

Neutrino event reconstruction with neutron detection in SK-Gd

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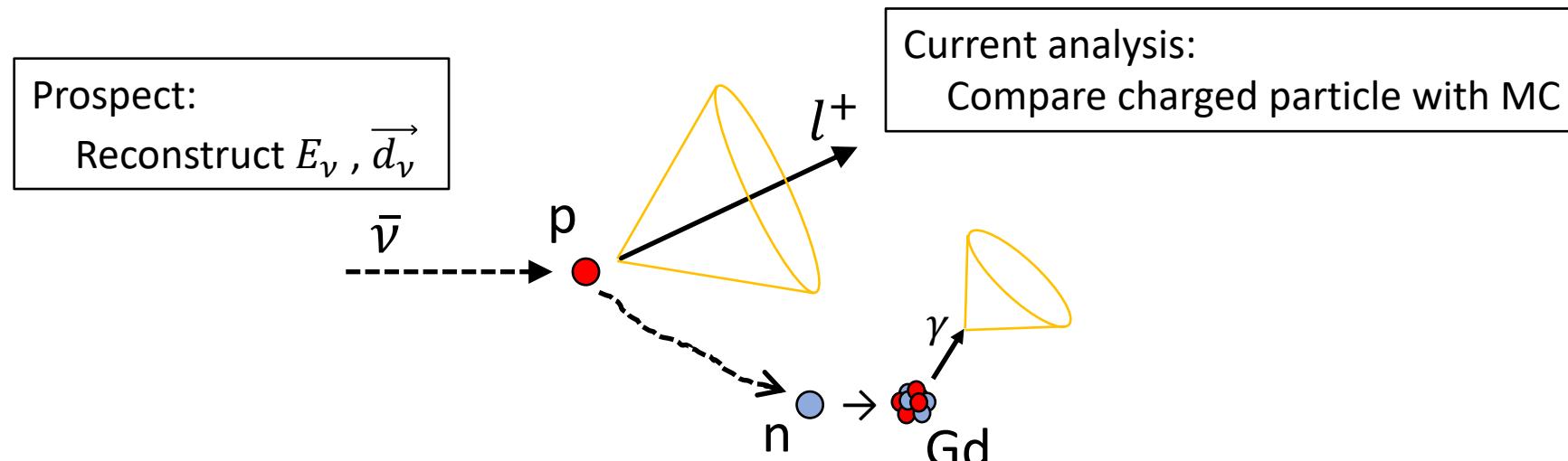
Exploration of Particle Physics and Cosmology with Neutrinos

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Purpose

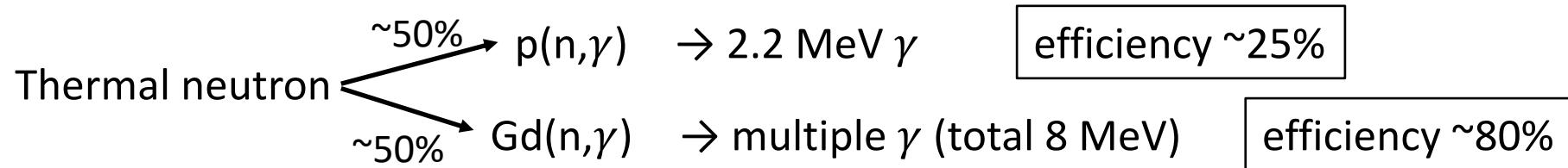
- Measure neutrino oscillation parameters, especially mass ordering, δ_{CP} , θ_{23} octant by reconstructing atmospheric neutrino better using neutron tagging.
- $\overrightarrow{d_\nu}$ and E_ν reconstructions in this talk.



+ Nuclear effect or hadronic interaction can generate secondary neutrons.

SK-Gd

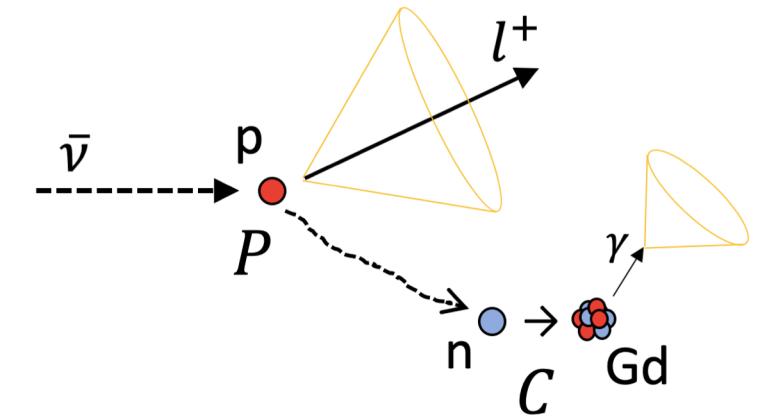
- Super-Kamiokande detector started “SK-Gd” phase with 0.011% Gd loaded in 2020.



- Higher efficiency and better vertex resolution of neutron are expected with $Gd(n,\gamma)$.
- Tagging efficiency will be higher with higher Gd concentration.

