

The Dark Matter distribution of the Milky Way

(its uncertainties and consequences on the determination of new physics)

An empirical approach

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“Dark Matter searches in the 2020s. At the crossroads of the WIMP”

ICRR, The University of Tokyo, Kashiwa. November 12, 2019

What is the actual distribution of DM in the Milky Way?

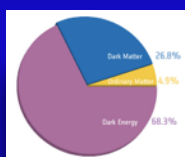
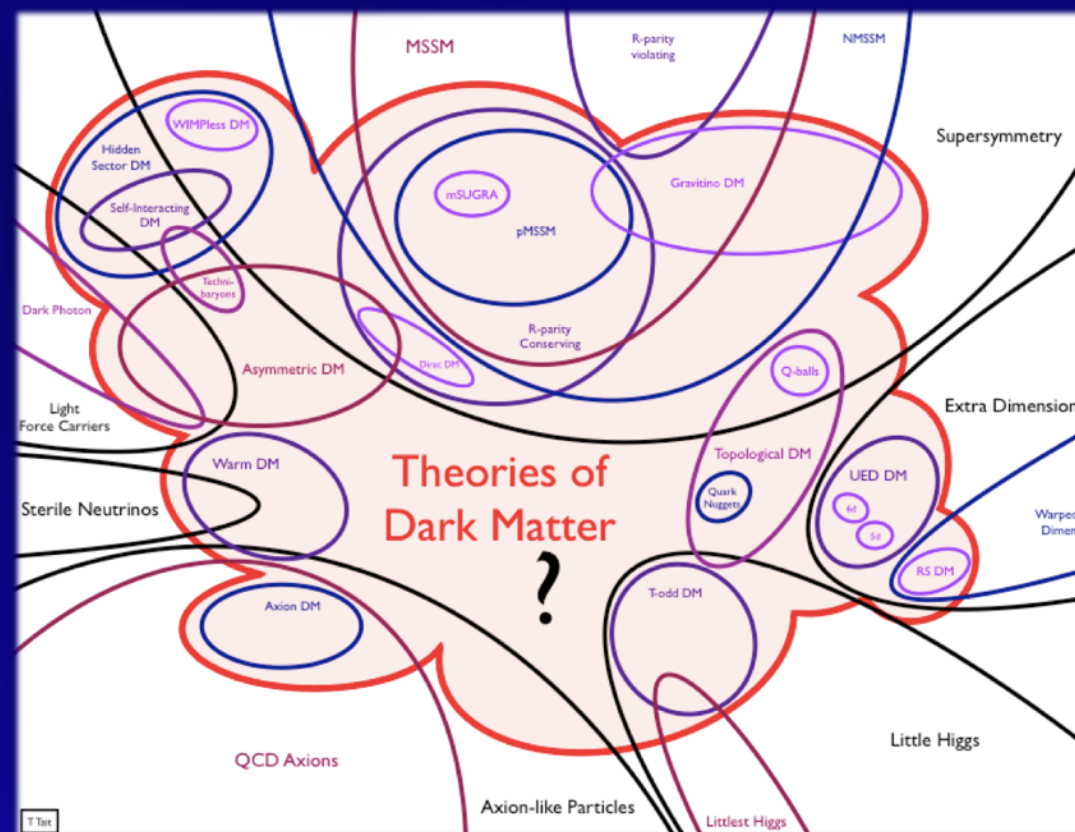
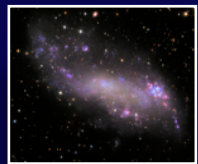
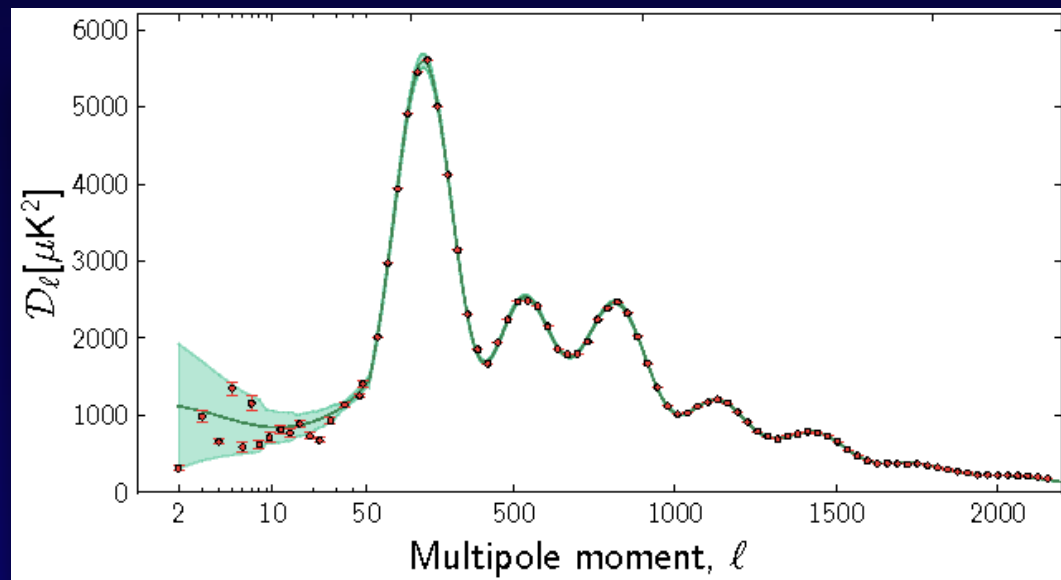


And most notably in the proximity of the Sun?

And the Galactic Center, as requested. Please bear with me until the end.

Dark Matter

Evidence over large range of scales

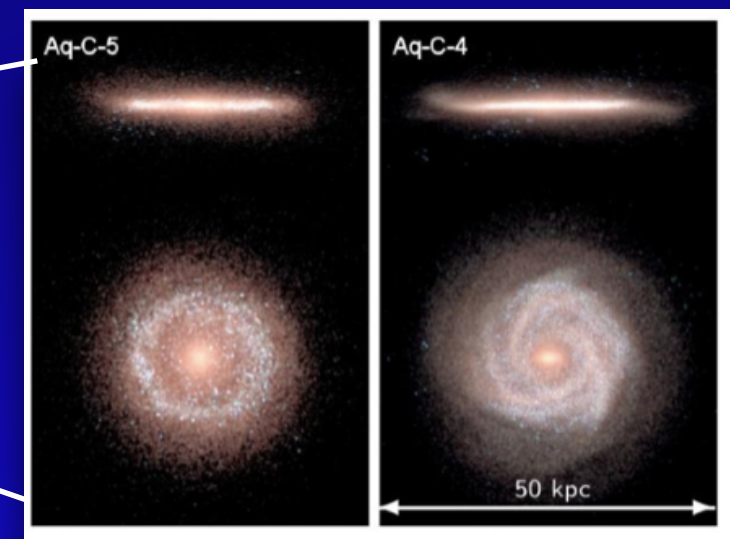
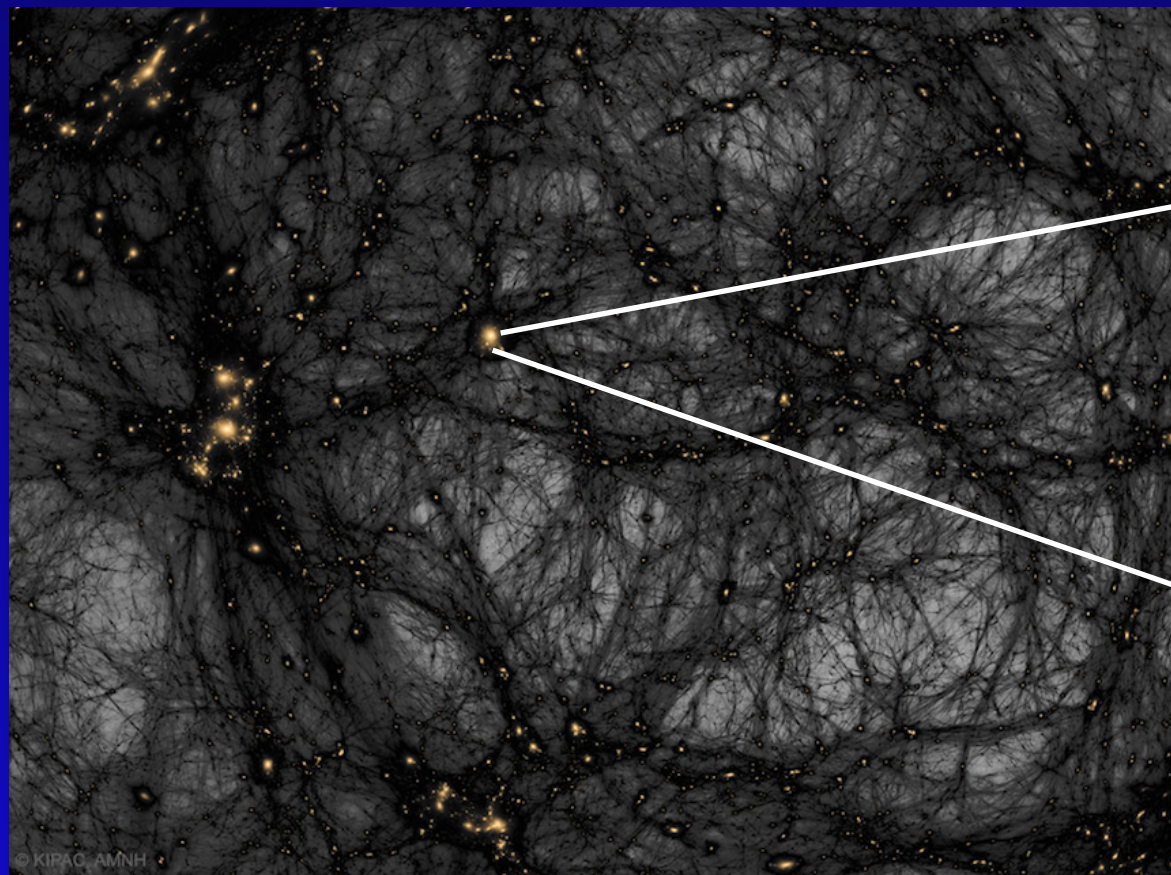
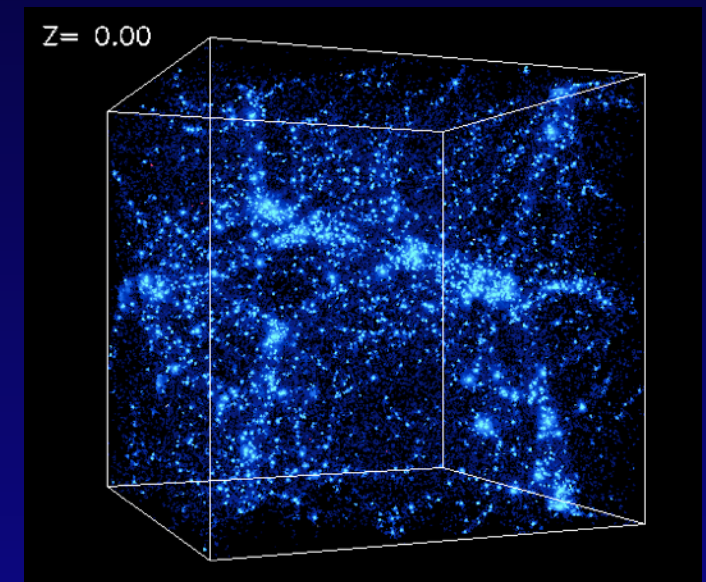
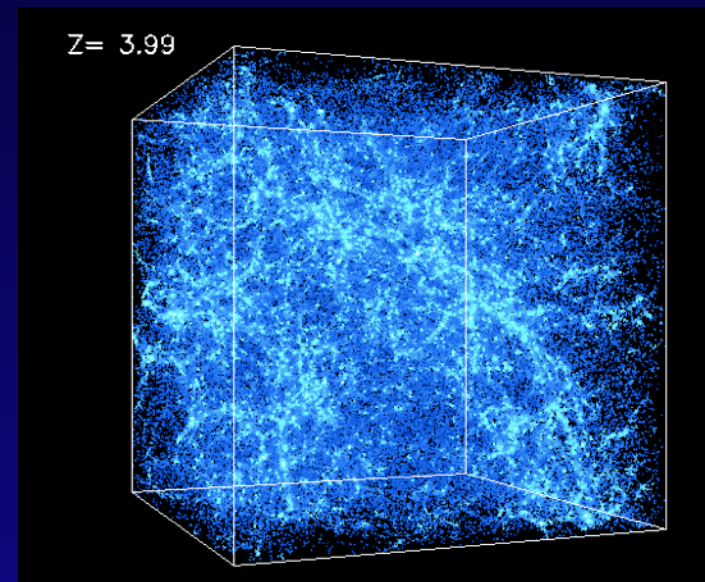
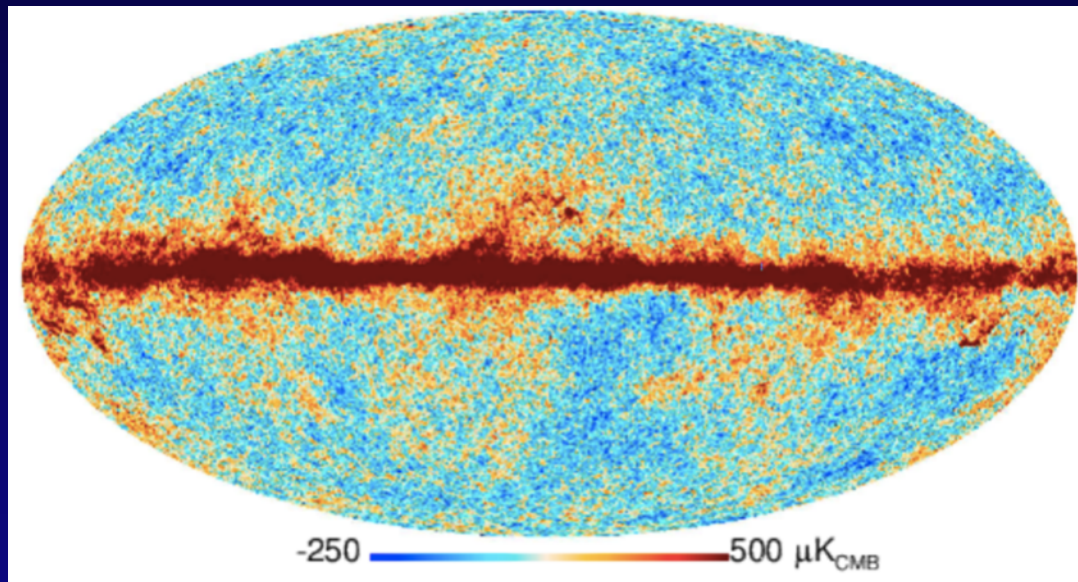


NATURE STILL UNKNOWN

A story of Λ CDM

I: structure formation

age of Universe →

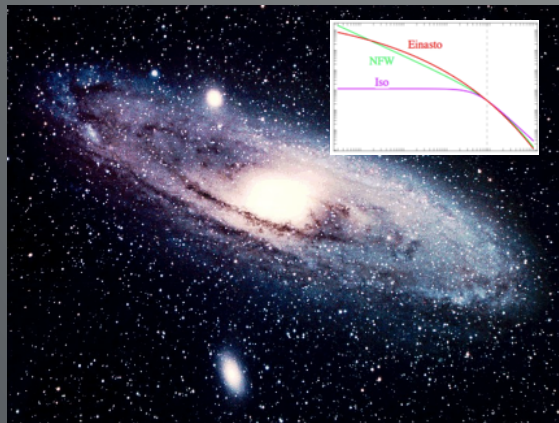


← physical size

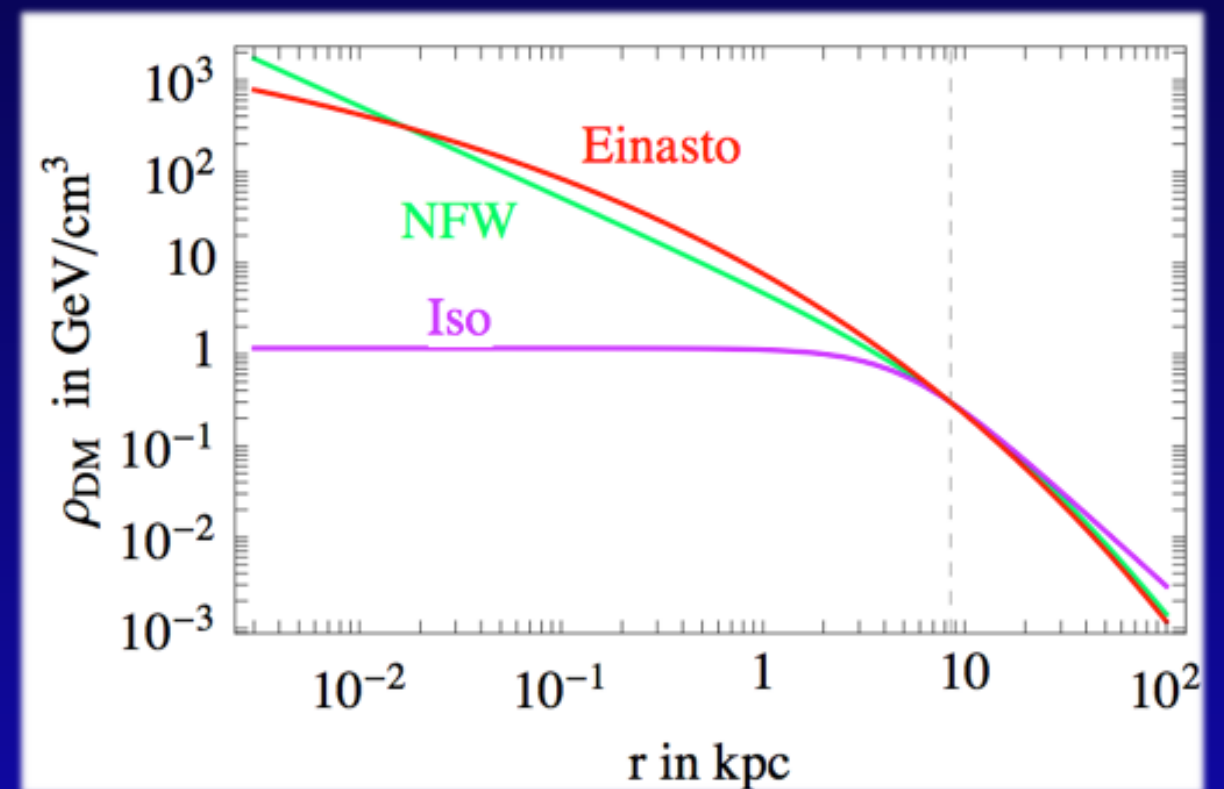
A story of Λ CDM

II. the single halo

A “universal” DM profile?



(not in scale!)

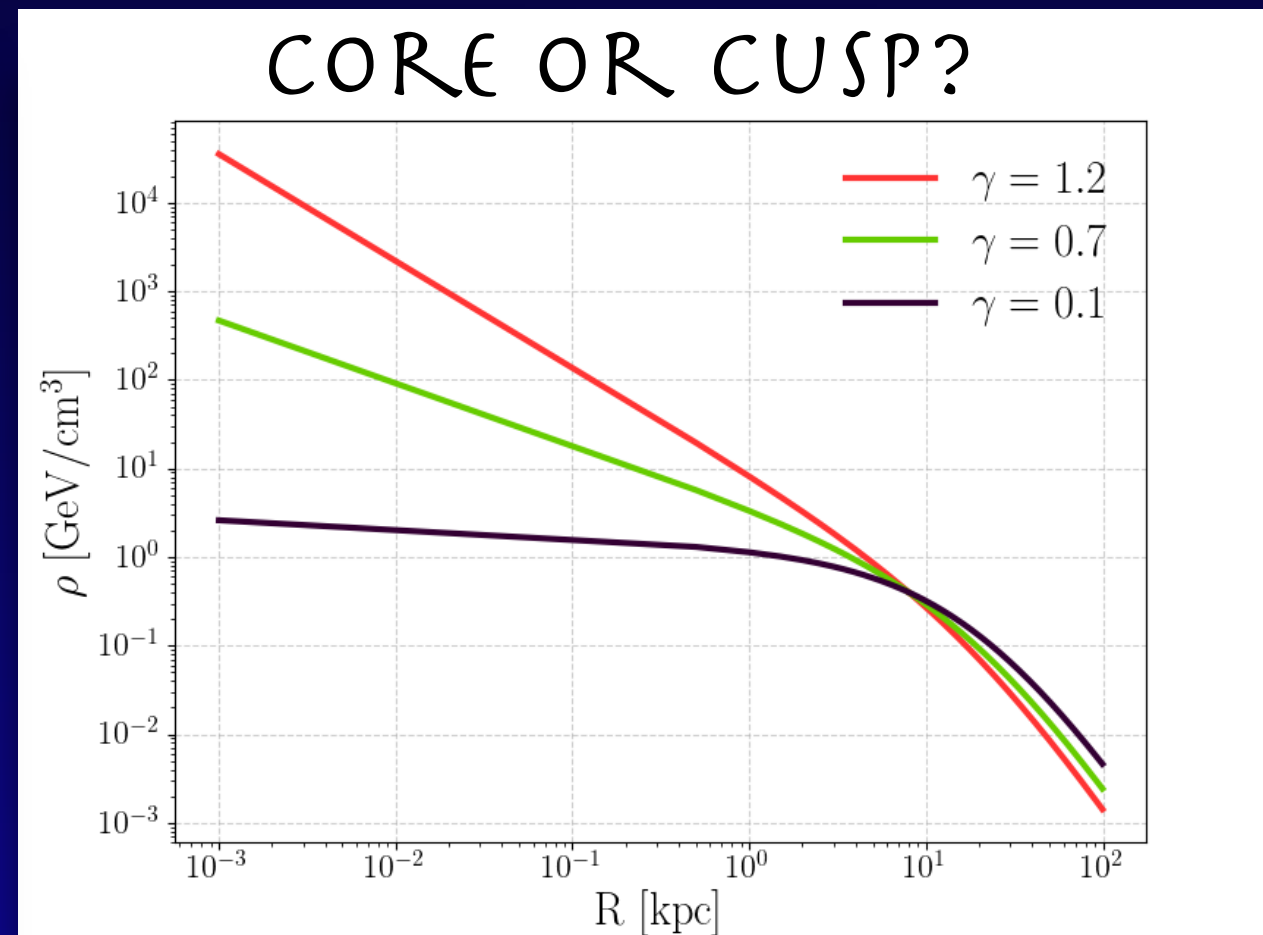
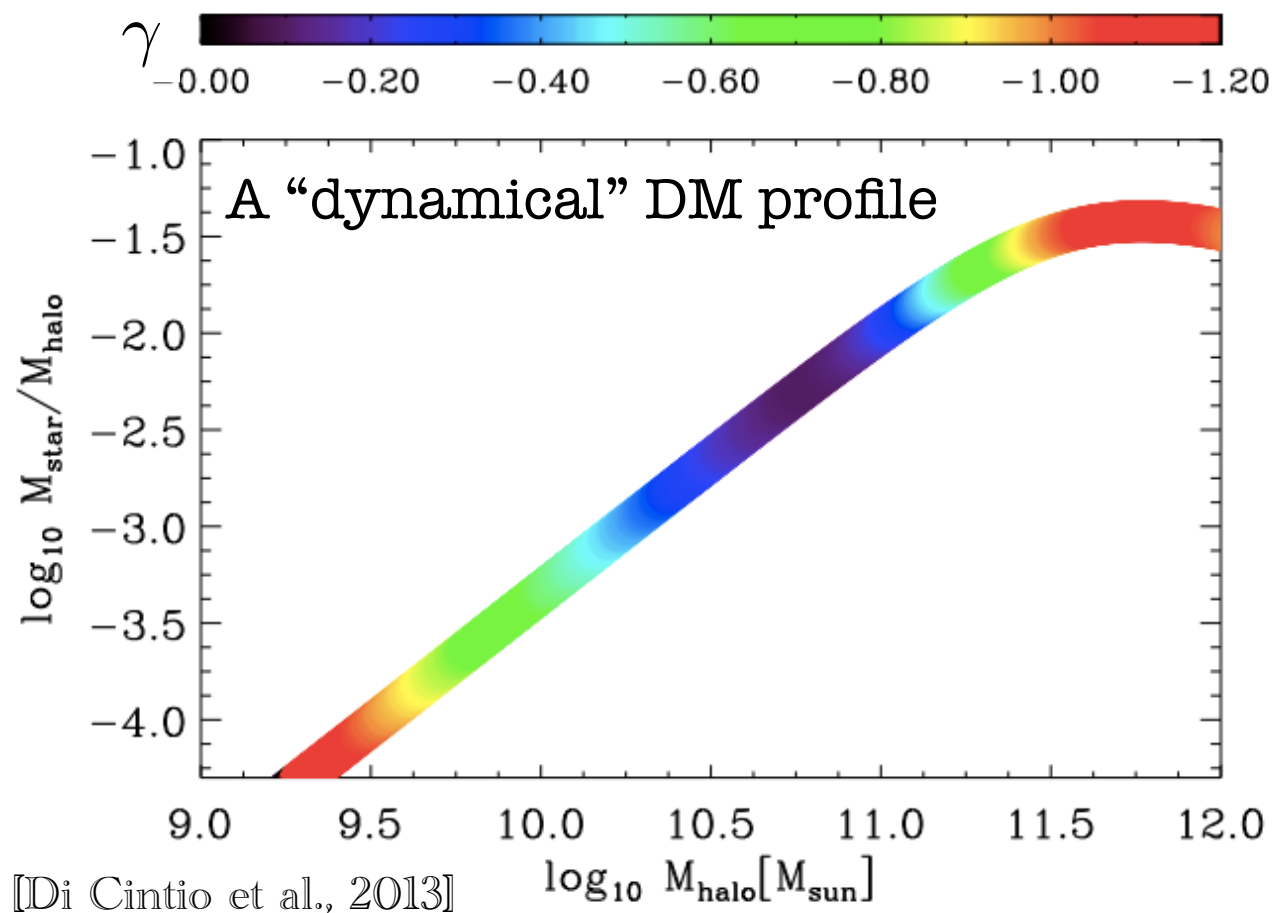


NAVARRO-FRENK-WHITE

$$\rho(R) \propto \frac{R_s}{R} \left(1 + \frac{R}{R_s} \right)^{-2}$$

A story of Λ CDM

III. the dark matter distribution



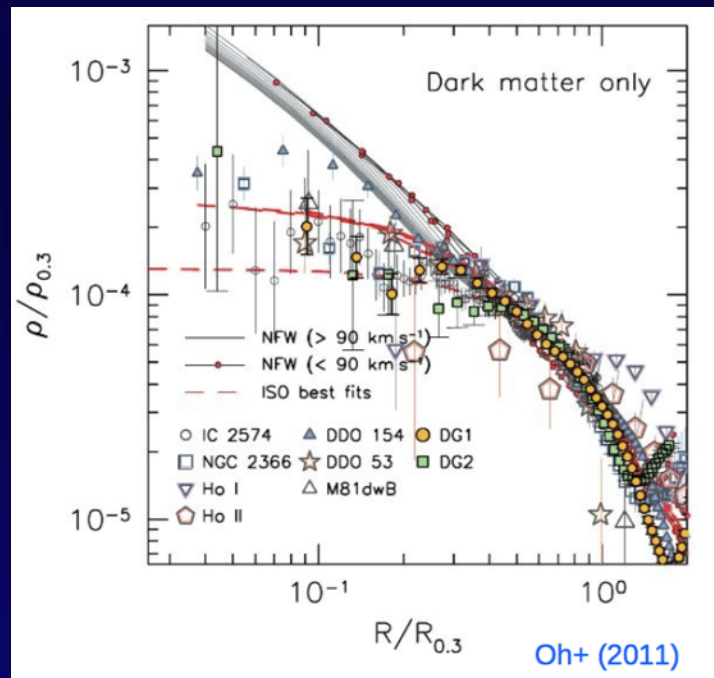
generalized NFW

$$\rho_{DM}(R) \propto \rho_0 \left(\frac{R}{R_s} \right)^{-\gamma} \left(1 + \frac{R}{R_s} \right)^{-3+\gamma}$$

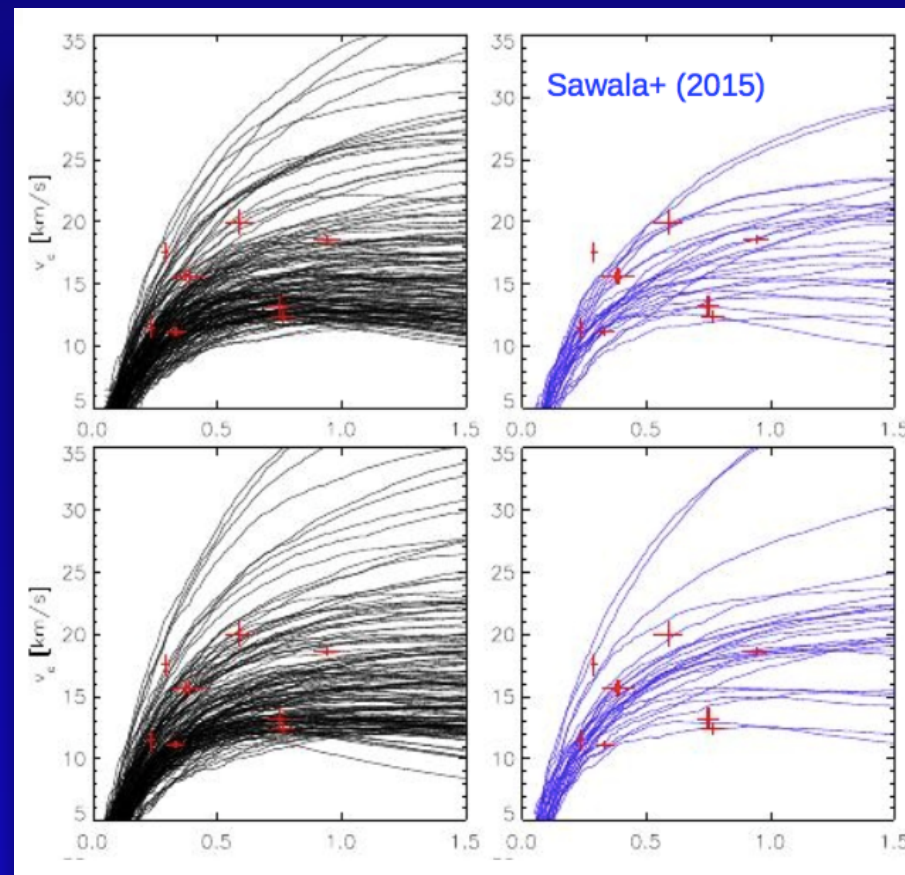
A story of Λ CDM

IV. the small scale problems

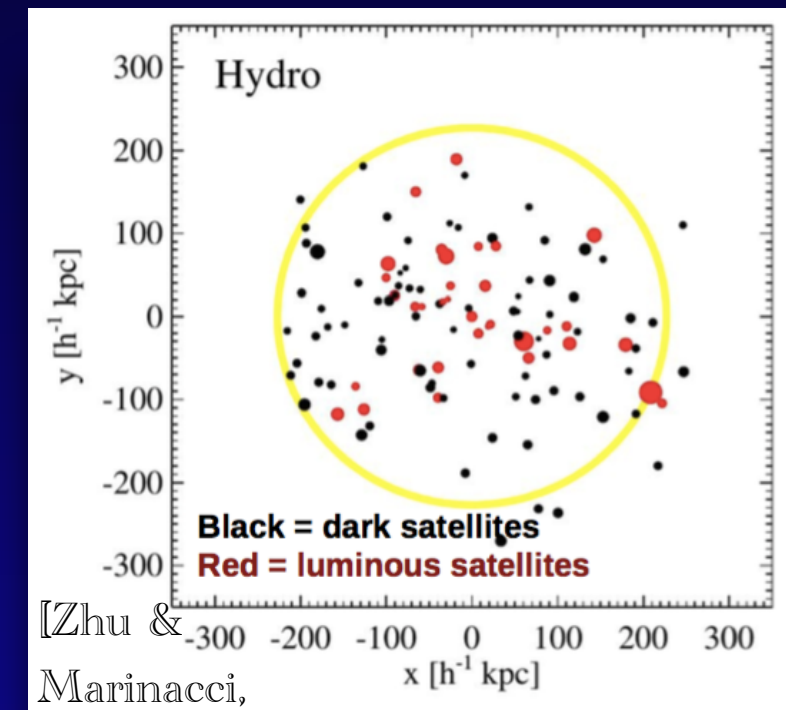
Cusp vs core



Too big to fail



Missing satellite



...or lack thereof

What is the actual distribution of DM in the Milky Way?

