

Nonstandard interaction between leptons and heavy quarks

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Exploration of Particle Physics and Cosmology with Neutrino, 2022.3.7

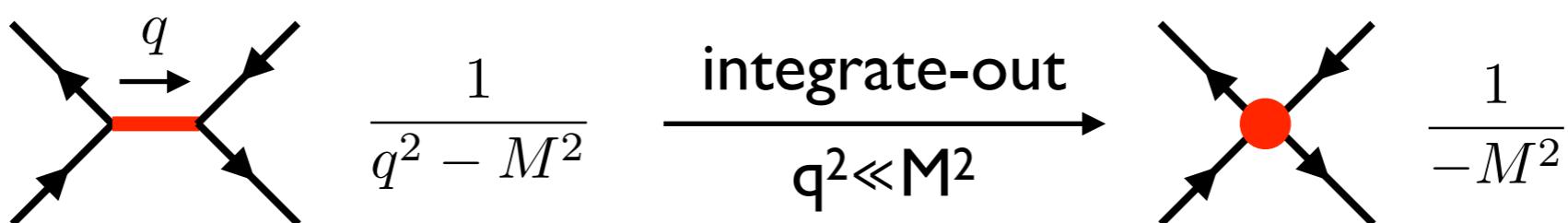
BSM ('non-standard') interactions

higher dimensional (dim>4) operators, e.g., four-Fermi interactions

8 : $(\bar{L}L)(\bar{L}L)$		8 : $(\bar{R}R)(\bar{R}R)$		8 : $(\bar{L}L)(\bar{R}R)$	
Q_{ll}	$(\bar{l}_p \gamma_\mu l_r)(\bar{l}_s \gamma^\mu l_t)$	Q_{ee}	$(\bar{e}_p \gamma_\mu e_r)(\bar{e}_s \gamma^\mu e_t)$	Q_{le}	$(\bar{l}_p \gamma_\mu l_r)(\bar{e}_s \gamma^\mu e_t)$
$Q_{qq}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{q}_s \gamma^\mu q_t)$	Q_{uu}	$(\bar{u}_p \gamma_\mu u_r)(\bar{u}_s \gamma^\mu u_t)$	Q_{lu}	$(\bar{l}_p \gamma_\mu l_r)(\bar{u}_s \gamma^\mu u_t)$
$Q_{qq}^{(3)}$	$(\bar{q}_p \gamma_\mu \tau^I q_r)(\bar{q}_s \gamma^\mu \tau^I q_t)$	Q_{dd}	$(\bar{d}_p \gamma_\mu d_r)(\bar{d}_s \gamma^\mu d_t)$	Q_{ld}	$(\bar{l}_p \gamma_\mu l_r)(\bar{d}_s \gamma^\mu d_t)$
$Q_{lq}^{(1)}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{q}_s \gamma^\mu q_t)$	Q_{eu}	$(\bar{e}_p \gamma_\mu e_r)(\bar{u}_s \gamma^\mu u_t)$	Q_{qe}	$(\bar{q}_p \gamma_\mu q_r)(\bar{e}_s \gamma^\mu e_t)$
$Q_{lq}^{(3)}$	$(\bar{l}_p \gamma_\mu \tau^I l_r)(\bar{q}_s \gamma^\mu \tau^I q_t)$	Q_{ed}	$(\bar{e}_p \gamma_\mu e_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{qu}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{u}_s \gamma^\mu u_t)$
$\cap^{(1)}$		$\cap^{(1)}$		$\cap^{(8)}$	
$(\bar{u}_i \gamma^\mu u_i) \vee (\bar{d}_i \gamma^\mu d_i)$		$(\bar{u}_i \gamma^\mu u_i) \vee (\bar{d}_i \gamma^\mu d_i)$		$(\bar{u}_i \gamma^\mu T^A u_i) \vee (\bar{d}_i \gamma^\mu T^A d_i)$	

Generated by integrating-out new (heavy) particles

Today, we consider interactions between quarks and leptons.



NSI's induce rich phenomena

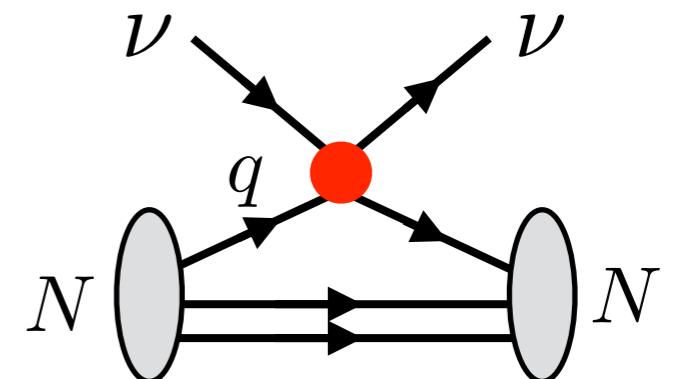
Example: $(Q_{\ell q}^{(1)})_{ijkl} = (\bar{\ell}_i \gamma_\mu \ell_j)(\bar{q}_k \gamma^\mu q_l)$

ℓ = charged or neutral leptons
 q = up- or down-type quarks
 i, j, k, l = generation

Flavor-Conserving (FC) light (up, down) quarks

Ex. exotic neutrino-nucleon scattering

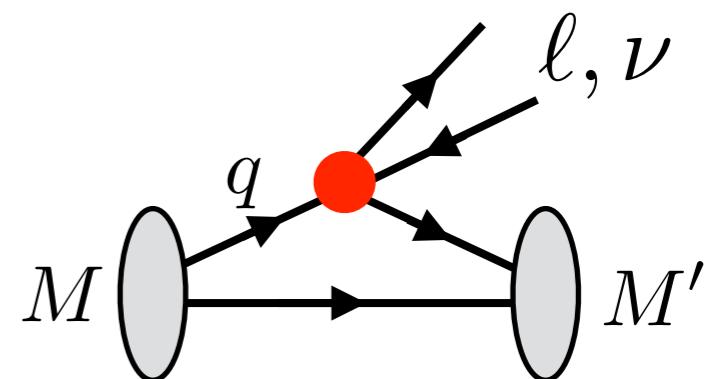
→ “neutrino nonstandard interaction”



Flavor-violating quarks or FC heavy quarks

Quark flavor violation (rare meson decays)

→ Today's topics



Today's topics

Several hints of BSM in rare B decays

- Quark flavor-**violating** interaction

Ref. ME, Iguro, Kitahara, Takeuchi, Watanabe, JHEP 02(2022)106

- Quark flavor-**conserving** interaction

Ref. ME, Mishima, Ueda, JHEP 05(2021)050

- Summary

Quark-flavor **violating** nonstandard interaction

Ref. ME, Iguro, Kitahara, Takeuchi, Watanabe, JHEP 02(2022)106

Hints of BSM in B meson decays

Charged-current anomaly: $b \rightarrow c\ell^-\bar{\nu}_\ell$

$$R_{D^{(*)}} = \frac{\mathcal{B}(\bar{B} \rightarrow D^{(*)}\tau^-\bar{\nu}_\tau)}{\mathcal{B}(\bar{B} \rightarrow D^{(*)}\ell^-\bar{\nu}_\ell)}$$

Theoretical progresses in SM prediction

Form factor: $1/m_c^2$ correction, include all exp data

[Bordone et al.,'19; Iguro, Watanabe,'20]