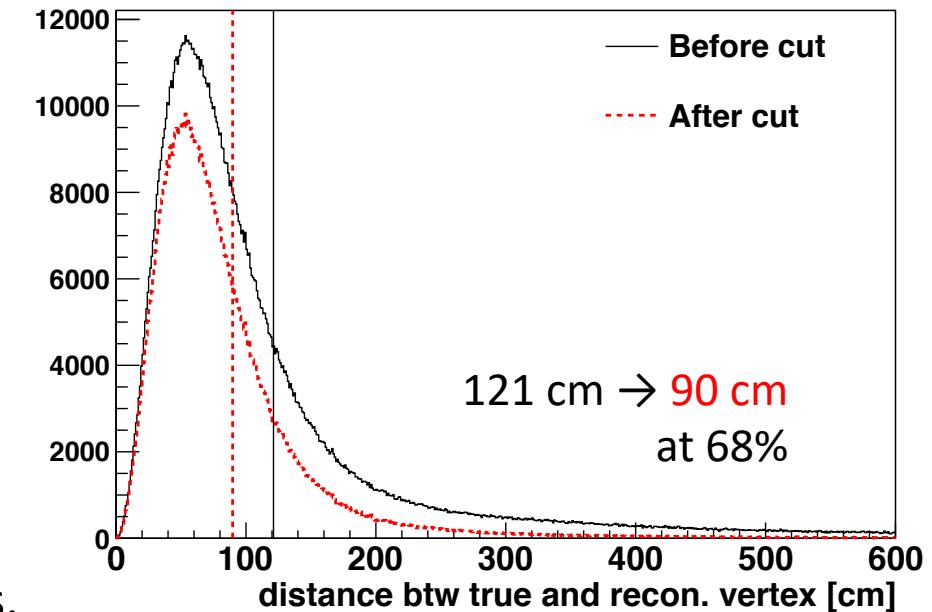
Neutrino reconstruction with neutron

- \vec{p}_n is estimated from \vec{PC} (neutron displacement).
→ Reconstruct \vec{d}_ν, E_ν with charged particle information.
- So far, the algorithm is developed and tested only in MC.



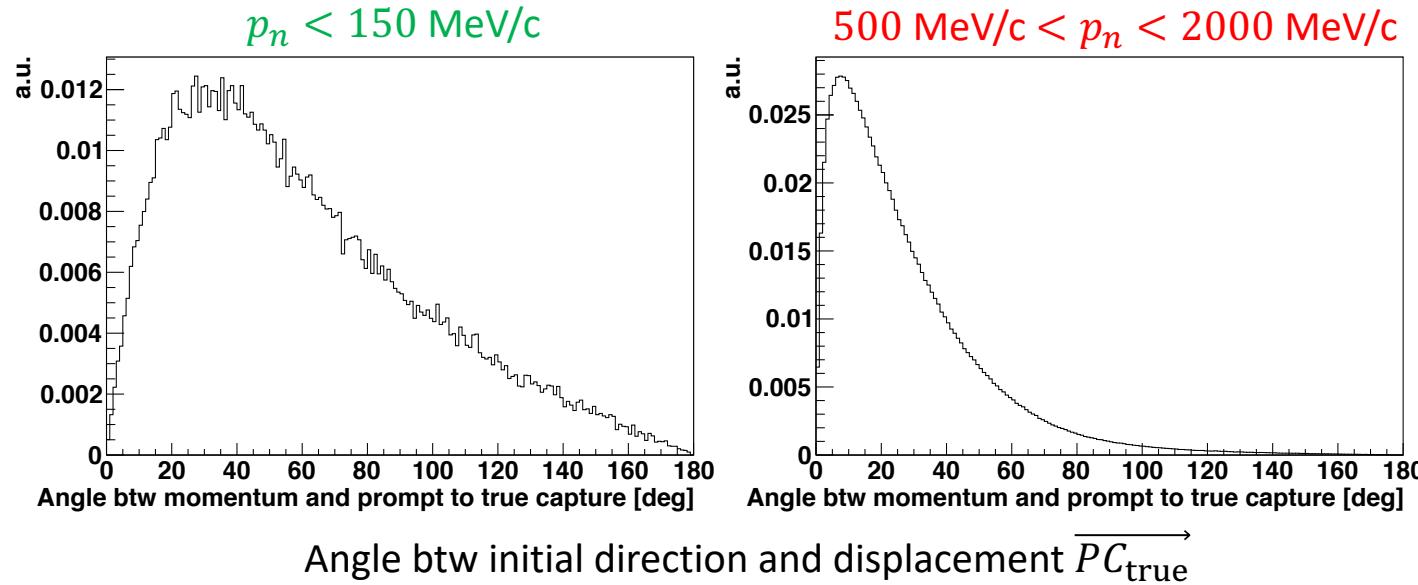
Procedure

- Search for neutrons in atmospheric MC, [4 μ s, 534 μ s] after primary reaction.
- Select neutron signals with good reconstruction :
quality parameter > 0.2
 $\#$ of hit PMT in 14 ns ≥ 12
- 36% of tagged signals are removed.
- Selected neutron is seen in 39% of atmospheric 1-ring events.



