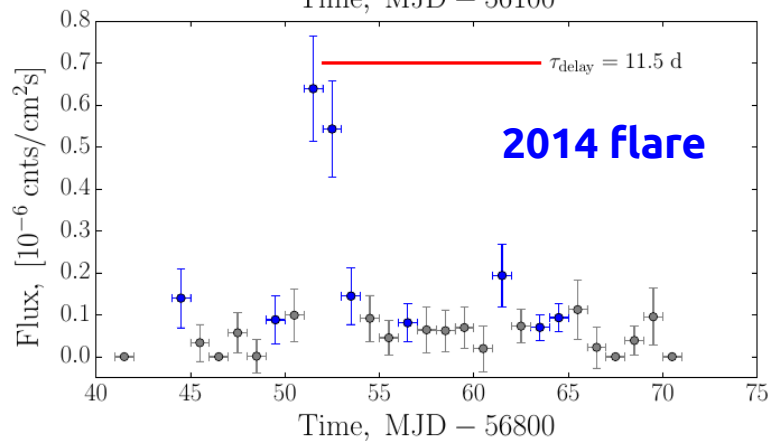
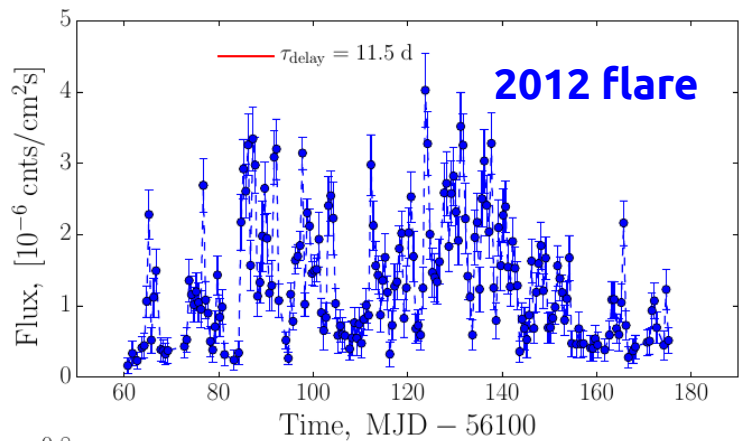
Supplementary

$t_{\text{rep}} = 76 \text{ d}$ $\Rightarrow R_{\text{v}} \sim 10^{15} \text{ cm}$
 $t_{\text{rise}} \sim 0.5 \text{ d}$ $\Rightarrow R_{\text{v}} \sim 10^{15} \Gamma \text{ cm}$

If $v > c$ (superluminal motion) then
 $R_{\text{v}} = v * \Delta t > R_{\text{E}}$
 and no strong microlensing magnification is possible.

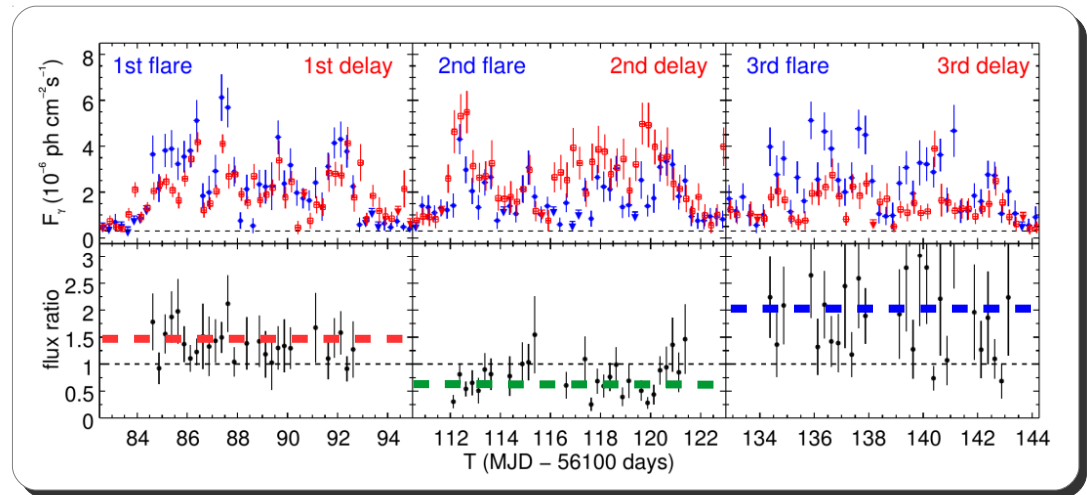
The possibility of relativistic motion is disfavoured by the data