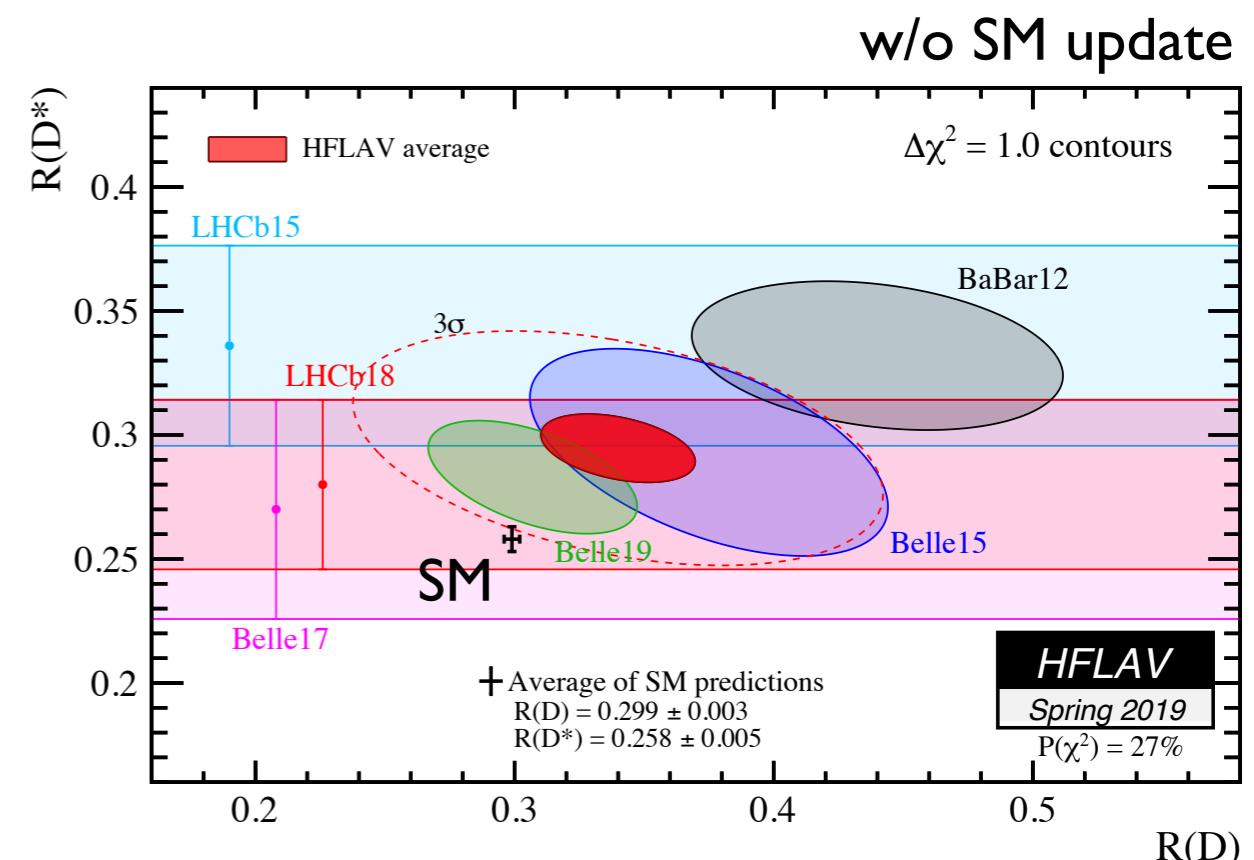
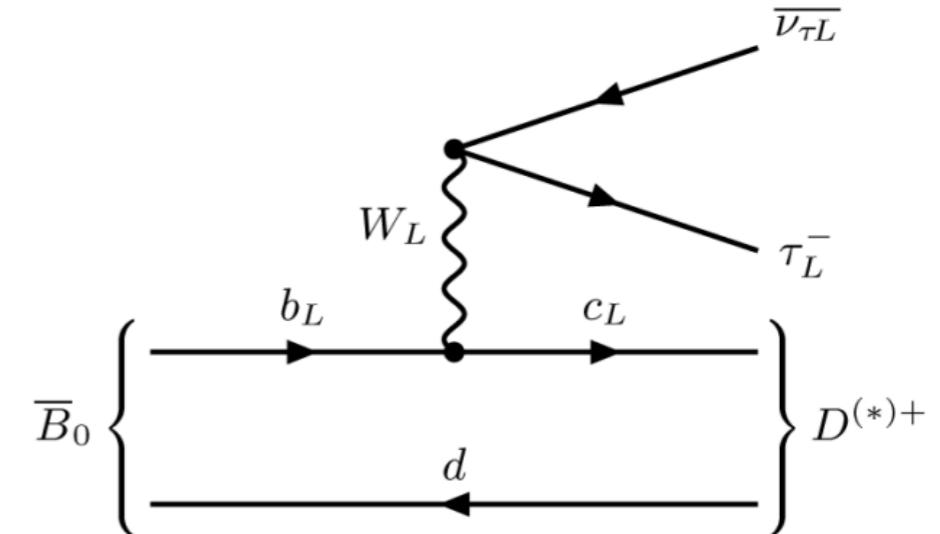
Discrepancy between exp and SM

2019 $R(D)$: 1.4σ , $R(D^*)$: 2.5σ

\Rightarrow 2022 $R(D)$: 1.7σ , $R(D^*)$: 3.4σ

Combined significance is **4.2 σ**

... hints of BSM, i.e., NSI



Effective field theory

Charged-current anomaly: $b \rightarrow c\ell^-\bar{\nu}_\ell$

Relevant effective Hamiltonian (below EWSB scale)

$$\begin{aligned}\mathcal{H}_{\text{eff}} = 2\sqrt{2}G_F V_{cb} & \left[(1 + C_{V_1})(\bar{c}\gamma^\mu P_L b)(\bar{\tau}\gamma_\mu P_L v_\tau) + C_{V_2}(\bar{c}\gamma^\mu P_R b)(\bar{\tau}\gamma_\mu P_L v_\tau) \right. \\ & + C_{S_1}(\bar{c}P_R b)(\bar{\tau}P_L v_\tau) + C_{S_2}(\bar{c}P_L b)(\bar{\tau}P_L v_\tau) \\ & \left. + C_T(\bar{c}\sigma^{\mu\nu} P_L b)(\bar{\tau}\sigma_{\mu\nu} P_L v_\tau) \right] + \text{h.c.},\end{aligned}$$

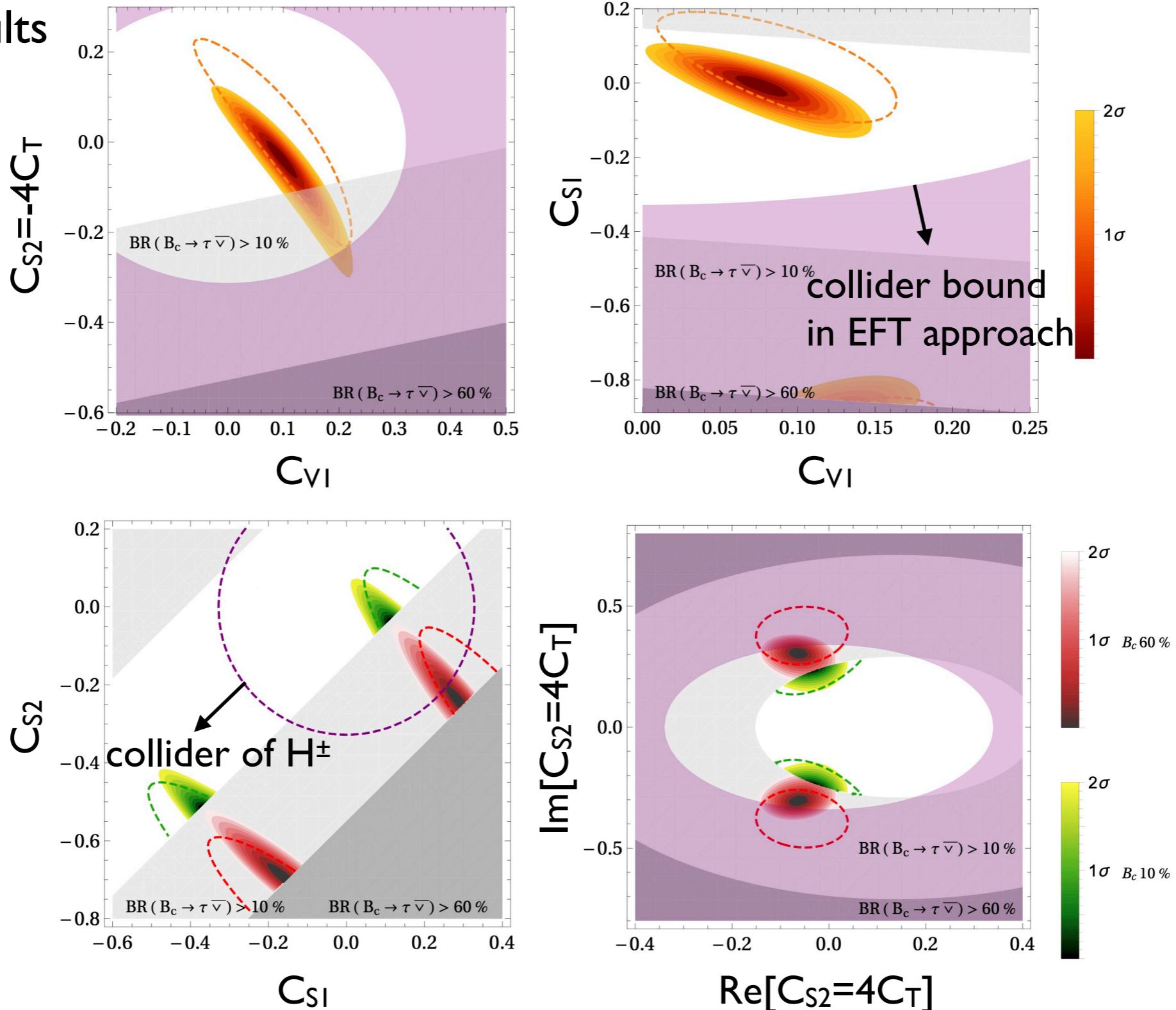
Operators are normalized by $\sim G_F V_{cb} \rightarrow \dim[C_i]=0$

LFUV $(O_{V2})_{cb\tau v}$ arises from dim-8 in SMEFT $\rightarrow \sim v^2/\Lambda^2$ in most BSM

Universal set, $(O_{V2})_{cb\tau v} = (O_{V2})_{cb\mu v} = (O_{V2})_{cbev}$, is generated by $i(\tilde{H}^\dagger D_\mu H)(\bar{u}_p \gamma^\mu d_r)$ by exchanging Z boson at tree-level (after taking Higgs VEV)

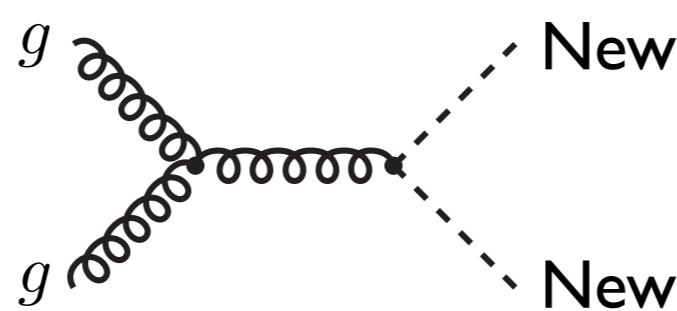
BSM energy scale is typically $O(1\text{-}10)\text{TeV}$