Neutron direction

- Initial direction and capture vertex of neutrons are correlated.



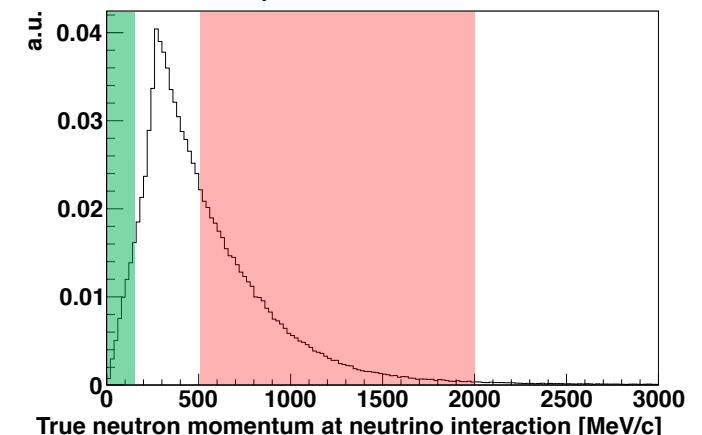
Angle btw initial direction and displacement $\overrightarrow{PC}_{\text{true}}$

→ Assume neutron is emitted in the same direction as \overrightarrow{PC} :

$$\overrightarrow{p_n} \propto \overrightarrow{PC}$$

Test in MC with 1 neutron.
Initial momentum p_n is uniform.

Neutron momentum generated
in atmospheric neutrino MC



Neutron momentum estimation

- Estimate neutron momentum from travel length $|\overrightarrow{PC}|$.
- In multiple neutron events, their vector sum $|\sum \overrightarrow{PC}_i|$ is used.
- Try two ways to estimate p_n from $|\overrightarrow{PC}|$:

(linear) $p_n \propto |\overrightarrow{PC}|$

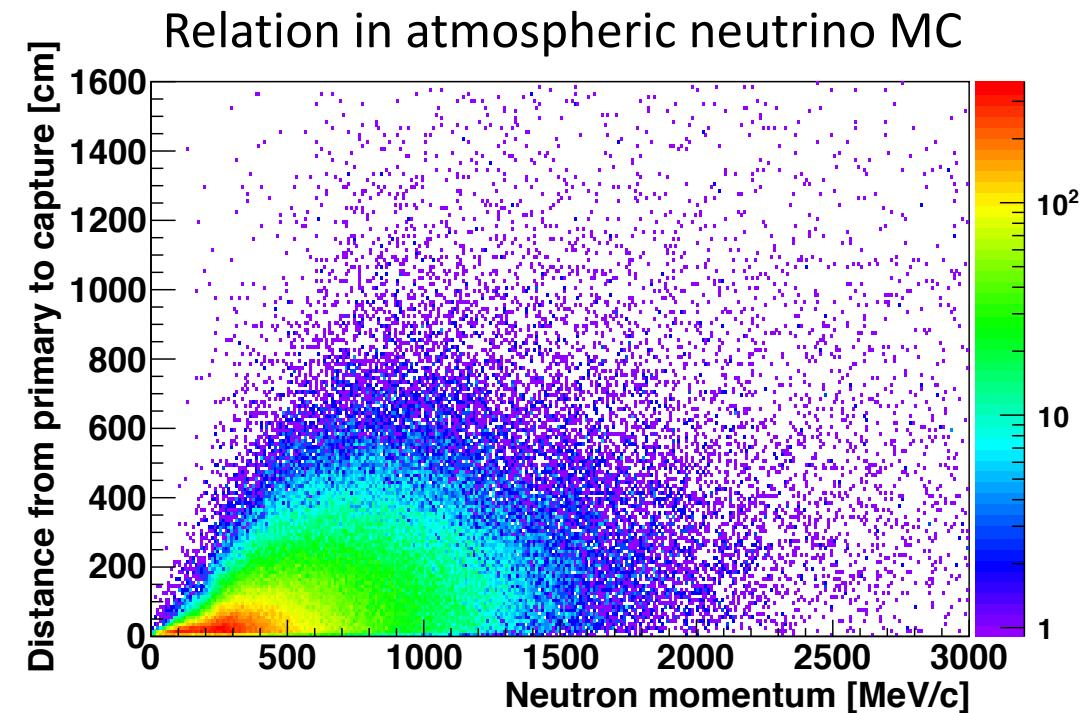
$$\boxed{p_n = a \times |\overrightarrow{PC}|}$$

$$\text{if } p_n > u, \quad p_n = u$$

Set upper limit u
to prevent overestimate.