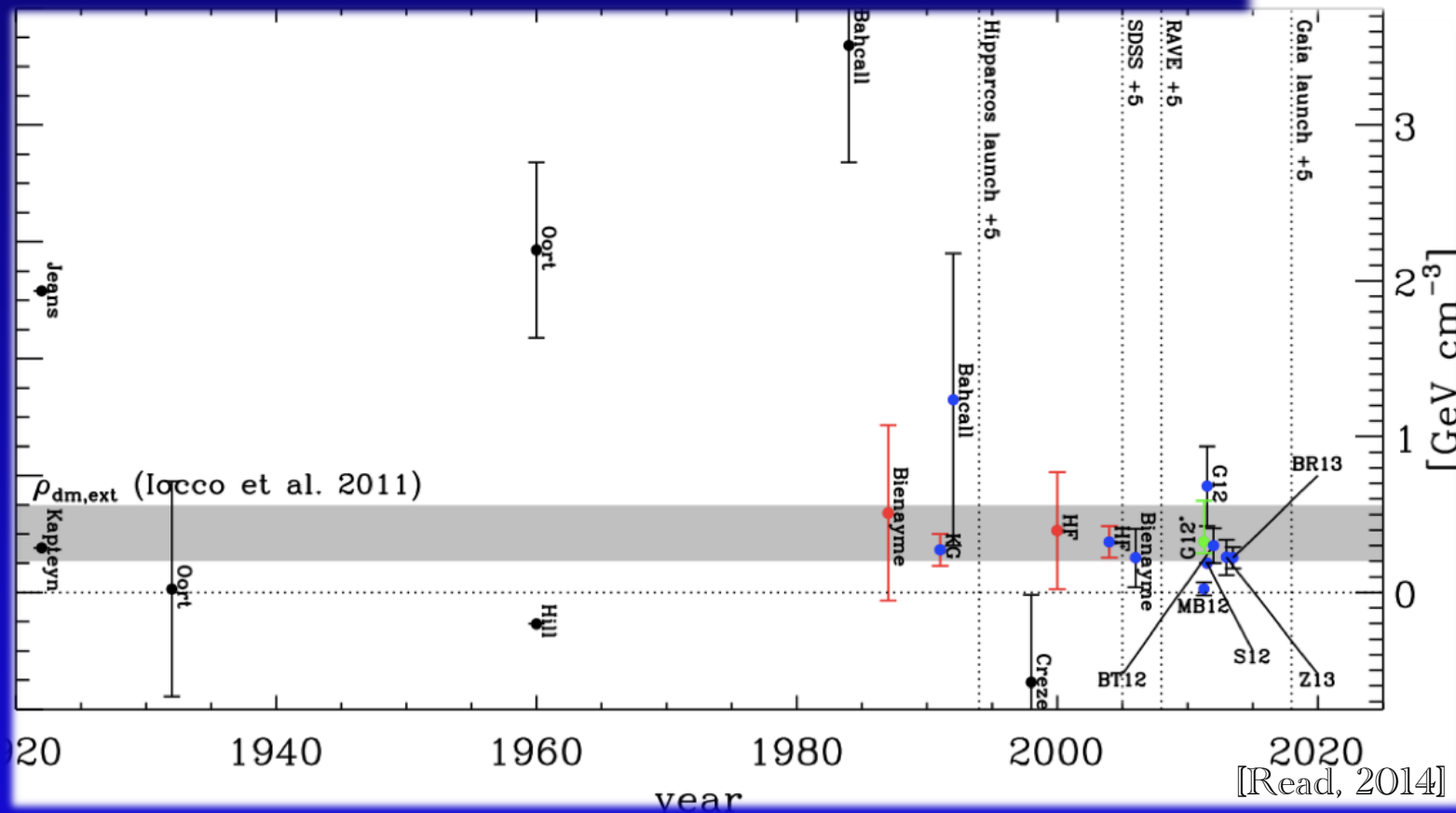
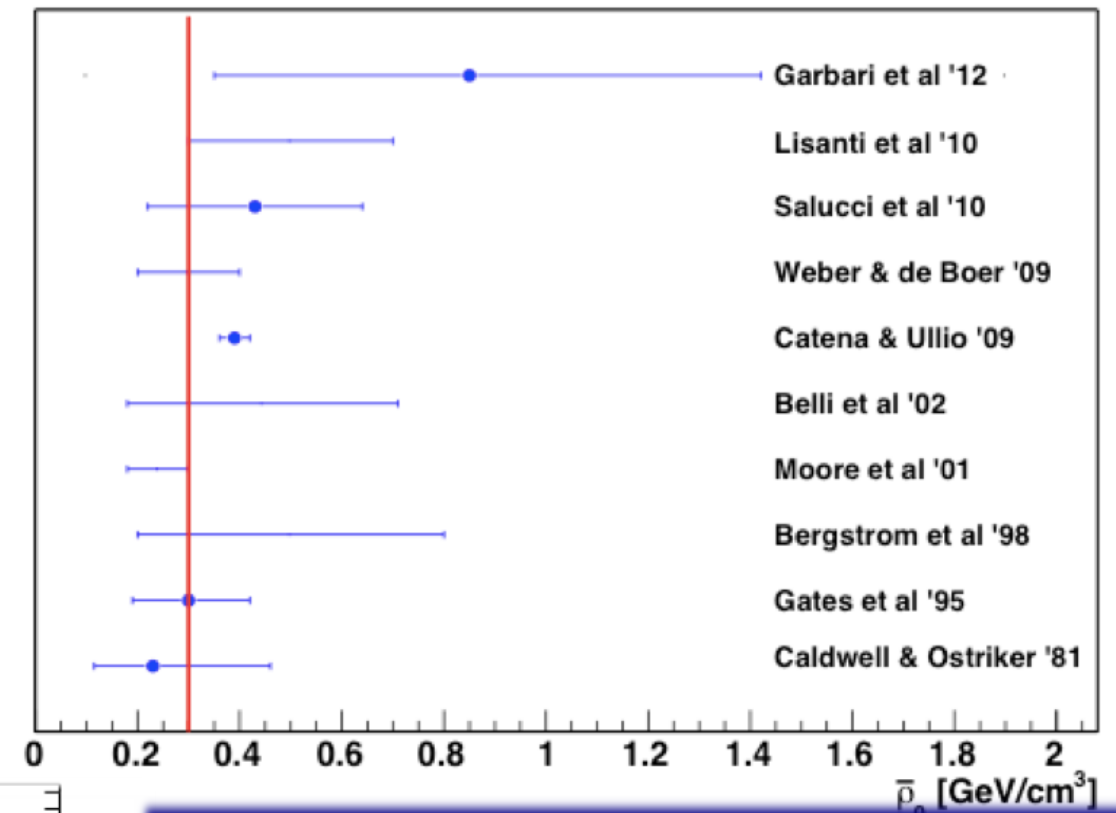


And most notably in the proximity of the Sun?

And the Galactic Center, as requested. Please bear with me until the end.

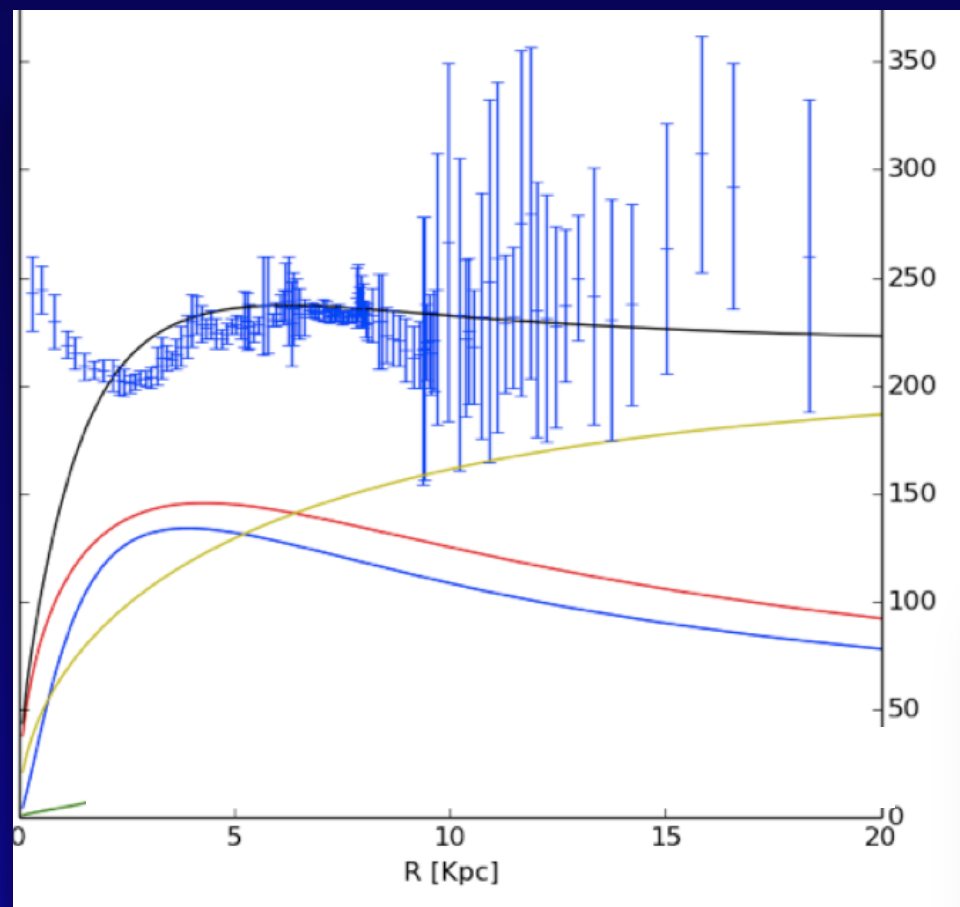
Empirical determination of local DM density

Determinations of
local DM density
are consistent, but noisy



Inferring the whole DM distribution (MW's 'backbone')

Fitting a pre-assigned shape
on top of luminous



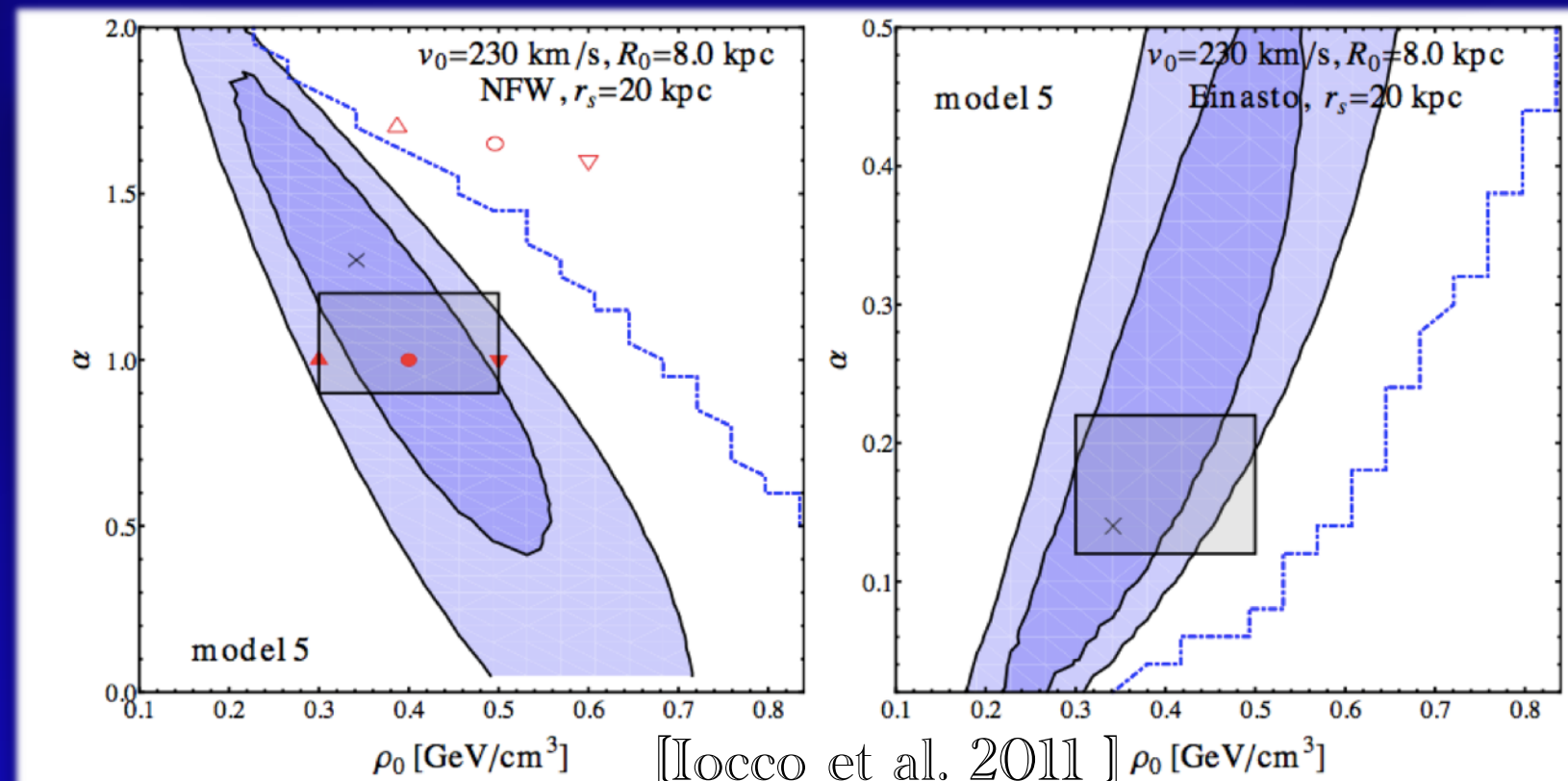
gNFW

$$\rho_{DM}(R) \propto \rho_0 \left(\frac{R}{R_s} \right)^{-\gamma} \left(1 + \frac{R}{R_s} \right)^{-3+\gamma}$$

Einasto

$$\rho_{DM}(R) \propto \rho_0 \exp \left[-\frac{2}{\gamma} \left(\left(\frac{R}{R_s} \right)^\gamma - 1 \right) \right]$$

[many authors, e.g.
Iocco et al. 2011]



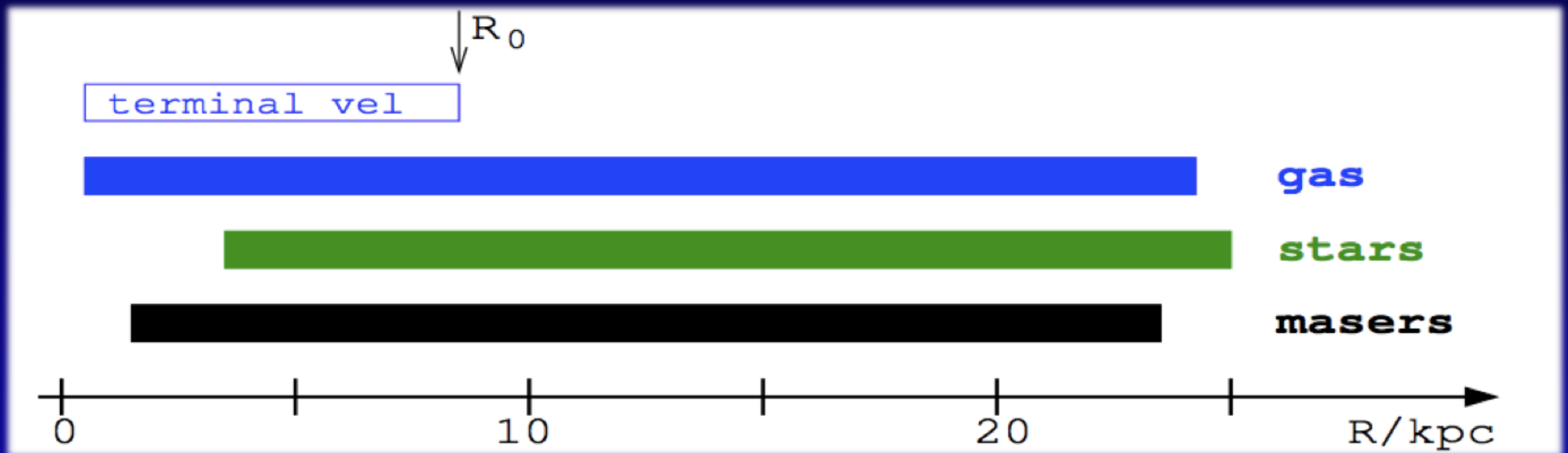
The case of the Milky Way

Ingredients:

- The observed rotation curve
- The “expected” rotation curve
- Some “grano salis”
- Working hypothesis (later on)

The Milky Way:

observed rotation curve
the tracers of the gravitational potential



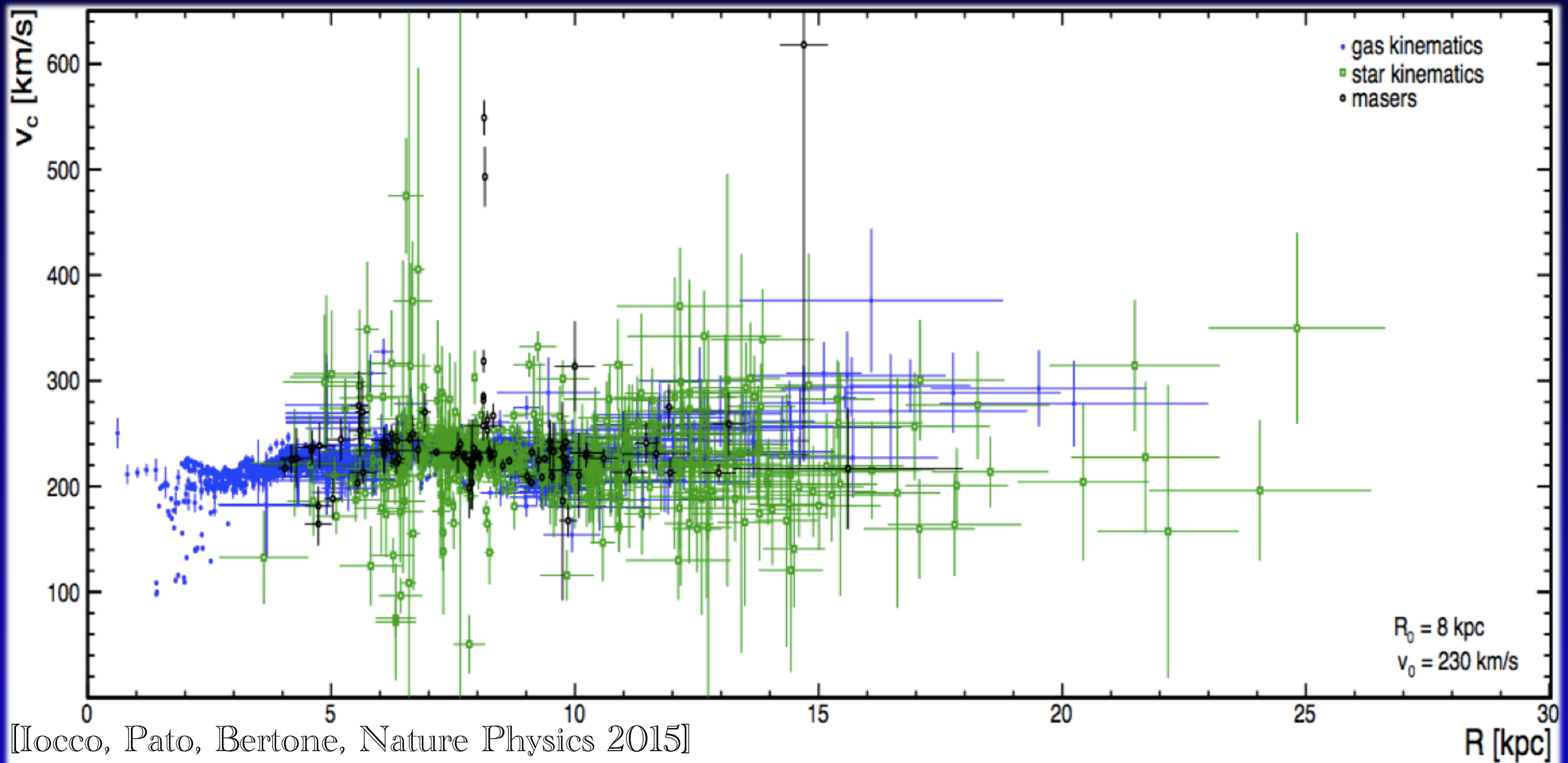
Doppler shift

1. gas (21cm, $H\alpha$, CO)
2. stars (H, He, O, ...)
3. masers (H_2O , CH_3OH , ...)

distance

1. terminal velocities (gas)
2. photo-spectroscopy (stars)
3. parallax (masers)

The Milky Way Rotation Curve as observed



All tracers, optimized for precision between $R=3$ -20 kpc

For more details on data treatment (as well as inclusion of different datasets) ...

galkin compilation [Pato & FI, arXivV:1703.00020 , Software X (2017)]

The Milky Way:

‘expected’ rotation curve
from visible (baryon) component

$$\Phi_{\text{baryon}} = \Phi_{\text{bulge}} + \Phi_{\text{disk}} + \Phi_{\text{gas}}$$

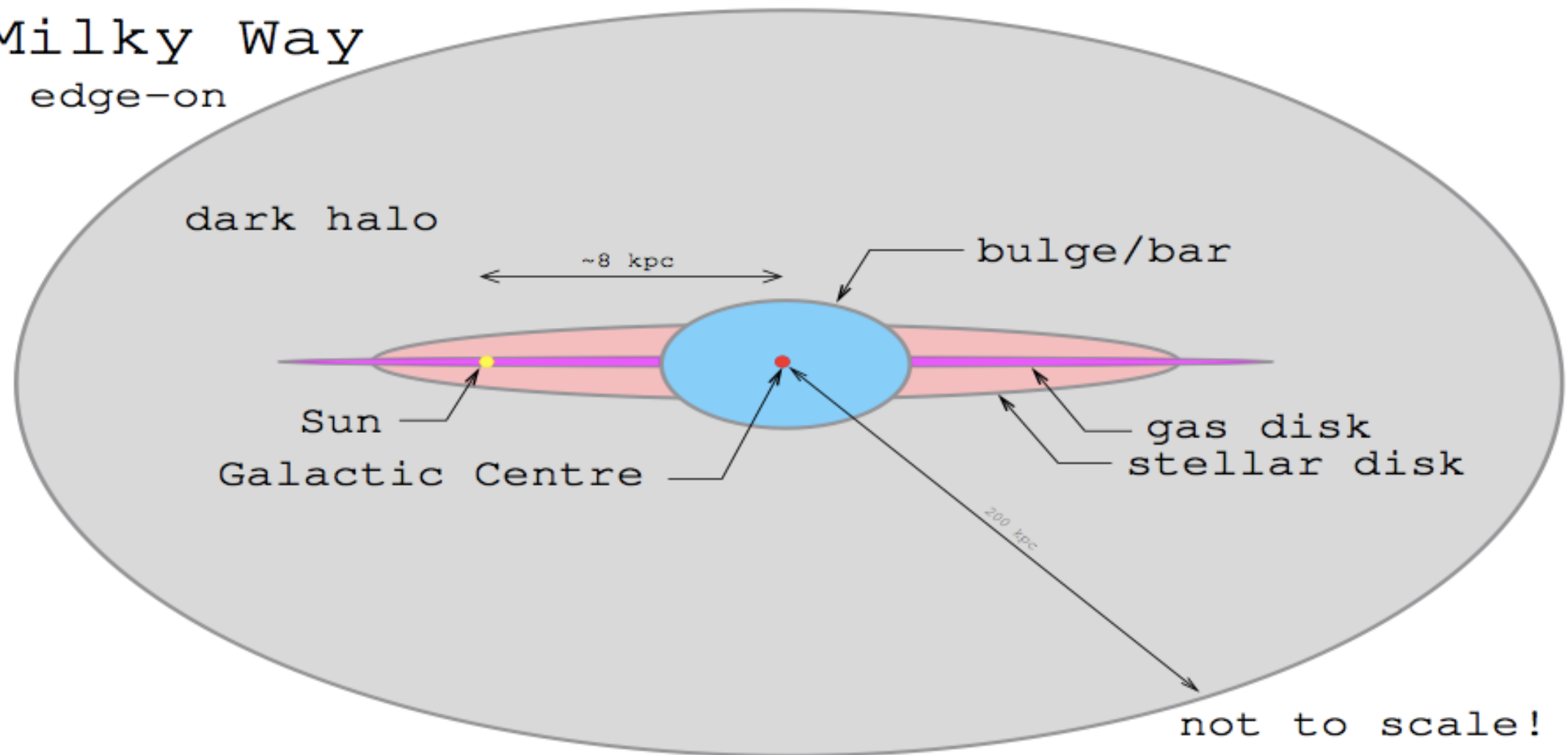
$$\rho_i(x, y, z) \rightarrow \phi_i(r, \theta, \varphi) \rightarrow v_{c,i}^2(R) = \sum_{\varphi} R \frac{d\phi_i}{dr}(R, \pi/2, \varphi)$$

Constructing the curve expected from observed mass profiles

The Milky Way:

expected rotation curve
the baryonic components

Milky Way
edge-on



bulge

tilted bar

disk

thin+thick

gas

H_2 , HI, HII

Courtesy of Miguel Pato

The luminous Milky Way: observations of morphology

2. BARYONS: STELLAR BULGE



$$\rho_{\text{bulge}} = \rho_0 f(x, y, z)$$

morphology $f(x, y, z)$

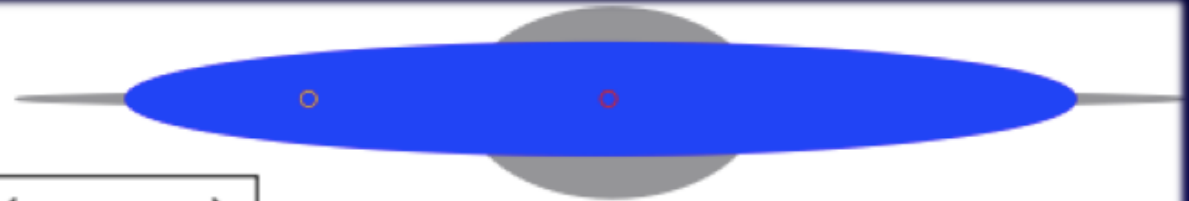
Stanek+ '97 (E2)	e^{-r}	0.9:0.4:0.3	24°	optical
Stanek+ '97 (G2)	$e^{-r_s^2/2}$	1.2:0.6:0.4	25°	optical
Zhao '96	$e^{-r_s^2/2} + r_a^{-1.85} e^{-r_a}$	1.5:0.6:0.4	20°	infrared
Bissantz & Gerhard '02	$e^{-r_s^2}/(1+r)^{1.8}$	2.8:0.9:1.1	20°	infrared
Lopez-Corredoira+ '07	Ferrer potential	7.8:1.2:0.2	43°	infrared/optical
Vanhollebecke+ '09	$e^{-r_s^2}/(1+r)^{1.8}$	2.6:1.8:0.8	15°	infrared/optical
Robin+ '12	$\text{sech}^2(-r_s) + e^{-r_s}$	1.5:0.5:0.4	13°	infrared

normalisation ρ_0 **and its statistical uncertainties**

microlensing optical depth: $\langle \tau \rangle = 2.17_{-0.38}^{+0.47} \times 10^{-6}$, $(\ell, b) = (1.50^\circ, -2.68^\circ)$
(MACHO '05)

The luminous Milky Way: observations of morphology

2. BARYONS: STELLAR DISK



$$\rho_{\text{disk}} = \rho_0 f(x, y, z)$$

morphology $f(x, y, z)$

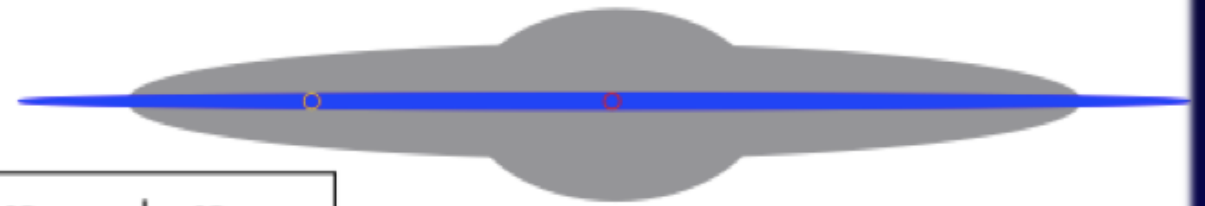
Han & Gould '03	$e^{-R} \text{sech}^2(z)$	2.8:0.27	thin	optical
	$e^{-R- z }$	2.8:0.44	thick	
Calchi-Novati & Mancini '11	$e^{-R- z }$	2.8:0.25	thin	optical
	$e^{-R- z }$	4.1:0.75	thick	
deJong+ '10	$e^{-R- z }$	2.8:0.25	thin	optical
	$e^{-R- z }$	4.1:0.75	thick	
	$(R^2 + z^2)^{-2.75/2}$	1.0:0.88	halo	
Jurić+ '08	$e^{-R- z }$	2.2:0.25	thin	optical
	$e^{-R- z }$	3.3:0.74	thick	
	$(R^2 + z^2)^{-2.77/2}$	1.0:0.64	halo	
Bovy & Rix '13	$e^{-R- z }$	2.2:0.40	single	optical

normalization and its statistical uncertainties

local surface density: $\Sigma_* = 38 \pm 4 M_\odot/\text{pc}^2$ [Bovy & Rix '13]

The luminous Milky Way: observations of morphology

2. BARYONS: GAS



$$n_{\text{H}} = 2n_{\text{H}_2} + n_{\text{HI}} + n_{\text{HII}}$$

morphology

Ferrière '12	$r < 0.01$ kpc	$M_{\text{gas}} \sim 7 \times 10^5 M_{\odot}$	CO, 21cm, H α , ...	
Ferrière+ '07	$r = 0.01 - 2$ kpc	CMZ, holed disk	H ₂	CO
		CMZ, holed disk	H I	21cm
		warm, hot, very hot	H II	disp. meas.
Ferrière '98	$r = 3 - 20$ kpc	molecular ring	H ₂	CO
		cold, warm	H I	21cm
		warm, hot	H II	disp. meas., H α
Moskalenko+ '02	$r = 3 - 20$ kpc	molecular ring	H ₂	CO
			H I	21cm
			H II	disp. meas.