2D fit results



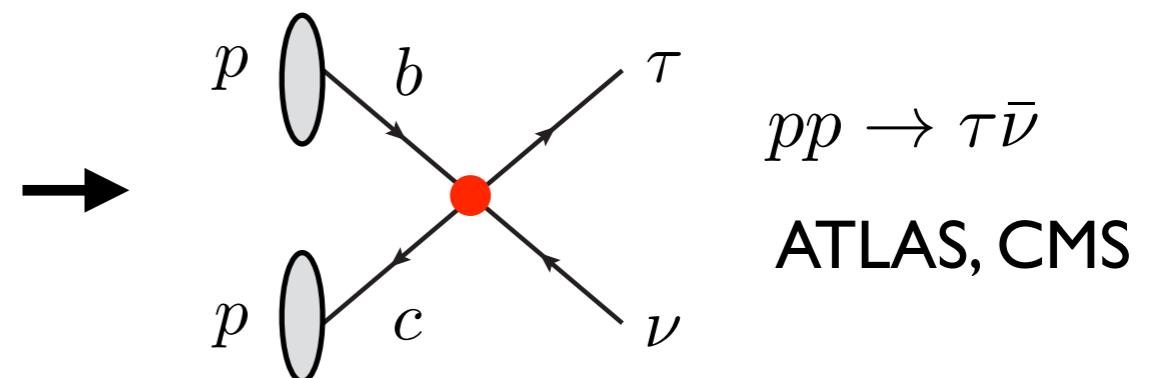
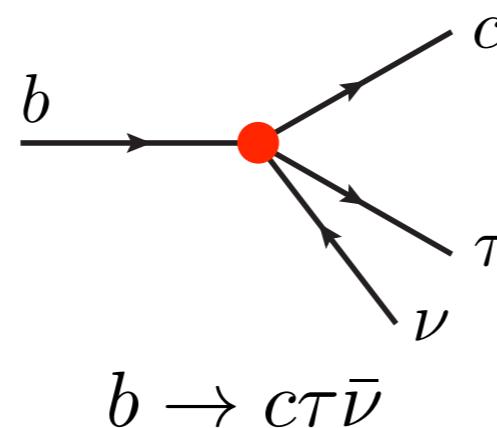
Search for new particle (effects) at LHC

Direct production



sensitivity is limited by
collision energy

Indirect search

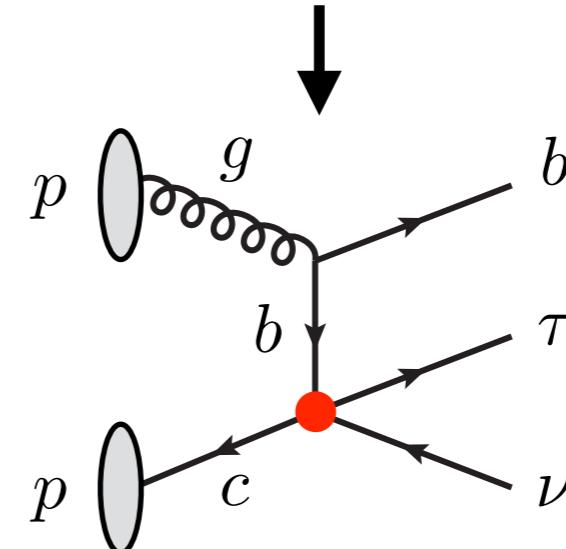


New study on $pp \rightarrow \tau\nu + b\text{-jet}$

Compared to $pp \rightarrow \tau\nu$:

Sig. suppressed by 3-body final state

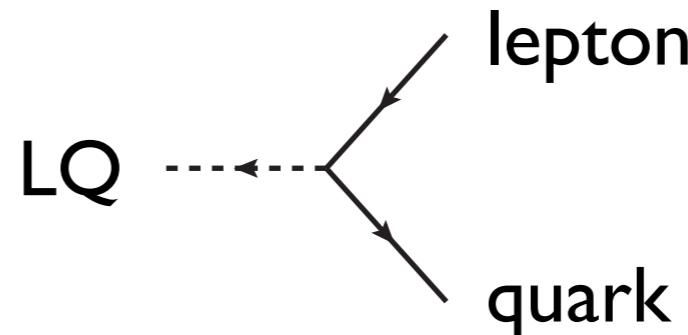
Much smaller SM background



Benchmark model: leptoquark

Leptoquark is a spin 0 or 1 particle carrying both lepton and baryon #

Couple to lepton and quark:

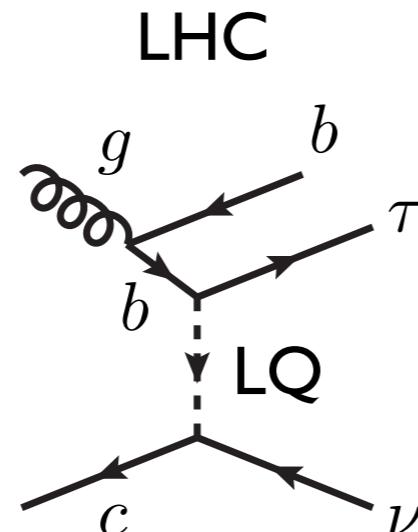
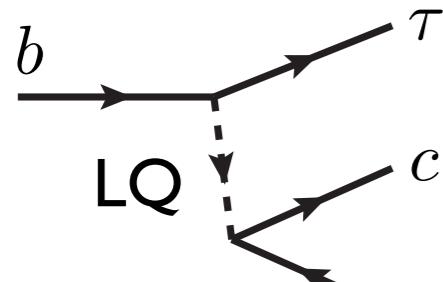


Introduced in models unifying quarks and leptons, e.g., Pati-Salam model

Mass $>\sim 1 \text{ TeV}$ by LHC direct searches

$R(D)$, $R(D^*)$ are explained by R_2, S_1, U_1

$R(D), R(D^*)$



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$(SU(3), SU(2), U(1))$	Spin	Symbol	dim-6
$(\bar{\mathbf{3}}, \mathbf{3}, 1/3)$	0	S_3	
$(\mathbf{3}, \mathbf{2}, 7/6)$	0	R_2	$C_{S2}=4C_T$
$(\mathbf{3}, \mathbf{2}, 1/6)$	0	\tilde{R}_2	
$(\bar{\mathbf{3}}, \mathbf{1}, 4/3)$	0	\tilde{S}_1	
$(\bar{\mathbf{3}}, \mathbf{1}, 1/3)$	0	S_1	
$(\bar{\mathbf{3}}, \mathbf{1}, -2/3)$	0	\bar{S}_1	
<hr/>			
$(\mathbf{3}, \mathbf{3}, 2/3)$	1	U_3	
$(\bar{\mathbf{3}}, \mathbf{2}, 5/6)$	1	V_2	
$(\bar{\mathbf{3}}, \mathbf{2}, -1/6)$	1	\tilde{V}_2	
$(\mathbf{3}, \mathbf{1}, 5/3)$	1	\tilde{U}_1	
$(\mathbf{3}, \mathbf{1}, 2/3)$	1	U_1	C_{V1}, C_{S1}
$(\mathbf{3}, \mathbf{1}, -1/3)$	1	\bar{U}_1	

Result: U_1 (vector) LQ

Sensitivity is improved by $\tau\nu+b$ analysis versus traditional $\tau\nu$ search.

