

# Varieties of DM density profile in Galactic dwarf spheroidal galaxies and the gamma-ray search of the annihilation signature

Nagisa Hiroshima  
iTHEMS, RIKEN



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# Introduction

Why is it important to determine the DM density profile?



# WIMP:

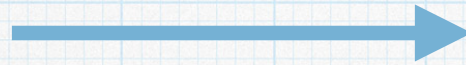
- Weakly Interacting **Massive** Particle  
i.e., should feel the gravity
- achieve the relic abundance via the thermal freeze-out mechanism
- the mass  $m_{\text{DM}} \sim \mathcal{O}(\text{GeV}) - \mathcal{O}(\text{TeV})$
- the annihilation cross-section  
 $\langle \sigma v \rangle \sim \mathcal{O}(10^{-26} \text{cm}^3 \text{s}^{-1})$

We do not see the annihilation signature yet.



# Indirect search:

DM + DM



something  
in the SM



<https://apod.nasa.gov/apod/ap060506.html>

somewhere in  
the Universe

$\gamma, e^{\pm}, p, \bar{p}, \nu, \dots$



[https://www.nasa.gov/mission\\_pages/station/images/index.html](https://www.nasa.gov/mission_pages/station/images/index.html)

around the Earth



# Input & Output

$$\underbrace{\phi}_{\text{observable}} = \frac{1}{2} \frac{1}{4\pi} \frac{\langle \sigma v \rangle}{m_{\text{DM}}^2} \int dE \frac{dN}{dE} \boxed{\int d\Omega \int_{\text{los}} ds \rho_{\text{DM}}^2}$$

$$\equiv \int_{\Delta\Omega} \frac{dJ}{d\Omega} d\Omega = J_{\text{tot}}$$

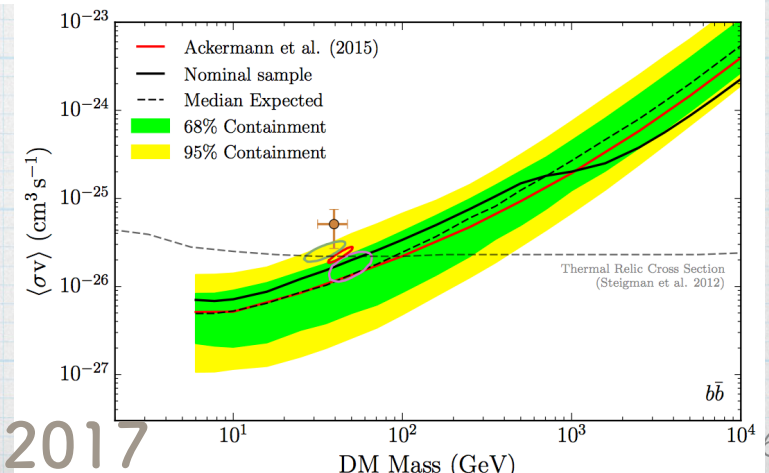
**Input:** flux  $\phi$  of the (stable) standard model particle

knowns  
and/or  
assumptions

- target property  
**low background, high J-factor**
- annihilation spectrum

**Output:** model parameter

$$m_{\text{DM}} \text{ \& \; } \langle \sigma v \rangle$$





# target:

$$\phi = \frac{1}{2} \frac{1}{4\pi} \frac{\langle \sigma v \rangle}{m_{\text{DM}}^2} \int dE \frac{dN}{dE} \int d\Omega \int_{los} ds \rho_{\text{DM}}^2$$

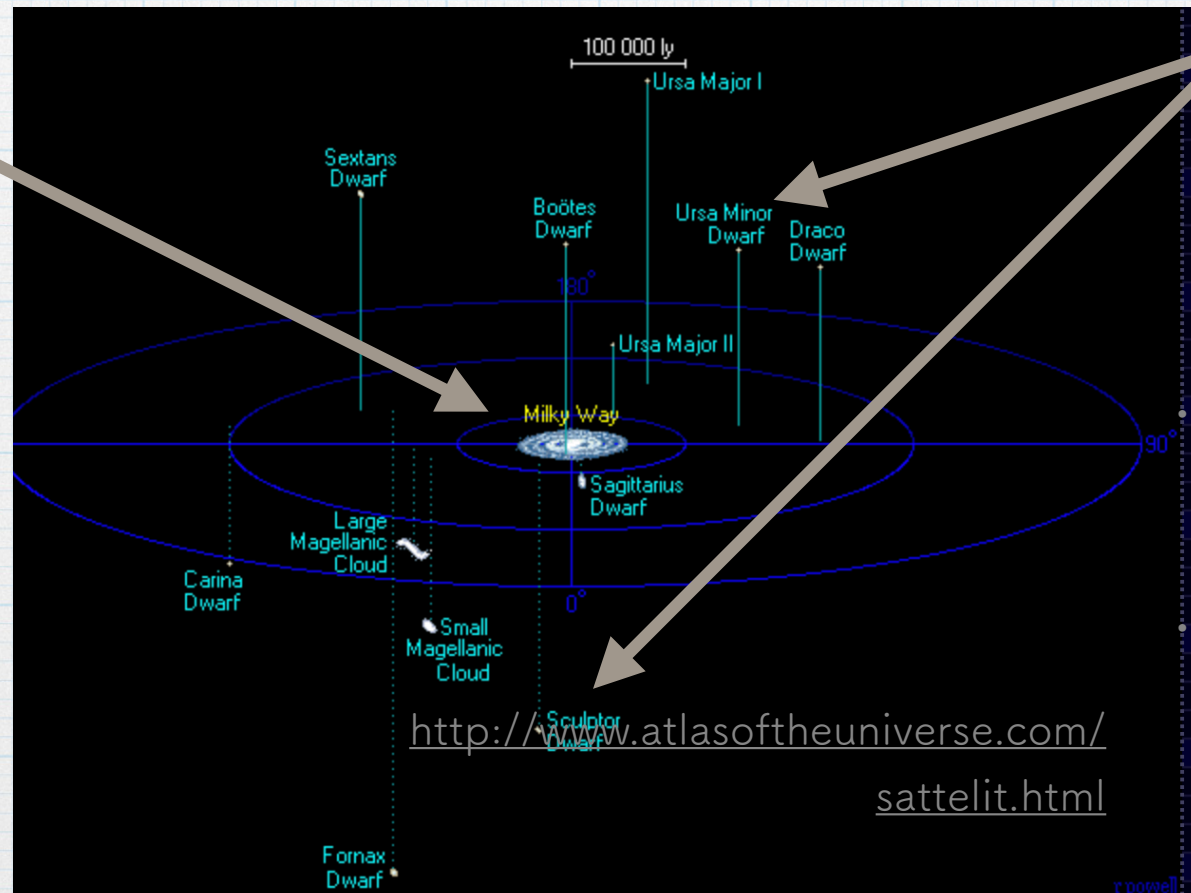
denser is better

The Galactic Center (G.C.)