(log) $\log p_n \propto |\overrightarrow{PC}|$

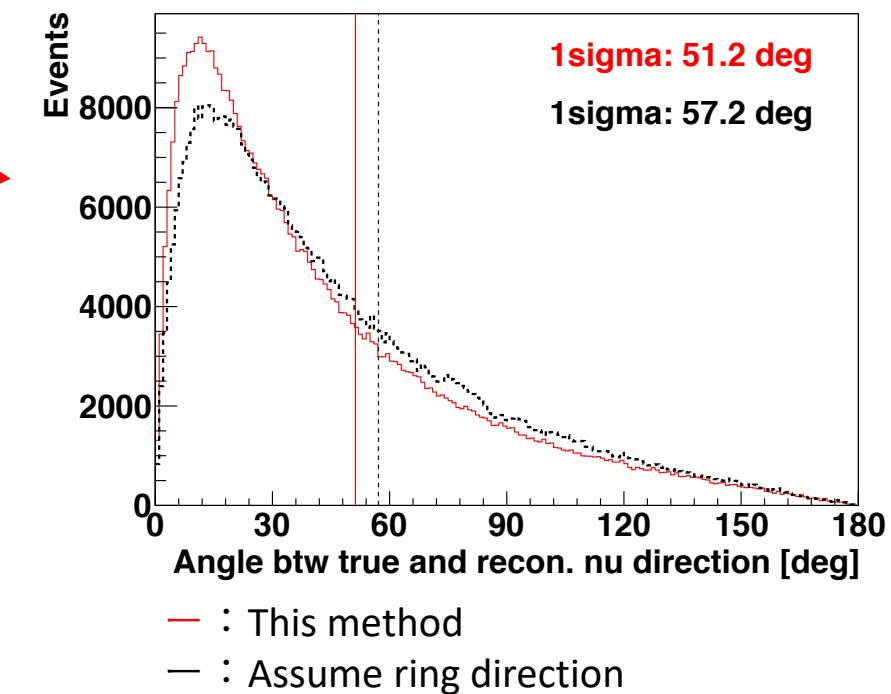
$$\boxed{\log_{10} \frac{p_n}{p_0} = \frac{|\overrightarrow{PC}|}{b}}$$



Neutrino direction reconstruction

- Reconstruct direction as $\vec{p}_\nu = \vec{p}_l + \vec{p}_n$.
- Searched for optimal conversion parameters in 1-ring events.

		a [MeV/c/cm]						
		1	1.5	2	2.5	3	4	5
(linear)	∞	51.8	51.5	51.8	52.8	54.0	56.8	59.3
	u [MeV/c]	1000	51.8	51.3	51.7	52.5	53.5	55.5
		700	51.8	51.2	51.5	52.0	52.8	54.2
		b [cm]						
(log)	p_0 [MeV/c]	1600	1400	1200	1000	800	600	400
		100	52.8	52.7	52.5	52.2	52.0	51.8
		200	51.2	51.2	51.3	51.5	51.8	53.0
		300	52.5	52.7	53.0	53.7	54.8	56.8



Best resolution is same in both conversions.

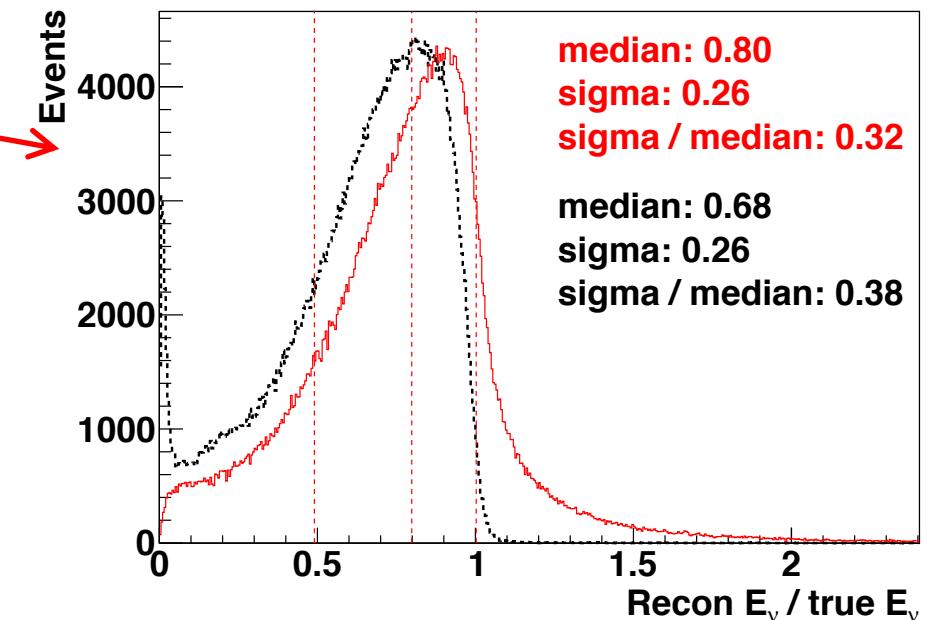
→ Resolution is almost independent of the expression of conversion.

Neutrino energy reconstruction

- As $|\vec{p}_l + \vec{p}_n|$ is more sensitive to neutron direction, reconstruct energy as $E_\nu = E_l + K_n$.
- Minimize σ/\tilde{r} where \tilde{r} : median, σ : 68% width of $E_{\text{recon}}/E_{\text{true}}$.