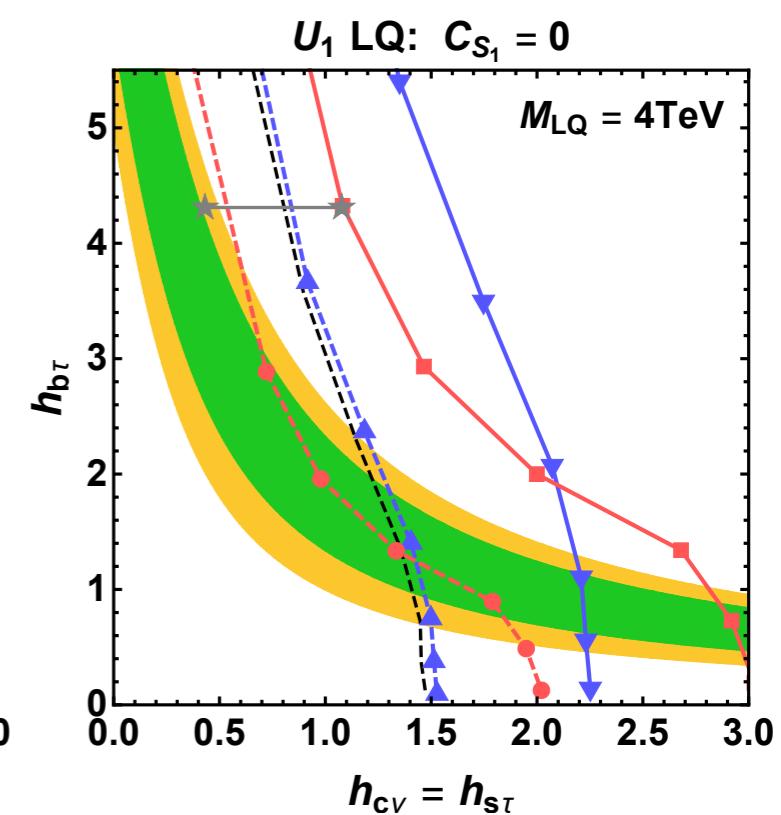
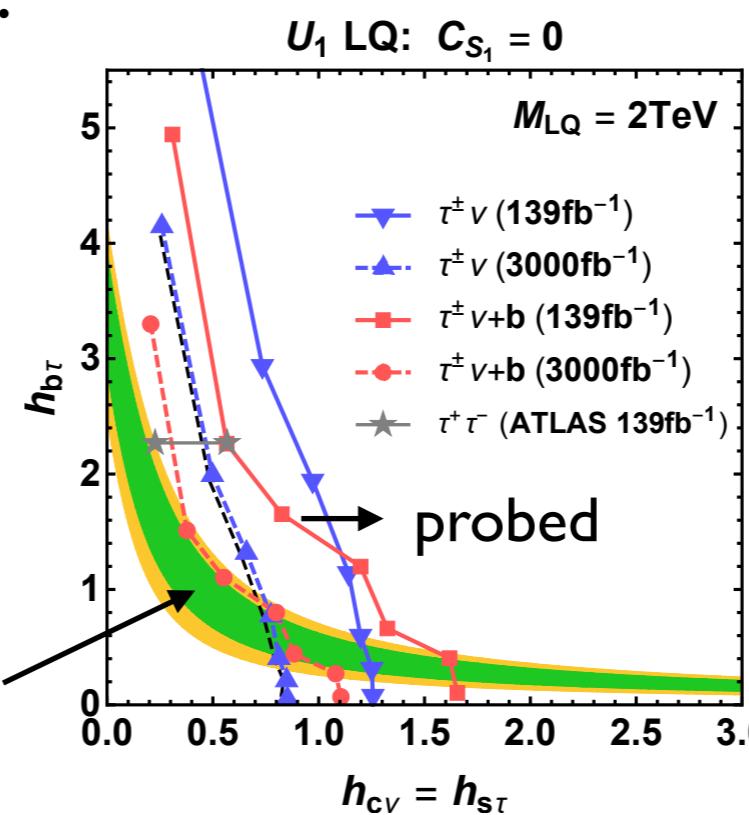
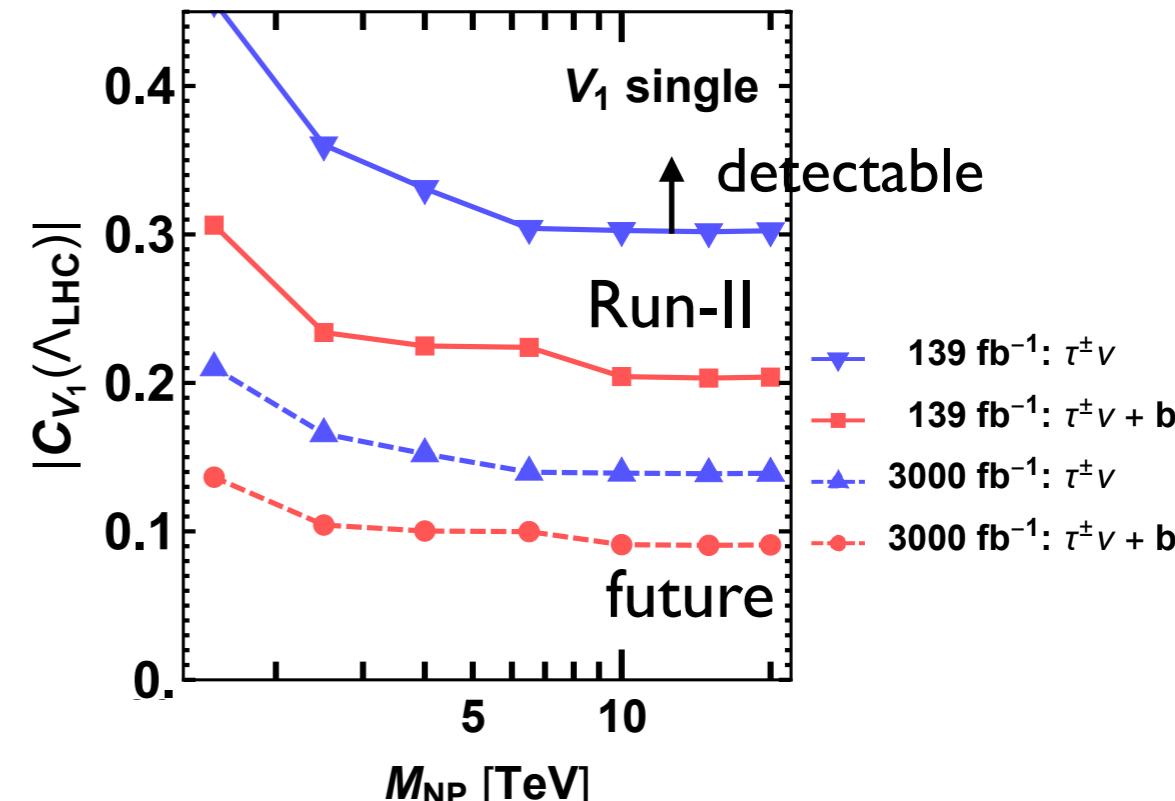
Sensitivity depends on LQ mass, i.e., EFT approx. is not always valid.

Because of SU(2) symmetry, LQ-s-T int. is predicted due to LQ-c-v int.

$$\bar{Q}_L \gamma^\mu L_L U_{1,\mu}$$

For U_1 , large LQ-c-v coupling region can be probed.

$$R(D), R(D^*)$$



$$M_{R_2 \text{ LQ}} = 2.5 \text{ TeV}$$

Result: R₂ and S₁ LQ

Flavor constraint must be taken into account.

R₂ model predicts $C_{S_2} = 4C_T$

Constraint from $B(B_c \rightarrow \tau\nu)$ [large uncert.]

All region can be probed by $\tau\nu+b$ channel
if the current (Run-II) data are analyzed.

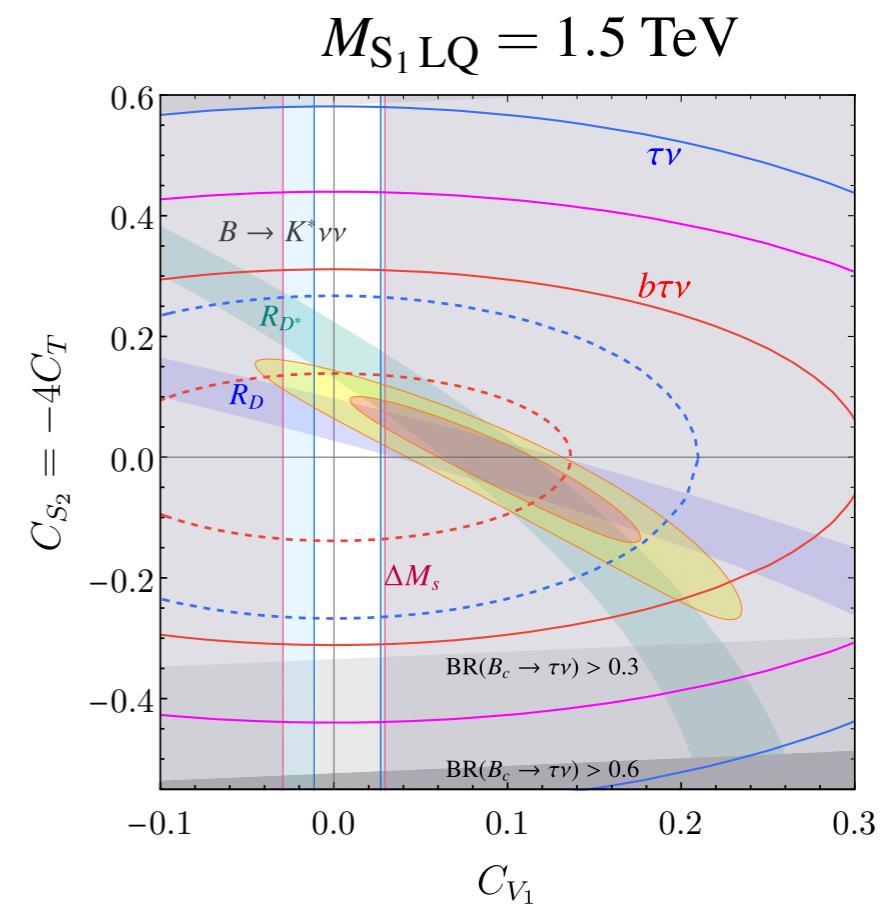
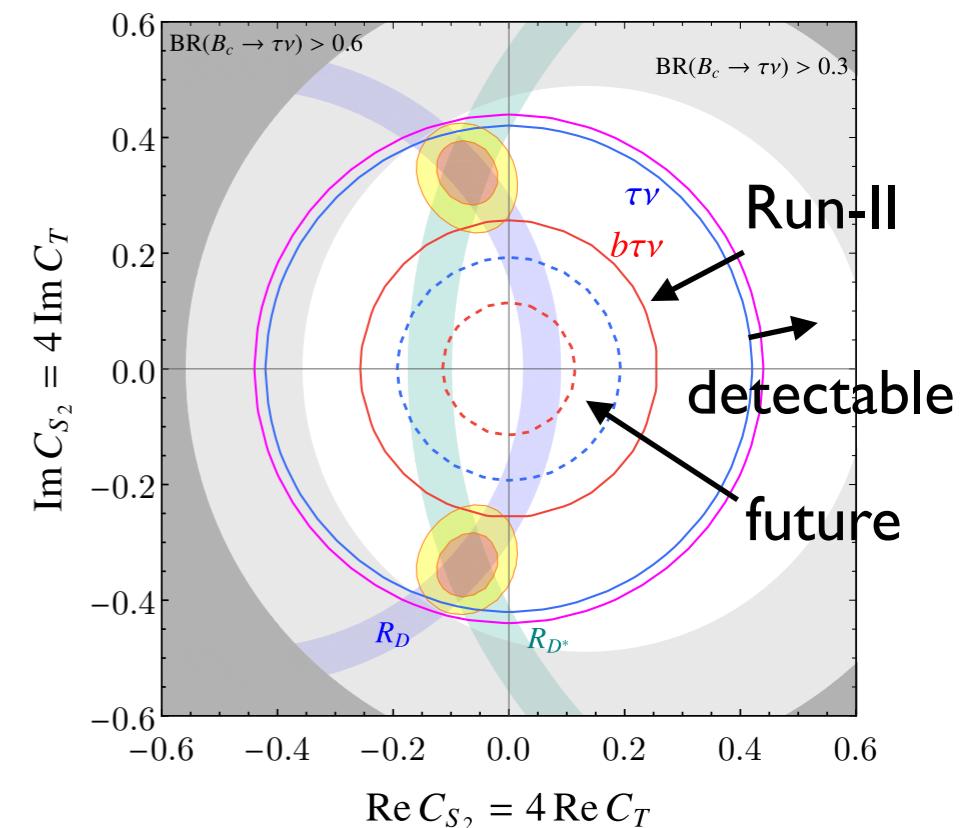
S₁ model predicts ($C_{V1}, C_{S_2} = -4C_T$)

Robust constraint from $\Delta M_s, B \rightarrow K^*\nu\nu$

Most R(D*) region can be probed in future.

pp $\rightarrow \tau\nu+b$ channel is powerful to probe
BSM responsible for R(D), R(D*)

cf. Blanke et.al. applied to charged Higgs model.