$$J \sim \mathcal{O}(10^{21-22})$$

$$[\text{GeV}^2 \text{cm}^{-5}]$$

high star formation activities



dwarf spheroidal galaxies (dSphs)

$$J \sim \mathcal{O}(10^{16-20})$$

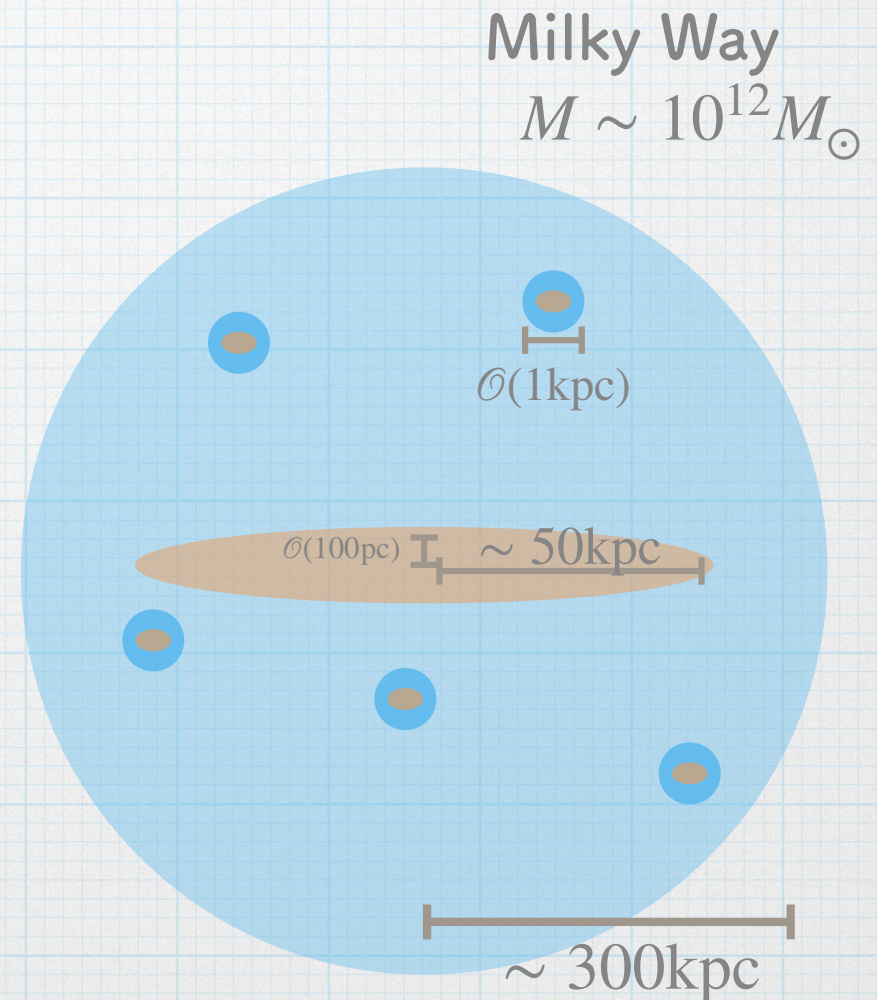
$$[\text{GeV}^2 \text{cm}^{-5}]$$

inactive star formations



# dSph:

- satellite of the Milky Way
- $\sim 40$  are confirmed
- do not show star formation activities
- $M/L \lesssim 10^3 M_{\odot}/L_{\odot}$
- $M \sim 10^{8-9} M_{\odot}$
- $\Delta\theta \lesssim \mathcal{O}(1\text{deg})$
- $\text{dist}(d) \sim \mathcal{O}(100) \text{ kpc}$





# Procedure:

$$\underbrace{\phi}_{\text{observable}} = \frac{1}{2} \frac{1}{4\pi} \underbrace{\frac{\langle \sigma v \rangle}{m_{\text{DM}}^2} \int dE \frac{dN}{dE}}_{\text{model 1}} \int d\Omega \int_{\text{los}} ds \underbrace{\rho_{\text{DM}}^2}_{\text{model 2}}$$

1. determine & observe the target
2. determine the model
  - 2-1. models of (observed) spectrum  
It only depends on the particle physics.  
(We neglect the propagation effect.)
  - 2-2. models of DM distribution  
responsible for the observation  
We need other astrophysical observations.
3. perform likelihood analysis



# Procedure:

$$\underbrace{\phi}_{\text{observable}} = \frac{1}{2} \frac{1}{4\pi} \underbrace{\frac{\langle \sigma v \rangle}{m_{\text{DM}}^2} \int dE \frac{dN}{dE}}_{\text{model 1}} \int d\Omega \int_{\text{los}} ds \underbrace{\rho_{\text{DM}}^2}_{\text{model 2}}$$

1. determine & observe the target
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It only depends on the particle physics.  
(We neglect the propagation effect.)
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responsible for the observation  
We need other astrophysical observations.

How can we know the profile  $\rho_{\text{DM}}$  of the invisible?



# Method

What should we do to determine the DM density profile?