Variability of B0218+357



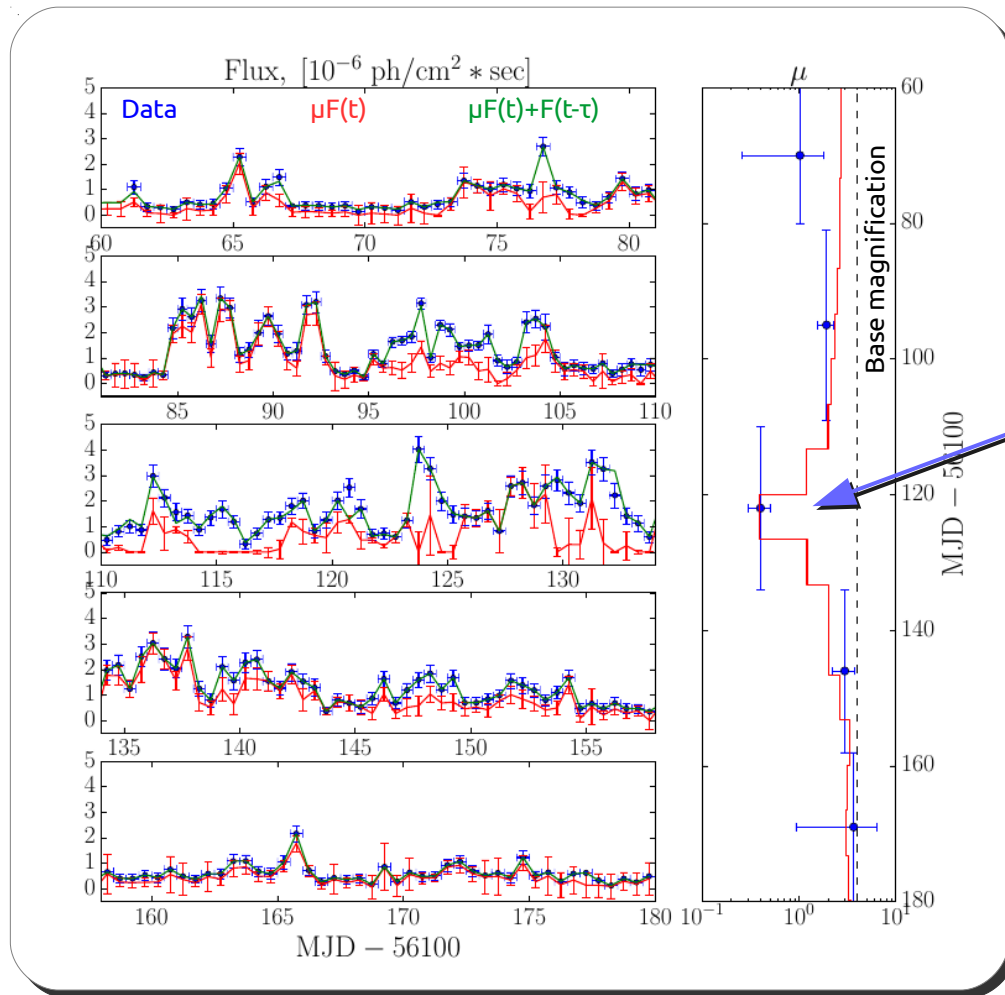
- Two flares in ~6 years of Fermi/LAT observations
- Magnification in radio: ~3.5-3.7 (Mittal+ '07)
- Magnification in gamma-rays: **variable ?**

A hint of variability can be also seen in the Fermi/LAT light curves over the 2012 flare from Cheung+ 14.



Cheung+ 14

Caustic crossing caught in action in B0218+357



In order to find magnification factor μ_ν we solved the equation

$$F_{\text{tot}}(t) = \mu F(t) + F(t-\tau)$$

for $F(t)$ and μ , minimizing the intrinsic correlation at time scale τ of the gravitational time delay. The resulting time dependence $\mu(t)$ shows a **rapid change in magnification over 60-100 days**.