		$a [\text{MeV}/c/\text{cm}]$						
[%]		1	1.5	2	2.5	3	4	5
(linear)	∞	35	34	33	32	33	37	44
	1000	36	34	33	32	32	33	34
	700	36	35	34	33	33	33	33

		$b [\text{cm}]$						
[%]		1600	1400	1200	1000	800	600	400
(log)	100	37	37	36	36	36	35	33
	200	35	35	34	34	33	32	40
	300	33	33	32	32	32	35	56



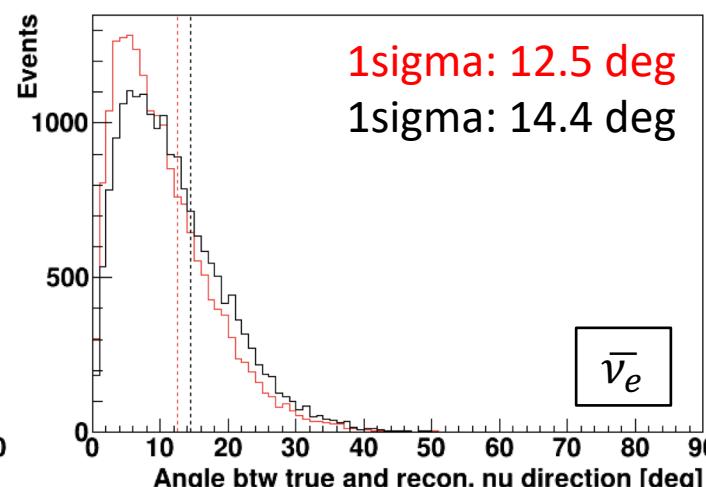
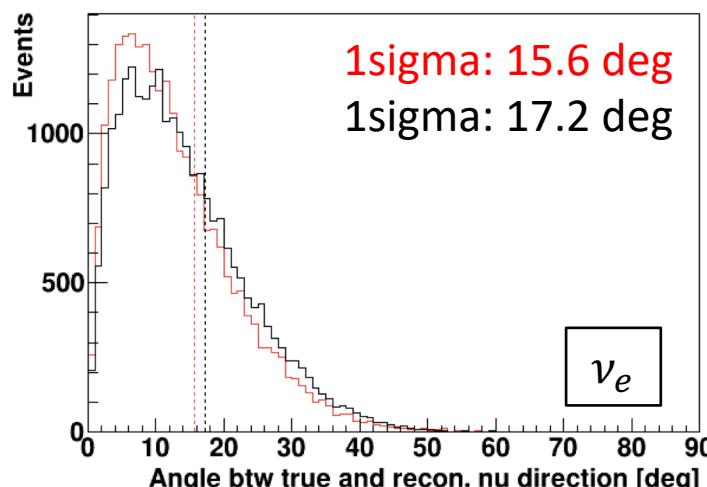
— : This method
— : Assume ring energy

Succeeded in getting more precise value while keeping σ .

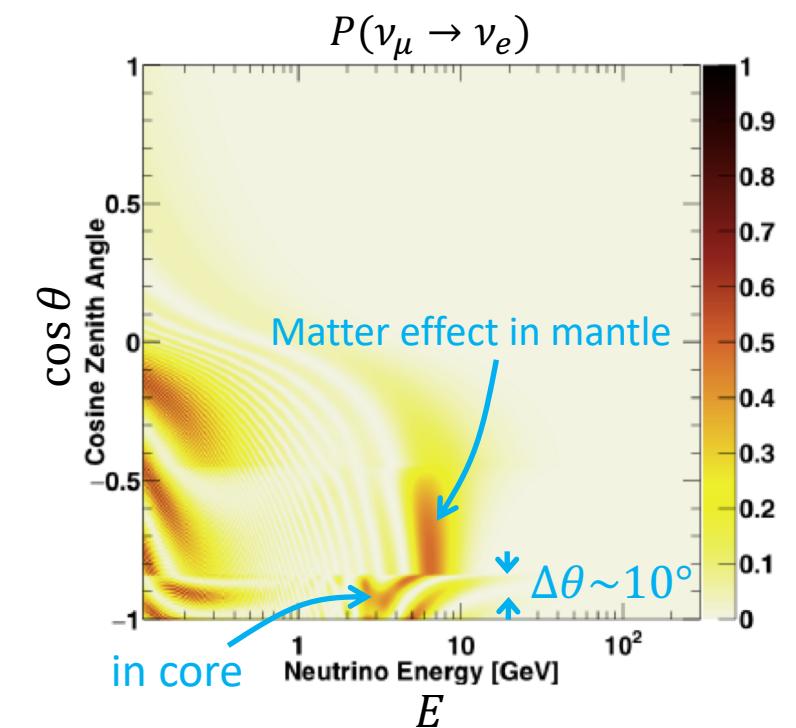
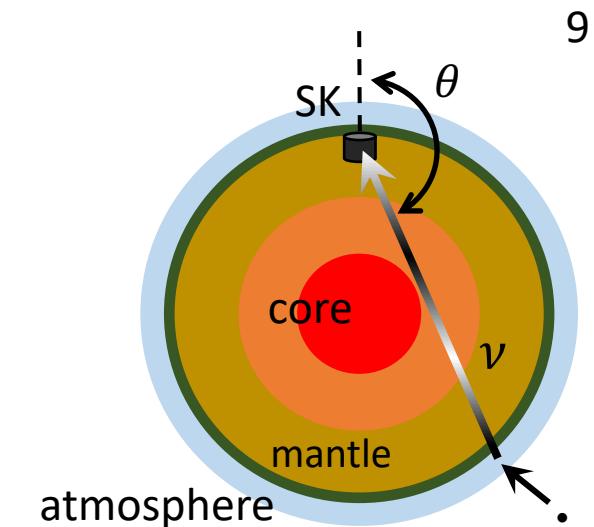
Effect on oscillation analysis