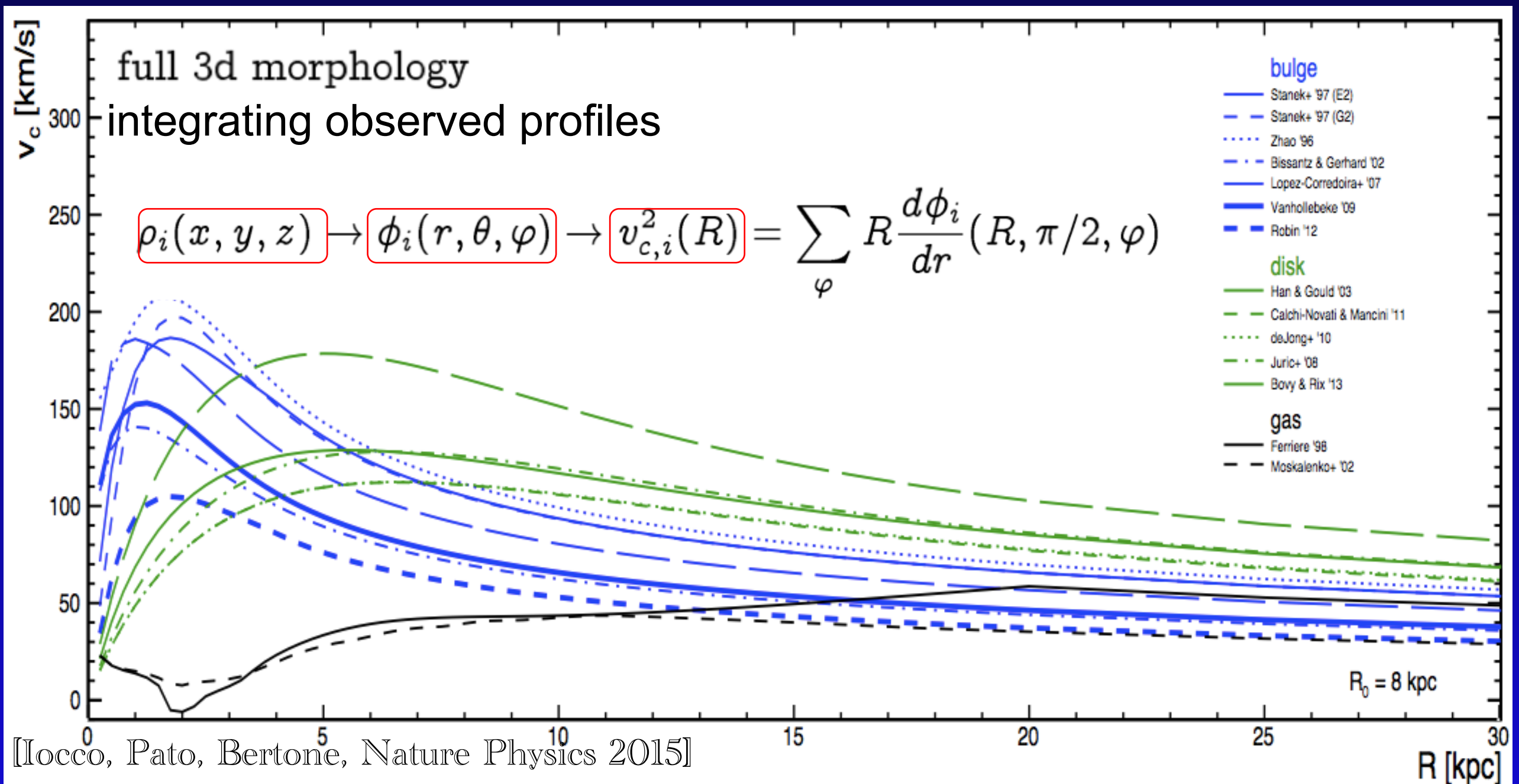
uncertainties

CO-to-H₂ factor: $X_{\text{CO}} = 0.25 - 1.0 \times 10^{20} \text{ cm}^{-2} \text{ K}^{-1} \text{ km}^{-1} \text{ s}$ for $r < 2$ kpc
 $X_{\text{CO}} = 0.50 - 3.0 \times 10^{20} \text{ cm}^{-2} \text{ K}^{-1} \text{ km}^{-1} \text{ s}$ for $r > 2$ kpc

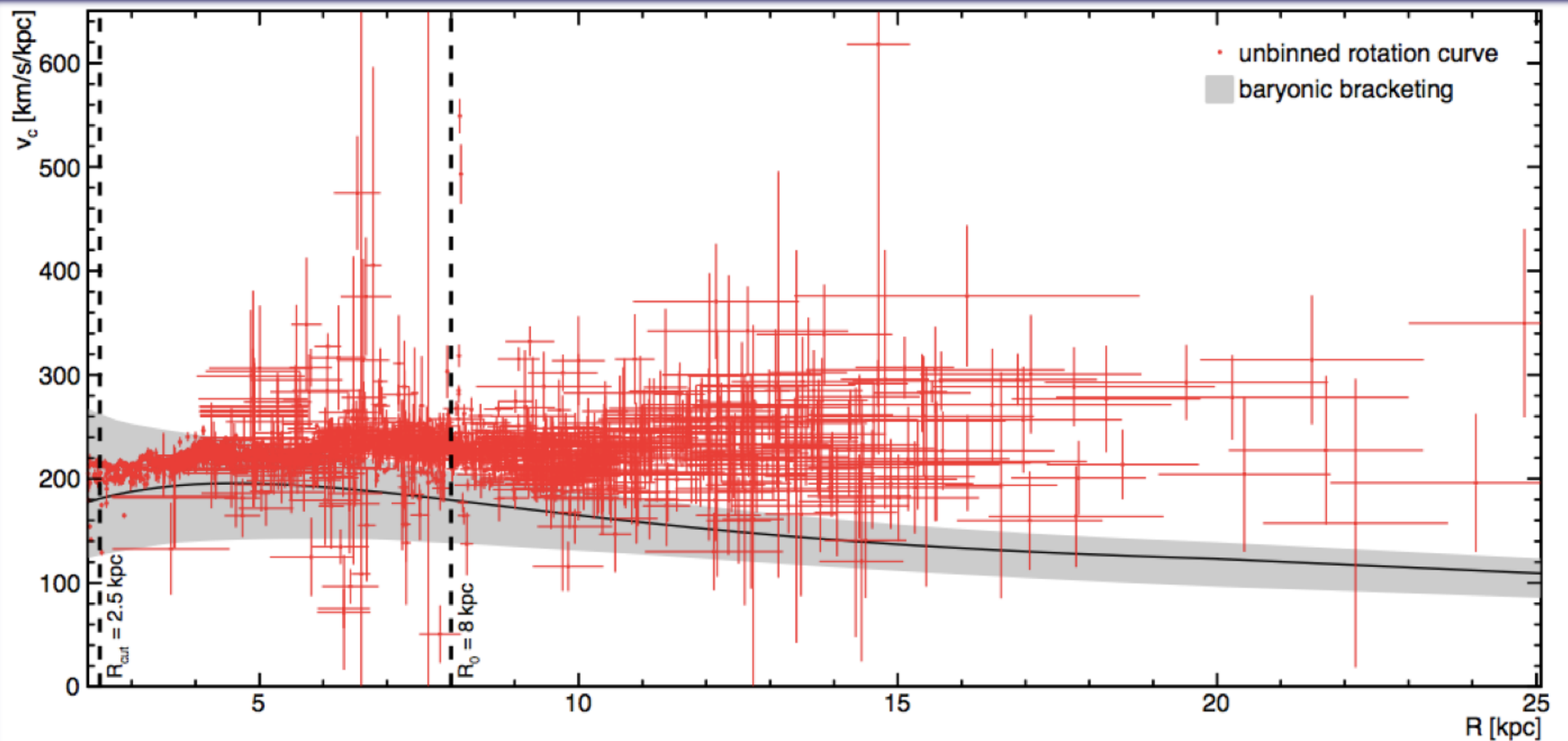
[Ferrière+ '07, Ackermann '12]

The luminous Milky Way: expected rotation curve

$$\phi_i(r, \theta, \varphi) = -4\pi G \sum_{l, m} \frac{Y_{lm}(\theta, \varphi)}{2l+1} \left[\frac{1}{r^{l+1}} \int_0^r \rho_{i,lm}(a) a^{l+2} da + r^l \int_r^\infty \rho_{i,lm}(a) a^{1-l} da \right]$$

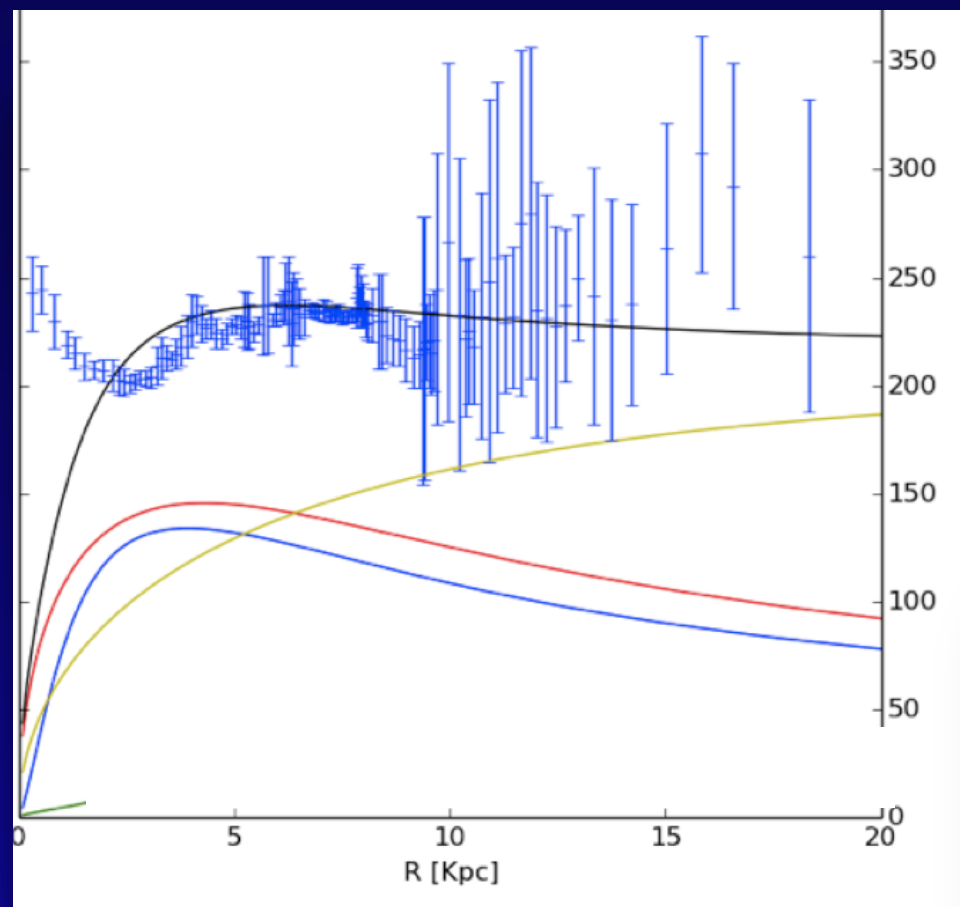


The Milky Way: testing expectations (with no additional assumptions)



Inferring the DM density structure

Fitting a pre-assigned shape
on top of luminous



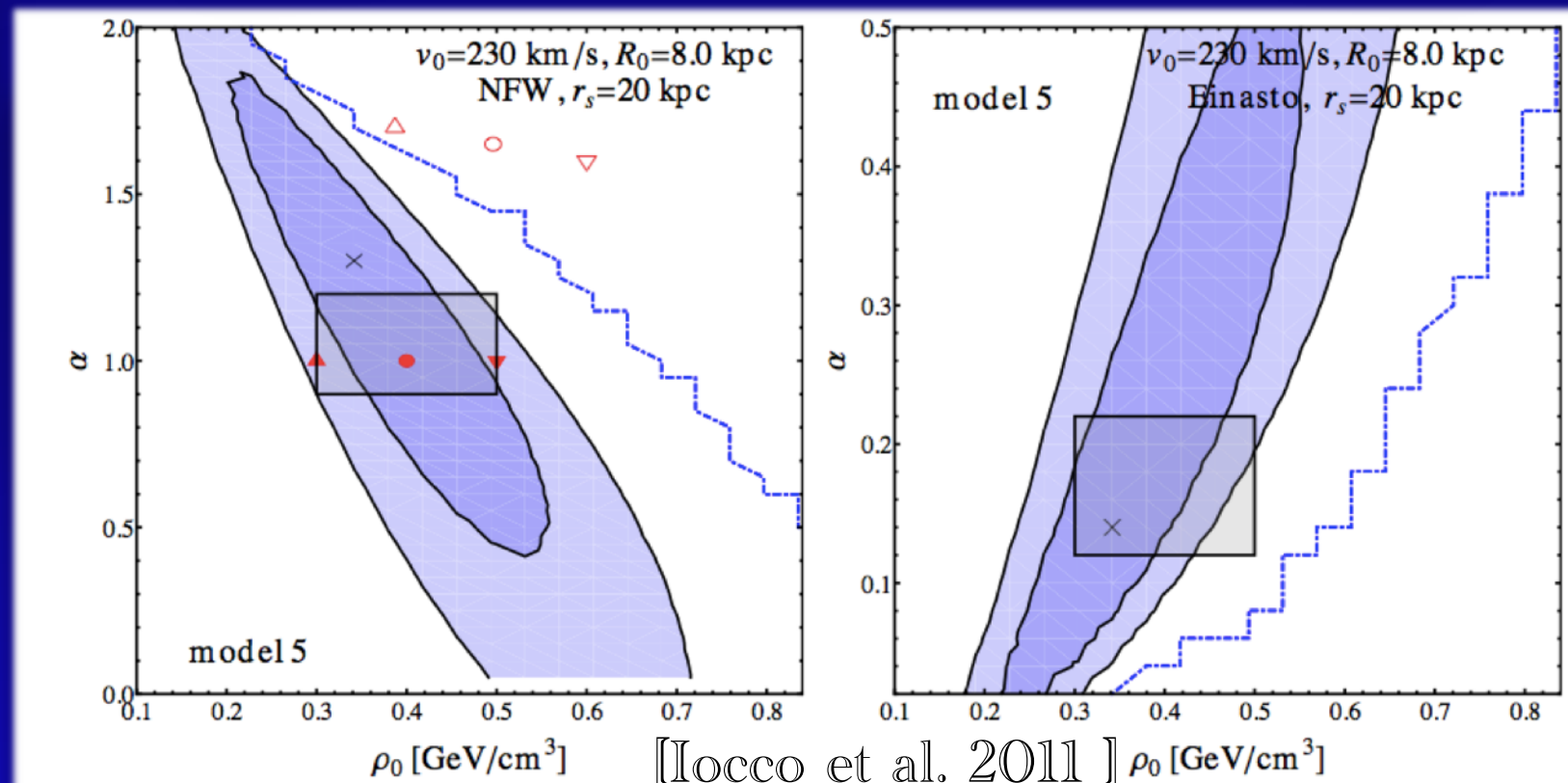
gNFW

$$\rho_{DM}(R) \propto \rho_0 \left(\frac{R}{R_s} \right)^{-\gamma} \left(1 + \frac{R}{R_s} \right)^{-3+\gamma}$$

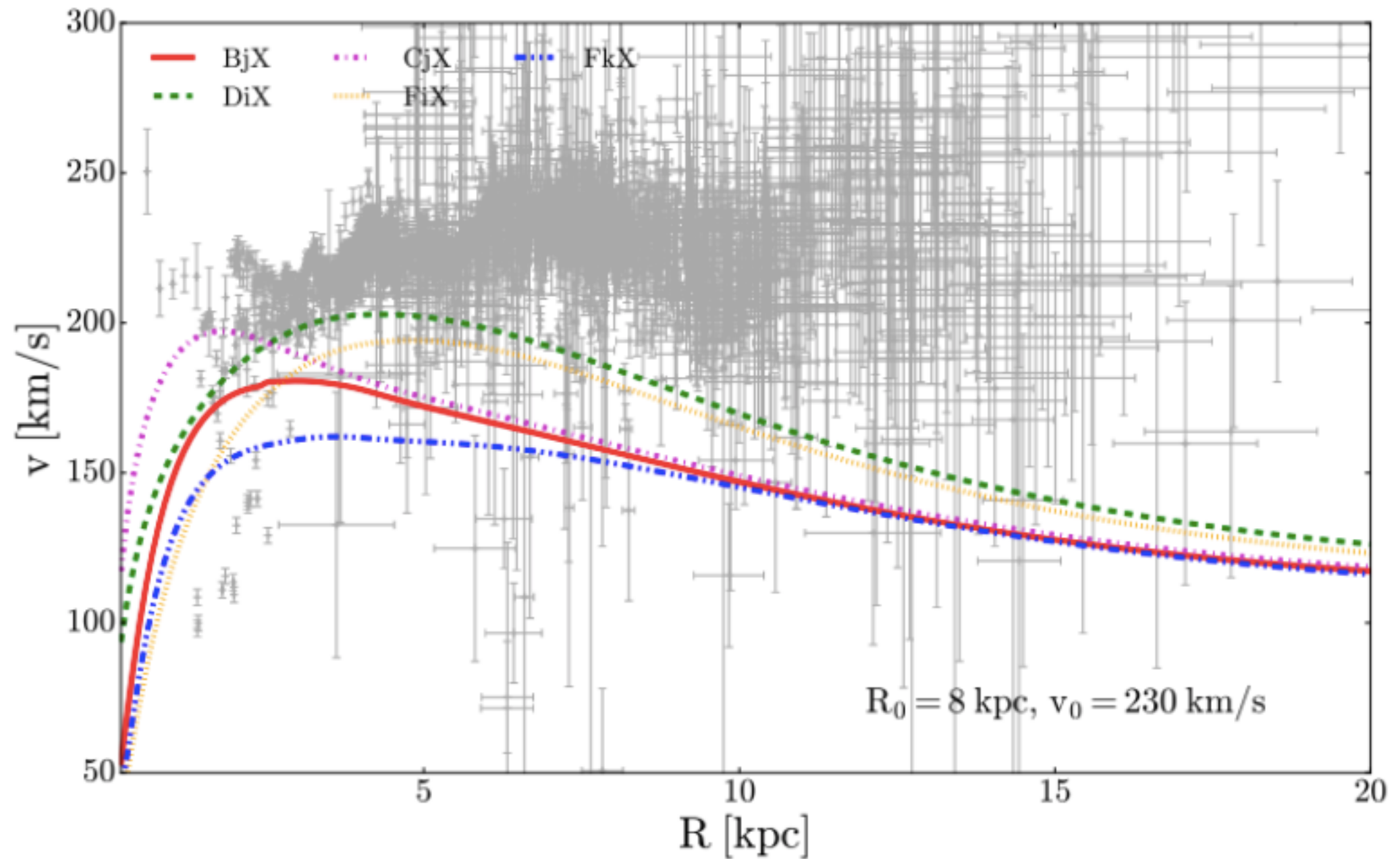
Einasto

$$\rho_{DM}(R) \propto \rho_0 \exp \left[-\frac{2}{\gamma} \left(\left(\frac{R}{R_s} \right)^\gamma - 1 \right) \right]$$

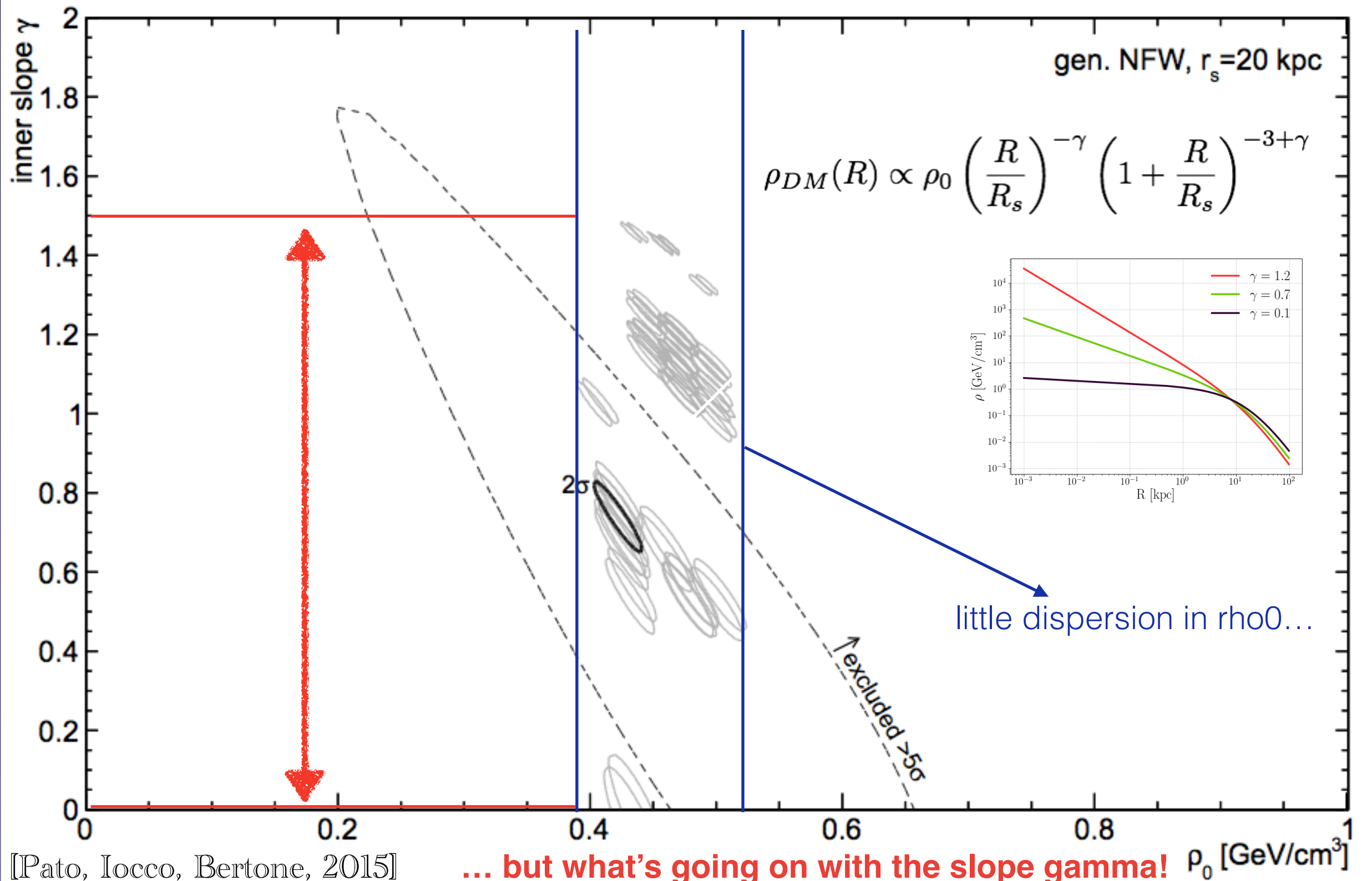
[many authors, e.g.
Iocco et al. 2011]



Systematic uncertainties *(luminous component)*

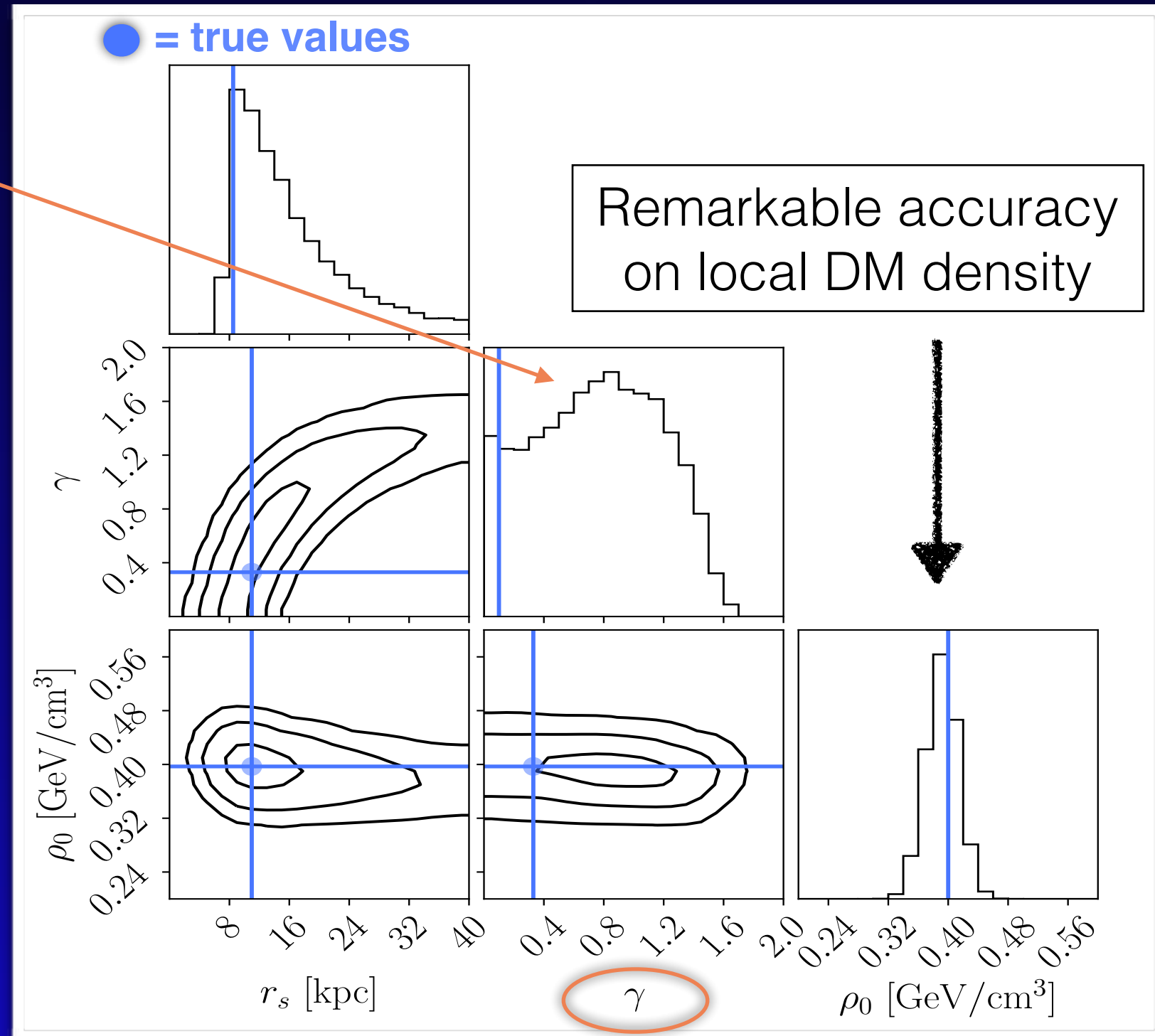
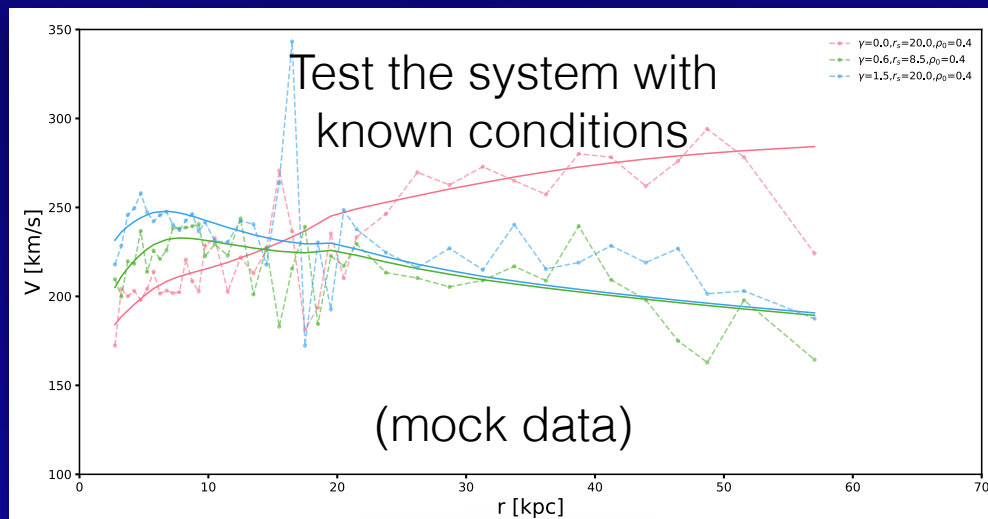
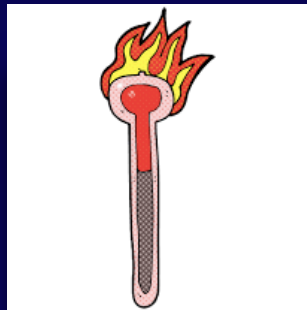


Extracting the DM density structure



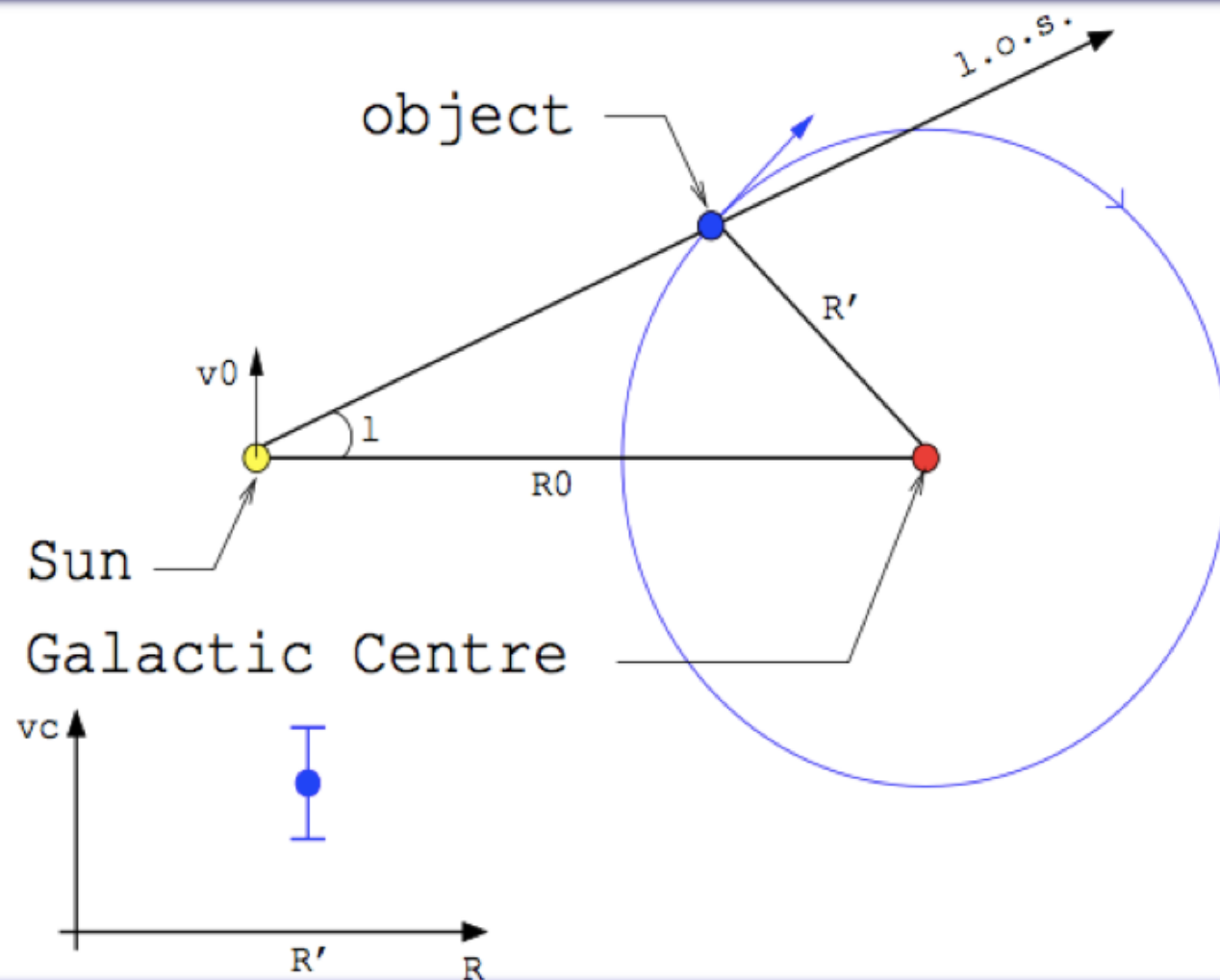
What to do of our measurement?