A natural explanation of the detected behaviour of μ_ν is found in terms of microlensing – the **caustics crossing by a compact source with $R_\nu \sim 10^{14} - 10^{15}$ cm**.

This conclusion is supported by the simulations of caustics maps and provides a **self-consistent picture of both 2012 and 2014 flaring episodes**.

Microlensing reveals small sizes of gamma-ray sources in AGNs

μ_{micro}

- PKS 1830-211: 2-5
- B0218+357 : 10

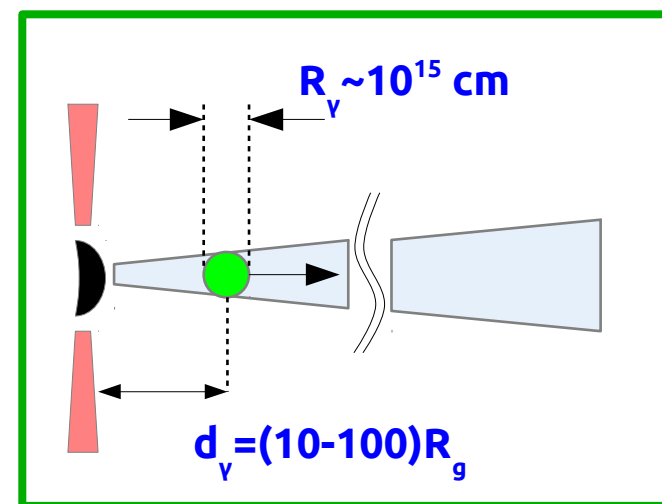
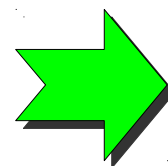
Time scale of variations:

- PKS 1830-211: $1 < \Delta t < 75$ days
- B0218+357 : ~ 50 days

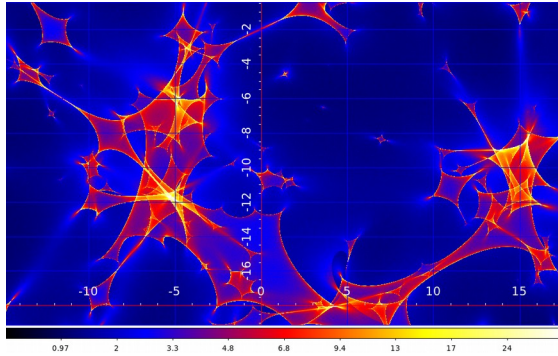
	PKS 1830-211	B0218+357
μ_{micro}	10^{15} - 10^{16} cm	10^{14} - 10^{15} cm
Duration	10^{14} - 10^{15} cm	10^{14} - 10^{15} cm
Fast variability	$< 10^{16} (\Gamma/10)$ cm	$< 3 \times 10^{15} (\Gamma/10)$ cm

Detection of microlensing suggests that the emitting source is not relativistic.

Microlensing removes the long-standing puzzle of the location of the gamma-ray source in blazars, providing solid arguments in favour of its **association with the AGN's central black hole**.



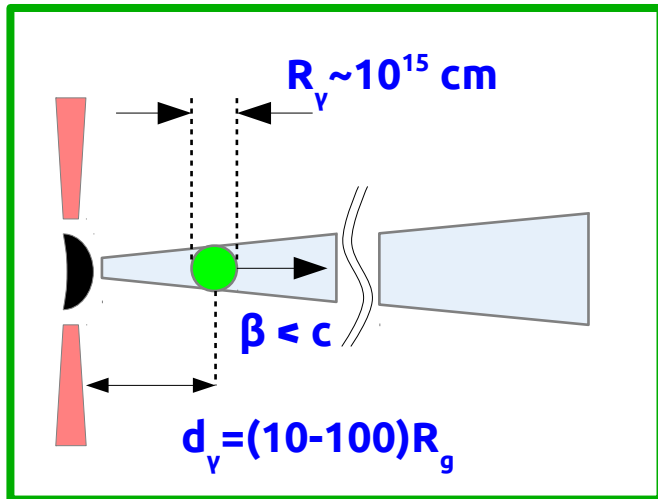
Potential of microlensing observations



Regular observations of **microlensing** opens a new way to learn about the nature of AGNs:

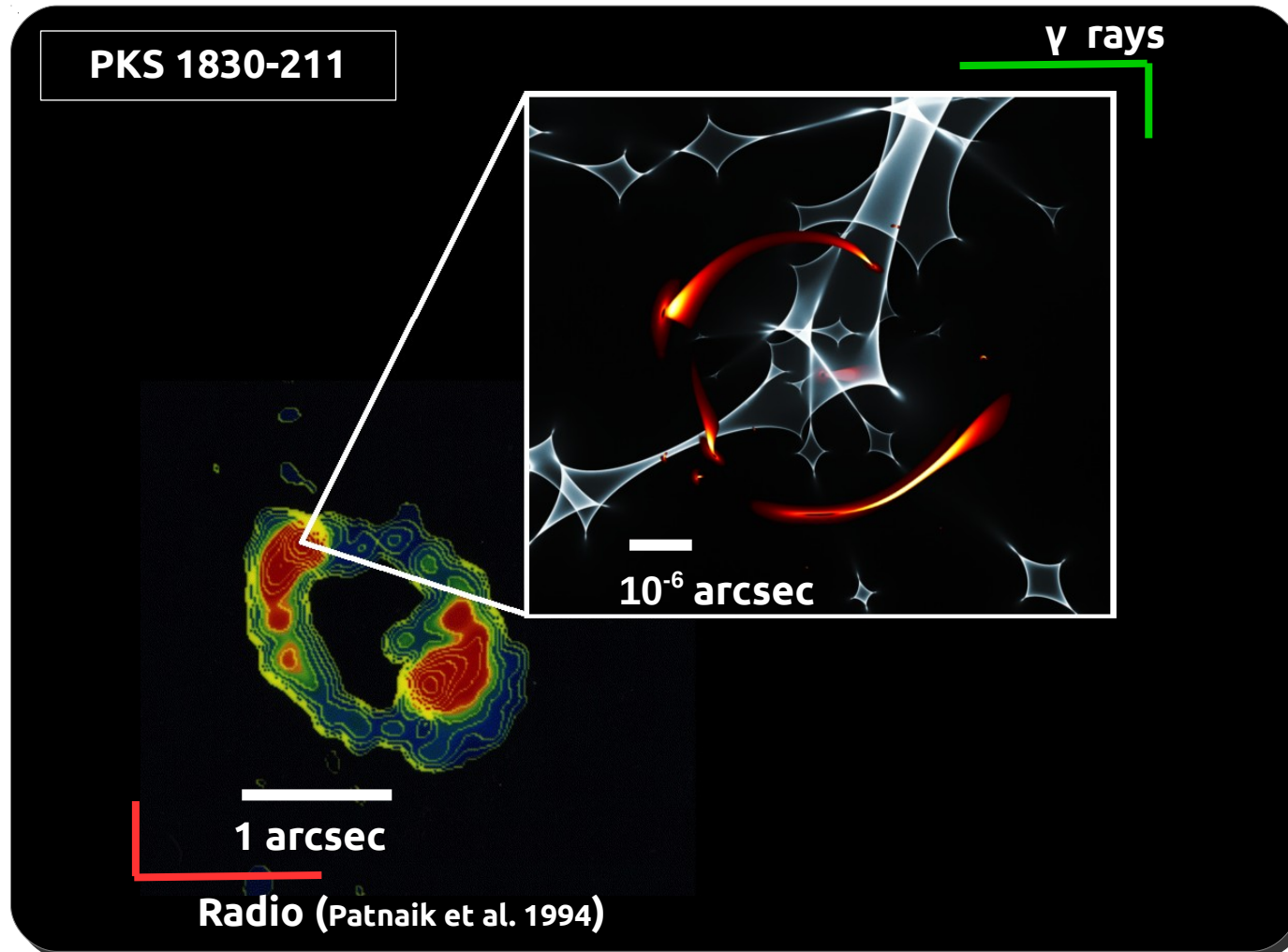
- ✓ energy dependence of R_γ
- ✓ its variations with time
- ✓ gamma vs radio location estimates

This gives a completely **unique opportunity** to study the details of the structure of the acceleration sites in AGNs, effectively **improving** the angular resolution of gamma-ray telescopes **by 10^{11} times**.