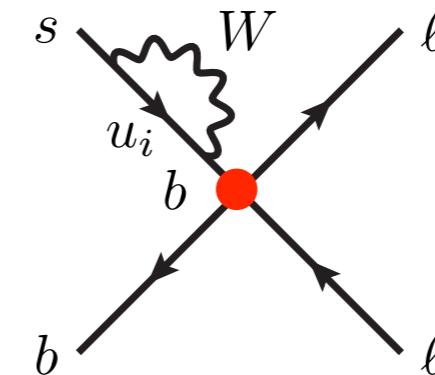
Quark-flavor conserving nonstandard interaction contribution to quark flavor violations

Ref. ME, Mishima, Ueda, JHEP 05(2021)050

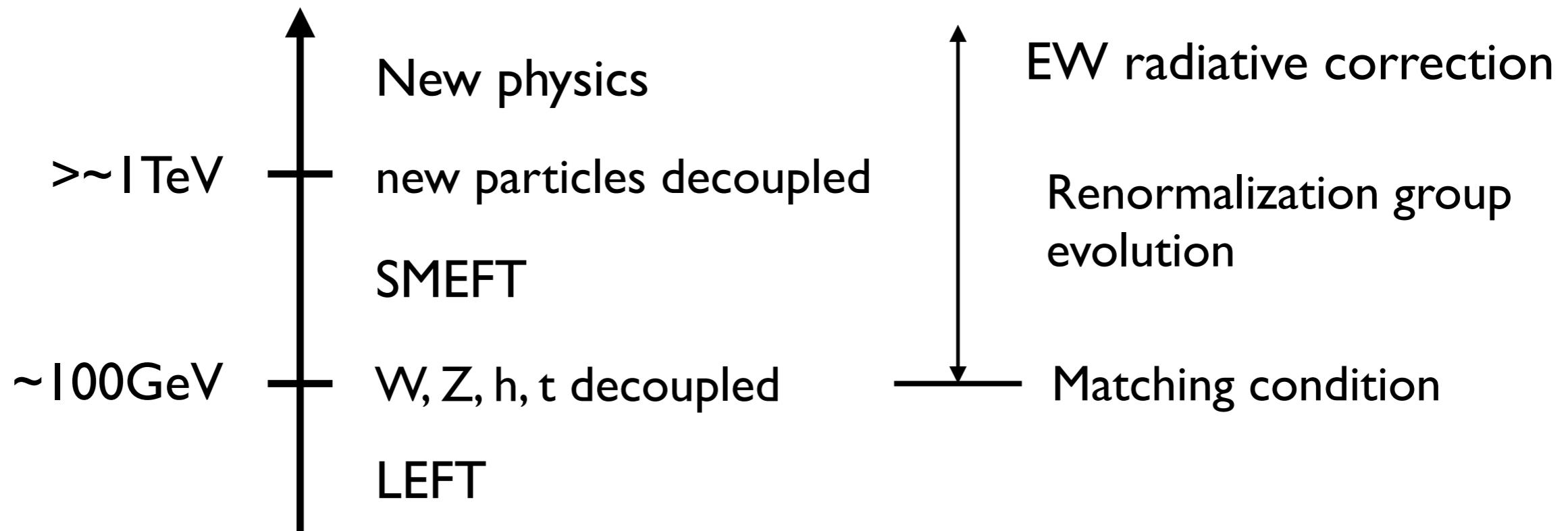
Why flavor-conserving int. induce flavor violations?

In general, CKM matrix in W boson loop triggers flavor violations.

Ex. (bbll) operator \rightarrow (bsll) operator



Energy scale



Traditional study

Renormalization group evolution (especially of Yukawa matrix)

[e.g., Coy,Frigerio,Mescia,Sumensari'20]

→ Need finite terms (EW threshold corrections) for low-scale BSM.

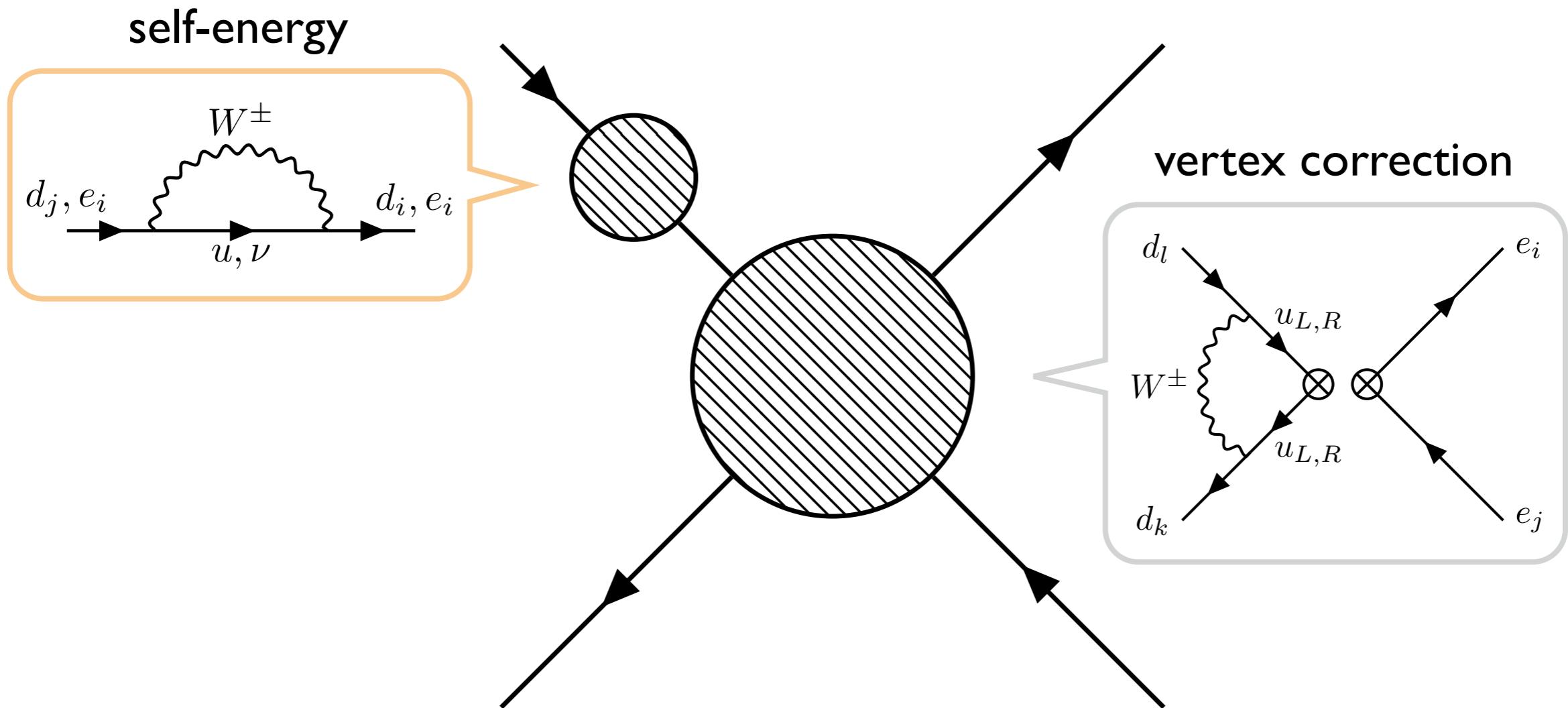
Approximation of quark (&lepton) mass → 0 in calculating matching cond.

Quark (&lepton) mass (m) ≪ BSM scale (M)

Valid when the amplitudes are expanded by $m/M (\rightarrow 0)$

→ Can we apply this approximation *at the beginning of calculation?*

EW radiative corrections



Self-energy correction

On-shell condition of fermion propagator (with flavor-changing corrections)

$$S_{ij}(\not{p}) = \frac{\not{p} + m_i}{p^2 - m_i} \delta_{ij} + \frac{\not{p} + m_i}{p^2 - m_i} (-\Sigma_{ij}) \frac{\not{p} + m_j}{p^2 - m_j} + \dots \rightarrow \text{simple pole only at } p^2 = m_i^2$$

↑
Radiative correction

(m_i: fermion mass)

$$\Sigma_{ij}(p) = \not{p} [P_L \Sigma_{ij}^L(p^2) + P_R \Sigma_{ij}^R(p^2)] + P_L \Sigma_{ij}^{DL}(p^2) + P_R \Sigma_{ij}^{DR}(p^2)$$

Fermion wave function (i≠j)

$$f_{L,R,i}^{(0)} = (Z_{ij}^{L,R})^{1/2} f_{L,R,j} = \left(\delta_{ij} + \frac{1}{2} \delta Z_{ij}^{L,R} \right) f_{L,R,j}$$

$$\delta Z_{ij}^L = \frac{2}{m_j^2 - m_i^2} [m_j^2 \Sigma_{ij}^L(m_j^2) + m_i m_j \Sigma_{ij}^R(m_j^2) + m_i \Sigma_{ij}^{DL}(m_j^2) + m_j \Sigma_{ij}^{DR}(m_j^2)] \quad \text{etc.}$$

c.f. analogous to diagonalization of mass matrix

Because fermion masses appear in denominator, m→0 approx. in advance
is not valid for calculating flavor-changing self-energy corrections.