- Sensitivity study is just started.
- As a rough estimation of the effect on mass ordering determination, consider observing enhancement pattern in $\nu_e/\bar{\nu}_e$.
- To identify the change at $\cos \theta = -0.84$, required θ resolution is $\sim 10^\circ$.

→ Achievement is close to the requirement !



Improvements in $\nu_e/\bar{\nu}_e$ angular resolution ($E_{\text{vis}} > 1.33 \text{ GeV}$)



Summary and prospects

- I developed a new algorithm to reconstruct neutrino direction & energy using neutron tagging vertex.
- Neutron momentum is estimated from its displacement, and improvements in neutrino reconstruction are:

$$57.2^\circ \rightarrow 51.2^\circ \text{ in direction} / 38\% \rightarrow 32\% \text{ in energy}$$

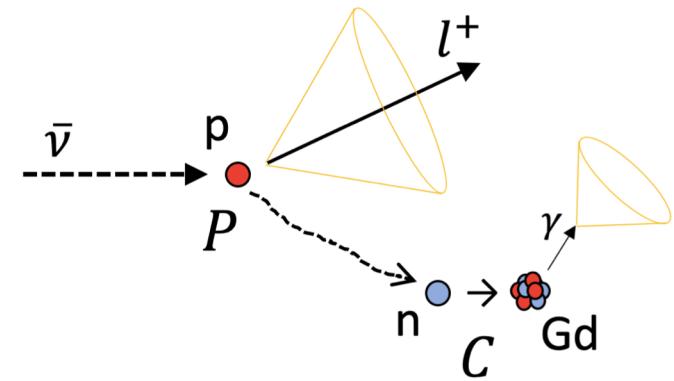
This method is applied in 39% of 1-ring events.

- The achieved angular resolution in high energy is close to the requirement for a strong evidence of mass ordering determination.
- Information of # of neutrons in a event can also be used for neutrino energy reconstruction.
- The method will be tested with real data of T2K events.

Backup

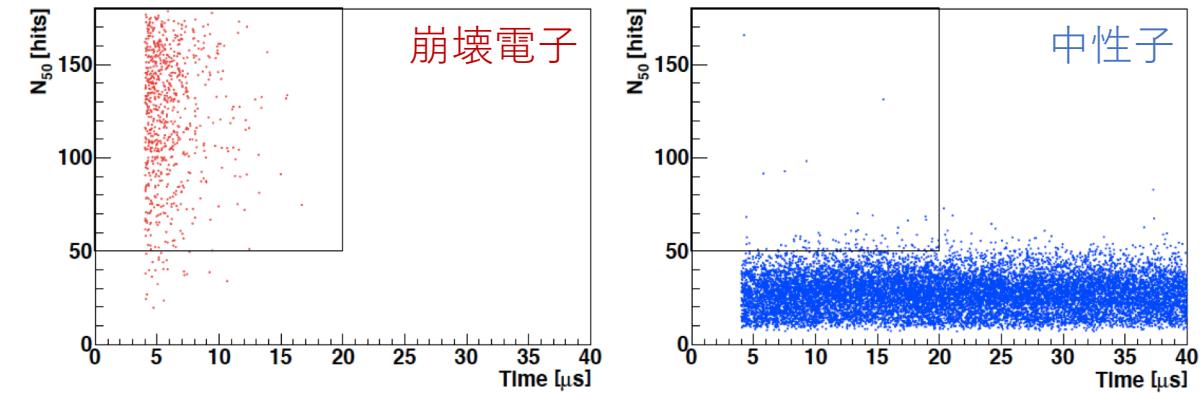
中性子情報を用いたニュートリノ再構成

- ニュートリノ反応位置 P から中性子捕獲位置 C までの変位 \overrightarrow{PC} から中性子の運動量を見積もる。
→ 荷電レプトンの情報と合わせてニュートリノの方向とエネルギーを再構成