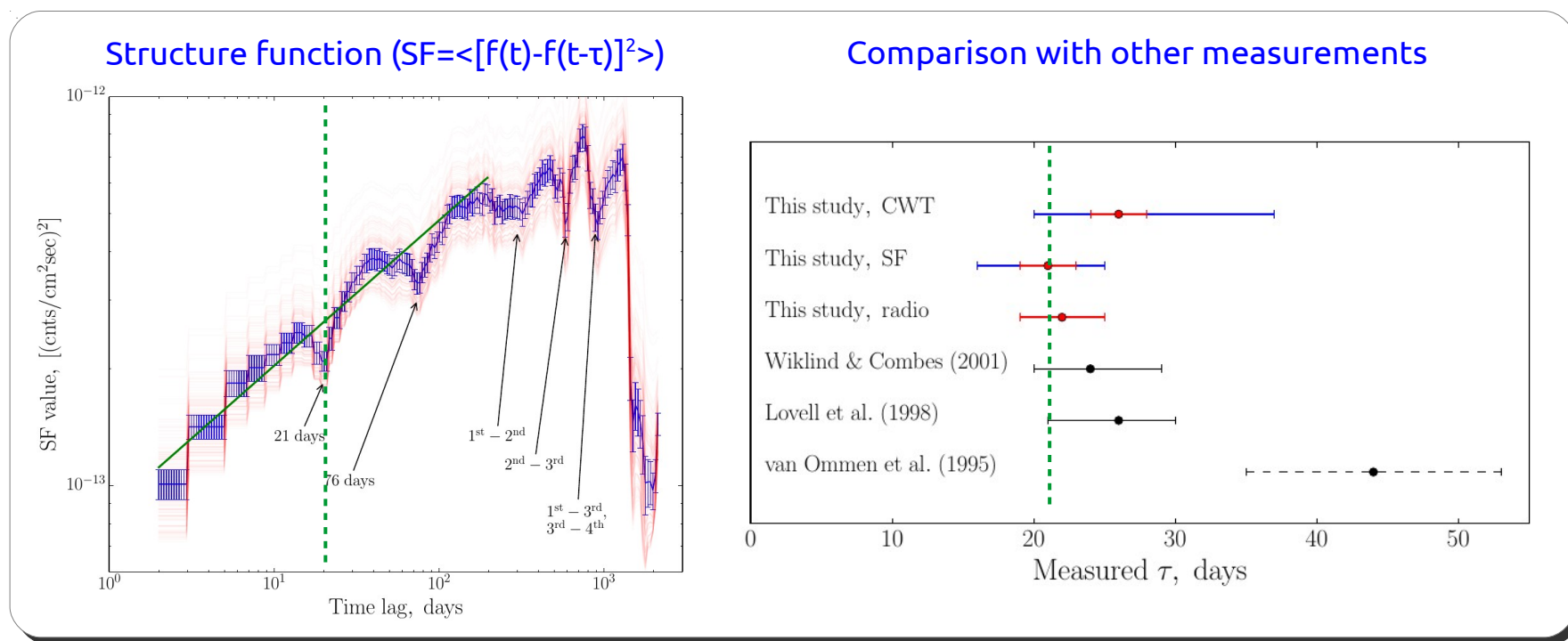
Backup slides

Gravitational magnifying glass



PKS 1830-211: detection of the gravitational time delay in gamma rays

Temporal analysis of the 6 years of Fermi/LAT data: $\tau_{\gamma} = 21 \pm 2$ days.