(Our instrument is very precise. Is it accurate?)



The Milky Way: observed rotation curve

Neglecting some quite remarkable uncertainties (for now)



$$v_{\text{LSR}}^{\text{l.o.s.}} = \left(\frac{v_c(R')}{R'/R_0} - v_0 \right) \cos b \sin \ell$$

observing tracers from our own position,
transforming into GC-centric reference frame

Uncertainties on (R_0, v_0)
ultimately affects our
determination of
 (ρ_0, γ)

Direct and indirect searches of WIMP DM

complementary to colliders

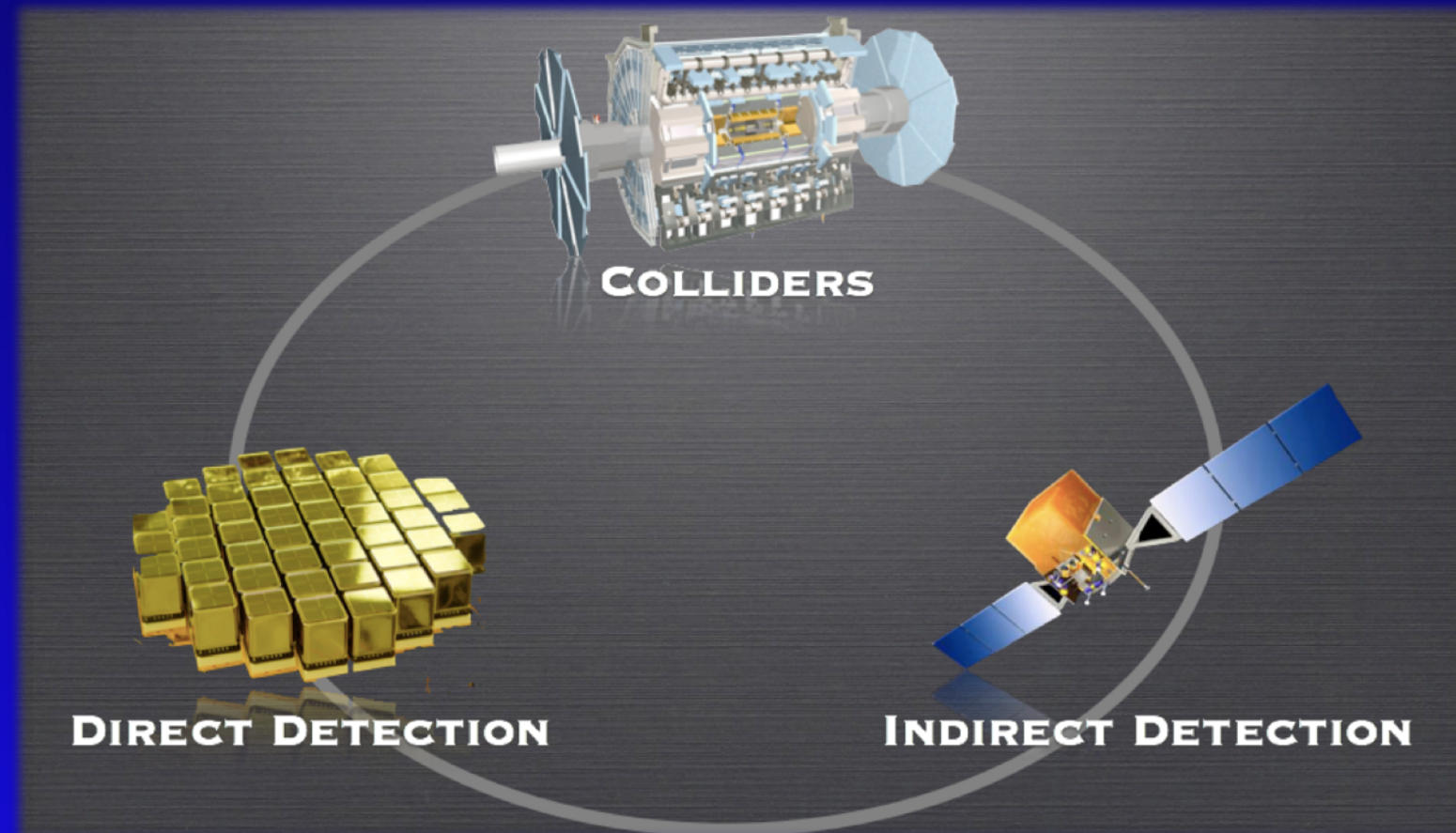
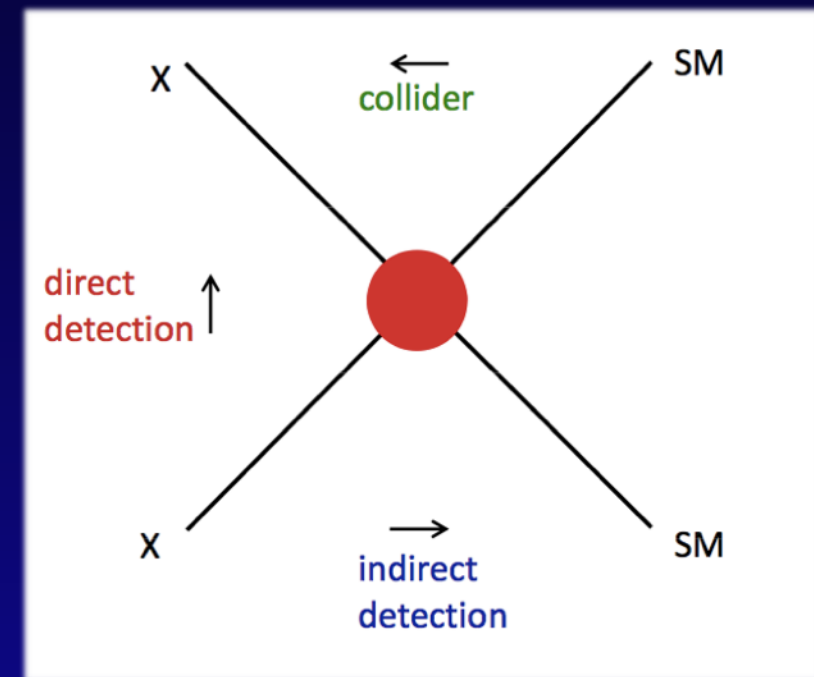
Direct detection:

DM scattering against nuclei, recoil

Indirect detection:

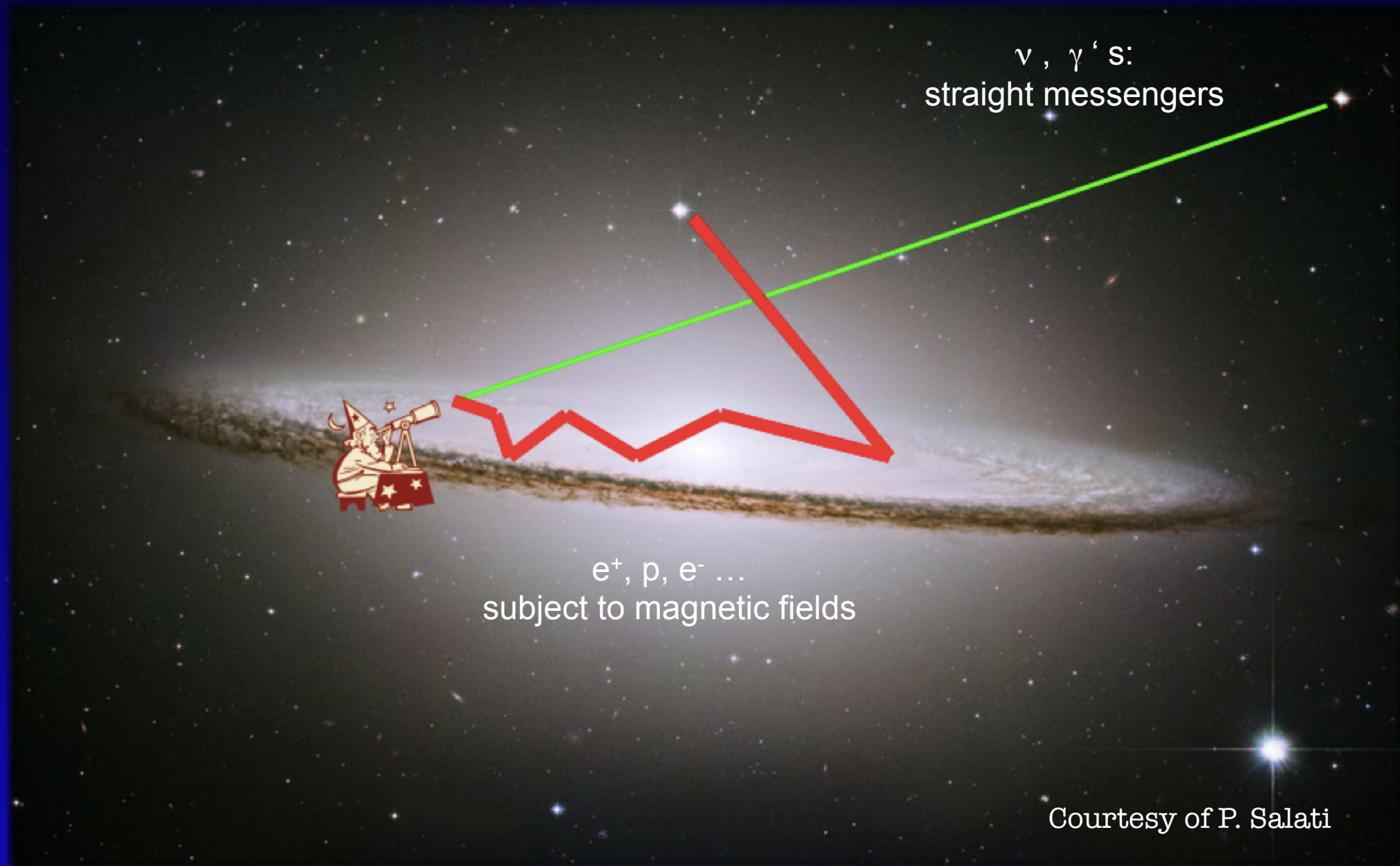
Annihilation in astrophysical enviro.
Observation of SM products of annih.

Production at LHC



Indirect Detection: principles and dependencies

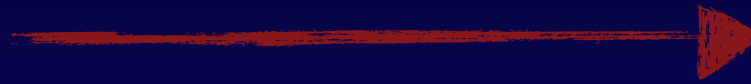
$$\chi + \chi \rightarrow q\bar{q}, W^+W^-, \dots \rightarrow \gamma, \bar{p}, \bar{D}, e^+ \text{ \& } \nu's$$



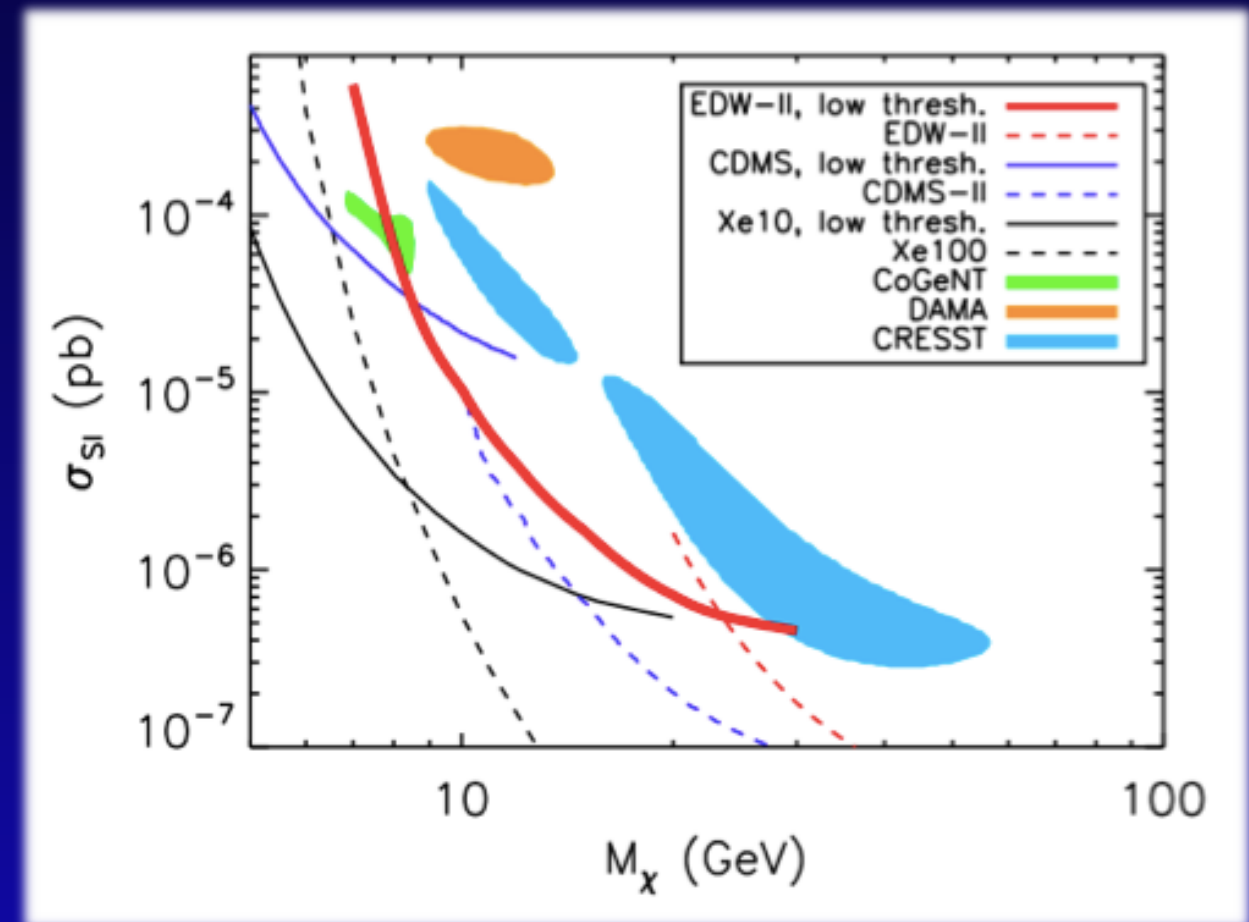
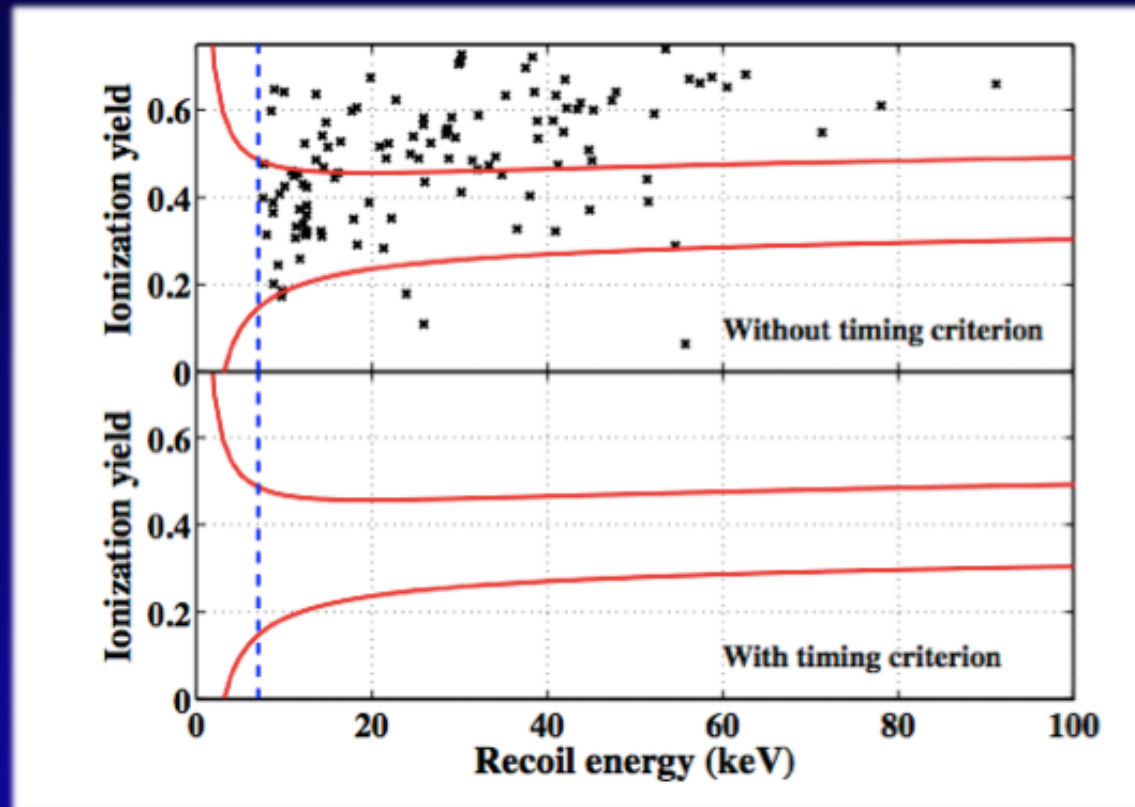
$$F_i \propto \frac{1}{4\pi d^2} B_i \frac{\langle \sigma v \rangle}{m_\chi} \int \rho^2(r) dV$$

Direct Detection: principles and dependencies (to go...)

from this



to this



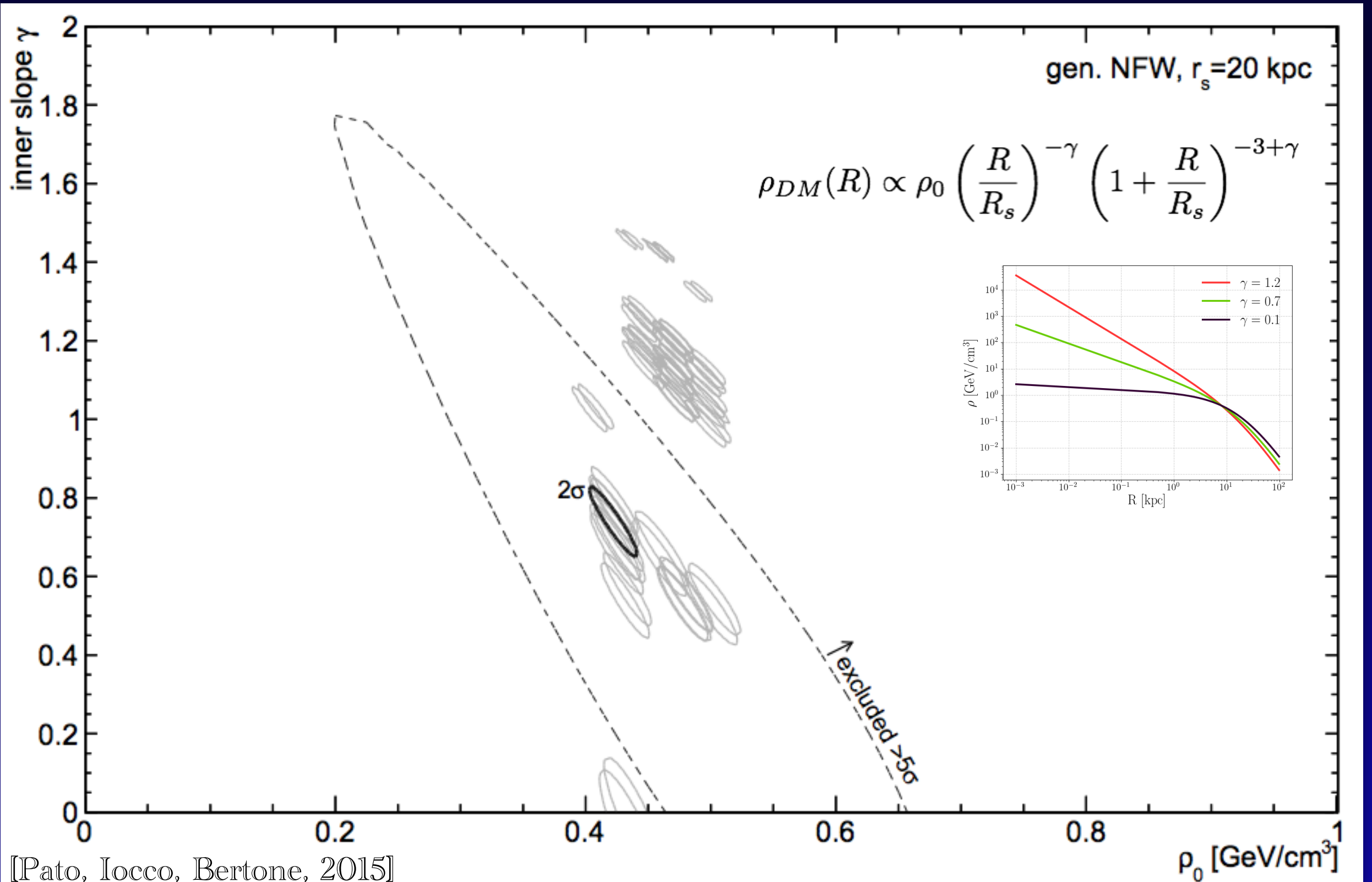
you need this

$$\frac{dR}{dE} \propto \frac{1}{\mu^2} \frac{\sigma_{\chi}}{m_{\chi}} \rho_0 \eta(v, t)$$

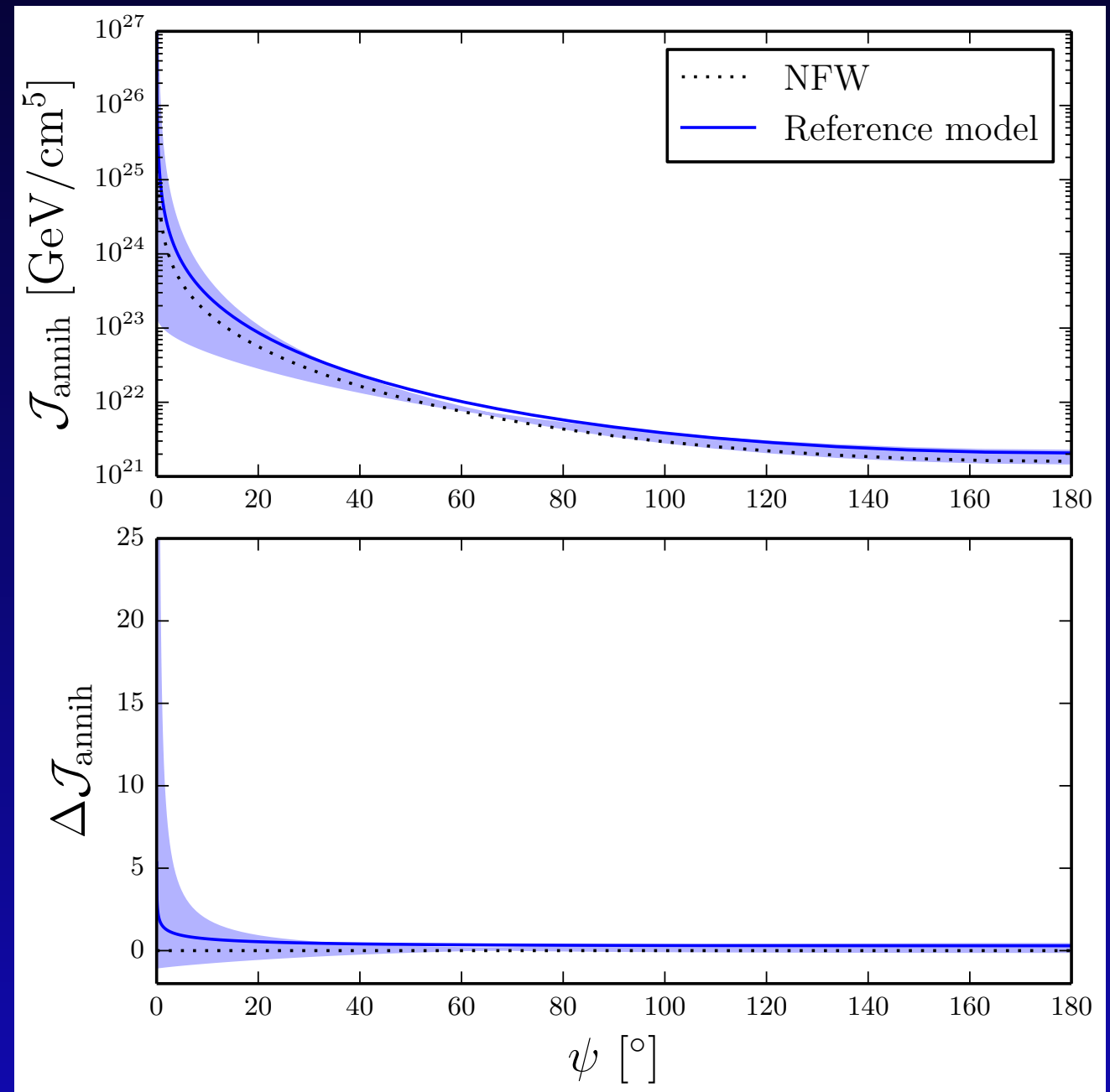
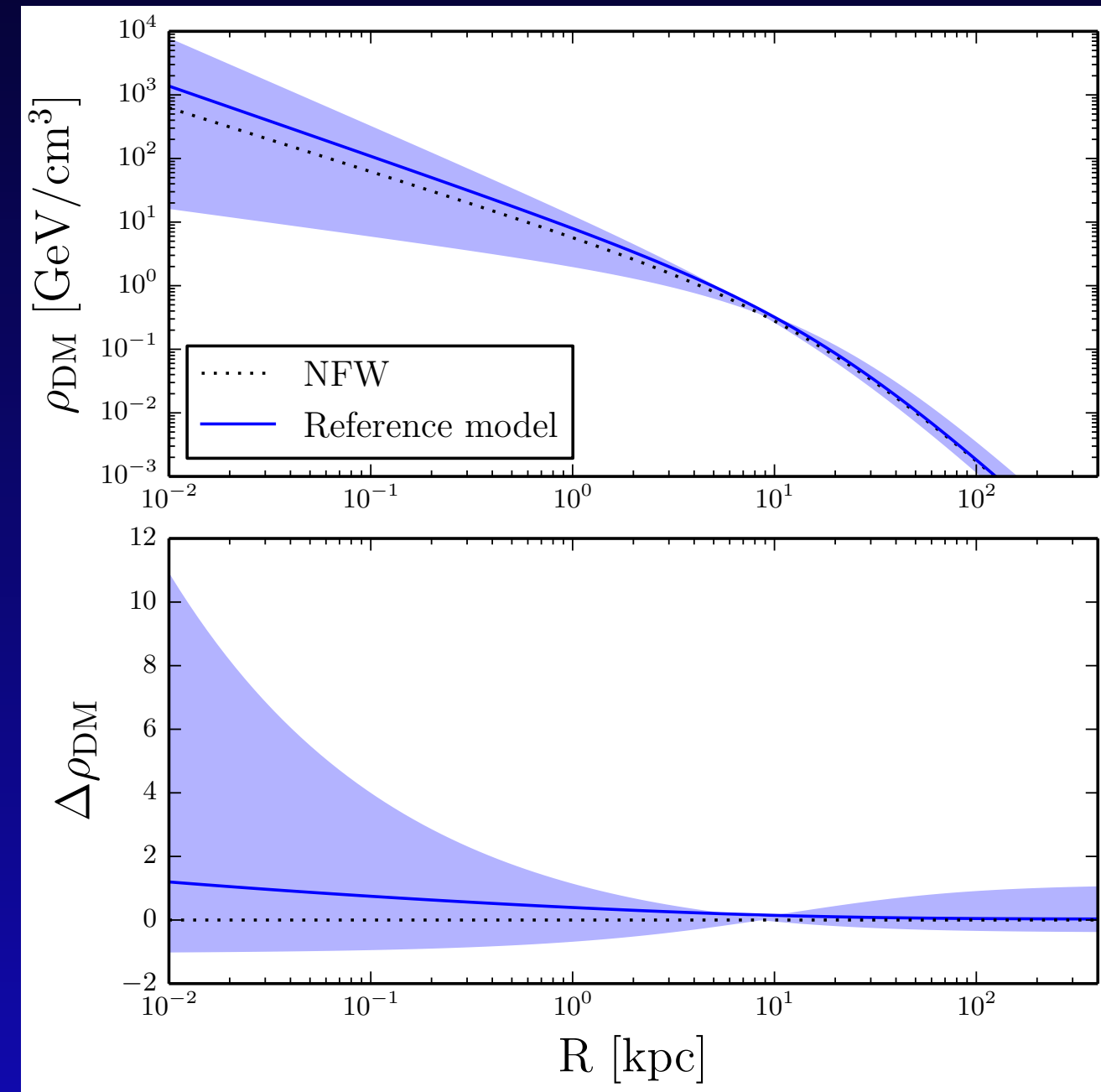
SEE TALK BY
M. YAMASHITA