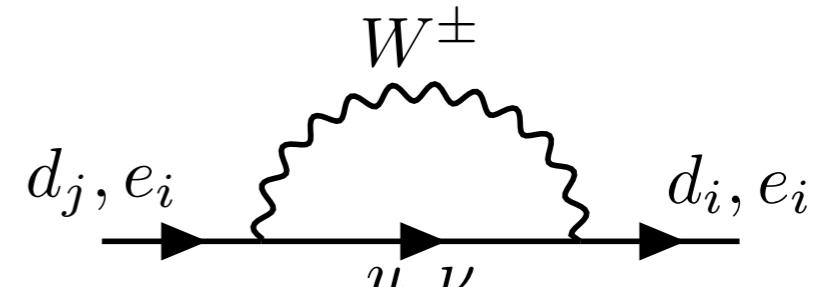
Self-energy correction

EW 1-loop correction ($m_i \ll m_j$ for $i < j$)

$$\frac{1}{2}\delta Z_{ij}^L = \frac{\alpha \lambda_{m'}^{ij}}{\pi s_W^2} \left[K_{ij}(x_{m'}, \mu) - \Xi_1(x_{m'}) - \frac{1}{2}\Xi_0(\mu) \right],$$

$$\frac{1}{2}\delta \bar{Z}_{ij}^L = \frac{\alpha \lambda_{m'}^{ij}}{\pi s_W^2} \left[\bar{K}_{ij}(x_{m'}, \mu) - \Xi_1(x_{m'}) - \frac{1}{2}\Xi_0(\mu) \right],$$

$$\frac{1}{2}\delta Z_{ij}^R = 0, \quad \frac{1}{2}\delta \bar{Z}_{ij}^R = 0,$$



summed over m'

$$\lambda_{m'}^{ij} = V_{m'i}^* V_{m'j}, \quad x_i = m_{ui}^2 / M_W^2$$

Left-handed quarks receive EW corrections.

Result depends on flavor (i,j) structure.

$$K_{ij}(x, \mu) = \begin{cases} K_0(x, \mu), & (i = j) \\ K_1(x, \mu), & (i < j) \\ K_2(x, \mu), & (i > j) \end{cases} \quad \bar{K}_{ij}(x, \mu) = \begin{cases} K_0(x, \mu), & (i = j) \\ K_2(x, \mu), & (i < j) \\ K_1(x, \mu), & (i > j) \end{cases}$$

$K_{0,1,2}$: loop functions, $\Xi_{0,1}$: gauge-dependent functions (R ξ gauge)

→ Apply to explicit decay process

Hints of BSM in B meson decays

Neutral-current anomaly: $b \rightarrow s \mu^+ \mu^-$

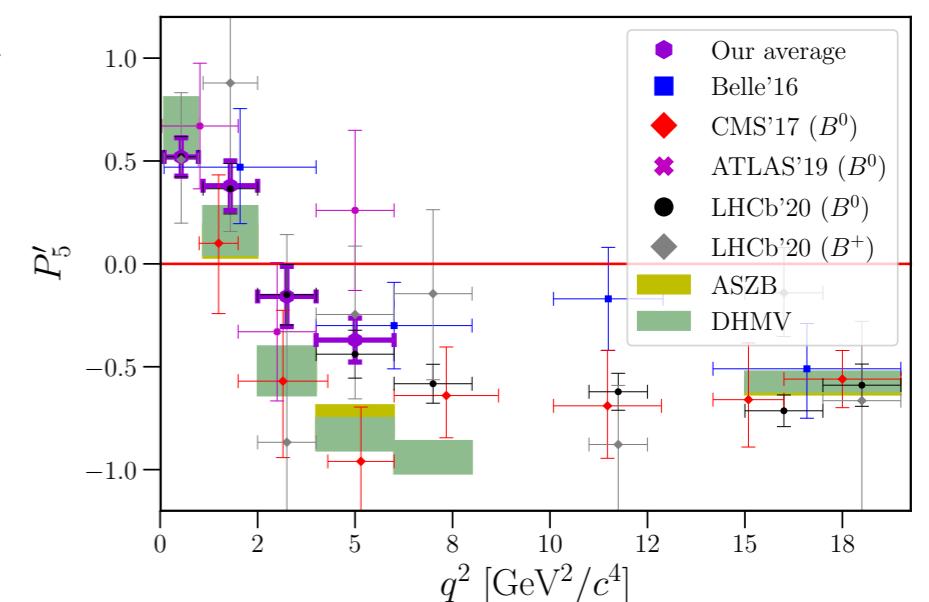
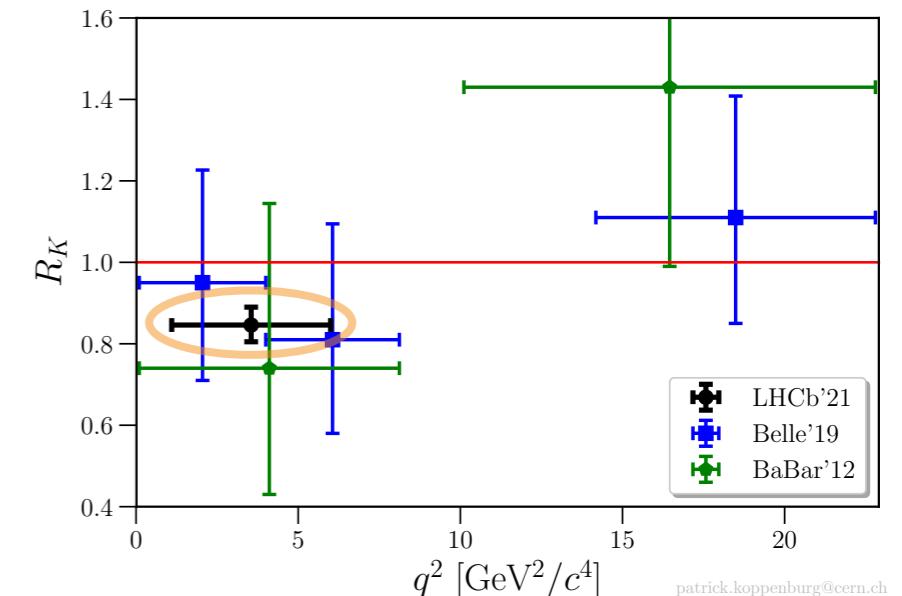
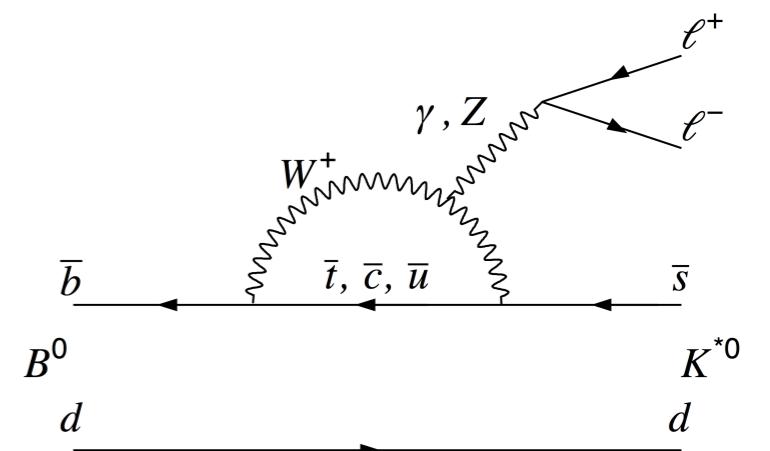
$$R_{K^{(*)}} = \frac{\mathcal{B}(B \rightarrow K^{(*)} \mu^+ \mu^-)}{\mathcal{B}(B \rightarrow K^{(*)} e^+ e^-)}$$

New LHCb ('20) result of $R(K)$ confirms deviation between exp and SM.

Significance: 3.1σ in $R(K)$, $\sim 2\sigma$ deviations in $R(K^*)$

Angular distribution (P_5') of $B \rightarrow K^* \mu \mu$ also shows strong tension with SM ($> 3\sigma$), though potentially large hadronic uncertainty exists.