# Tracer: stars

- (kinetic energy)  
~ (potential energy)
- Mass is dominated by DM

kinetic energy  $\sim \sigma_V^2 = 3\sigma_r^2$

potential energy  $\sim \frac{GM(r)}{r} = \frac{G \int^r 4\pi r'^2 \rho_{\text{DM}}(r') dr'}{r}$

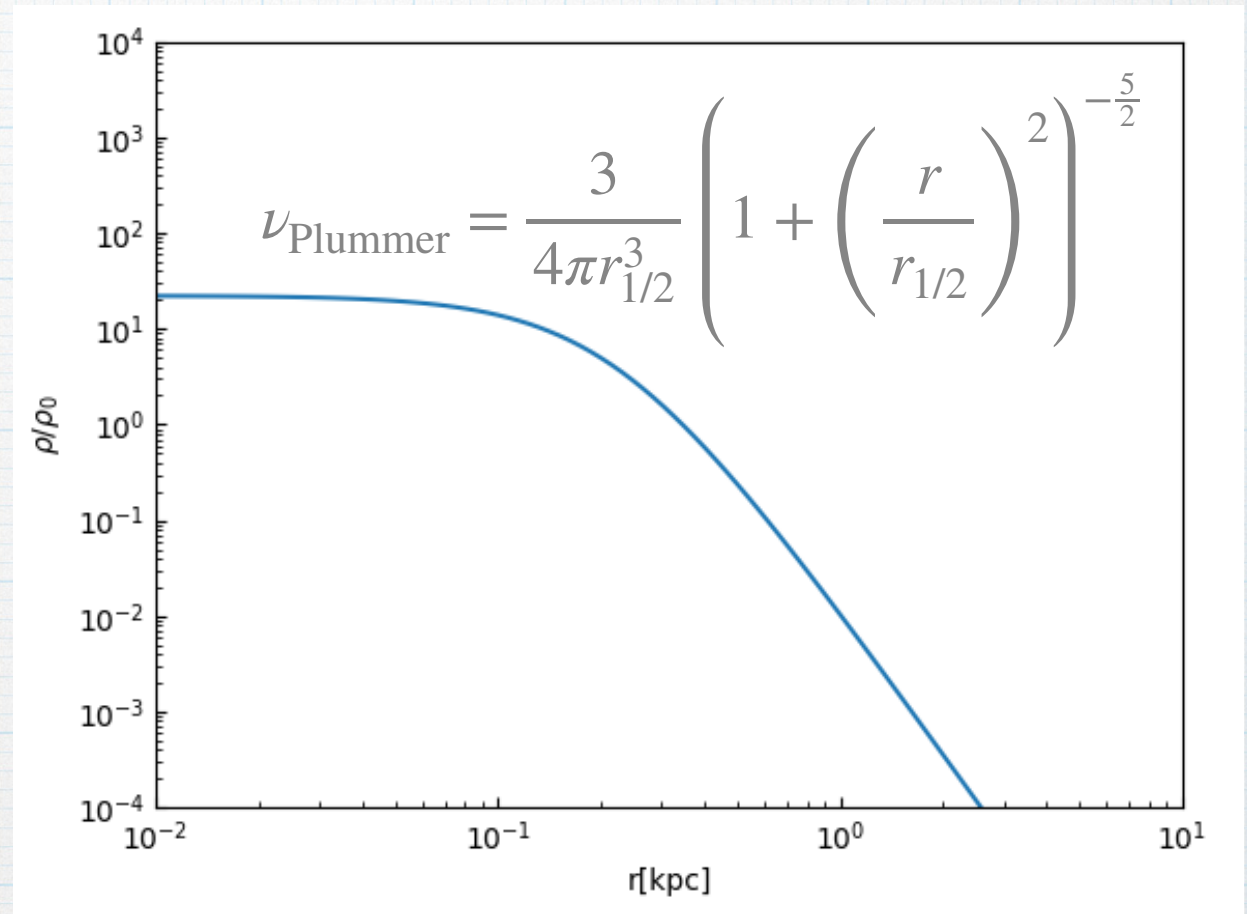
Jean's eq. 
$$\frac{d\nu_* \sigma_r^2}{dr} + \frac{2\beta(r)}{r} \nu_* \sigma_r^2 + \frac{\nu_* GM(r)}{r^2} = 0$$





# Stellar distribution $\nu_*$ :

- 3D Distribution:  
 $\nu_*$  &  $\rho_{\text{DM}}$
- observable:  $\sigma_{\text{los}}$   
2D projection



$$\left( \int_{\text{los}} \nu_*(r) ds \right) \sigma_{\text{los}}(R) = 2 \int_R^\infty dr \left[ 1 - \beta(r) \frac{R^2}{r^2} \right] \frac{r \nu_* \sigma_r^2(r)}{\sqrt{r^2 - R^2}}$$



# DM distribution:

- (generalized) NFW

$$\rho(r) = \rho_s \left( \frac{r}{r_s} \right)^{-\gamma} \left( 1 + \left( \frac{r}{r_s} \right)^\alpha \right)^{-(\beta-\gamma)/\alpha}$$