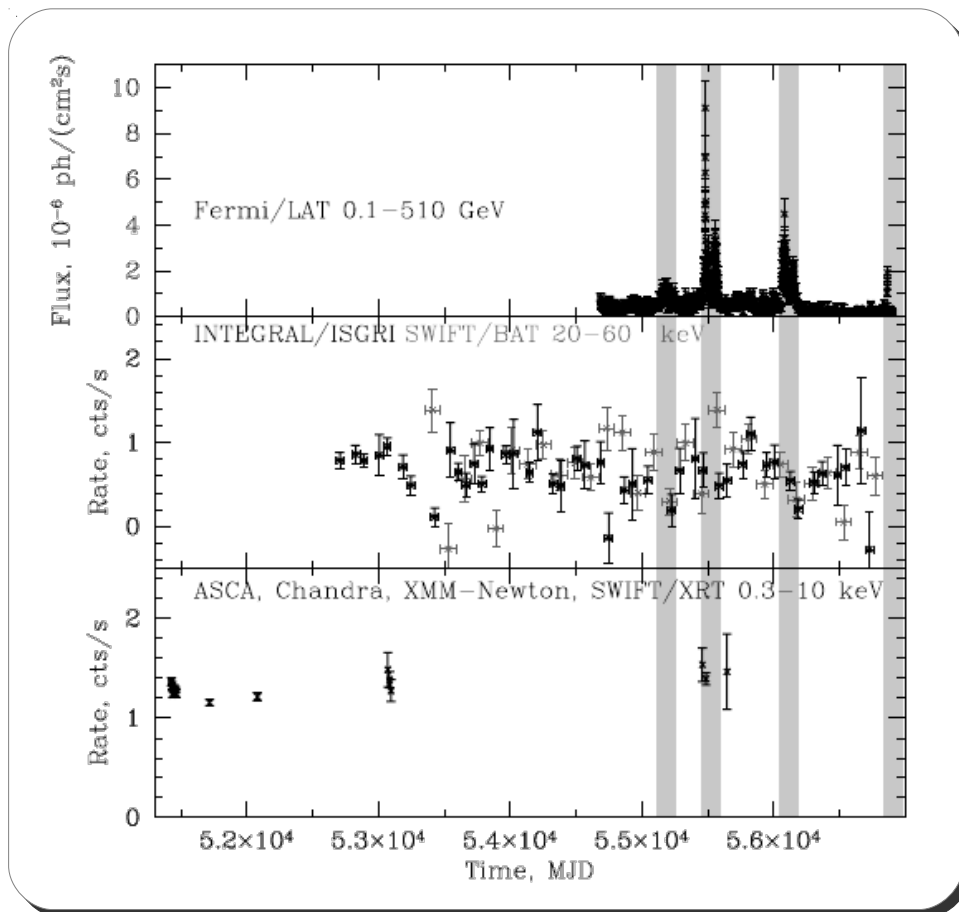


Neronov+ '15

Consistent estimates from several techniques: autocorrelation, structure function and wavelet analysis.

The estimated delay is consistent with measurements in radio.

PKS 1830-211: γ - γ opacity



X-ray light curves show variability of only $\sim 10\%$ during the Fermi flaring episodes.



Microlensing does not affect X-ray emission of the source.



$$R_X > R_E$$



Opacity $\tau_\gamma < 3$ (or $> 5\%$) at 10 GeV, so **the central source is sufficiently transparent to the gamma-ray emission.**

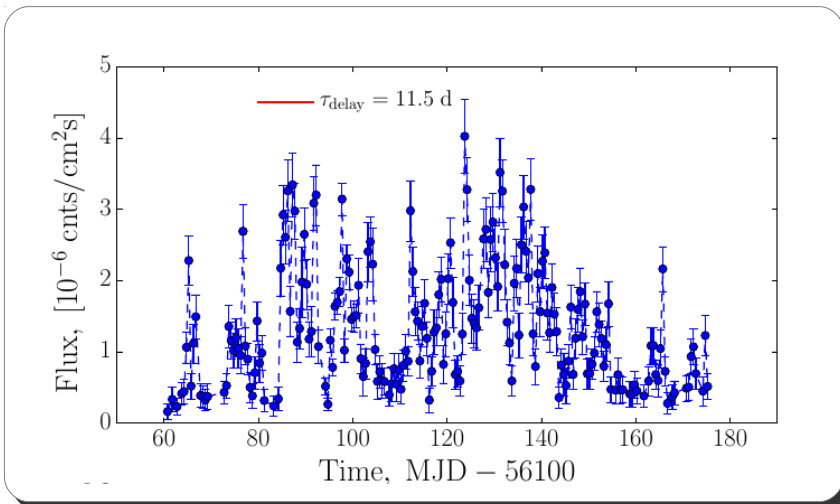
γ -ray magnification factor issue

In 2012 several subsequent, partially overlapping flares were taking place.