SEE TALK BY
G. GELMINI

Extracting the DM density structure

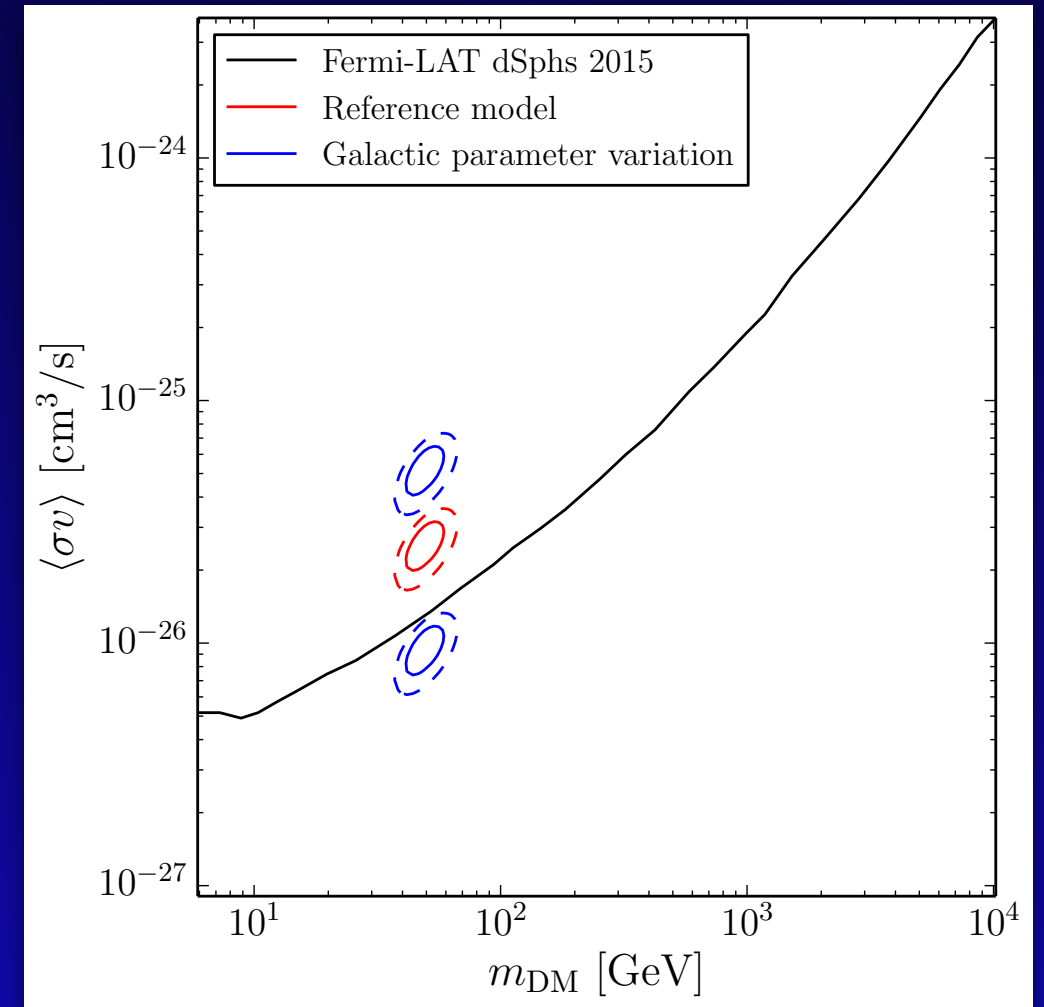
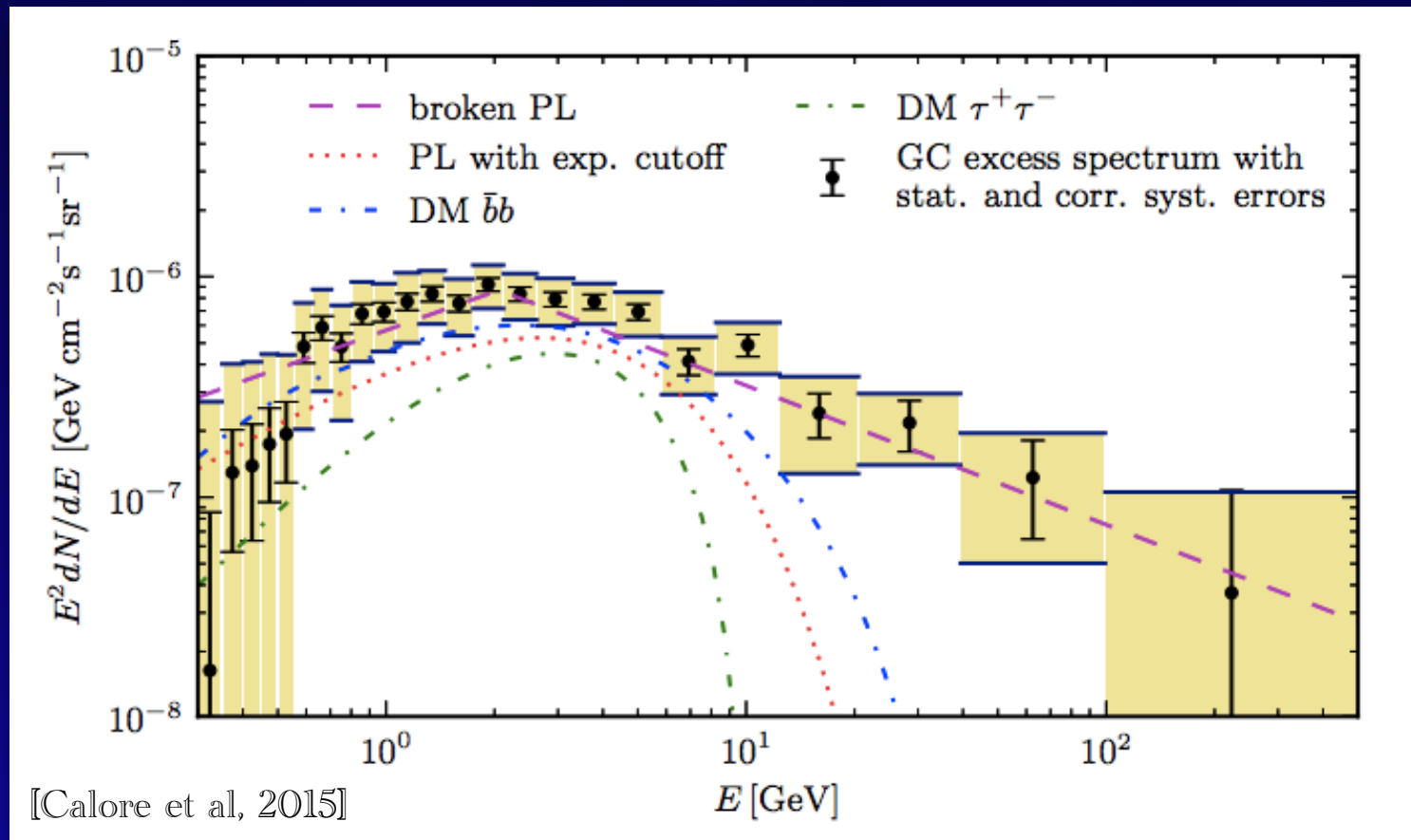


But do Galactic uncertainties affect PP, for real?

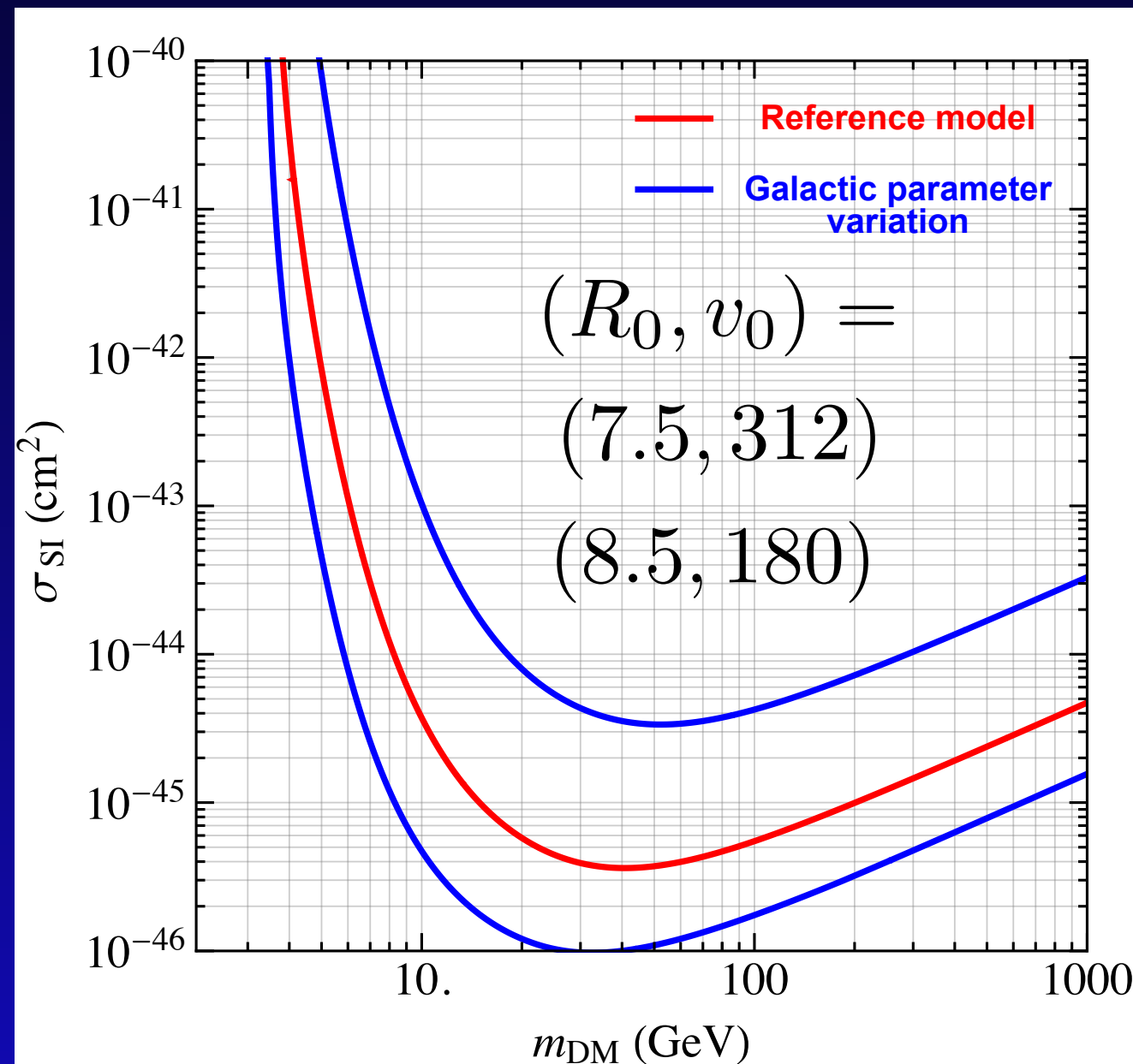


$$\mathcal{J}_{\text{annih}} \propto \int_{l_{\text{os}}} \rho^2(r) dV$$

It is well known that uncertainties affect inDirect
(some more, some less) and its interpretation



It is well known that uncertainties affect Direct Detection



Current LUX limits, but varying astrophysical uncertainties

The effect of astrophysical uncertainties on the determination of new physics

Uncertainties accounted for:

Calore analysis:

observed GC signal
(only stat. on gamma flux)

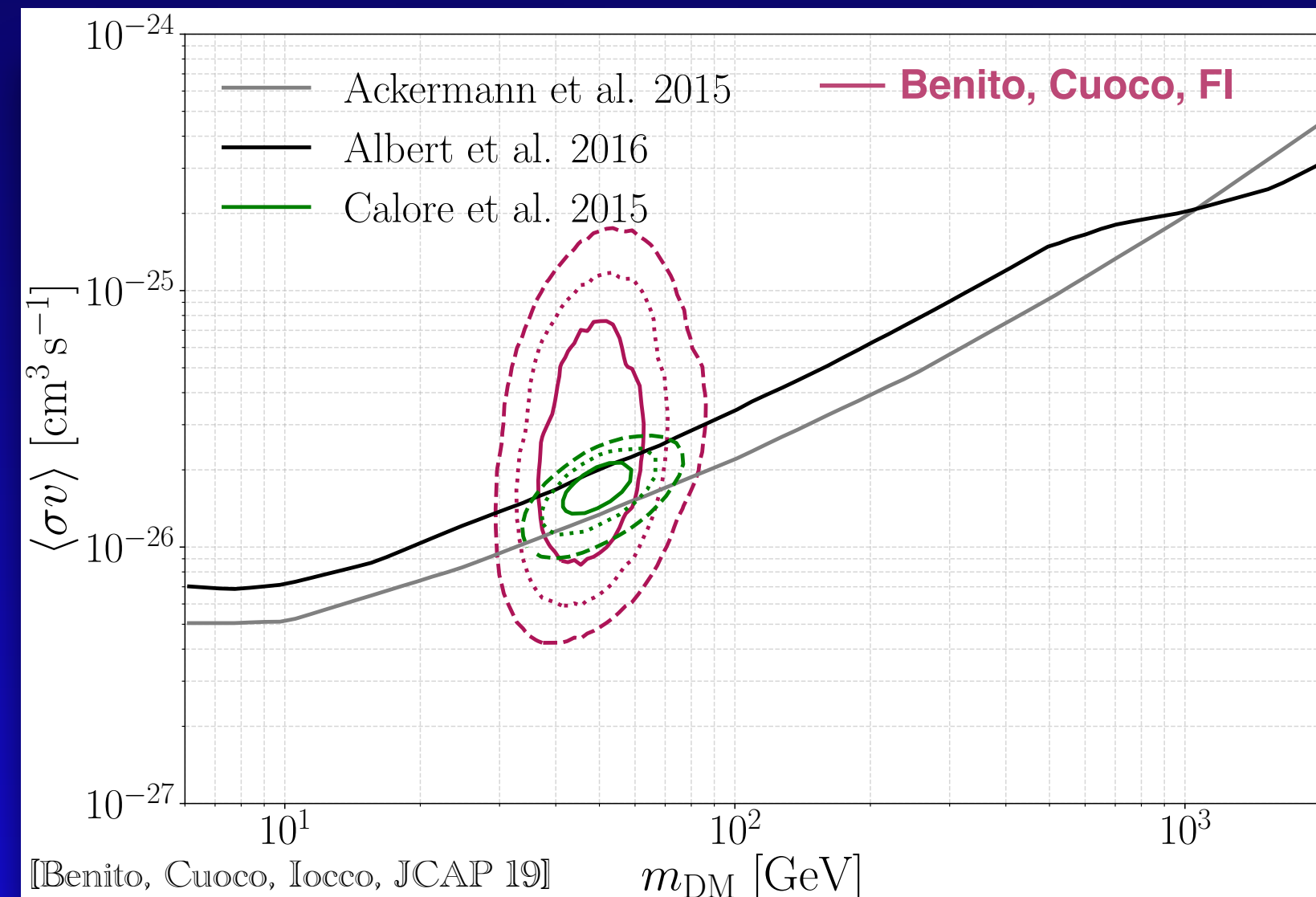
This analysis:

observed GC signal
+
DM density profile
(Gal. Param. + Morphologies + stat)

Ready-to-use likelihood publicly available @

[https://github.com/mariabenitocst/
UncertaintiesDMinTheMW](https://github.com/mariabenitocst/UncertaintiesDMinTheMW)

with Gaia-era
(R0,v0) determination,
update in progress



Let's quantify this effect in a specific case:
Singlet Scalar DM

$$V = \mu_H^2 |H|^2 + \lambda_H |H|^4 + \mu_S^2 S^2 + \lambda_S S^4 + \lambda_{HS} |H|^2 S^2$$

$$v_H = 246 \text{ GeV} \quad \langle S \rangle = 0$$

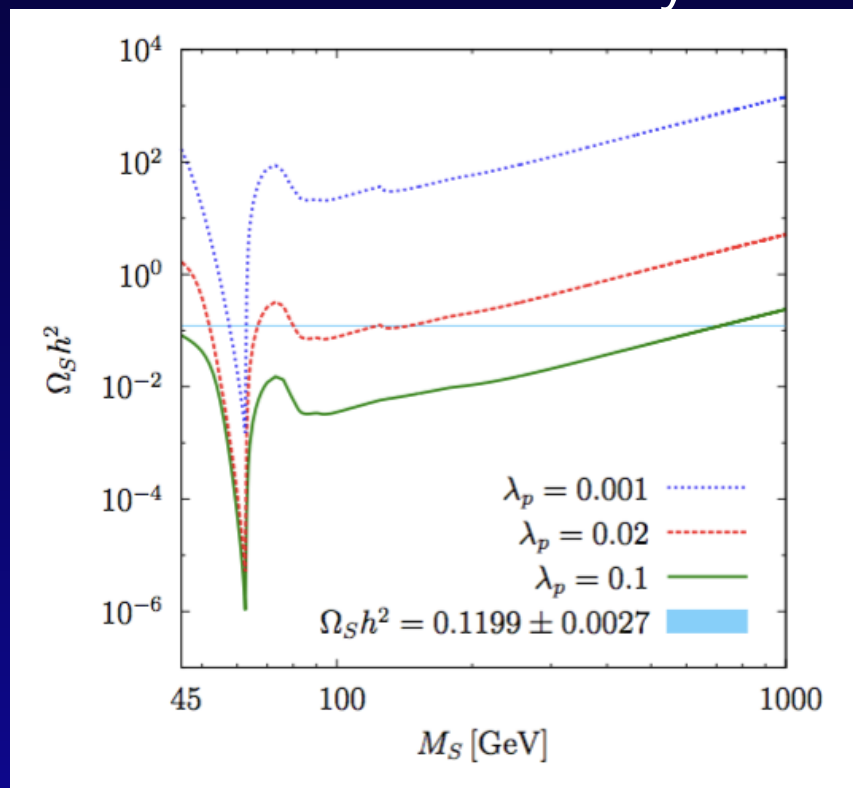
$$m_S^2 = 2\mu_S^2 + \lambda_{HS} v_H^2$$

“WIMP phenomenology” entirely dictated by the
Higgs coupling and physical DM mass.

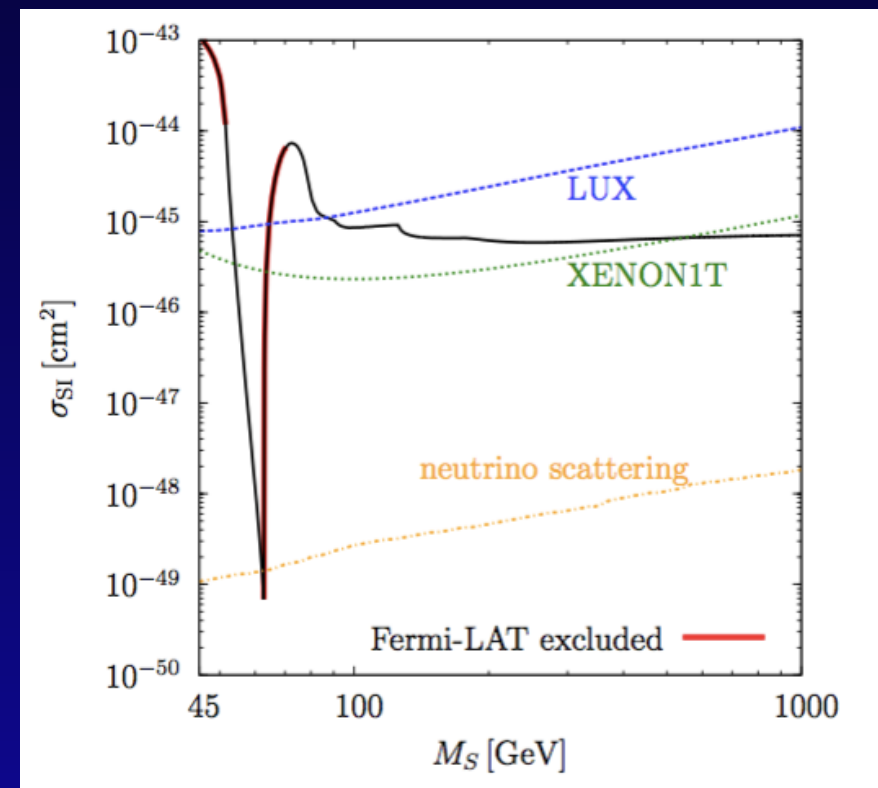
Singlet Scalar DM

Constraints and interplay of experiments

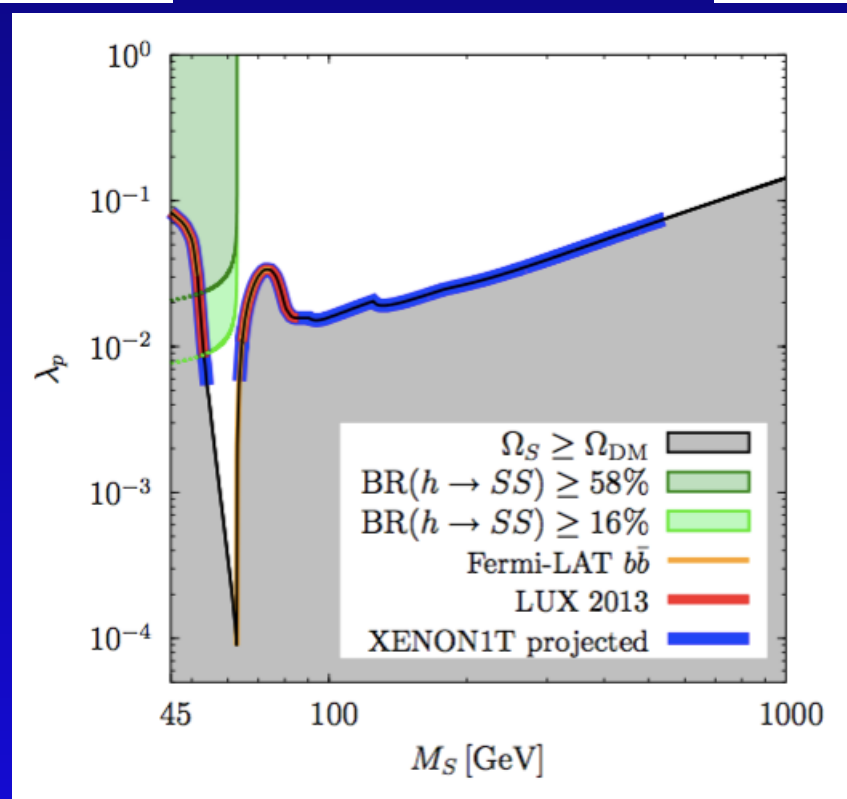
Relic density



Direct detection



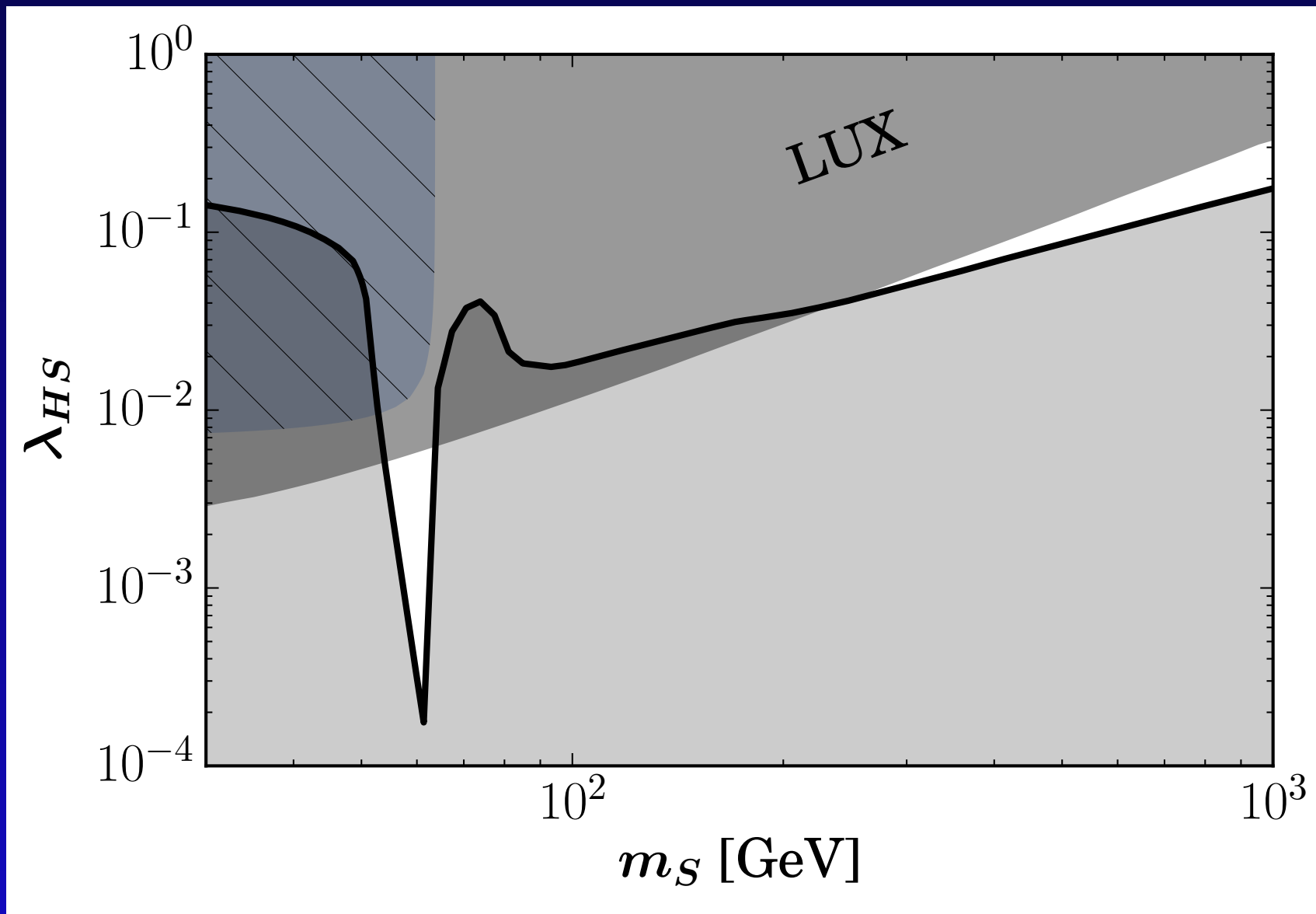
Combined



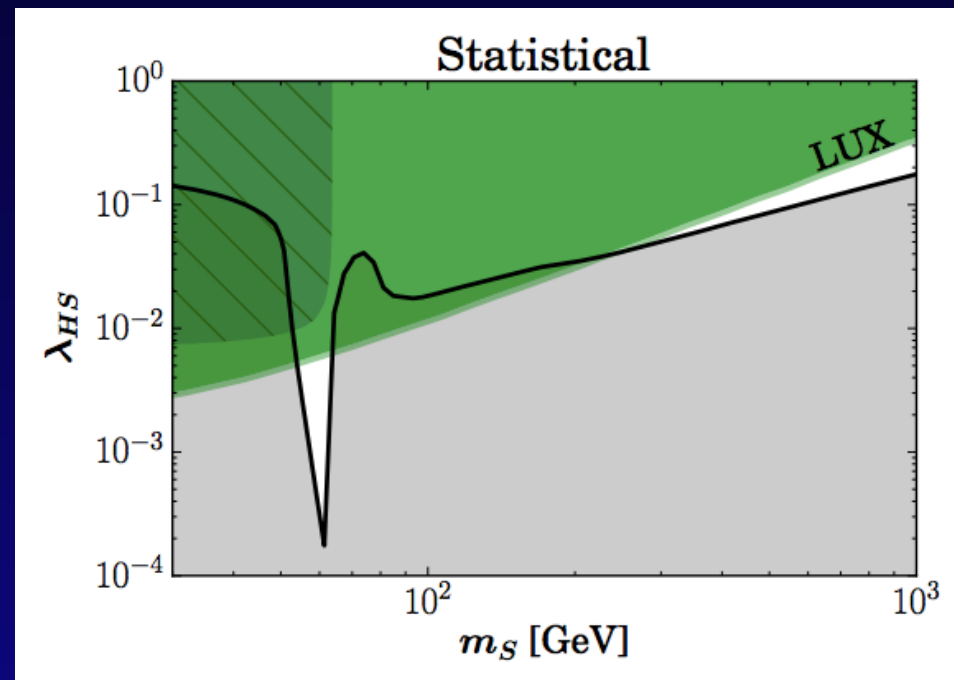
Singlet Scalar DM

Constraints and interplay of experiments

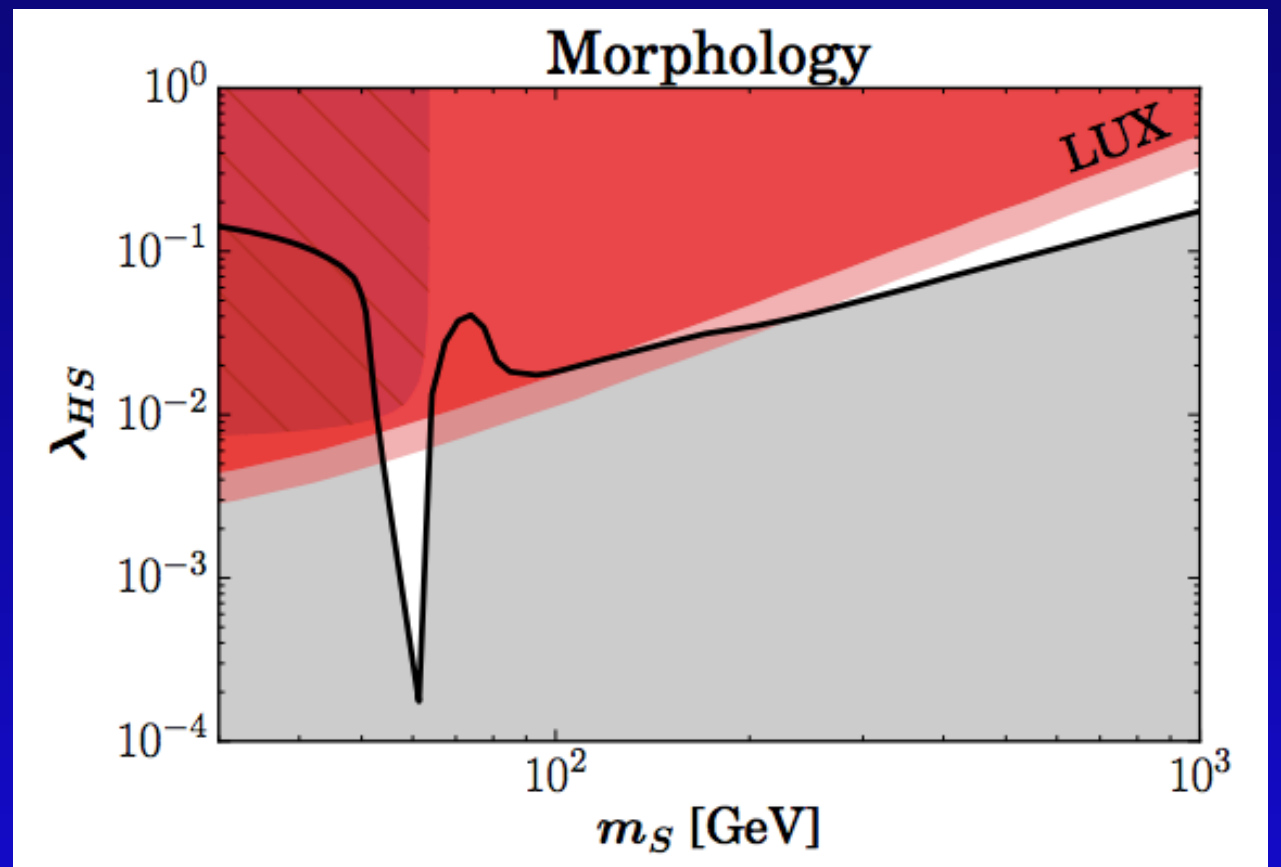
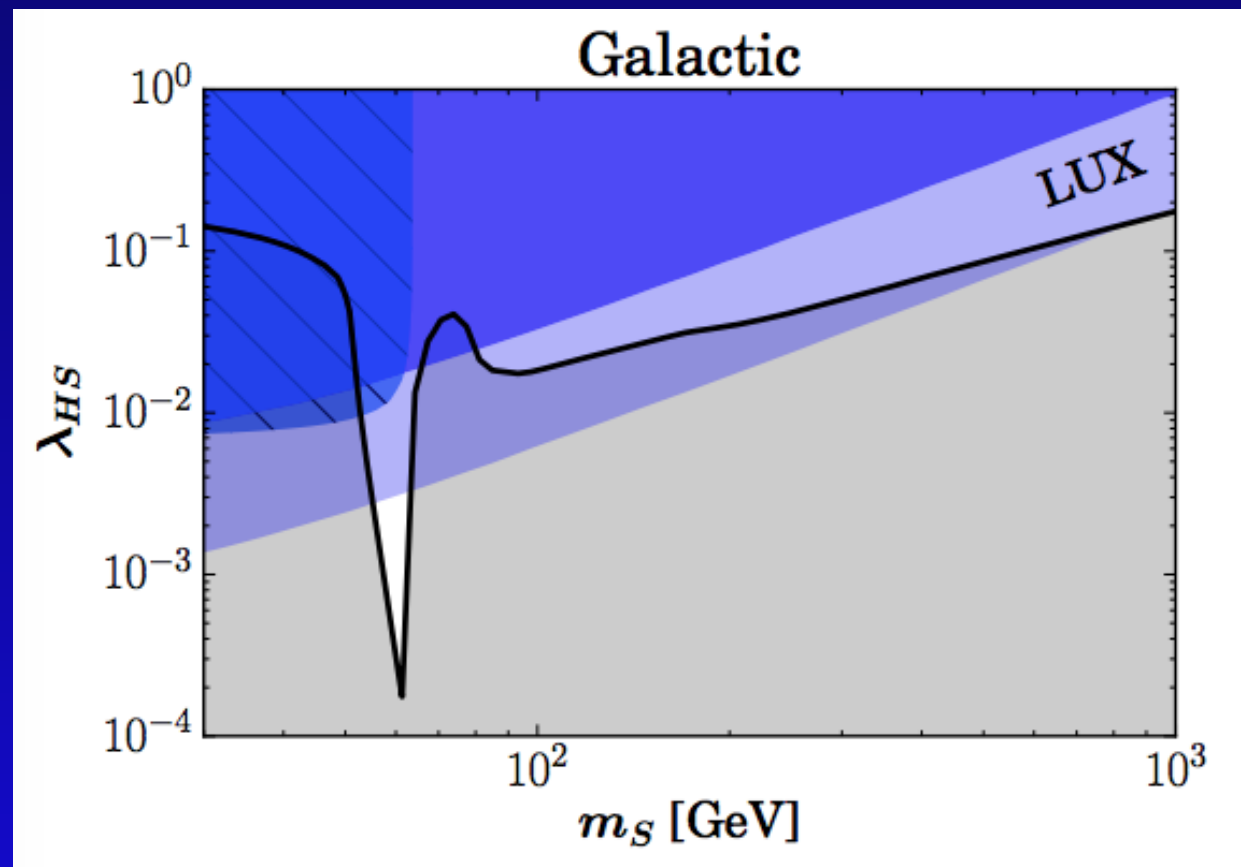
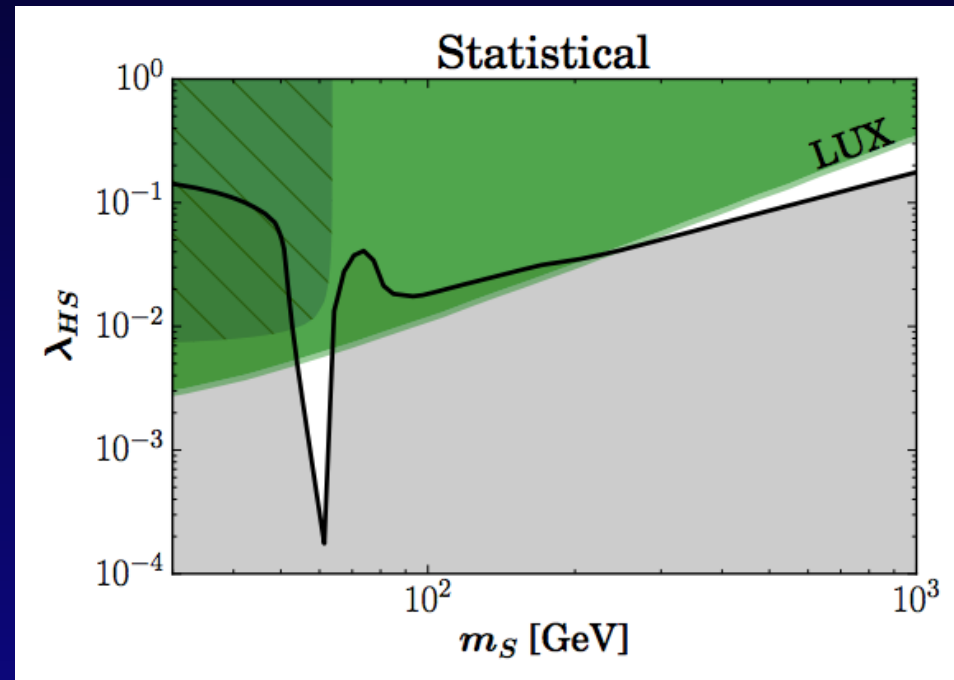
$$V = \mu_H^2 |H|^2 + \lambda_H |H|^4 + \mu_S^2 S^2 + \lambda_S S^4 + \lambda_{HS} |H|^2 S^2$$