- Burkert

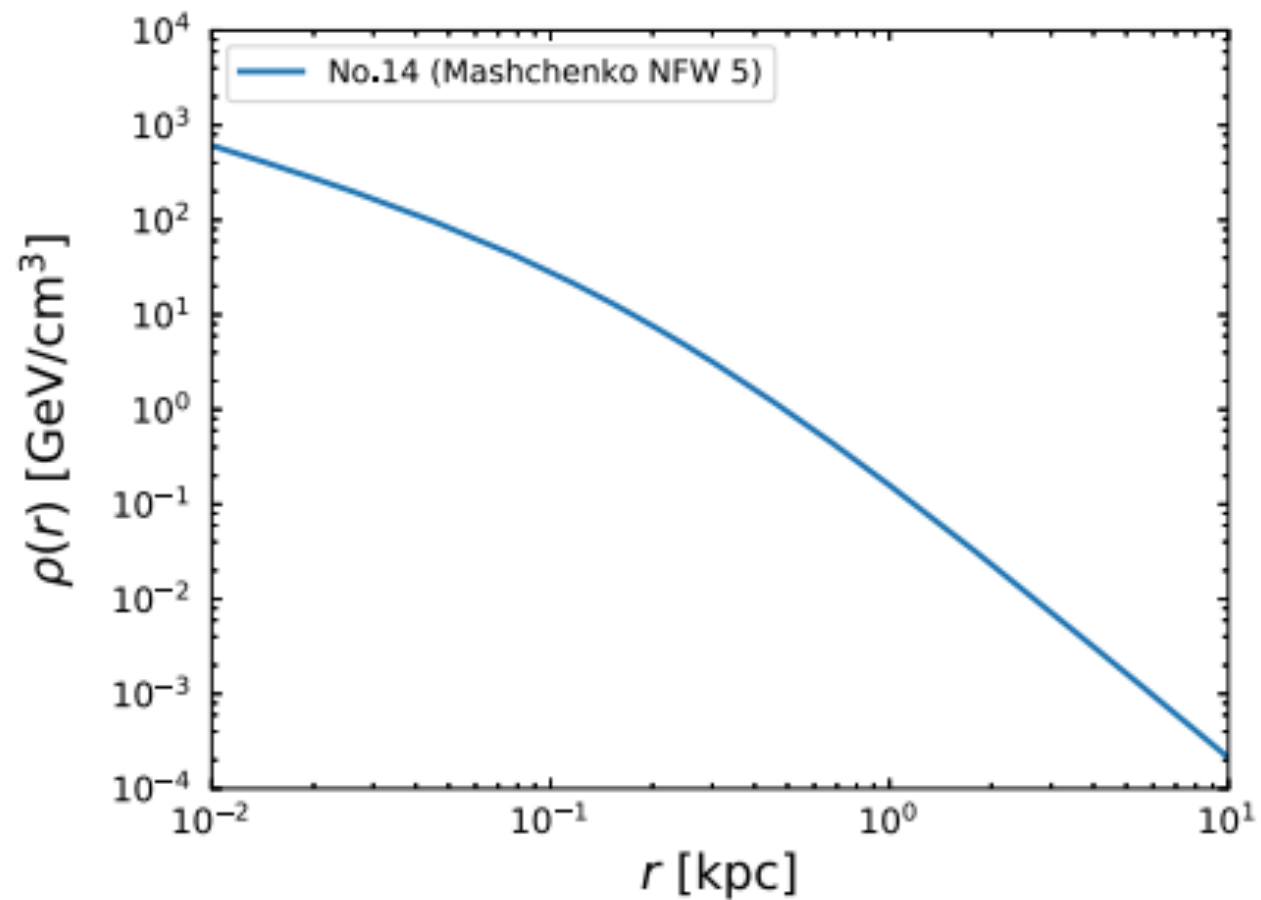
$$\rho(r) = \rho_s \left( 1 + \frac{r}{r_s} \right)^{-1} \left( 1 + \left( \frac{r}{r_s} \right)^2 \right)^{-1}$$

- Power Law (PL) + exp.cutoff

$$\rho(r) = \rho_s \left( \frac{r}{r_s} \right)^{-\gamma} \exp \left[ -\frac{r}{r_s} \right]$$



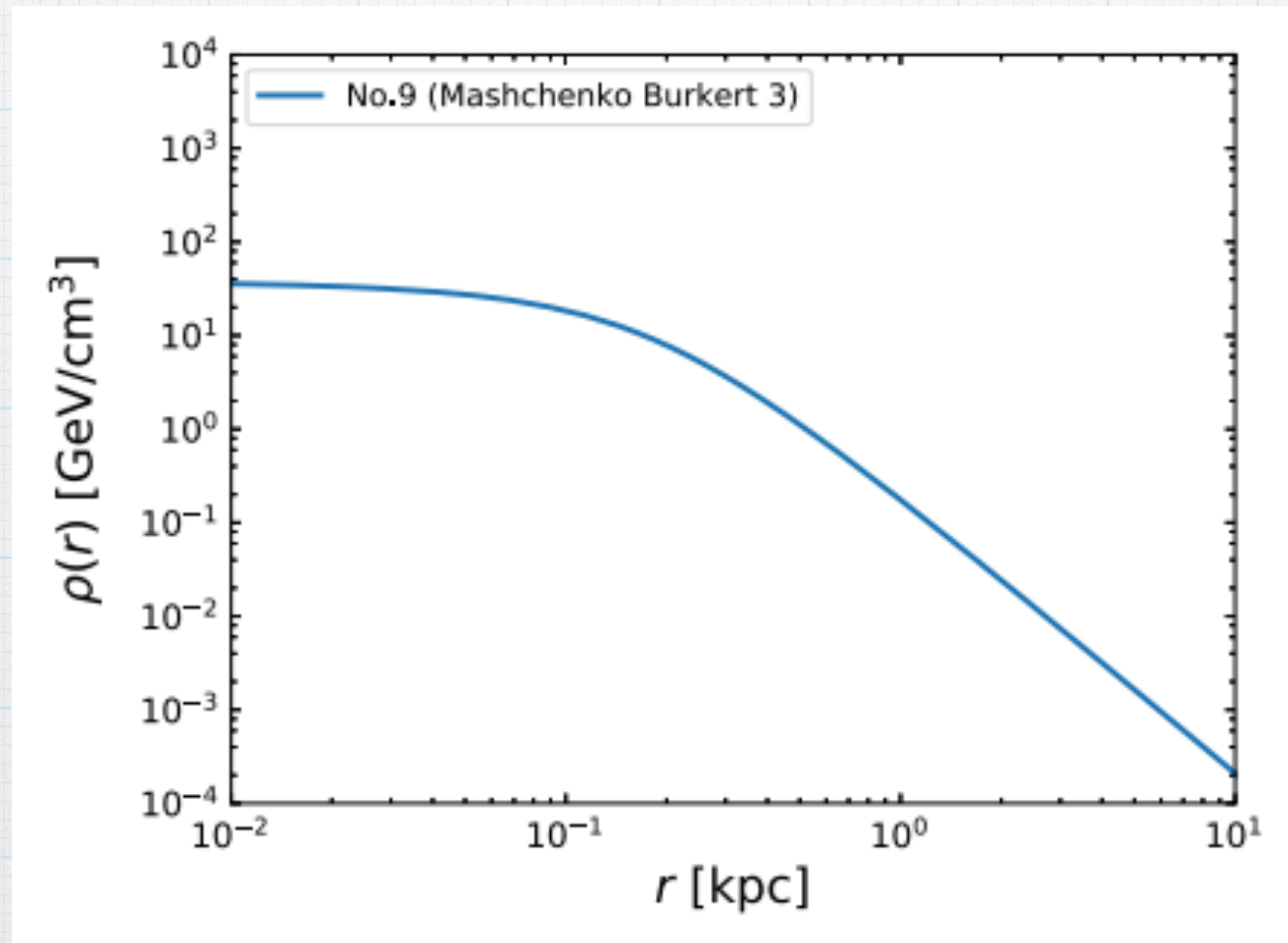
NFW: 
$$\rho(r) = \rho_s \left( \frac{r}{r_s} \right)^{-1} \left( 1 + \left( \frac{r}{r_s} \right)^\alpha \right)^{-2}$$