$$F_{\text{tot}}(t) = \mu F(t) + F(t-\tau)$$

The exact solution can be found in the Fourier space:

$$F_{\text{tot}}^*(\omega) = F^*(\omega)(\mu + e^{-i\omega\tau})$$

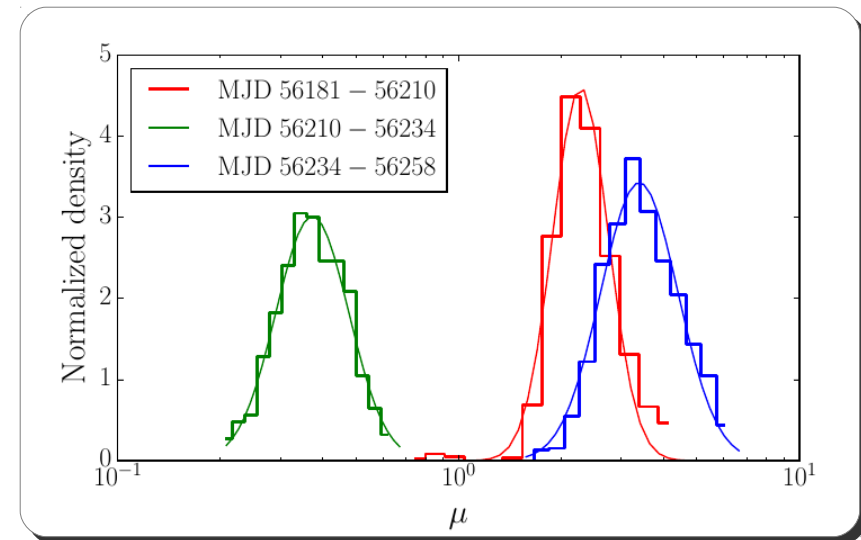
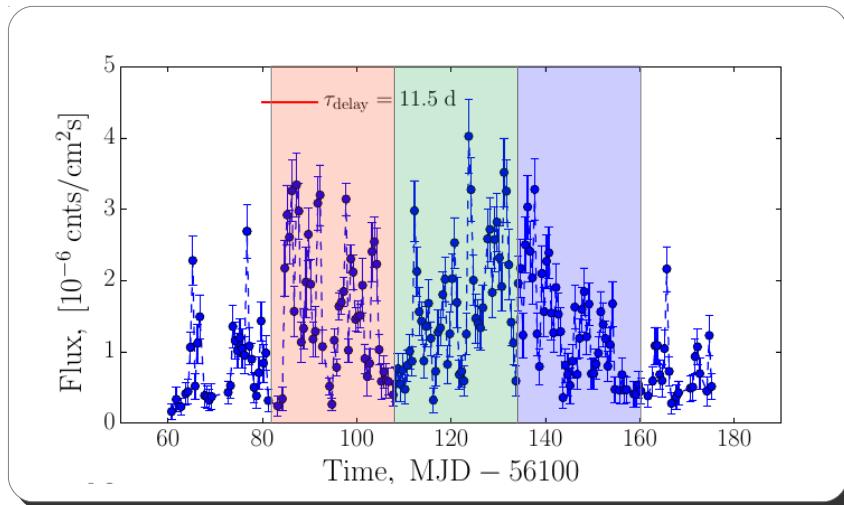


In case of real data – binned and with uncertainties – an approximate solution can be found instead, provided that the time delay τ and magnification ratio μ are known.

Time delay $\tau=11.46$ days is already known (Cheung+ 14). **However, magnification ratio μ is not.**

Variability of the γ -ray magnification factor in B0218+357

The value of magnification ratio μ_{best} can be found by scanning μ in a certain range and requiring, that the intrinsic light curve $F(t)$ does not contain signatures of the time delay $\tau=11.46$ days.