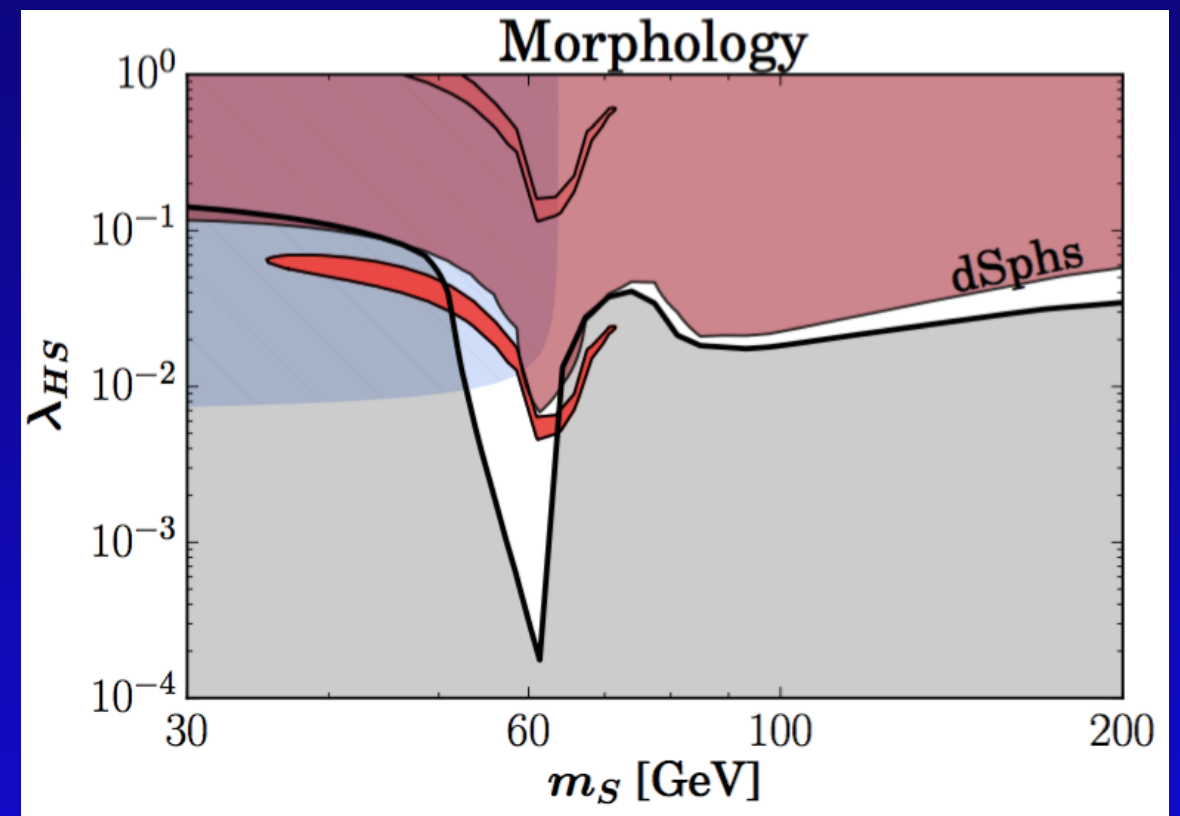
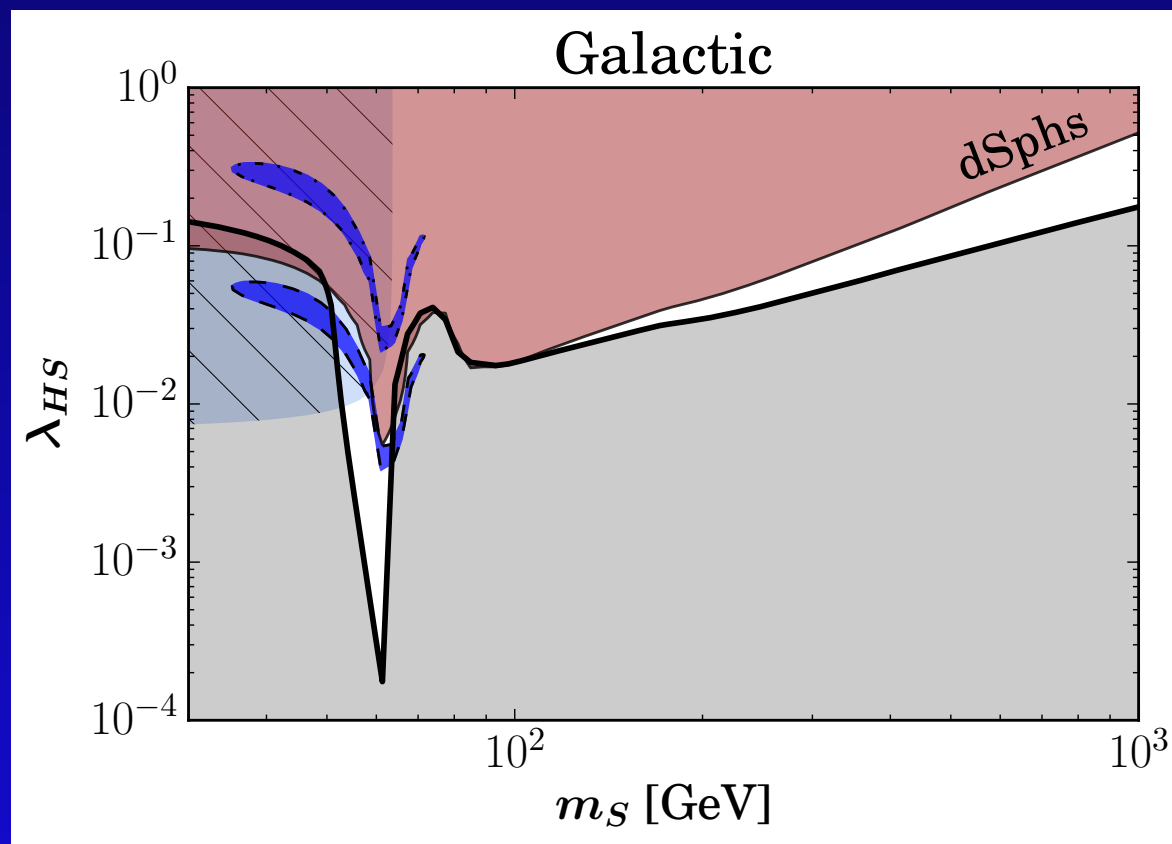
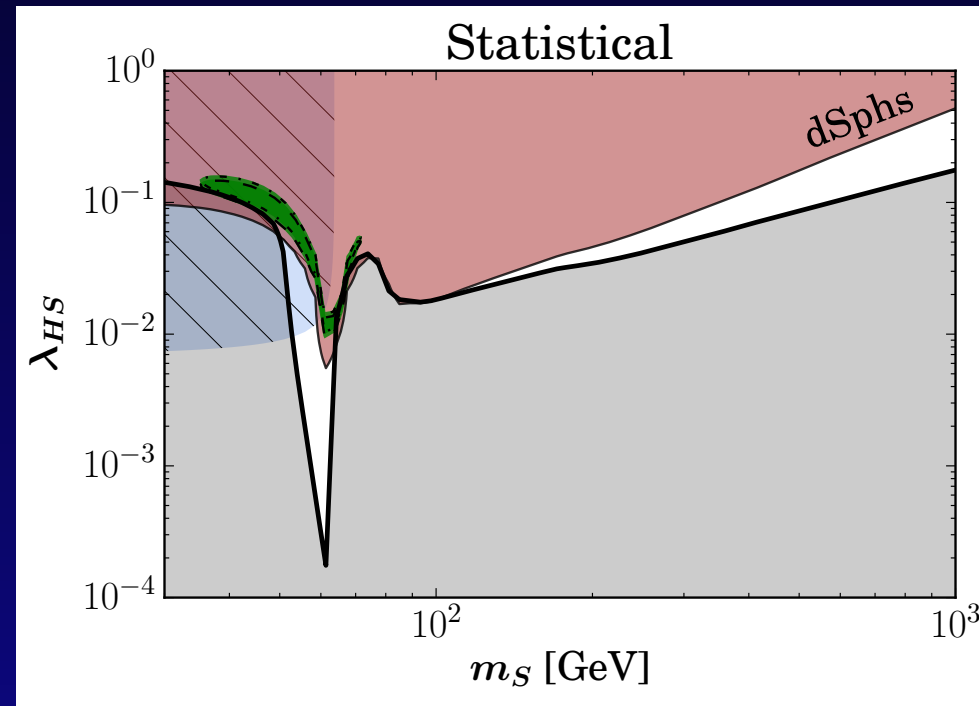
Let's look at the effect of astrophysics uncertainties: Direct Detection



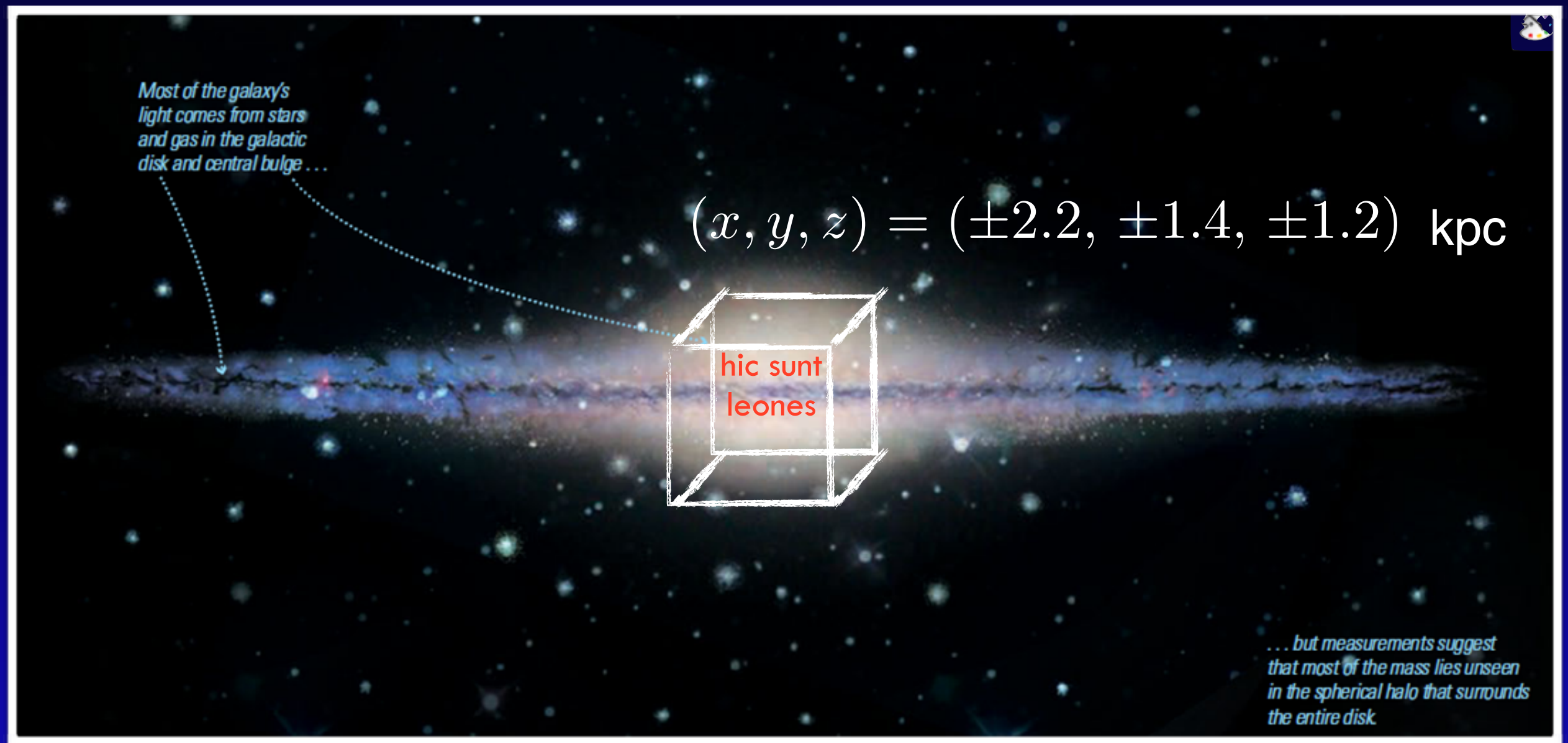
Let's look at the effect of astrophysics uncertainties: Direct Detection



Let's look at the effect of astrophysics uncertainties: Indirect Detection



Galactic Center: a beast of its own



Total mass

$$M_{total} = (1.85 \pm 0.05) \times 10^{10} M_{\odot}$$

Portail +
MNRAS 465 (2017)

Stellar mass

$$M_*^i = \int_{box} \rho_*^i(x, y, z) dV$$

[Iocco & Benito] PDU 15 (2017)

Methodology:

Allowed DM mass

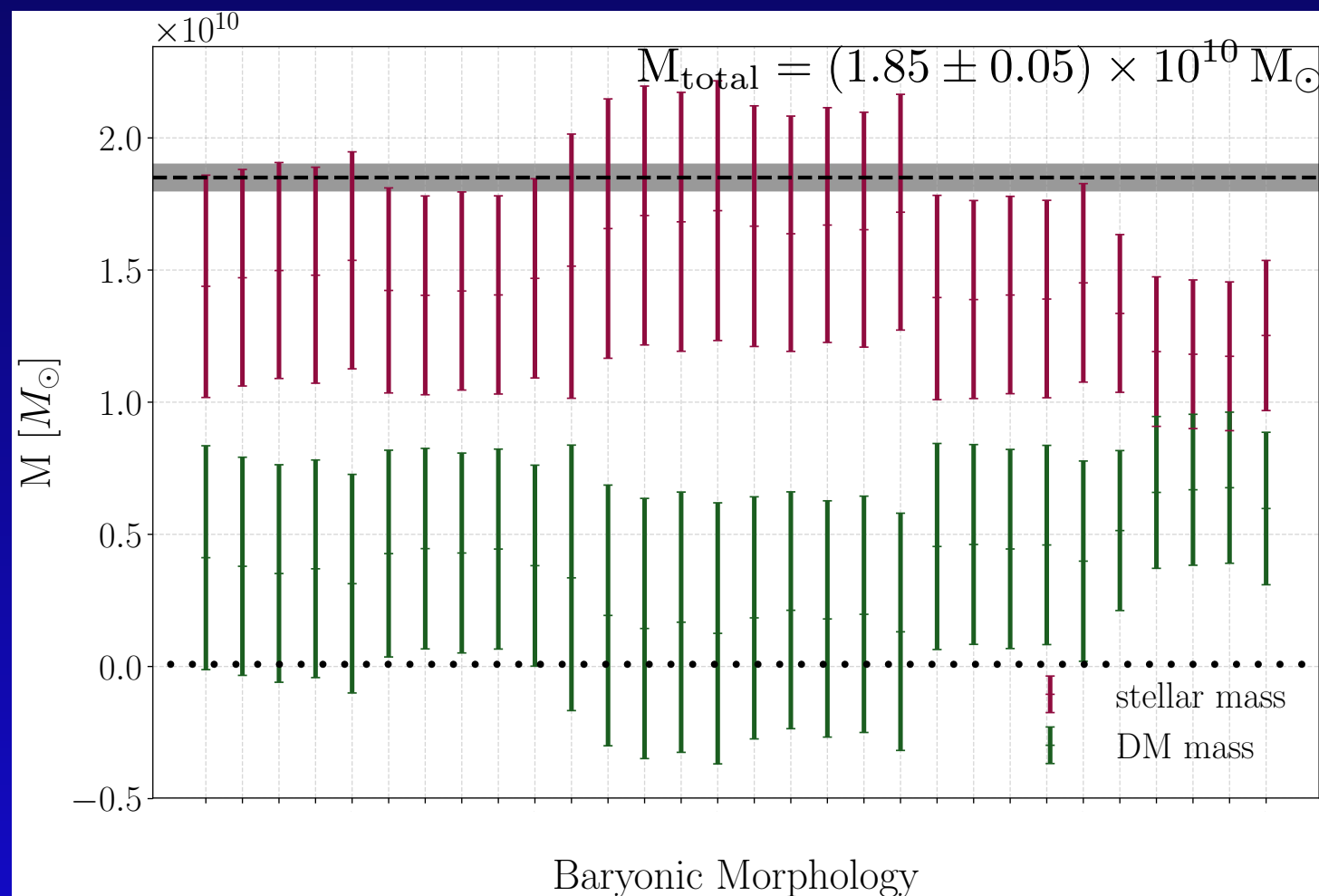
$$M_{\text{total}} - M_*^i = M_{\text{DM}}^i$$

$$\sigma_{M_{\text{DM}}} = \sqrt{\sigma_{M_{\text{total}}}^2 + \sigma_{M_*^i}^2}$$

$$M_* = (1.1 - 1.7) \times 10^{10} M_{\odot}$$

$$M_{\text{DM}} = (0.1 - 0.7) \times 10^{10} M_{\odot}$$

DM mass corresponds to 7-37%



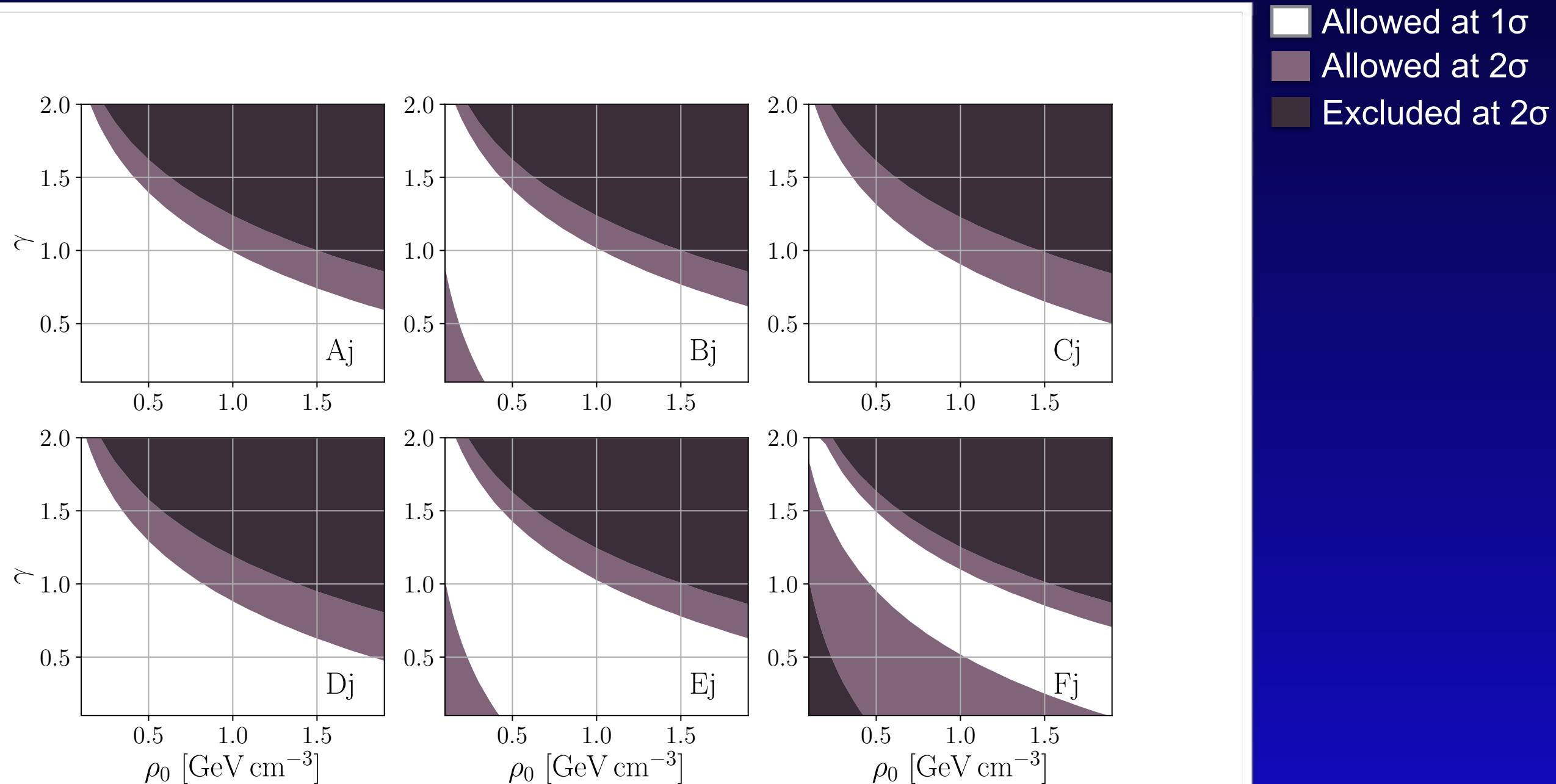
gNFW density profile

$$\rho_{\text{DM}}(r) = \rho_0 \left(\frac{R_0}{r} \right)^{\gamma} \left(\frac{R_s + R_0}{R_s + r} \right)^{3-\gamma}$$

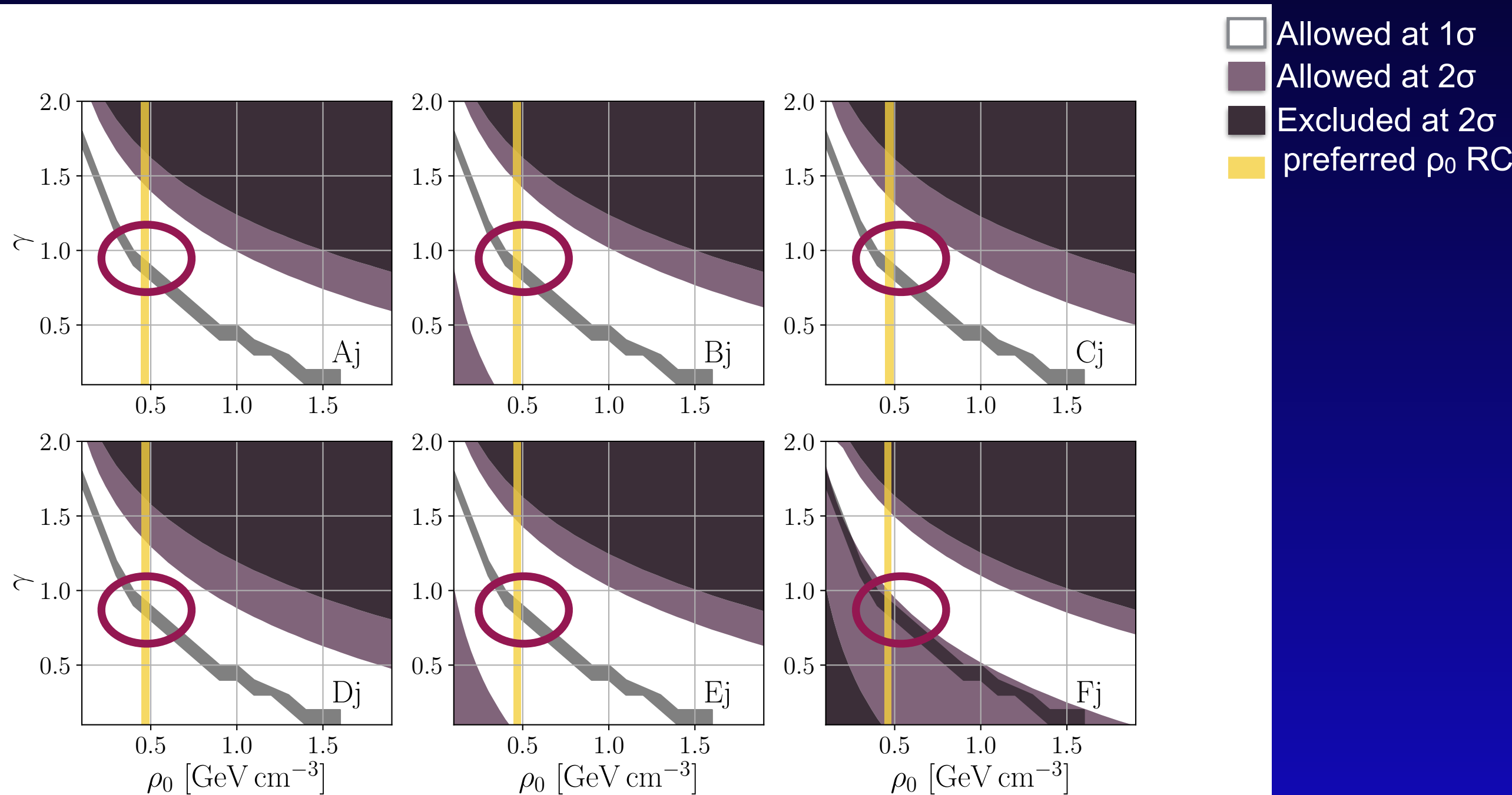
Study parameter space that gives a mass in excess or defect with respect to the allowed DM mass

Galactic Bulge Region

Results: varying bulge morphology



Galactic Bulge Region and RC curve compatibility



$$M_{\text{DM}} = (0.32 \pm 0.05) \times 10^{10} M_{\odot}$$

“the dark matter density of our model has a [...] Portail +
shallow cusp or a **core in the bulge region**” MNRAS 465 (2017)

[Iocco & Benito, 2017]
arXiv:1611.09861
(+ M. Benito's thesis)

- South American Dark Matter workshop
December 2-4, 2020

Third of a new series (2017, 2018)

www.ictp-saifr.org/DMw2018

Previous speakers included:

... Azadeh Fattahi
Graciela Gelmini
Christopher McCabe
Cecilia Scannapieco
Tomer Volansky ...



São Paulo,
Brazil
(not Rio de Janeiro!)

Organizers: I. Albuquerque, E. Bertuzzo, F. Iocco

Cuncta stricte

- Determining the local DM density from actual data is possible
- RC method is accurate and precise, in spite of large range of observational systematic and statistical uncertainties.
- Slope (i.e. full profile of MW) is not very accurate, and quite depending from several systematics. (Galactic Center region further complicated.)
- Astrophysical uncertainties are actually affecting determination of PP, in virtuous interplay with collider physics, direct and indirect probes.
- Providing a ready-to-use likelihood for PP use, including astrophysical uncertainties on DM distribution

One place among the many: home *The Milky Way*



The road to Zeus' mansion on Olympus

The sacred path of Iberian pilgrims

An average-sized 10^{12} M_{sun} spiral,

but the truth is...