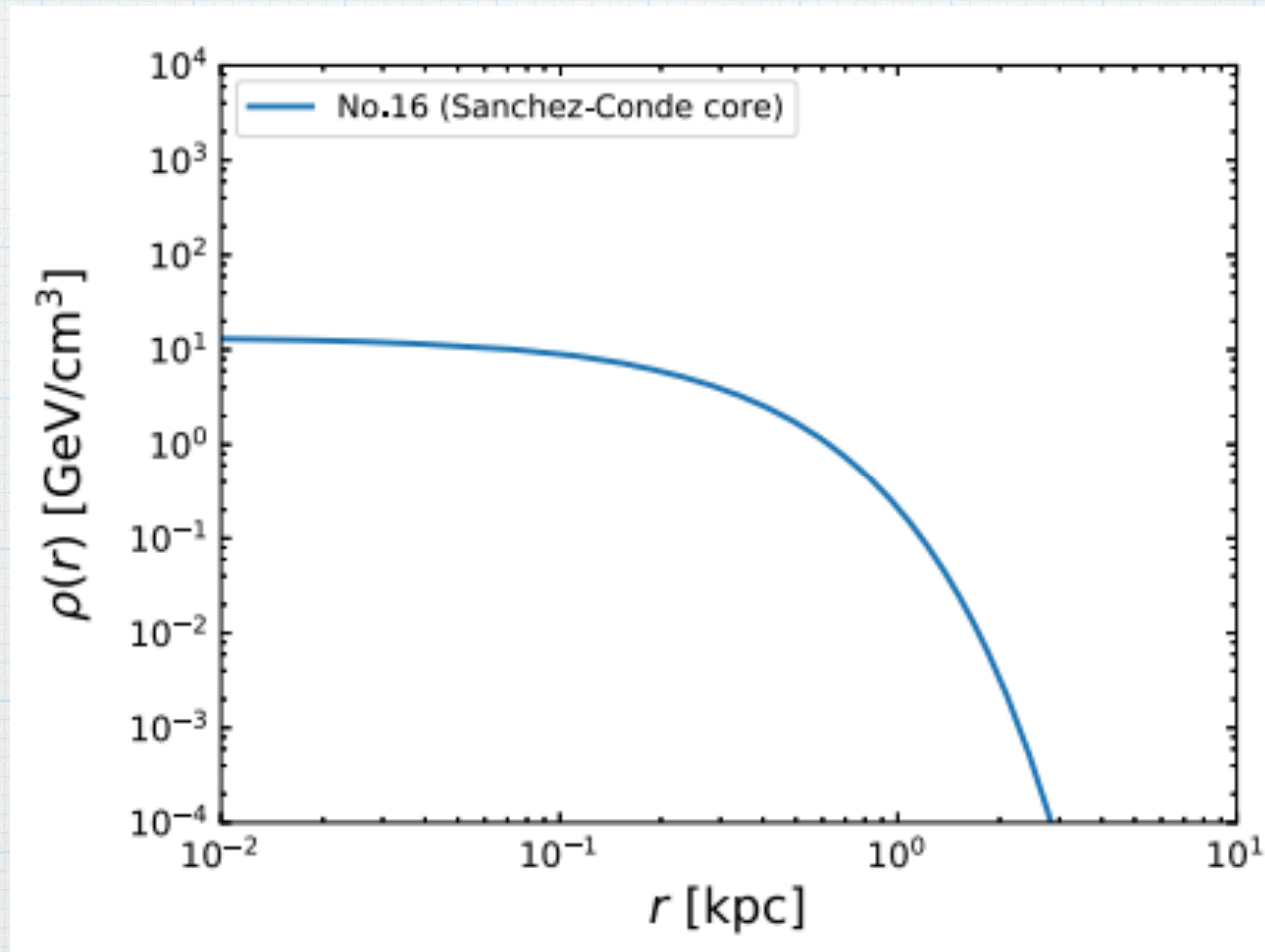
# Burkert:

$$\rho(r) = \rho_s \left(1 + \frac{r}{r_s}\right)^{-1} \left(1 + \left(\frac{r}{r_s}\right)^2\right)^{-1}$$





PL+exp.cutoff:  $\rho(r) = \rho_s \left( \frac{r}{r_s} \right)^{-\gamma} \exp \left[ -\frac{r}{r_s} \right]$