→ hints of BSM, i.e., NSI



Effective field theory

Relevant effective Hamiltonian (below EWSB scale)

$$\mathcal{H}_{\text{eff}} = -\frac{4G_F}{\sqrt{2}} [C_9 Q_9 + C_{10} Q_{10}],$$

$$(Q_9)_{ijkl} = \frac{e^2}{16\pi^2} (\bar{d}_i \gamma_\mu P_L d_j)(\bar{e}_k \gamma^\mu e_l),$$

$$(Q_{10})_{ijkl} = \frac{e^2}{16\pi^2} (\bar{d}_i \gamma_\mu P_L d_j)(\bar{e}_k \gamma^\mu \gamma_5 e_l),$$

SM prediction

$$C_9(\text{SM})=4.1, C_{10}(\text{SM})=-4.3$$

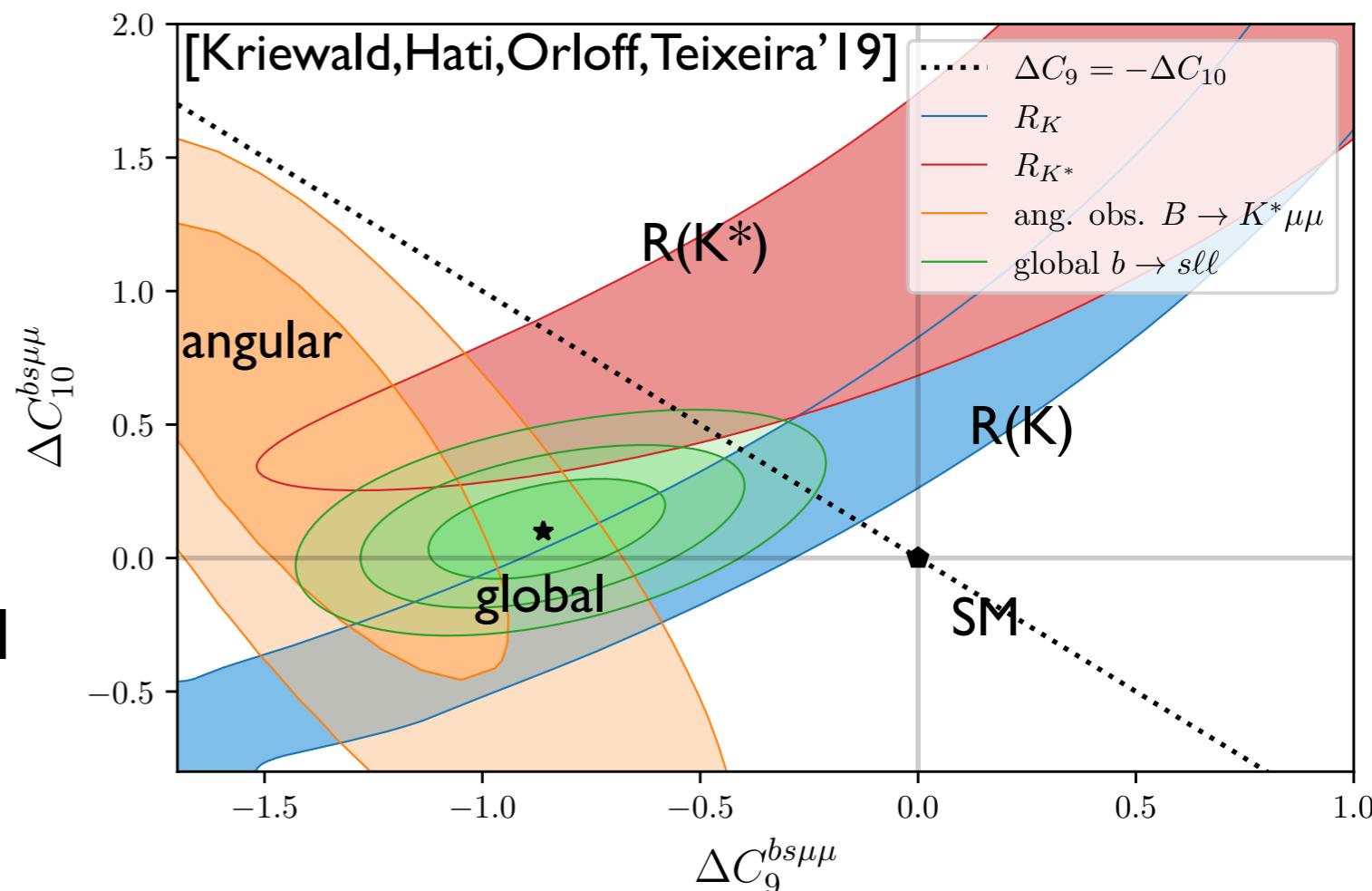
BSM scale

$$\Lambda(\text{tree}) \sim \mathcal{O}(10)\text{TeV}$$

$$\Lambda(\text{loop}) \sim \mathcal{O}(1)\text{TeV} \leftarrow \text{FC NSI}$$

ACDMN 1D Hyp.	Complete fit: 246 observables		
	Best fit	Pull _{SM} (σ)	p-value
$C_{9\mu}^{\text{NP}}$	$-1.06^{+0.15}_{-0.14}$	7.0	39.5 %
$C_{9\mu}^{\text{NP}} = -C_{10\mu}^{\text{NP}}$	$-0.44^{+0.07}_{-0.08}$	6.2	22.8 %

[Capdevila, Descotes-Genon, Matias, Novoa-Brunet'19]



Flavor-conserving interaction induces flavor violation

$$(C_{\ell q}^{(1)})$$

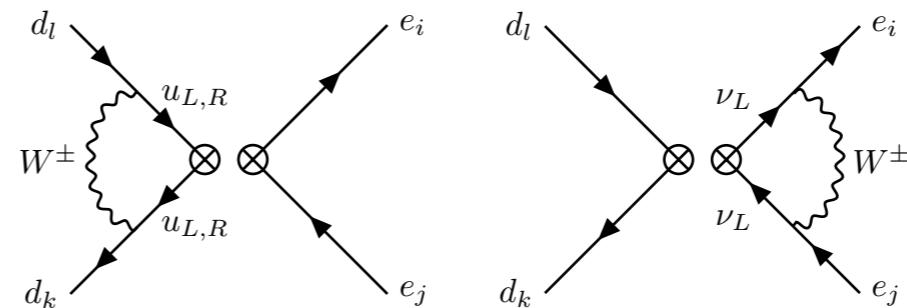
$$(\bar{\ell}_{L,2}\gamma_\rho \ell_{L,2})(\bar{q}_{L,3}\gamma^\rho q_{L,3})$$

EW loop

$$(C_{9,10})$$

$$(\bar{b}_L \gamma_\mu s_L) \times (\bar{\mu} \gamma^\mu \mu), (\bar{\mu} \gamma^\mu \gamma_5 \mu)$$

Including vertex correction



$$(C_9)_{ijkl}^{\text{EW}} = -(C_{10})_{ijkl}^{\text{EW}}$$

$$= \frac{v^2}{s_W^2} \lambda_{m'}^{ii'} \lambda_{n'}^{j'j} (C_{\ell q}^{(1)})_{kli'j'} \times$$

$$\begin{cases} I_2(x_{m'}, x_{n'}, \mu), & (i' = i, j' = j) \\ [J_2(x_{m'}, x_{n'}) + K_1(x_{m'}, \mu)], & (i' < i, j' = j) \\ [J_2(x_{m'}, x_{n'}) + K_2(x_{m'}, \mu)], & (i' > i, j' = j) \\ [J_2(x_{m'}, x_{n'}) + K_1(x_{n'}, \mu)], & (i' = i, j' < j) \\ [J_2(x_{m'}, x_{n'}) + K_2(x_{n'}, \mu)], & (i' = i, j' > j) \\ J_2(x_{m'}, x_{n'}). & (i' \neq i, j' \neq j) \end{cases}$$



$$I_2(x, y, \mu) = J_2(x, y) + K_0(x, \mu) + K_0(y, \mu),$$

Flavor-conserving interaction induces flavor violation

ACDMN	Complete fit: 246 observables		
1D Hyp.	Best fit	Pull _{SM} (σ)	p-value
$C_{9\mu}^{\text{NP}}$	$-1.06^{+0.15}_{-0.14}$	7.0	39.5 %
$C_{9\mu}^{\text{NP}} = -C_{10\mu}^{\text{NP}}$	$-0.44^{+0.07}_{-0.08}$	6.2	22.8 %

$$\longrightarrow c_{\ell q}^{(1)} = -1.9^{+0.3}_{-0.4} \text{ @ } \mu = M_W \text{ for } (C_{\ell q}^{(1)})_{2233} = \frac{c_{\ell q}^{(1)}}{(1 \text{ TeV})^2}$$

Imply BSM scale \sim TeV (Note: RG evolutions have not been included)

Flavor violations are induced from flavor-conserving interactions.

Pay attention to treatment of quark masses.

Neutral-current B anomaly implies BSM in \sim TeV scale.

Summary

We considered NSI between leptons and quarks, particularly quark flavor-violating (FV) and flavor-conserving (FC) interactions.

In light of charged-current B anomaly ($b \rightarrow c\tau\nu$), $pp \rightarrow \tau\nu + b\text{-jet}$ search is powerful to probe FV interactions at LHC.