The Milky Way: observed rotation curve the data: a new compilation

gas

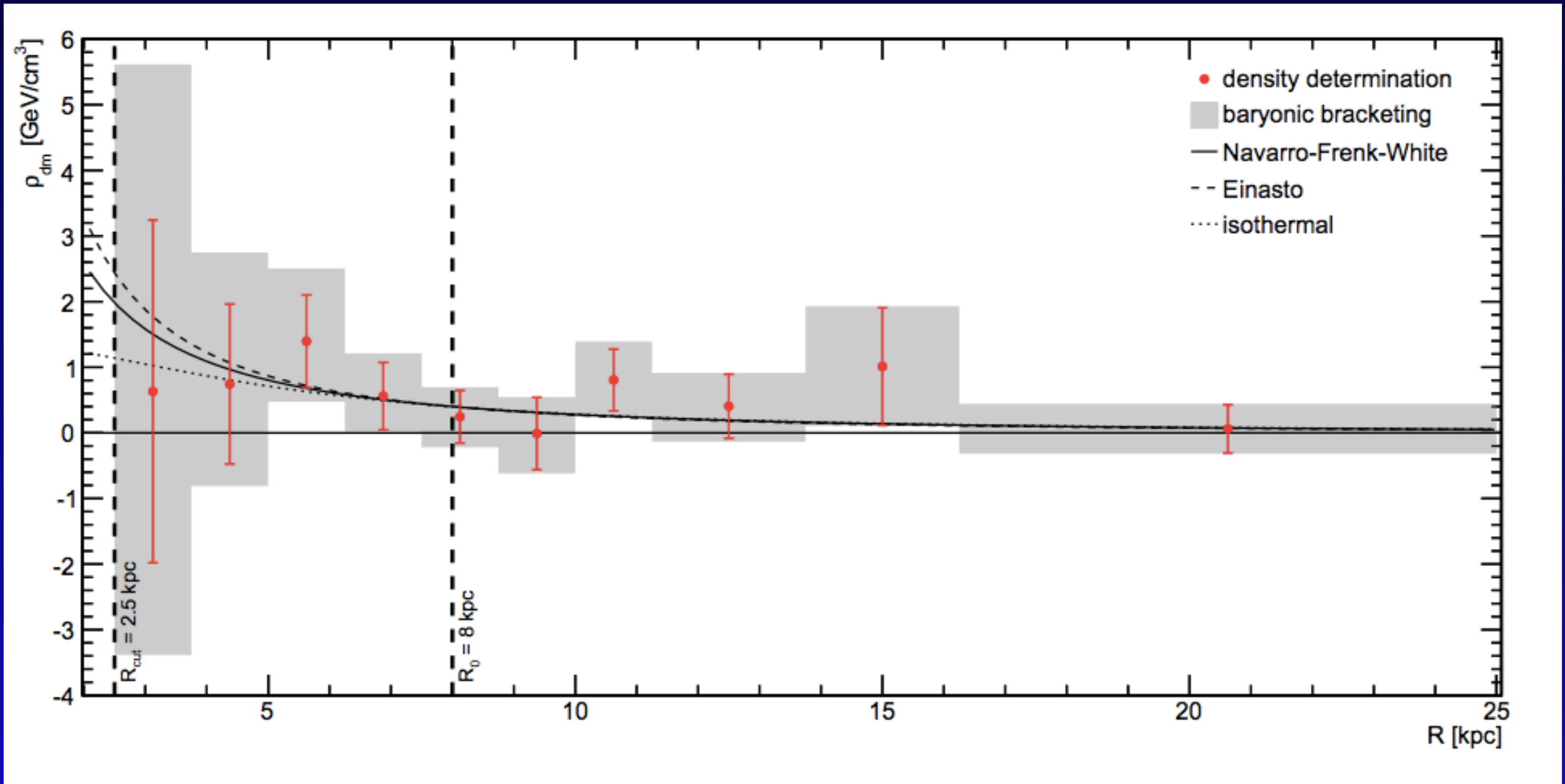
stars

masers

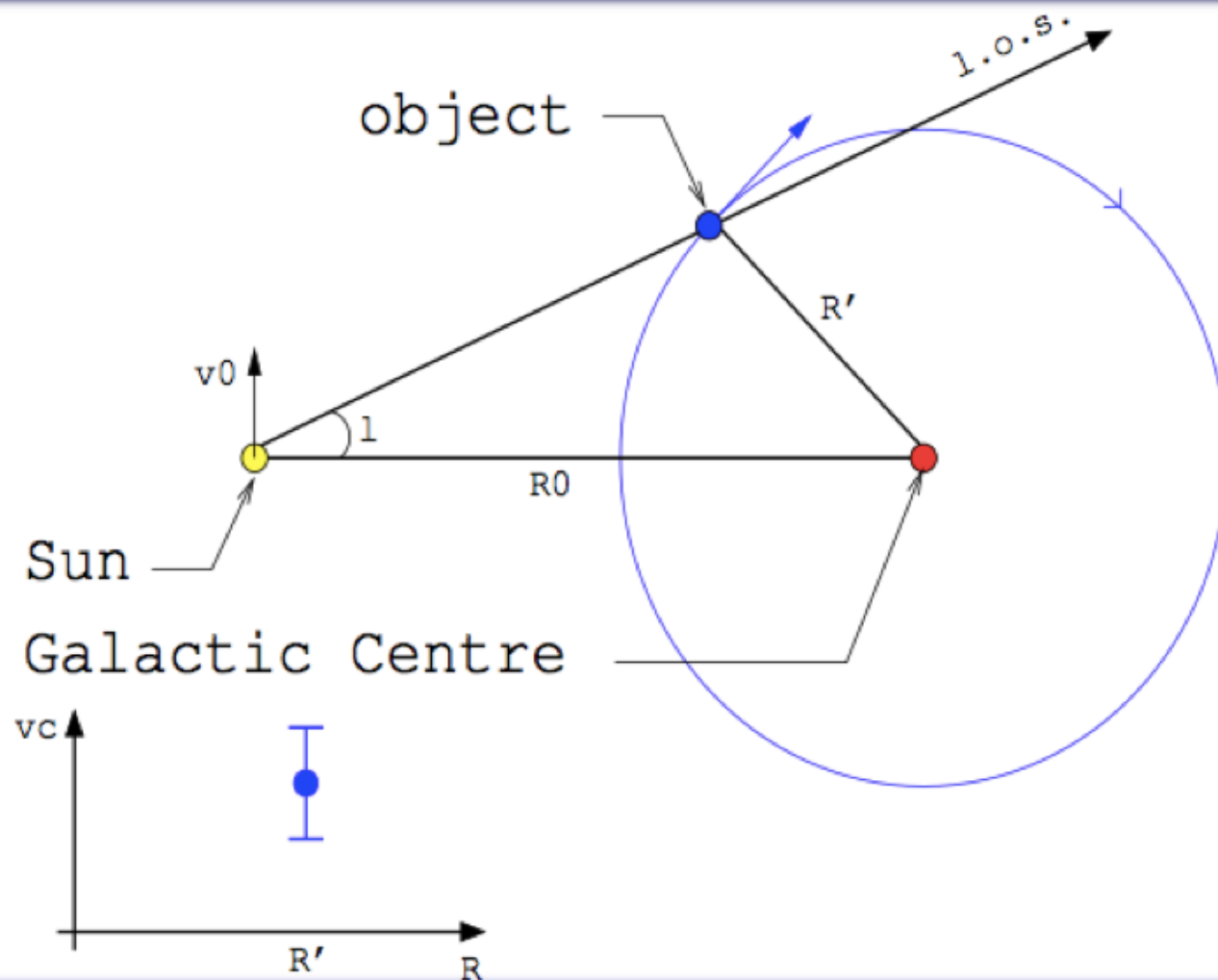
Object type	R [kpc]	quadrants	# objects
HI terminal velocities			
Fich+ '89	2.1 – 8.0	1,4	149
Malhotra '95	2.1 – 7.5	1,4	110
McClure-Griffiths & Dickey '07	2.8 – 7.6	4	701
HI thickness method			
Honma & Sofue '97	6.8 – 20.2	–	13
CO terminal velocities			
Burton & Gordon '78	1.4 – 7.9	1	284
Clemens '85	1.9 – 8.0	1	143
Knapp+ '85	0.6 – 7.8	1	37
Luna+ '06	2.0 – 8.0	4	272
HII regions			
Blitz '79	8.7 – 11.0	2,3	3
Fich+ '89	9.4 – 12.5	3	5
Turbide & Moffat '93	11.8 – 14.7	3	5
Brand & Blitz '93	5.2 – 16.5	1,2,3,4	148
Hou+ '09	3.5 – 15.5	1,2,3,4	274
giant molecular clouds			
Hou+ '09	6.0 – 13.7	1,2,3,4	30
open clusters			
Frinchaboy & Majewski '08	4.6 – 10.7	1,2,3,4	60
planetary nebulae			
Durand+ '98	3.6 – 12.6	1,2,3,4	79
classical cepheids			
Pont+ '94	5.1 – 14.4	1,2,3,4	245
Pont+ '97	10.2 – 18.5	2,3,4	32
carbon stars			
Demers & Battinelli '07	9.3 – 22.2	1,2,3	55
Battinelli+ '13	12.1 – 24.8	1,2	35
masers			
Reid+ '14	4.0 – 15.6	1,2,3,4	80
Honma+ '12	7.7 – 9.9	1,2,3,4	11
Stepanishchev & Bobylev '11	8.3	3	1
Xu+ '13	7.9	4	1
Bobylev & Bajkova '13	4.7 – 9.4	1,2,4	7

“Mom look, no hands!”

A non-parametric reconstruction of the DM profile



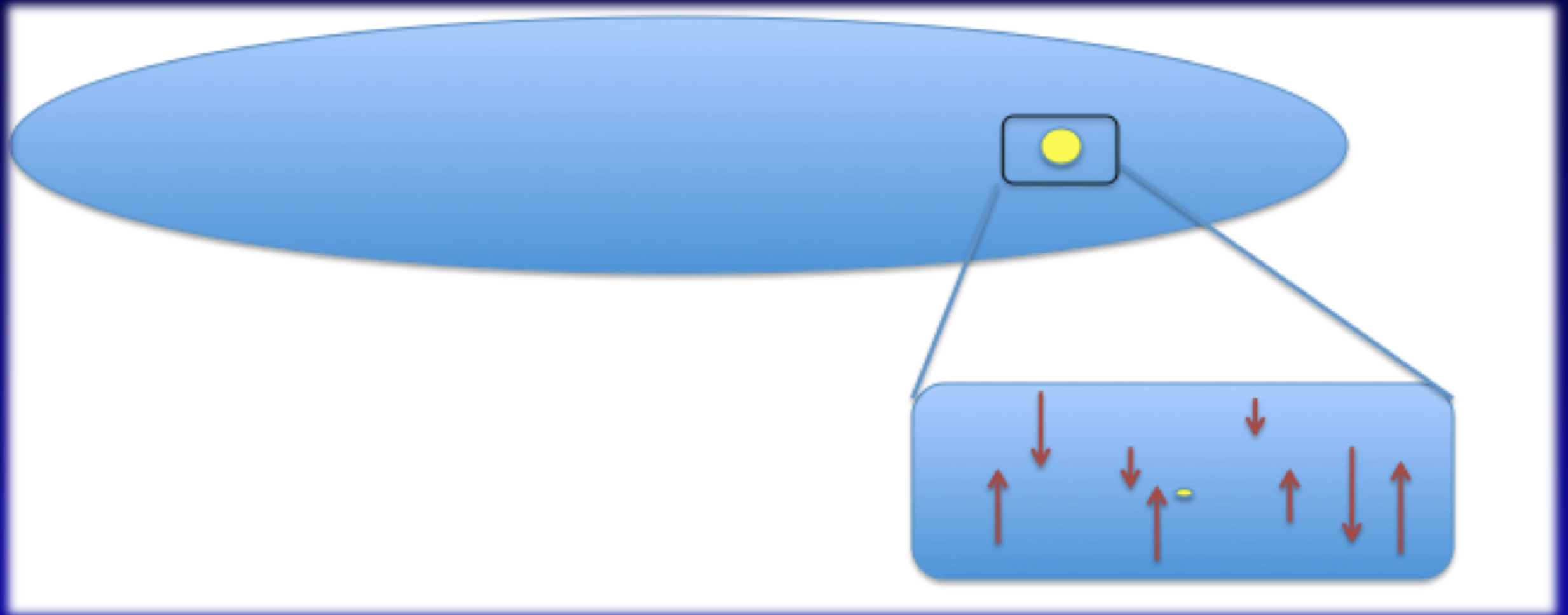
The Milky Way: observed rotation curve I. principles



$$v_{\text{LSR}}^{\text{l.o.s.}} = \left(\frac{v_c(R')}{R'/R_0} - v_0 \right) \cos b \sin \ell$$

observing tracers from our own position,
transforming into GC-centric reference frame

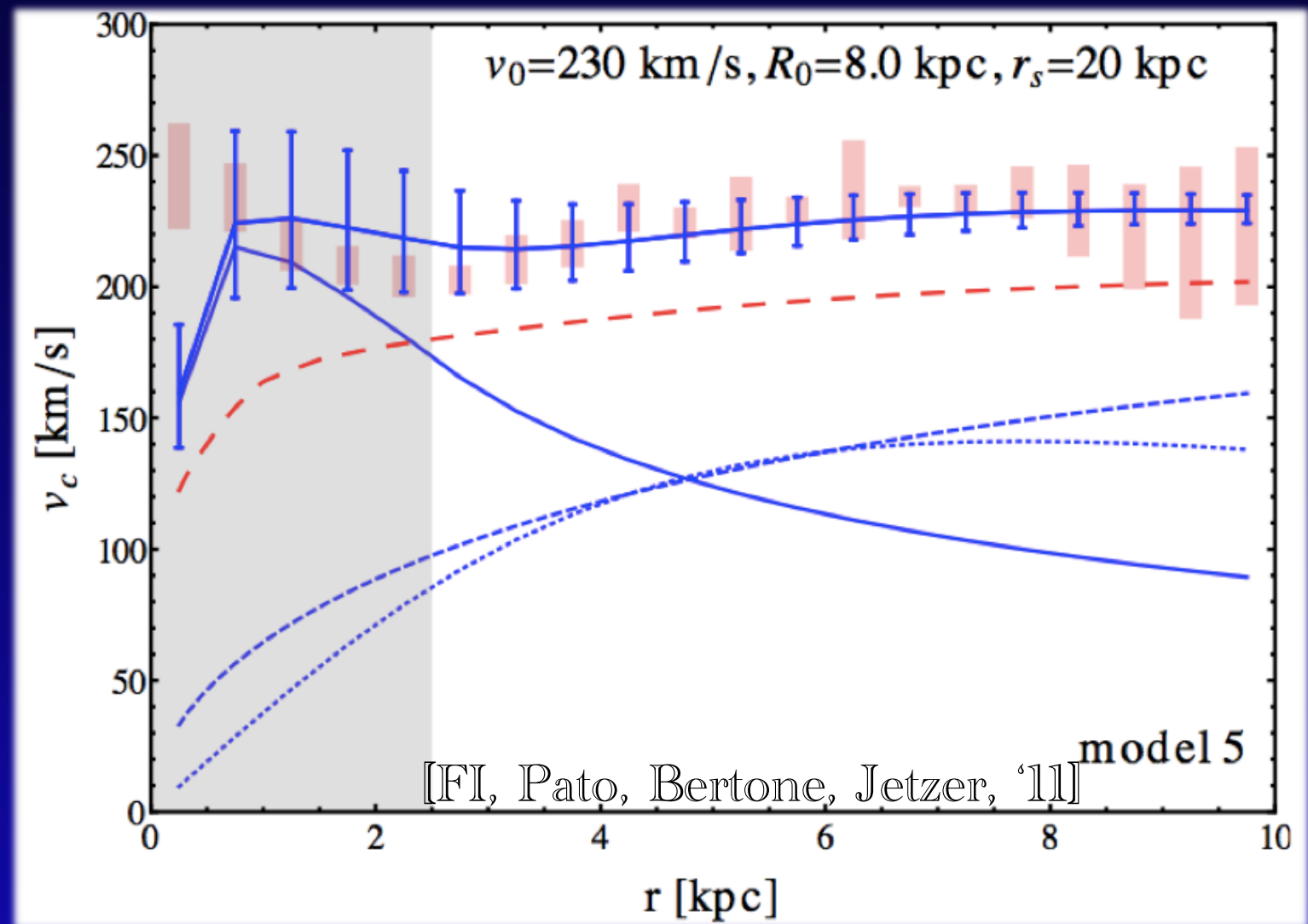
Local determination of ρ_0



Vertical motion of stars, determining the whole local potential

Global determination of $\rho(r)$

Fitting a DM profile to the Rotation Curve, on top of other components



$$\phi_{\text{tot}} = \phi_{\text{bulge}} + \phi_{\text{disk}} + \phi_{\text{gas}} + \phi_{\text{dm}}$$

Underlying assumption on DM presence and distribution shape

The Milky Way: observed rotation curve IV. public tool: galkin

```
#####  
# galkin, version 1.0, by Miguel Pato and Fabio Iocco.  
# Last update: MP 02 Jul 2015.  
#####  
# A tool to handle the available data on the rotation curve of the Milky Way.  
#####
```

Customizable galactic parameters
(R_0, V_0)
peculiar motions, etc...

Finally available:
download your copy now

github.com/galkintool/galkin

[Pato & FI, arXivV:1703.00020 , Software X (2017)]

The screenshot shows a window titled "enter input parameters" for the "galkin" tool. It is divided into two main sections: "galactic parameters" and "data to use".

galactic parameters

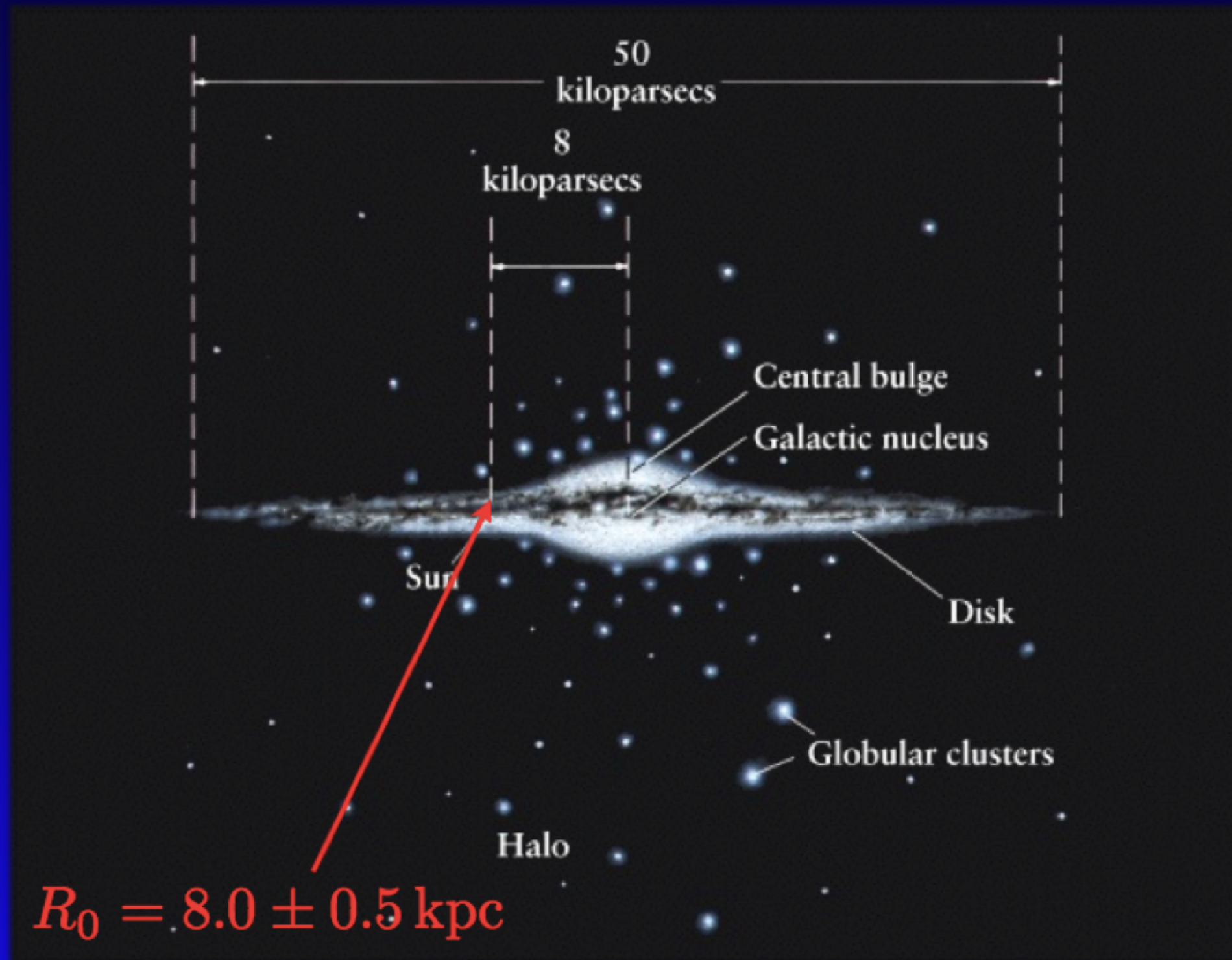
R0 [kpc]=	8.0	V0 [km/s]=	230.0	syst [km/s]=	0.0
Usun [km/s]=	11.10	Vsun [km/s]=	12.24	Wsun [km/s]=	07.25

data to use

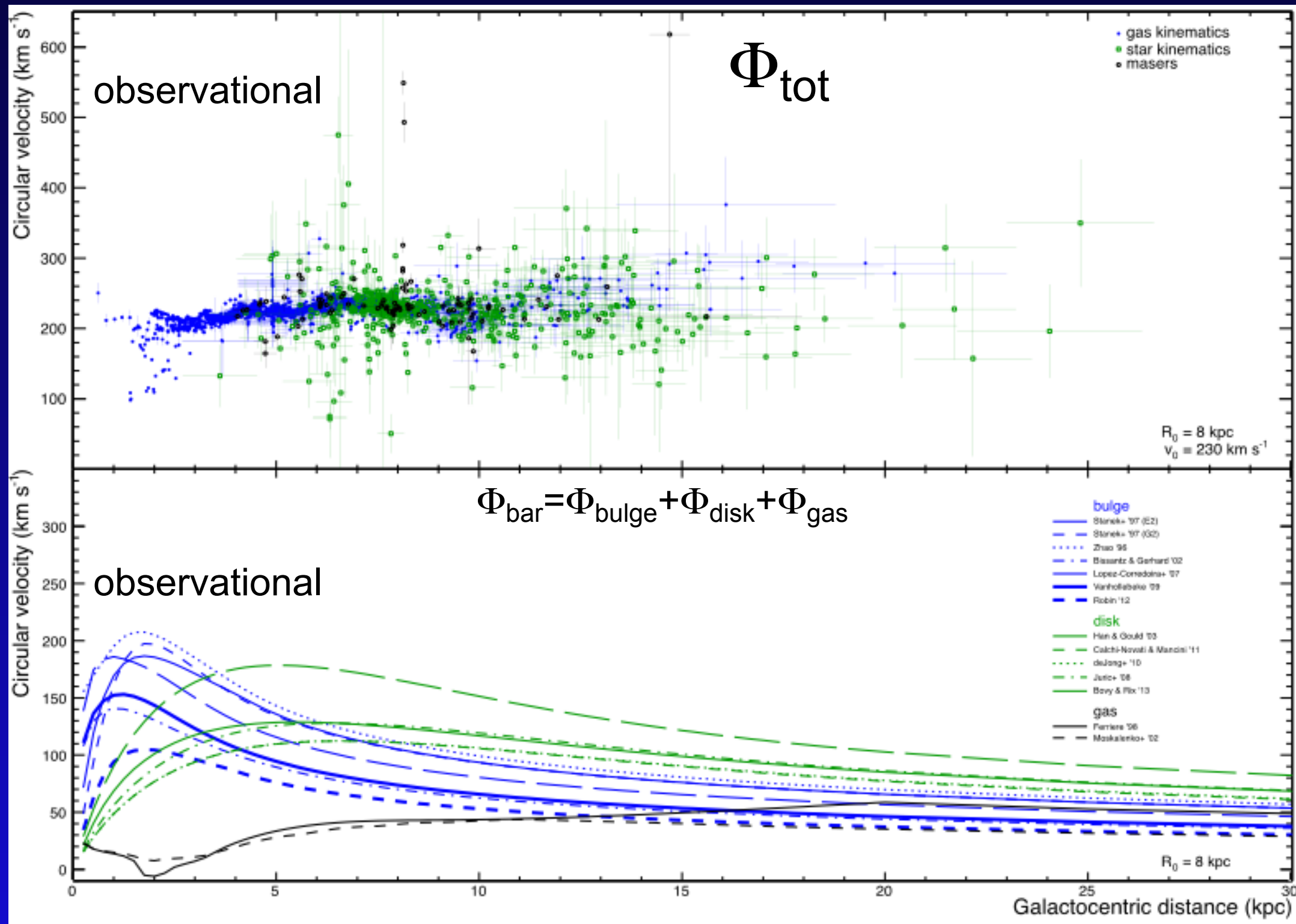
<input checked="" type="checkbox"/> HI terminal velocities <ul style="list-style-type: none"><input checked="" type="checkbox"/> Fich+ 89 (Table 2)<input checked="" type="checkbox"/> Malhotra 95<input checked="" type="checkbox"/> McClure-Griffiths & Dickey 07 <input checked="" type="checkbox"/> HI thickness <ul style="list-style-type: none"><input checked="" type="checkbox"/> Honma & Sofue 97 <input checked="" type="checkbox"/> CO terminal velocities <ul style="list-style-type: none"><input checked="" type="checkbox"/> Burton & Gordon 78<input checked="" type="checkbox"/> Clemens 85<input checked="" type="checkbox"/> Knapp+ 85<input checked="" type="checkbox"/> Luna+ 06 <input checked="" type="checkbox"/> HII regions <ul style="list-style-type: none"><input checked="" type="checkbox"/> Blitz 79<input checked="" type="checkbox"/> Fich+ 89 (Table 1)<input checked="" type="checkbox"/> Turbide & Moffat 93<input checked="" type="checkbox"/> Brand & Blitz 93<input checked="" type="checkbox"/> Hou+ 09 (Table A1) <input checked="" type="checkbox"/> giant molecular clouds <ul style="list-style-type: none"><input checked="" type="checkbox"/> Hou+ 09 (Table A2)	<input checked="" type="checkbox"/> open clusters <ul style="list-style-type: none"><input checked="" type="checkbox"/> Frinchaboy & Majewski 08 <input checked="" type="checkbox"/> planetary nebulae <ul style="list-style-type: none"><input checked="" type="checkbox"/> Durand+ 98 <input checked="" type="checkbox"/> classical cepheids <ul style="list-style-type: none"><input checked="" type="checkbox"/> Pont+ 94<input checked="" type="checkbox"/> Pont+ 97 <input checked="" type="checkbox"/> carbon stars <ul style="list-style-type: none"><input checked="" type="checkbox"/> Demers & Battinelli 07<input checked="" type="checkbox"/> Battinelli+ 12 <input checked="" type="checkbox"/> masers <ul style="list-style-type: none"><input checked="" type="checkbox"/> Reid+ 14<input checked="" type="checkbox"/> Honma+ 12<input checked="" type="checkbox"/> Stepanishchev & Bobylev 11<input checked="" type="checkbox"/> Xu+ 13<input checked="" type="checkbox"/> Bobylev & Bajkova 13
---	--

OK

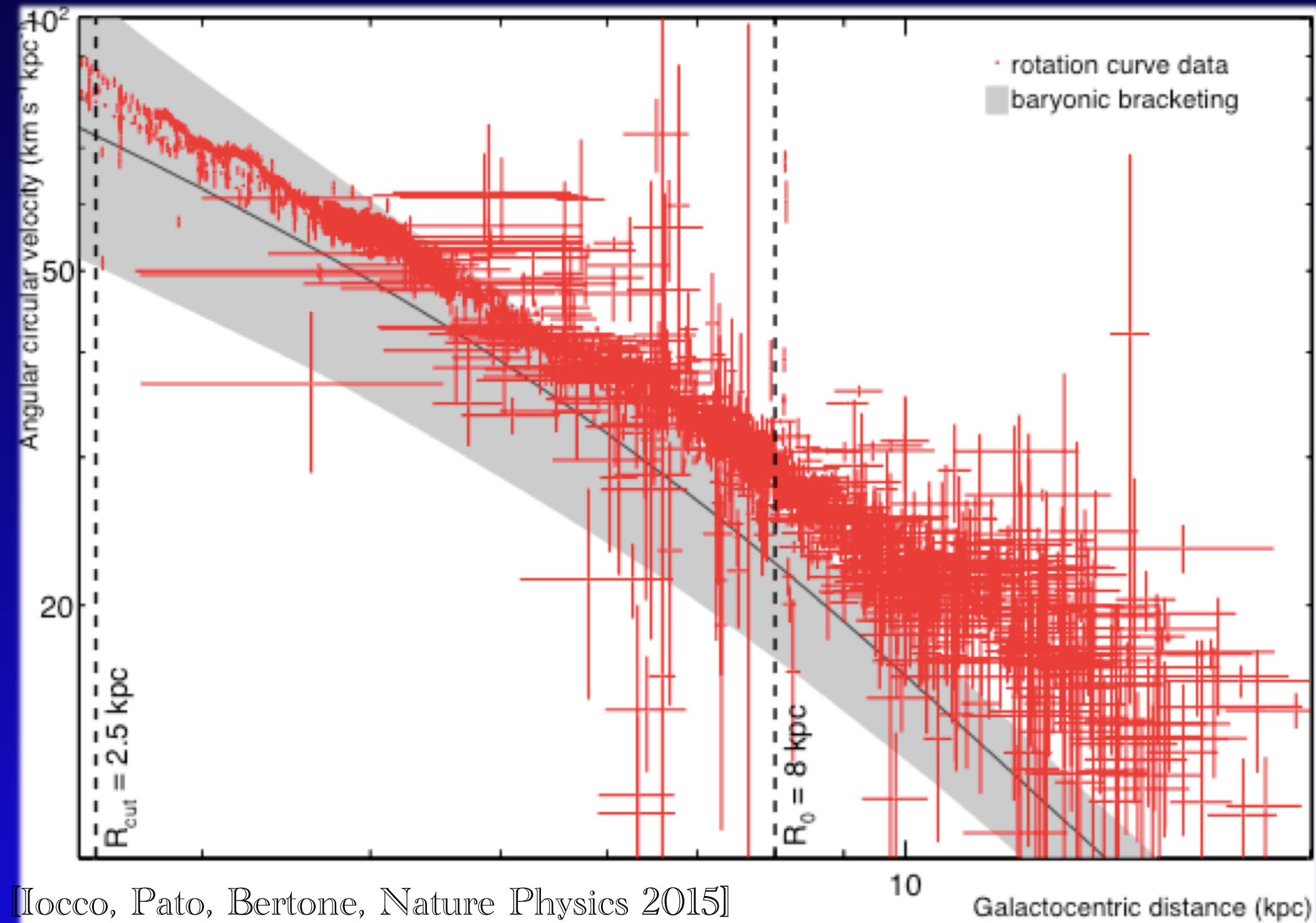
Modeling the Milky Way: morphological observations



The Milky Way: testing expectations



The Milky Way: testing expectations (with no additional assumption) ((and some technical detail))



$$\omega = V_c / R_c$$

Uncorrelated
uncertainties

$R_0 = 8 \text{ kpc}$
 $V_0 = 230 \text{ km/s}$

The Milky Way:
testing expectations
(with no additional assumptions)
((and some technical detail))

- Computing the “badness-of-fit” (discrepancy) of each baryon rot. curve (no DM!!) to observed one
- One COULD bin (and we have done it) but loss of information: using 2D chi-square (uncertainties on R, as well)

$$\chi^2 = \sum_{i=1}^N d_i^2 \equiv \sum_{i=1}^N \left[\frac{(y_i - y_{b,i})^2}{\sigma_{y,i}^2} + \frac{(x_i - x_{b,i})^2}{\sigma_{x,i}^2} \right]$$

The case of the Milky Way: the question

$$\Phi_{\text{tot}} = \Phi_{\text{bulge}} + \Phi_{\text{disk}} + \Phi_{\text{gas}} \quad ??$$