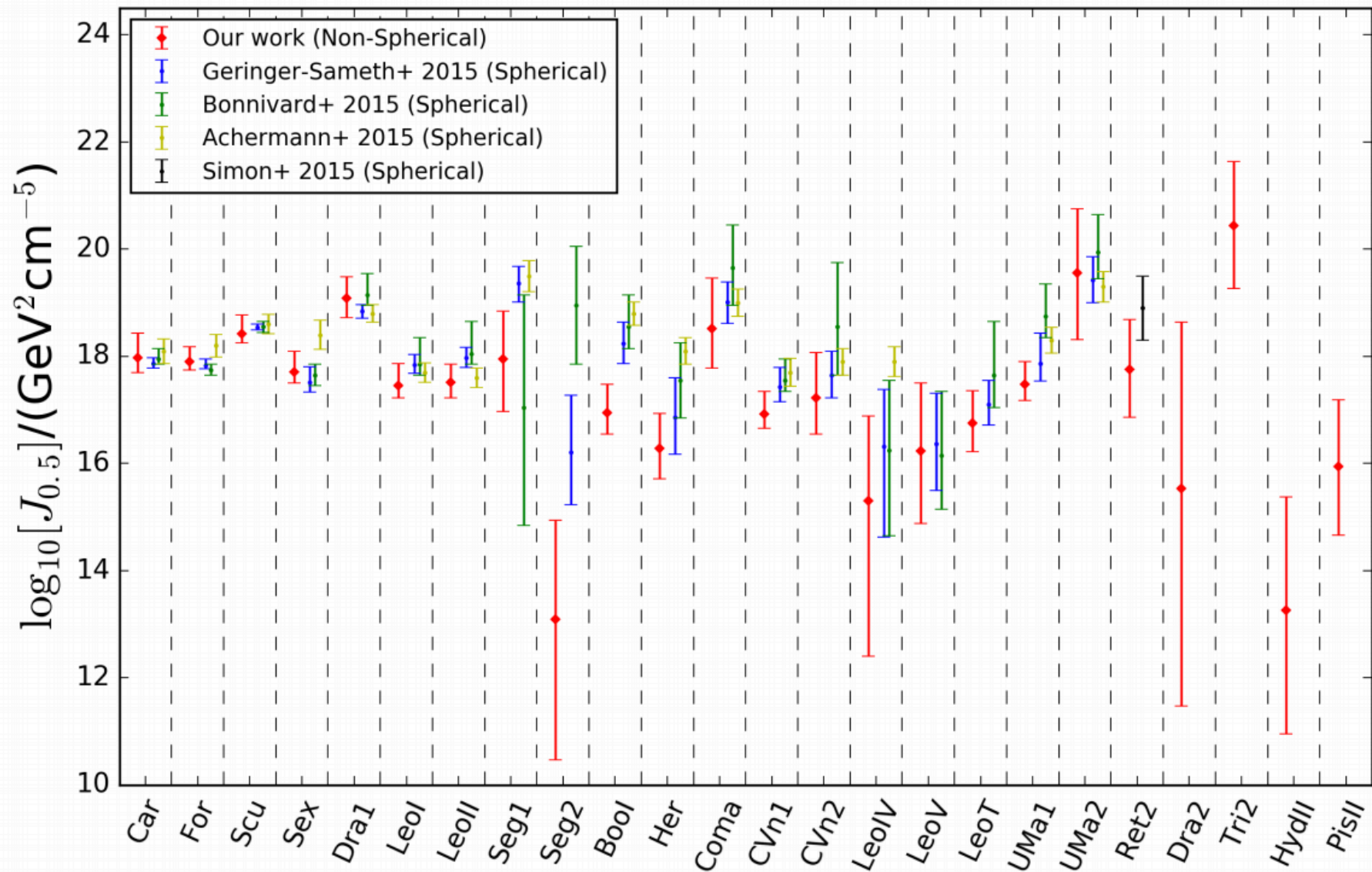
# Difficulties:

- dSphs are dark (but visible) in optical wavelength.  
e.g. DES collaboration, 2015
- **We need precise spectroscopic observations.**  
If not, we have to rely on the scaling relation.
- **We should remove the foreground contamination.**  
e.g. Ichikawa et al., 2017
- **Many models for both of the stellar and DM density distributions**  
For DM, we have NFW, Burkert, ...



# Current understanding:

Hayashi et al., 2016





# Outcomes

How does it affect the gamma-ray search of WIMP?