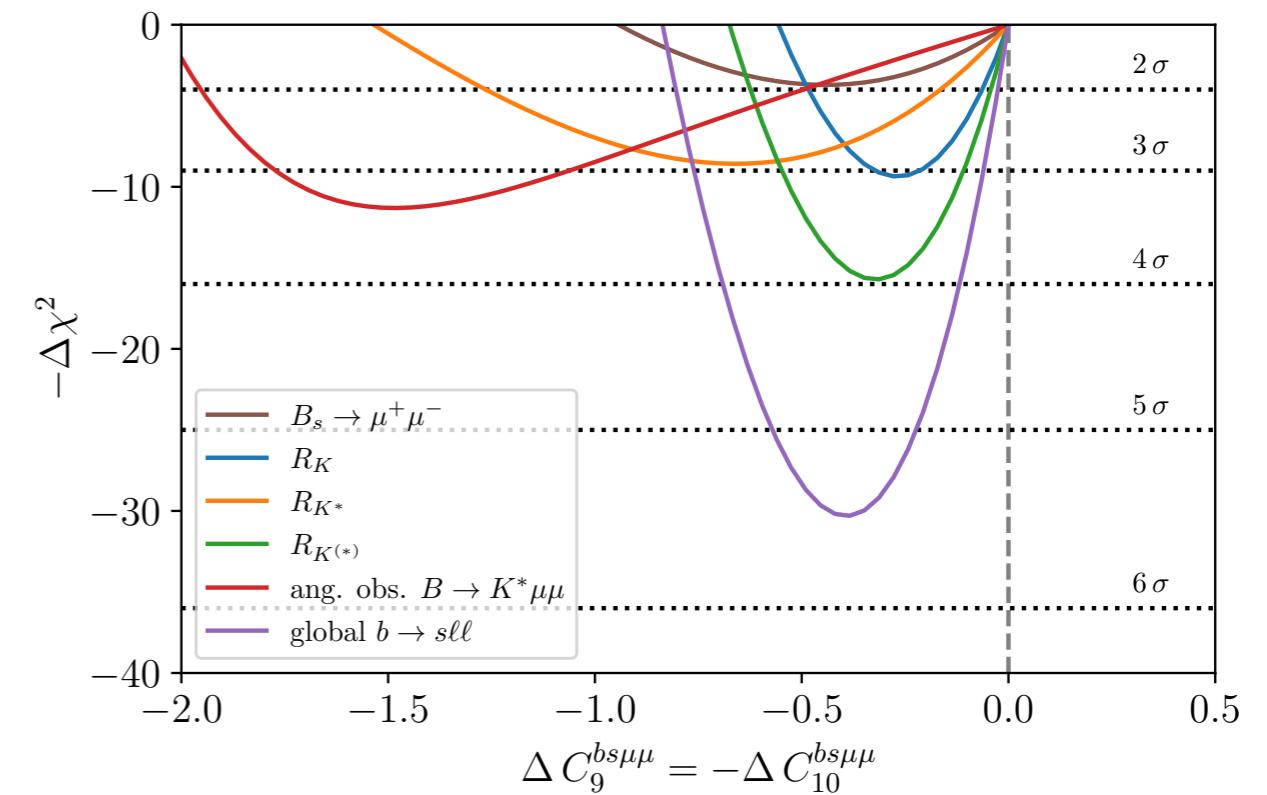
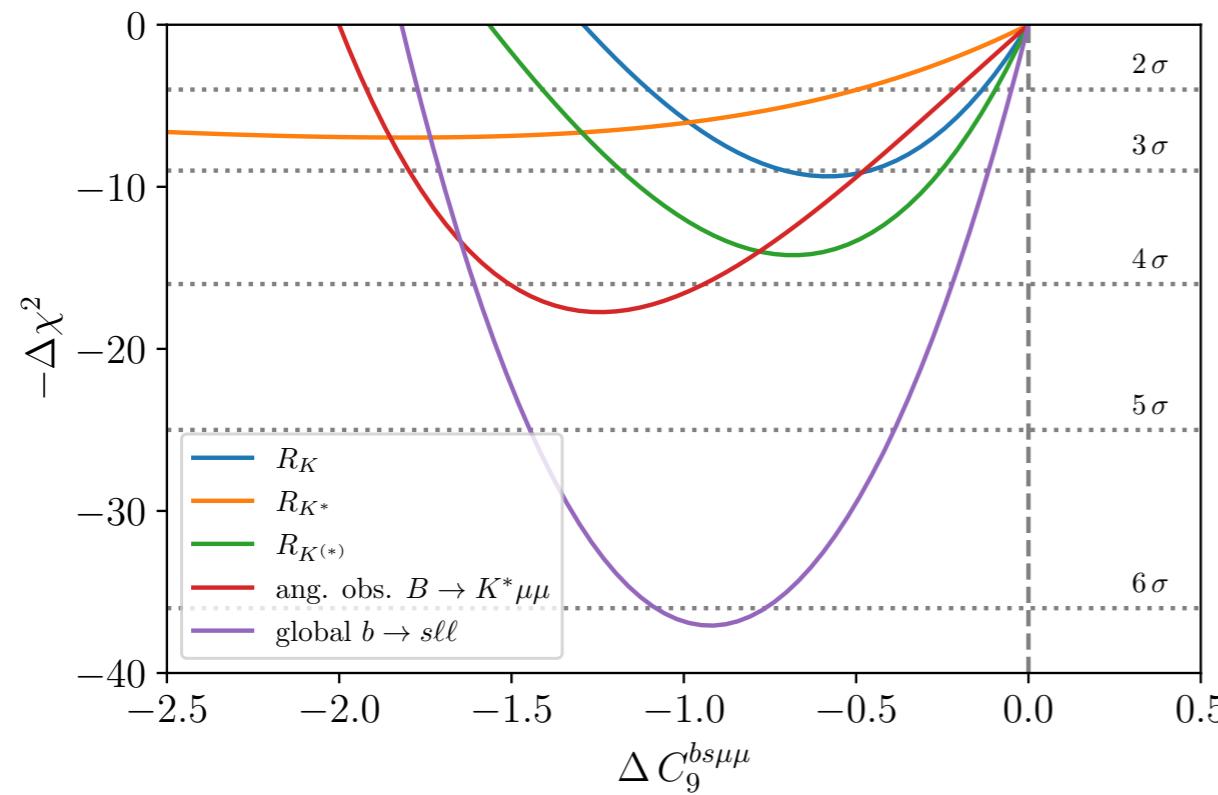
FC interactions can induce quark-flavor violations.

In the analysis, we have to pay attention to the quark masses.

In light of neutral-current B anomaly ($b \rightarrow s\mu\mu$), BSM w/ FC interactions are implied to exist in $\sim\text{TeV}$ scale, which could be a target of LHC.

The NSI between leptons and quarks are expected to be probed in future.

Backup slide

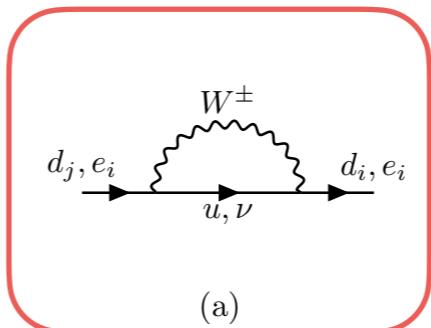


EW radiative corrections

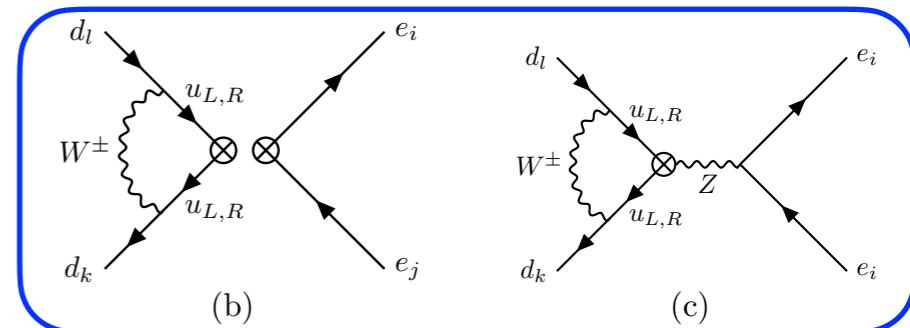
$b \rightarrow sll$

	(a)	(b)	(c)	(d)	(e)	(f)	(g)	(h)	(i)
\mathcal{O}_{eu}		✓							
$\mathcal{O}_{\ell u}$		✓							
\mathcal{O}_{qe}	✓	✓							
$\mathcal{O}_{\ell q}^{(1)}$	✓	✓							
$\mathcal{O}_{\ell q}^{(3)}$	✓	✓		✓	✓				
\mathcal{O}_{Hu}			✓						
$\mathcal{O}_{Hq}^{(1)}$	✓		✓						
$\mathcal{O}_{Hq}^{(3)}$	✓		✓		✓	✓	✓	✓	

self-energy

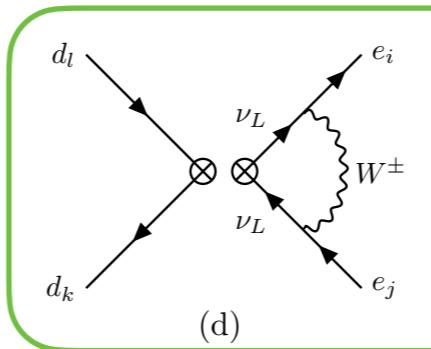


(a)

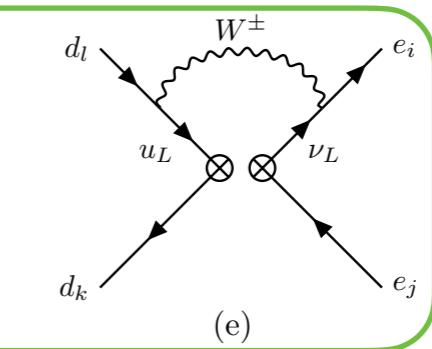


(b)

(c)

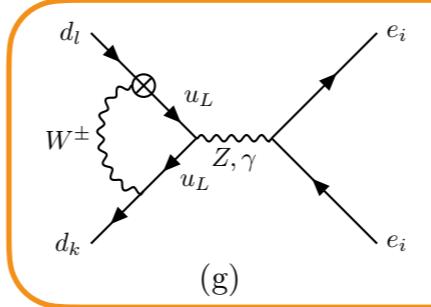


(d)

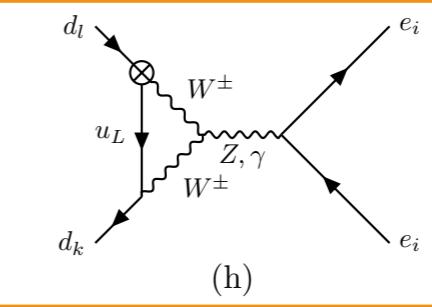


(e)

(f)



(g)



(h)

(i)

EW corrections to leptons
(necessary for gauge inv.)

corrections to $\mathcal{O}_{Hu,q}$