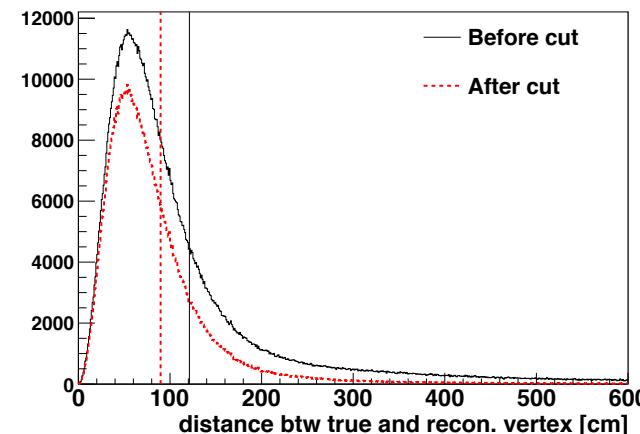


- 大気ニュートリノ MC 中で、ニュートリノ反応の後 $[4 \mu\text{s}, 534 \mu\text{s}]$ の範囲で中性子信号を探索した。

崩壊電子の信号も含まれる
→ 検出時間、PMTヒット数で除去



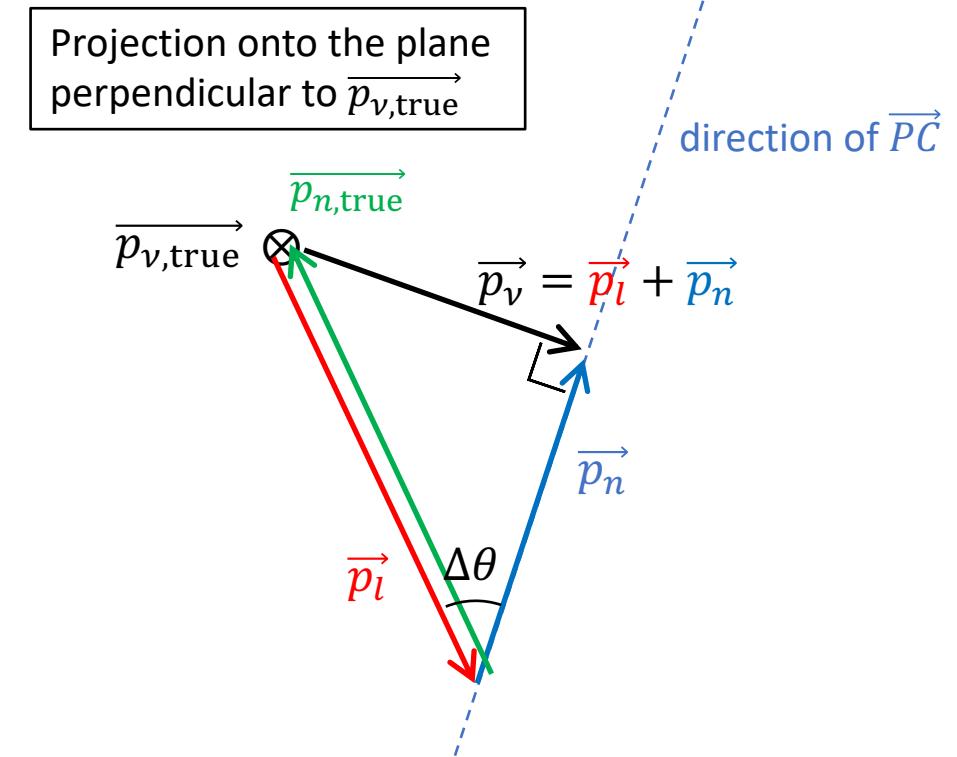
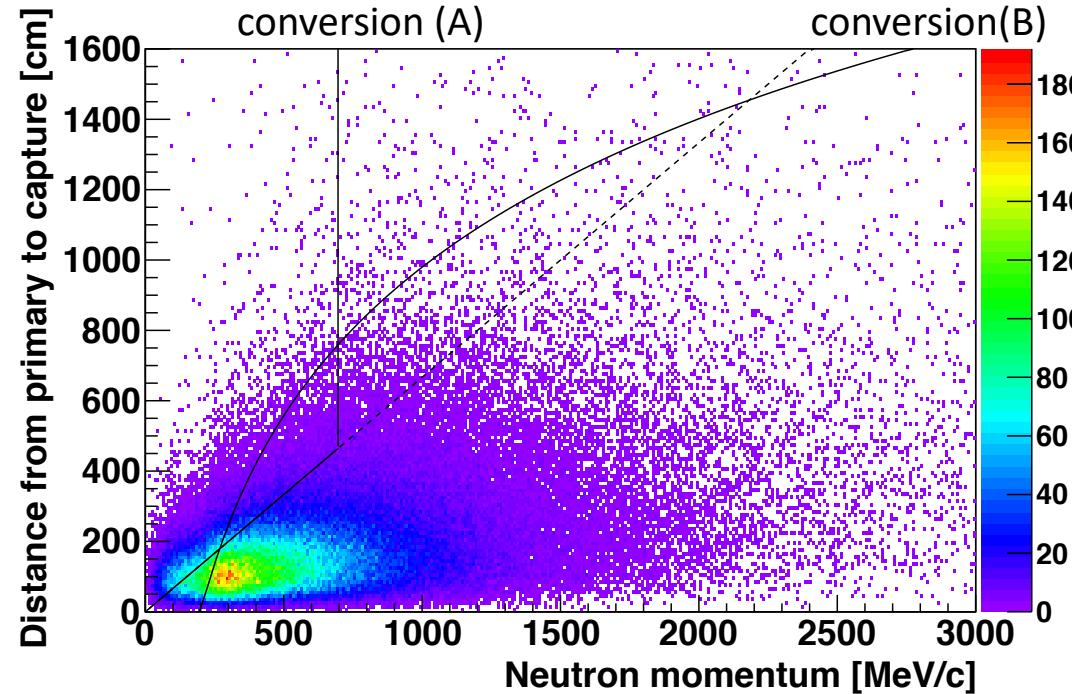
- 捕獲位置の再構成精度が悪い信号を除去：
(CapVtx1) 再構成の quality > 0.2
(CapVtx2) 14 ns 間でのPMTヒット数 ≥ 12
検出された中性子信号の 36% が除去された。