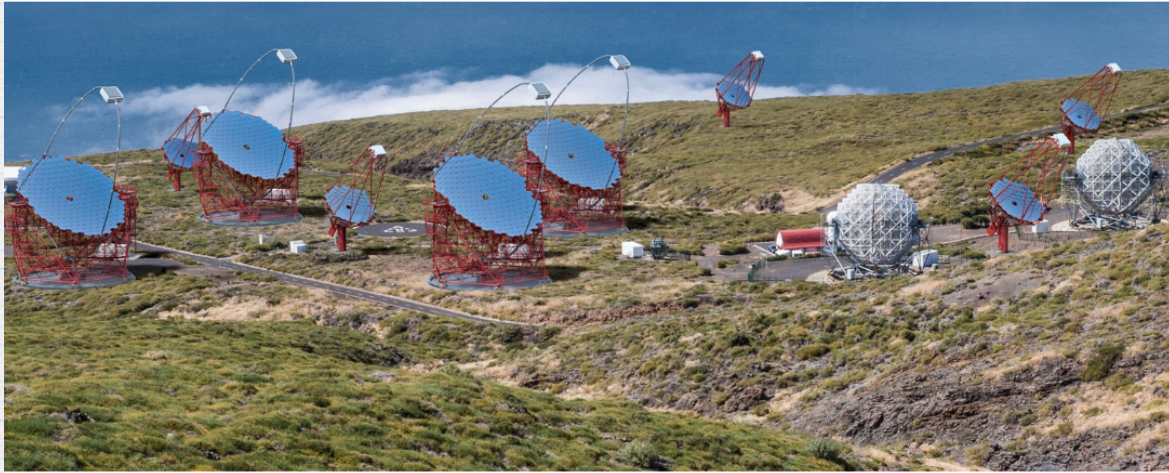


# We now have...

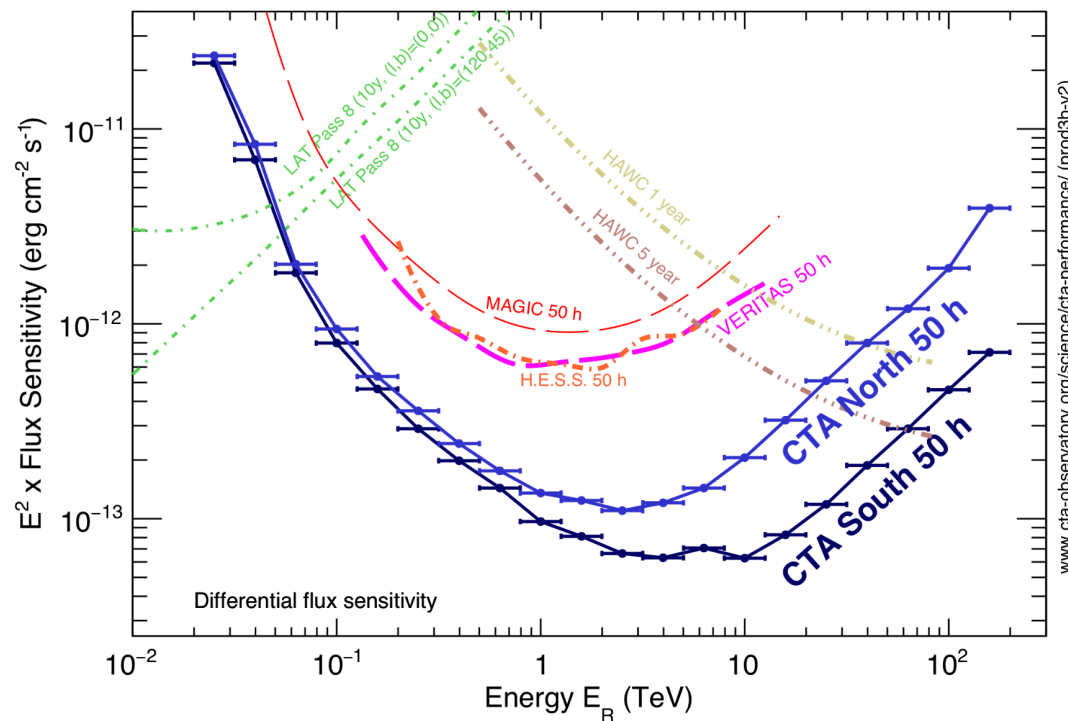
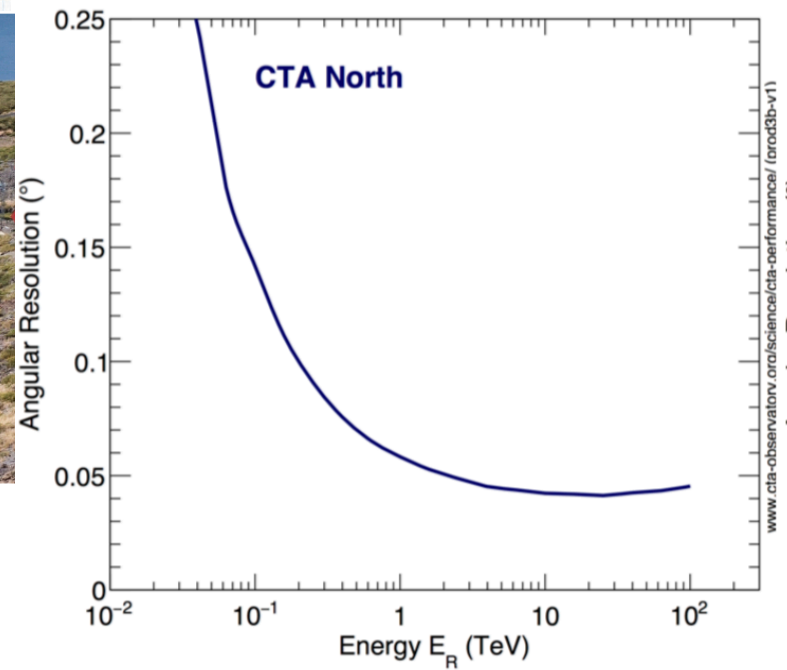
- varieties of models for DM distribution in dSphs
- infinite number of models of DM annihilation spectrum from particle theories
- accessibility to the GeV–TeV  $\gamma$ -ray photons from DM annihilations with on-going (e.g. Fermi-LAT, MAGIC, HESS, ...) and future experiments



# WIMP search with $\gamma$ -ray in 2020s:



Northern Hemisphere Site Rendering; credit: Gabriel Pérez Díaz, IAC



We can probe TeV  
WIMP with high  
angular-resolution  
facilities!



# WIMP search in dSphs with CTA

- Our accessibility enhances by orders at  $\mathcal{O}(1)$  TeV.
- dSphs are good targets of low-background and moderately high J-factor.
- The typical angular size of the dSphs are much larger than the angular resolution of the CTA facilities.

We should go beyond the  $J_{\text{tot}} = \int_{\Delta\Omega} d\Omega \frac{dJ}{d\Omega}$