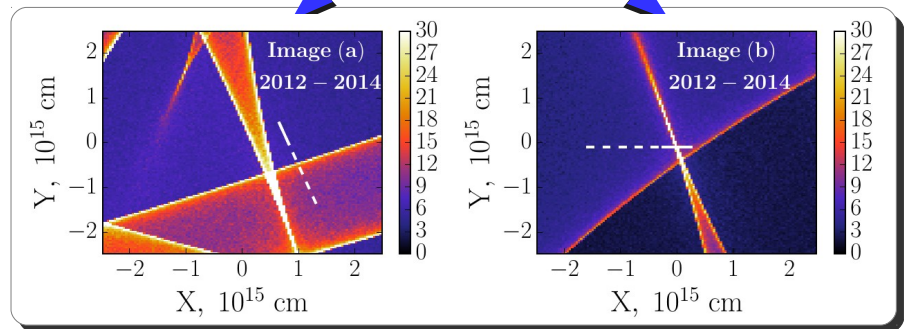
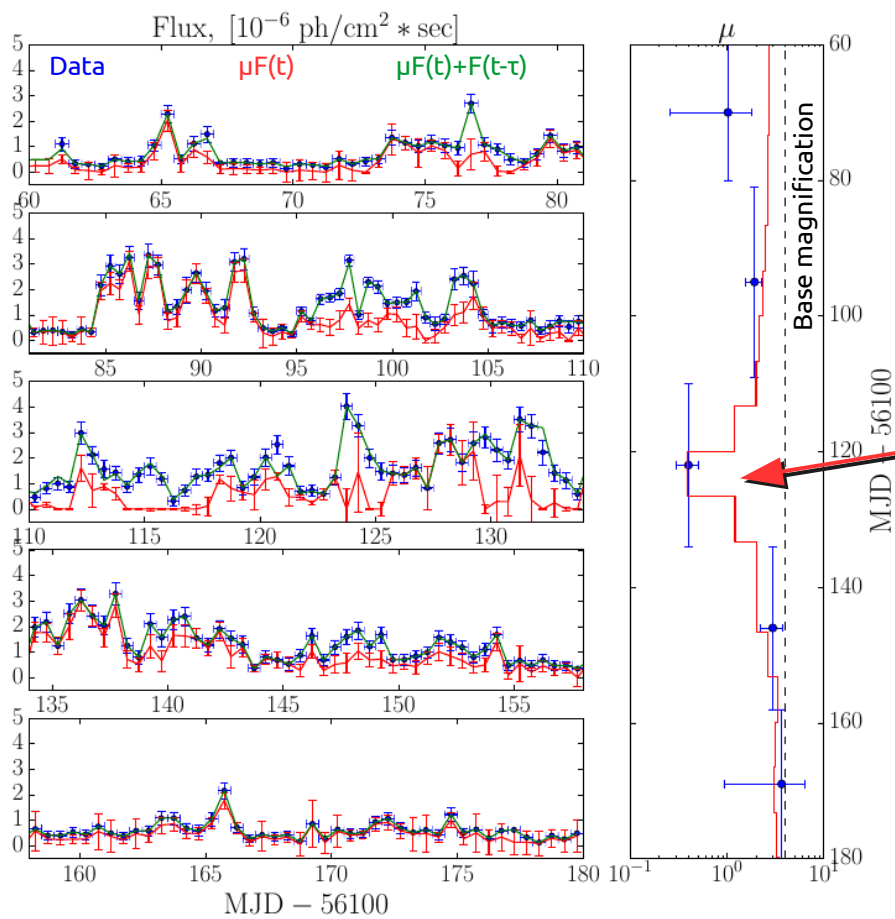
This approach reveals a variation of the magnification factor ratio in range 0.4-4 over the time scale of 100 days.

Taking into account $\mu_{\text{radio}} \sim 4$ this implies the presence of microlensing with $\mu_{\text{micro}} \sim 10$.

Caustic crossing caught in action in B0218+357

A natural explanation of the detected behaviour of μ_{ν} is found in terms of microlensing – the caustics crossing by a compact source with $R_{\nu} \sim 10^{14} - 10^{15}$ cm.

Events of similar duration and amplitude are not difficult to find in the simulated caustics maps.



Vovk & Neronov '15

This provides a self-consistent picture of both 2012 and 2014 flaring episodes.