再構成精度は
 $121 \text{ cm} \rightarrow 90 \text{ cm}$
に改善

Interpretation of conversions

- The optimal conversions give smaller neutron momentum than the true value.
- In the plane perpendicular to $\overrightarrow{p_{\nu,\text{true}}}$, when reconstructed neutron direction is shifted by $\Delta\theta$, the best reconstruction of neutrino direction is realized at $p_n = p_{n,\text{true}} \cos \Delta\theta$.



Neutron momentum estimation

- Estimate neutron momentum from travel length $|\overrightarrow{PC}|$.
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- Try two ways to estimate p_n from $|\overrightarrow{PC}|$:

(A) $p_n \propto |\overrightarrow{PC}|$

$$\boxed{p_n = a \times |\overrightarrow{PC}|}$$

$$\text{if } p_n > u, \quad p_n = u$$

Set upper limit u to prevent overestimate.

(B) $\log p_n \propto |\overrightarrow{PC}|$

- Energy loss in a elastic collision $\propto K_n$
- Scattering cross section is approximately constant in $p_n \gtrsim 300 \text{ MeV/c}$

→ Travel length of a neutron $\propto \# \text{ of collisions} \propto \log K_n$

$$\boxed{\log_{10} \frac{p_n}{p_0} = \frac{|\overrightarrow{PC}|}{b}}$$

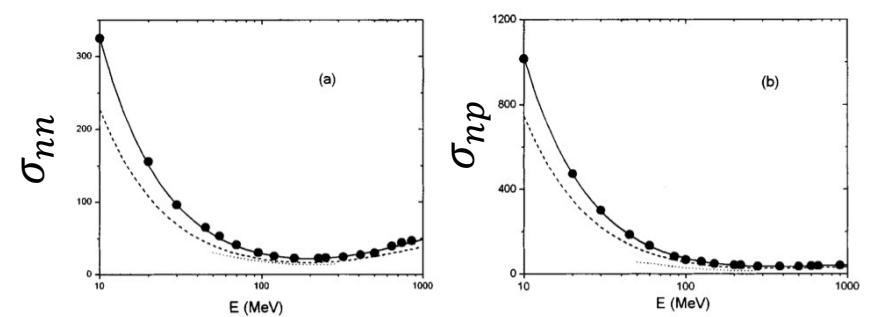
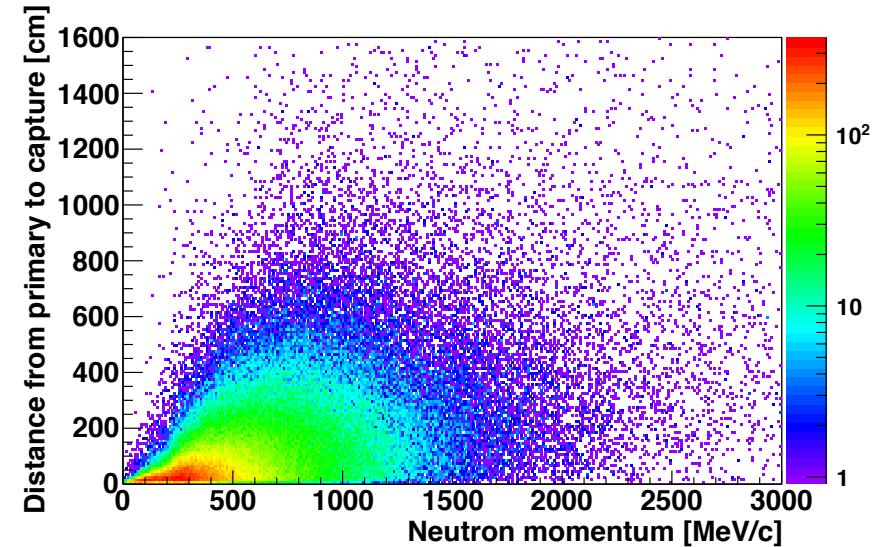


FIG. 1. Nucleon-nucleon cross section as a function of incident energy. (a) Neutron-neutron interaction cross section. (b) Neutron-proton interaction cross section. Solid circles indicate experimental free-space nucleon-nucleon cross section. Solid and dashed curves indicate the result of present formula at $\rho=0$ and ρ_0 , respectively. For comparison, results of the LM formula at $\rho=\rho_0$ are shown by dotted lines.