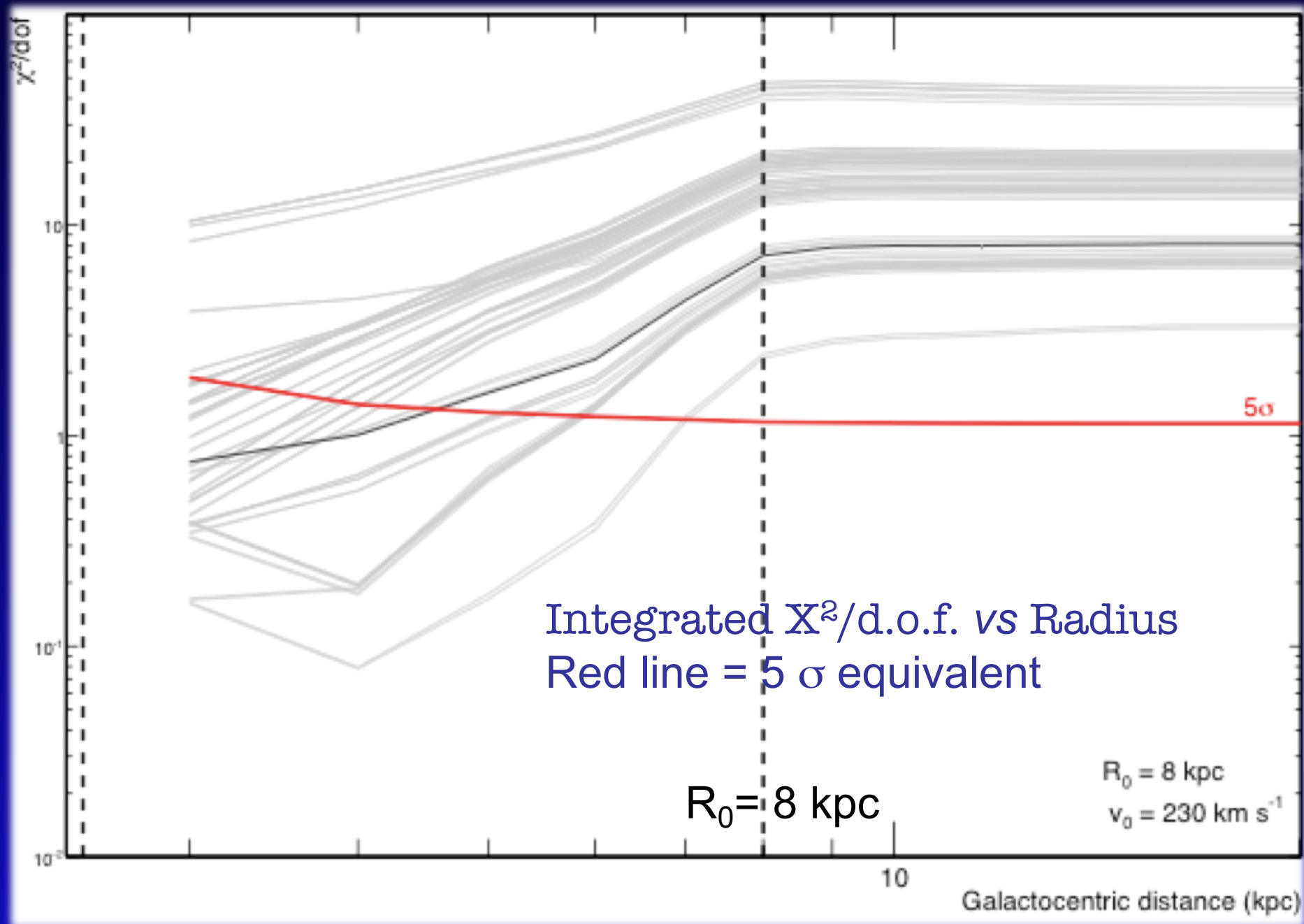
[can the observed, luminous components make up to the whole gravitational potential?]

$$v_c^2 = r \frac{d\phi_{\text{tot}}}{dr}$$

Rotation curve as a tracer of the total potential

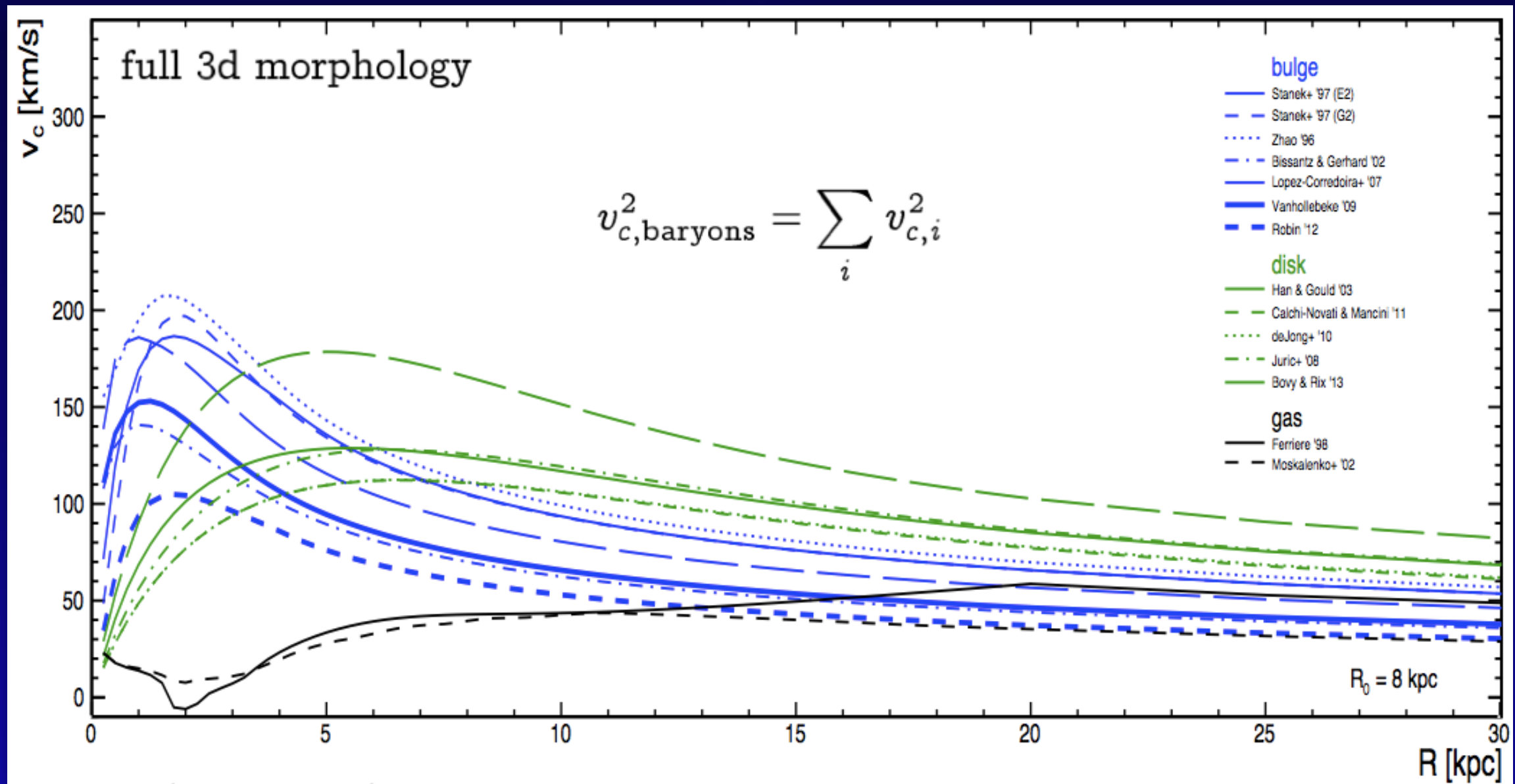
...and if not...

Do the baryon-only curves fit with the observed RC?



Answer is NO:
Every single model above 5σ , already at $R < R_0$!!

There's more than you are usually told:
 visible morphology is uncertain
 (and don't forget the dependence on Gal Parameters)



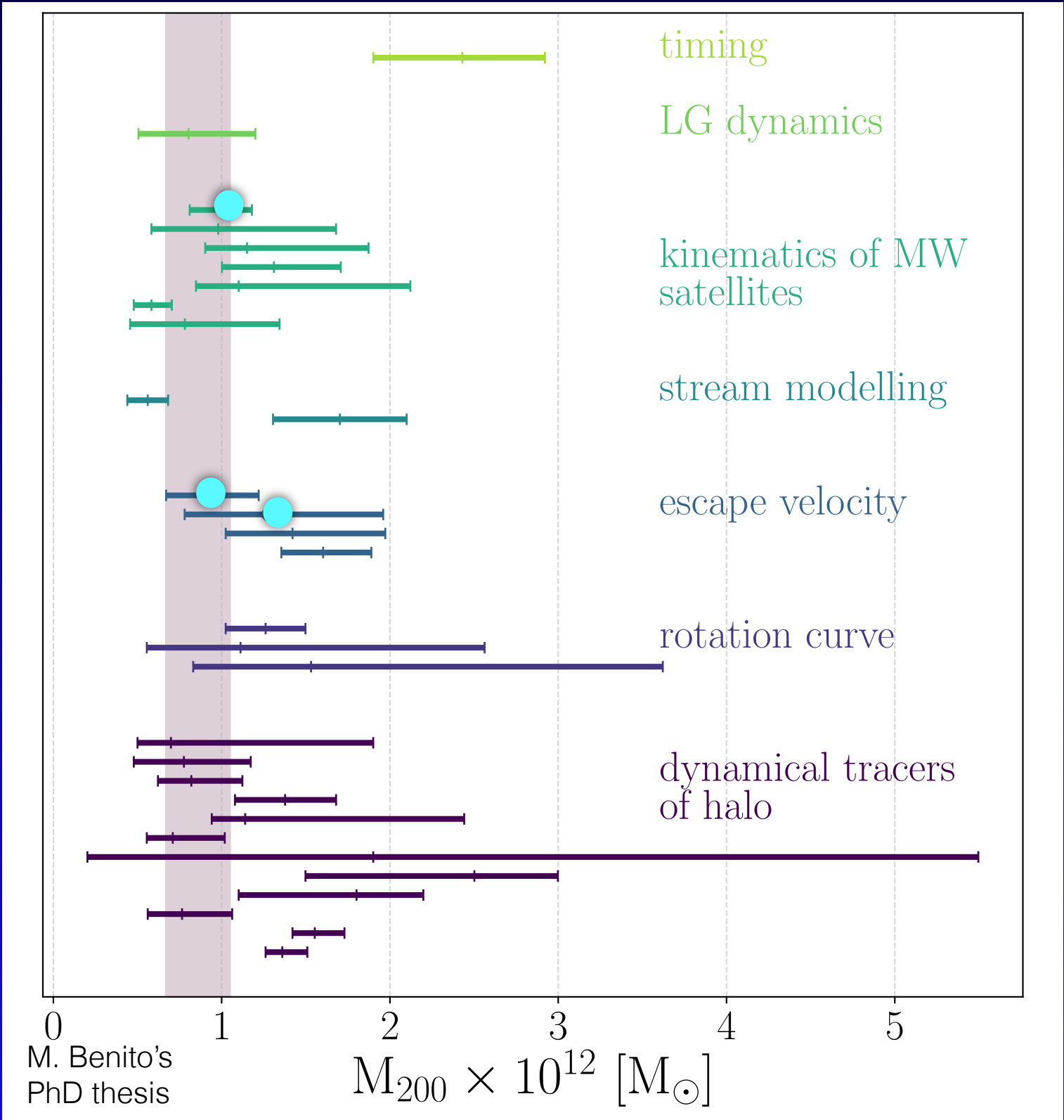
Also possible to determine the total mass of the MW

Band (our result) takes into account:

- Different baryonic morphologies (syst)
- Statistical uncertainties

● Determinations with Gaia data

$$M_{200} = [8.0^{+1.1}_{-0.8} \text{ (stat)}^{+1.5}_{-0.7} \text{ (sys)}] \times 10^{11} M_{\odot}$$
$$M_{\text{bar}} = [0.65 \pm 0.04 \text{ (stat)}^{+0.04}_{-0.07} \text{ (sys)}] \times 10^{11} M_{\odot}$$
$$M_{\text{tot}} = [8.7^{+1.0}_{-0.8} \text{ (stat)}^{+1.4}_{-0.8} \text{ (sys)}] \times 10^{11} M_{\odot}$$

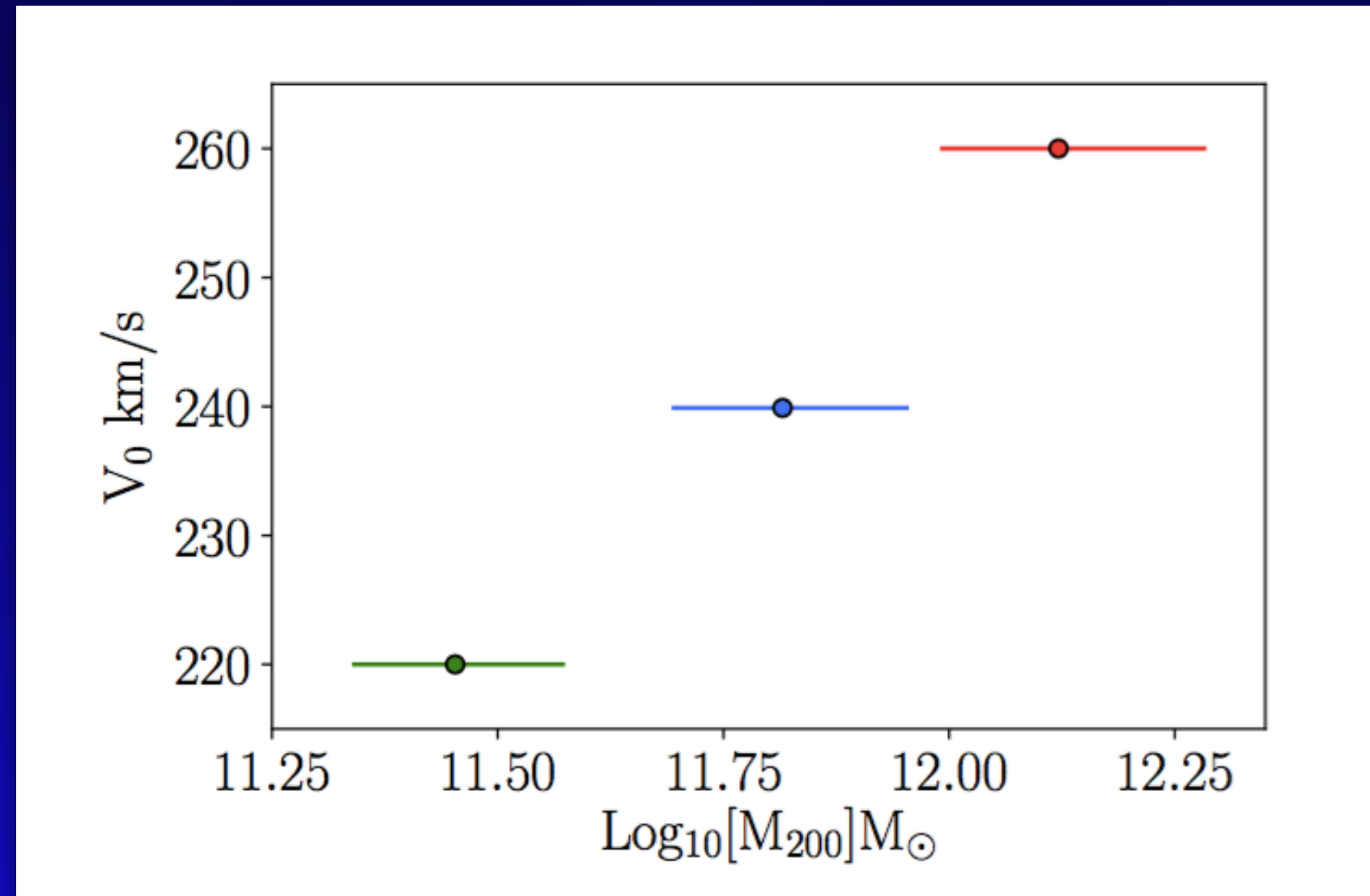


Also possible to determine the total mass of the MW

$$\begin{aligned}M_{200} &= [8.0^{+1.1}_{-0.8} (\text{stat})^{+1.5}_{-0.7} (\text{sys})] \times 10^{11} M_{\odot} \\M_{\text{bar}} &= [0.65 \pm 0.04 (\text{stat})^{+0.04}_{-0.07} (\text{sys})] \times 10^{11} M_{\odot} \\M_{\text{tot}} &= [8.7^{+1.0}_{-0.8} (\text{stat})^{+1.4}_{-0.8} (\text{sys})] \times 10^{11} M_{\odot}\end{aligned}$$

Determination of mass integrates out
►uncertainties on gamma

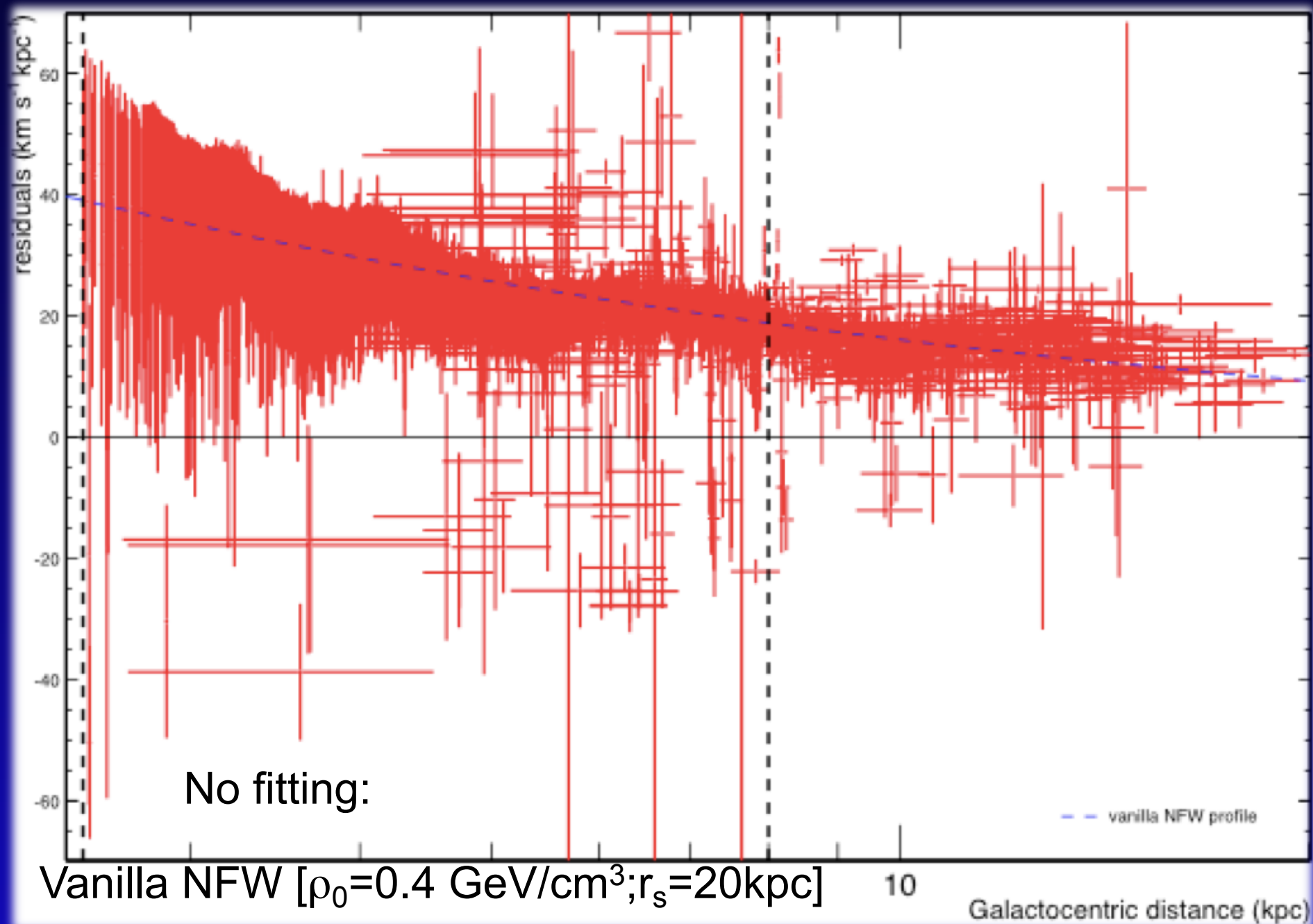
Still (mild) dependence on
Galactic Parameter(s)
 V_0



[Karukes, Benito, FI, Trotta, Geringer-Sameth]

in progress

Motivating dark haloes



$$v_{\text{Residual}} = (v_{\text{tot}}^2 - v_{\text{bar}}^2)^{1/2}$$

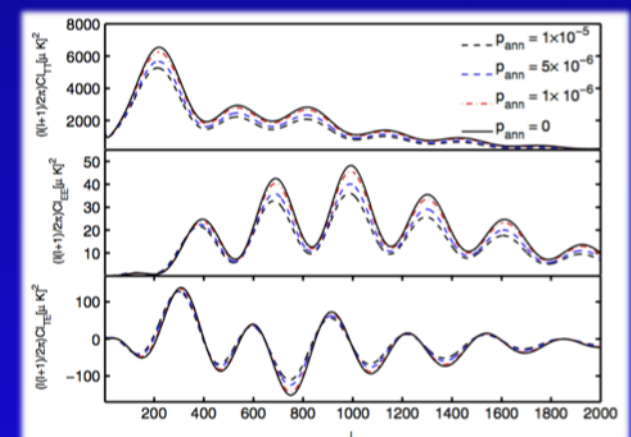
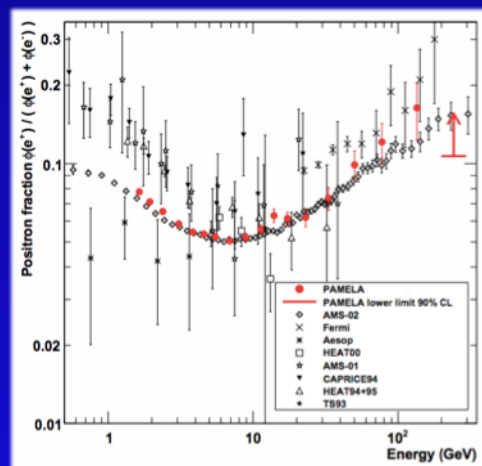
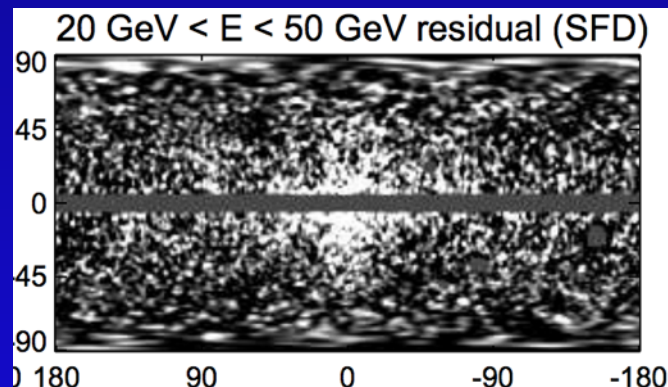
Indirect Detection: principles and dependencies

Galactic center, Dwarf Galaxies, Galactic Halo...
dependence on density structure
discovery (or constraints) subject to same uncertainty

$$F_i \propto \frac{1}{4\pi d^2} B_i \frac{\langle \sigma v \rangle}{m_\chi} \int \rho^2(r) dV$$

$$J_{annih} \propto \int_{los} \rho^2(r) dV$$

$$\Phi_{DM}(E) = \Phi_{PP}(E) \mathcal{J}$$

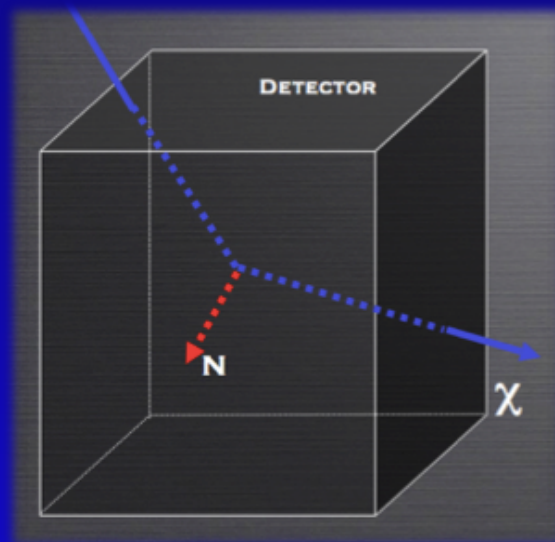


Direct Detection: principles and dependencies

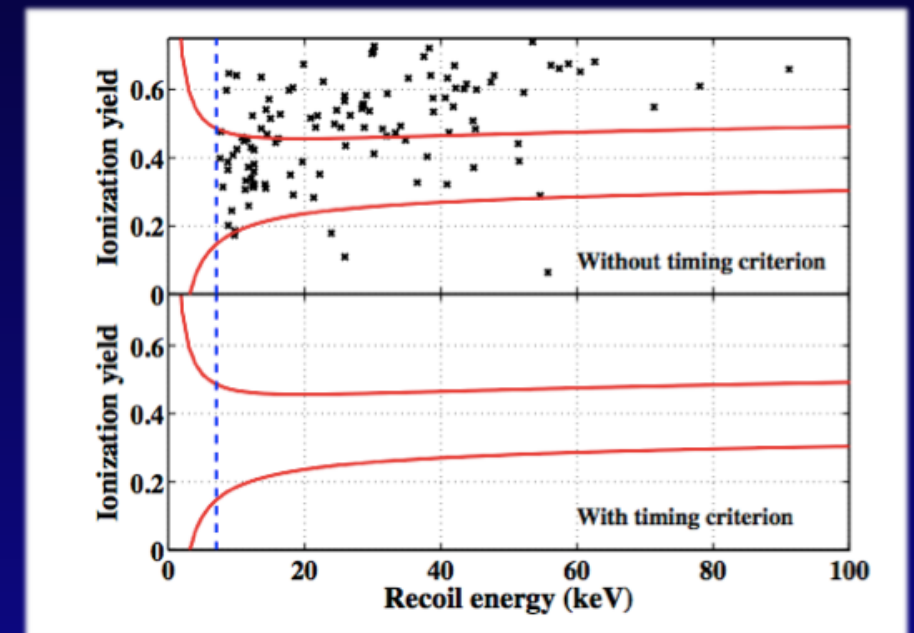
A big mountain
(or a deep mine)



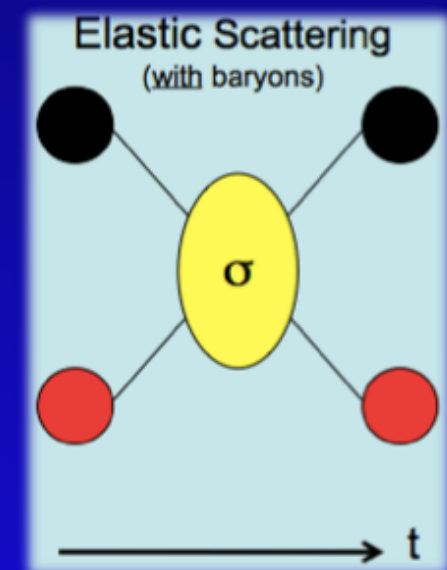
a relatively cheap detector



Your observed data



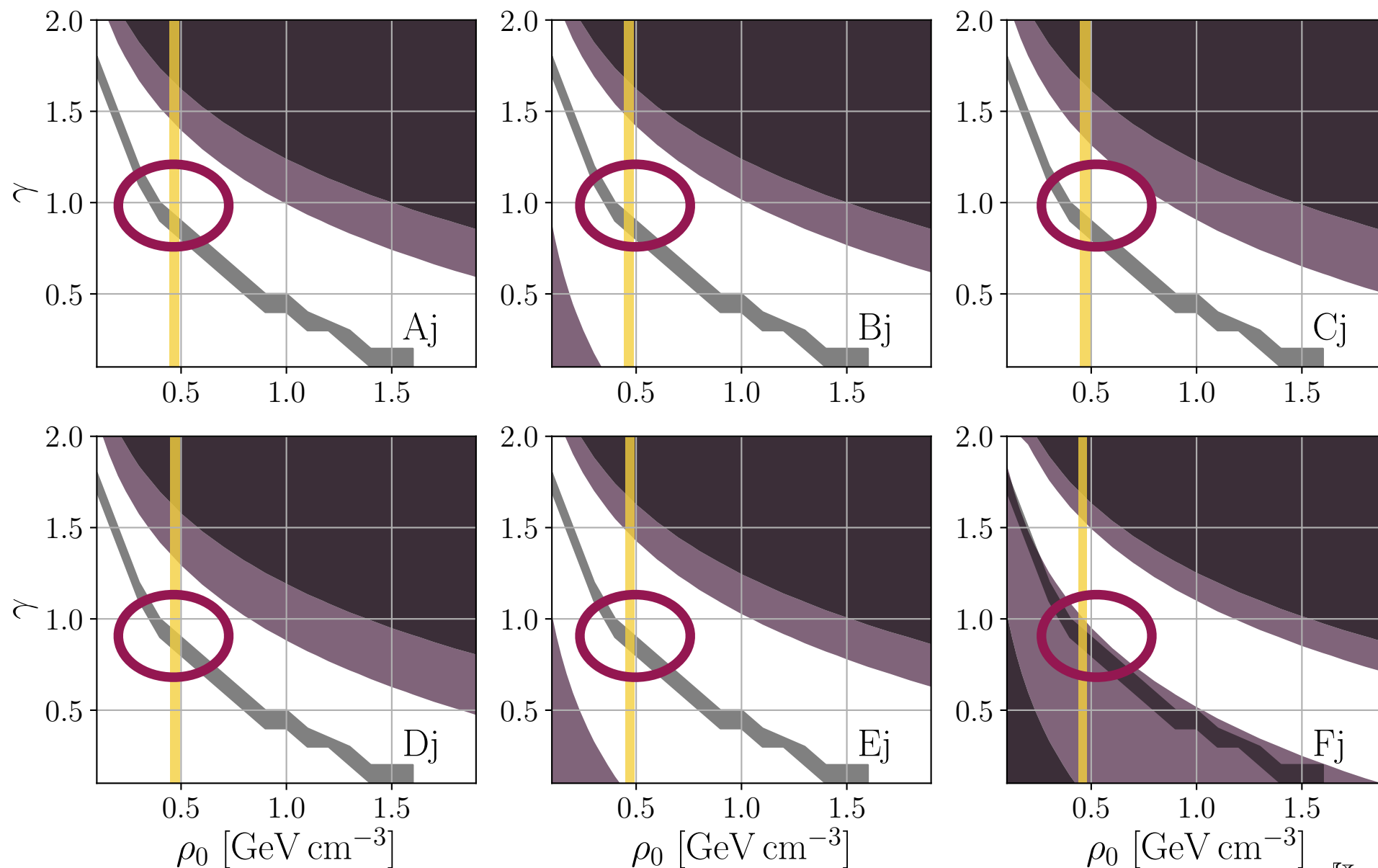
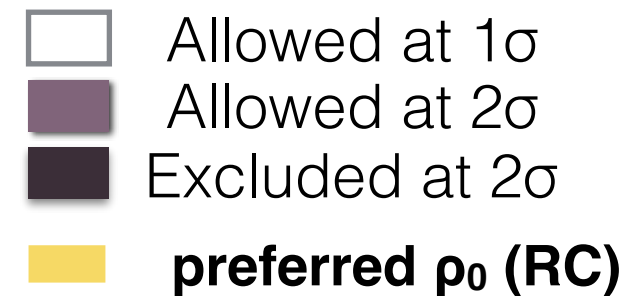
Your ticket to Stockholm



Galactic Bulge Region - Results: varying bulge morphology

“the dark matter density of our model has a [...] shallow cusp or a core in the bulge region”

$$M_{\text{DM}} = (0.32 \pm 0.05) \times 10^{10} M_{\odot} \quad \text{Portail + MNRAS 465 (2017)}$$



Core is not a necessary condition!

[Iocco & Benito, 2017]
arXiv:1611.09861
(+ M. Benito's thesis)