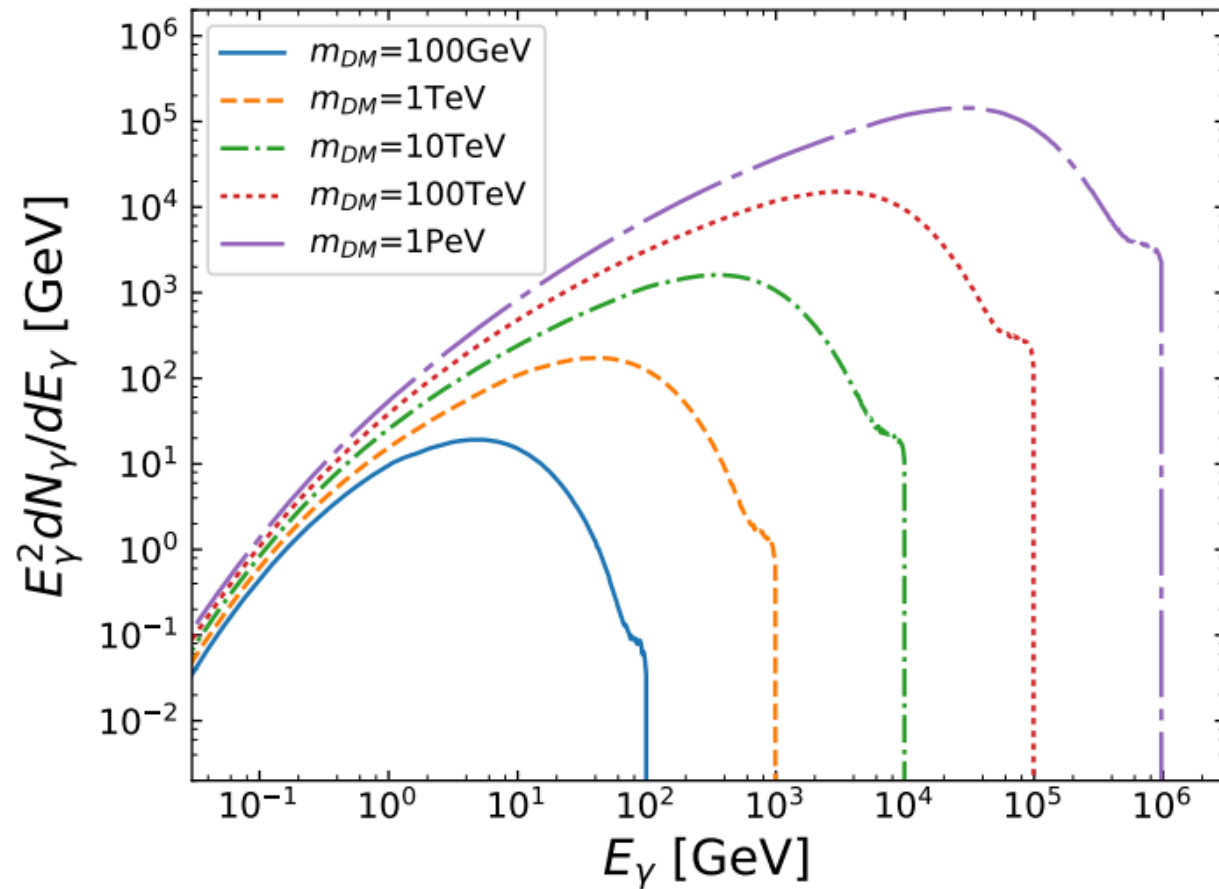
# Test case: Draco dSph

- $(\text{RA}, \text{DEC}) = (260.052, 57.915)$
- $d \sim 80 \text{ kpc}$
- # of stars  $\sim 1000$
- radius of the outermost star  $\theta_{\text{max}} \sim 1.3 \text{ deg}$
- $J \sim \mathcal{O}(10^{19}) \text{ GeV}^2\text{cm}^{-5}$

We collect 16 spherical models of  $\rho_{\text{DM}}$  for this dSph.



# Spectrum:

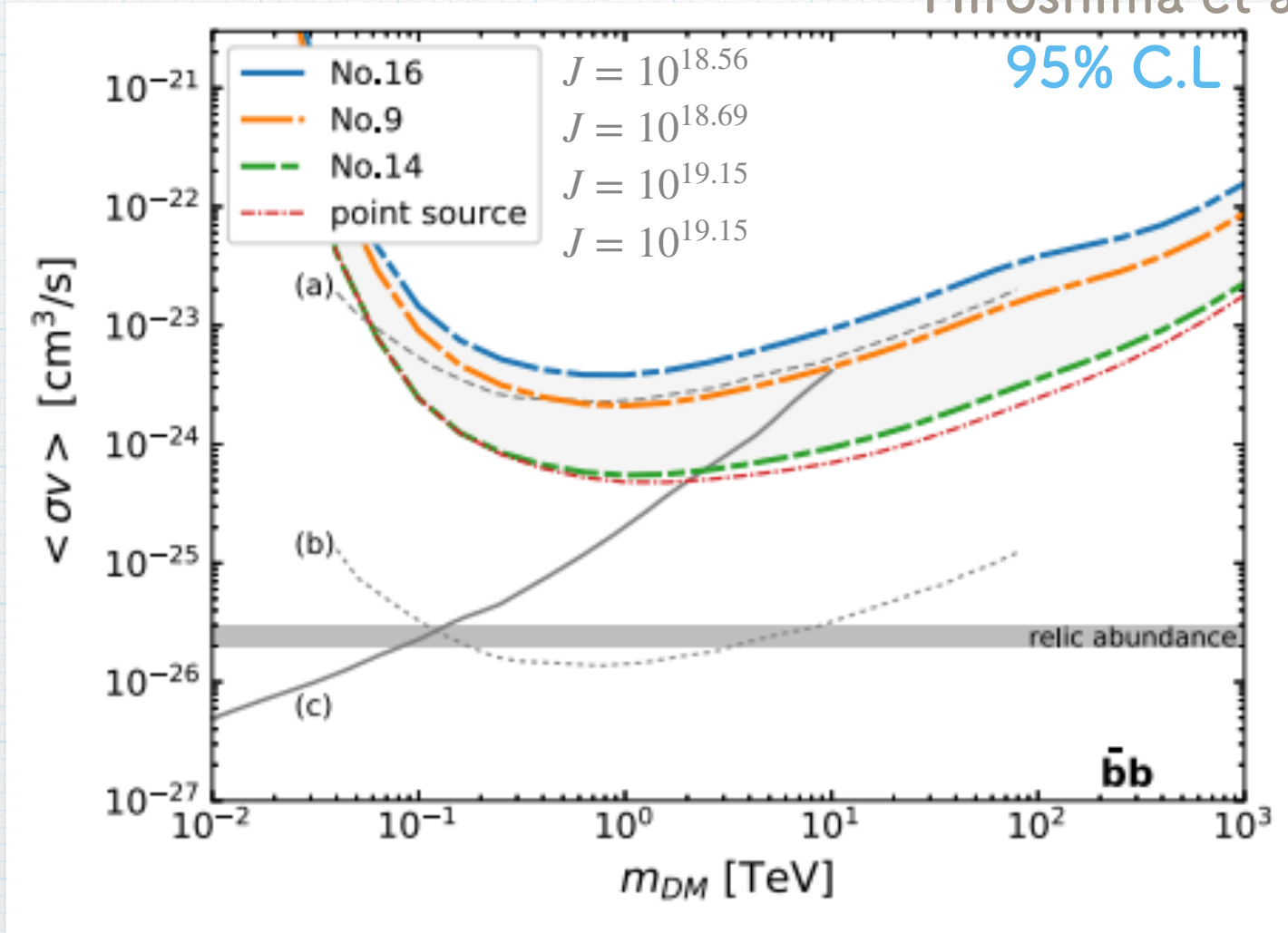


e.g.)  $\text{DM} + \text{DM} \rightarrow \bar{b}b$



# Our accessibility:

Hiroshima et al., 2019





# Conclusion



# Conclusion:

- We can access TeV WIMP by taking indirect strategies.
- dSphs are good regions to see for gamma-ray experiments with high J-factor and low bkg.
- The J-factor is derived using stellar kinematics data.
- The J-factor of some dSphs are determined in the accuracy of the factor, while only in the order for the others (especially for the newer dSphs).
- The spatial distribution as well as the its integral of the J-factor is important for future facilities.



